

SYSTEMS ANALYSIS OF A COMPLEX WATER RESOURCES SYSTEM

A THESIS

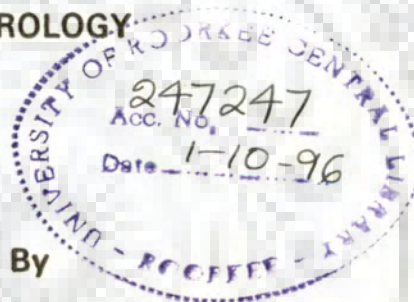
*submitted in fulfilment of the
requirements for the award of the degree*

of

DOCTOR OF PHILOSOPHY

in

HYDROLOGY



By

MOHAMMAD SADEGH SADEGHIAN



DEPARTMENT OF HYDROLOGY
UNIVERSITY OF ROORKEE
ROORKEE-247 667, INDIA

JANUARY, 1995

Gratis →



CANDIDATE'S DECLARATION

I hereby certify that the work which is being presented in the thesis entitled "SYSTEMS ANALYSIS OF A COMPLEX WATER RESOURCES SYSTEM" in fulfillment of the requirement for the award of the Degree of **Doctor of Philosophy**, and submitted in the **Department of Hydrology, University of Roorkee**, is an authentic record of my own work carried out during a period from March 1992 to January 1995, under the supervision of Professor **D.K. Srivastava**.

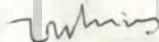
The matter presented in this thesis has not been submitted by me for the award of any other degree of this or any other University.

Date : 10-1-1995


(MOHAMMAD SADEGH SADEGHIAN)

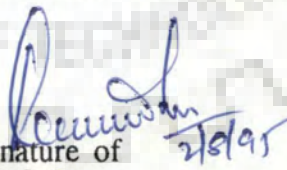
This is to certify that the above statement made by the candidate is correct to the best of my knowledge.

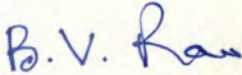
Date : 10.1.1995


(Dr. D.K. Srivastava)
Professor
Department of Hydrology
University of Roorkee
Roorkee-247 667 (INDIA)

The Ph.D. Viva-Voce examination of Mr. **MOHAMMAD SADEGH SADEGHIAN**, Research Scholar, has been held on 2.8.95


Signature of
Supervisor


Signature of
H.O.D.


Signature of
External Examiner

Acknowledgement

I wish to express my sincere appreciation and deep sense of gratitude to Professor D.K. Srivastava research supervisor, Department of Hydrology, University of Roorkee for his whole hearted cooperation, valuable guidance and perpetual encouragement which had vital influence in bringing this study to its logical conclusion. I remained indebted to him for the keen interest shown and moral encouragement offered although the pursuance of this work.

It is my great pleasure to acknowledge the useful discussions offered by scrutiny committee members of the University of Roorkee.

My thanks are also due to Dr. B.S. Mathur, Professor and Head of Department of Hydrology and all faculty members for their valuable cooperation, useful discussions and encouragement throughout the work.

My sincere gratitude is extended to Mr. A. Babae, Managing Director of Mahab Ghodss Consulting Engineers Company (affiliated to Ministry of Energy, Iran) for providing opportunity and sponsoring me for Ph.D Programme. His enlightenment, constant encouragement and extending all help and facility during the entire course is highly appreciated.

My special thanks to my dear friend Mr. Mehdi Siavoshnia research scholar of Earthquake Engineering Department for his sincere and special efforts and cooperation throughout the period of present research.

Sincere thanks are due to Mr. A.D. Pandey, Reader of Earthquake Engineering Department who helped me during the computation of the present study.

I am thankful to all my friends and colleagues specially Dr. Salim Ahmed, Mr. Cyrus Ghafghazi, Dr. M.R.N. Shahri, Mr. A. Taheri, Mr. A. Kohistani, Mr. Shakil Ahmed, Mr. A.K. Tiwari, Mr. R.S. Kurothe, Mr. V.S. Katiyar and Mr. M.L. Waikar for their sincere help and cooperation throughout the course.

The support offered by staff of New Computer Facility (NCF) University of Roorkee, for their best cooperation is acknowledged.

I express my thanks to Mr. D.P. Sharma and Excellent Computer Services, Roorkee, for their efforts made in typing and final formatting of this thesis.

The author would like to express his warm regards, sincere thanks and profound gratitude to his parents for their constant encouragement and moral support and best wishes. I remain indebted to them for their everlasting affection and encouraging love. The help and moral support of my dear sister and brothers deserves greet appreciation.

Finally the author wishes to express his deep sense of gratitude to his wife and daughters, Farnaz and Azadeh who unflinchingly bore all the difficulties and hardship of being in a foreign country patiently and provided me the encouragement and dynamic support for the completion of this course. I am thankful to them for their understanding and unending patience.

Date : January 1995

(MOHAMMAD SADEGH SADEGHIAN)

ABSTRACT

Basin resources planning has become an increasingly important concept in comprehensive planning of a complex water resources system. Comprehensive basin water resources planning is a complex and a difficult task, posing numerous social, economic, environmental and engineering problems.

Water resources systems analysis has now been generally accepted to provide an efficient way of answering the numerous questions regarding planning of large scale water resources systems for which the conventional methods of analysis will be inadequate. The approach and appropriate technique will naturally vary from problem to problem as the configuration, state of development of the system, and stage of decision making is likely to vary over a vast range. For a large scale water resources system the difficulty in the system analysis is primarily due to large number of possible alternative development strategies, and hence the vast computational effort required to establish an optimal development plan. Therefore, in a large and complex system, one of the major challenge is to reduce the large set of alternative configurations that need to be examined in detail to a reasonable number without mistakenly eliminating an attractive option. The most commonly suggested approach has been first to screen all alternative configurations with mathematical programming technique to determine the most attractive alternatives, then further screen them with a detailed simulation model.

In this study an attempt was made to combine the major advances of systems analysis by optimization-simulation screening models, which are to be used for analyzing a complex water resources system. Linear programming has been used as an optimization technique for very obvious reasons of large number of variables involved in such problems.

The specific decision problem under consideration was screening of a multiple reservoir system (multi purpose, multi reservoir, and multi irrigation areas system) on the Karun river in Iran, to meet the current and forecast growth in demand of water, for irrigation, hydropower, flood control, and municipal and industrial water supply. The system consisted of 5 major dams, one run-of-river hydropower scheme and a number of multi-irrigation areas. The various alternative configurations of the above system were studied, based on various project proposals and engineering considerations for deciding the optimal configuration and the optimal project targets.

The approach was to develop a suitable methodology to identify the combination of multi-reservoir alternative to maximize the economic benefits as well as to obtain desired project dependabilities, subjected to continuity constrains, technological constrains, and policy constraints. In this context, it was profitable to investigate the value of linear programming in preliminary screening and how it should be coupled with a finer screening simulation study.

The computer software (INDMAG PACKAGE) developed for generation of Input Data Matrix coupled with simplex algorithm for linear programming, and a flexible simulation package were used for screenings in two phases. The Phase-I was project by project analysis, and the Phase-II was analysis of integrated developmental strategies. The average monthly flows and the monthly flows of a representative dependable flow year were used independently in preliminary screening optimization model, where as 38 years historical monthly flows were used in simulation model. For screening, the economic, and water use dependability criterias were used.

The development of INDMAG software package to create the Input Data Matrix for LP model made the construction of the optimization model for all potential feasible alternatives a less data-intensive and non-Herculean task. The approach used in INDMAG software algorithm is one such step towards preparing a generalized algorithm

(computer programme) very well fitting to the basic multireservoir design and planning problems.

The results of linear programming model were helpful in simulation as they could select the upper and lower ranges of the design variables by regulating the average and the annual flow of a given dependability based on the desired project success respectively.

The use of optimization-simulation models for screening and analysis by (a) project by project analysis and (b) integrated development strategy analysis, suggest a suitable scheme in the reduction in the number of alternatives of development to be examined and analyzed.

The project by project analysis and the integrated developmental strategy analysis is likely to guarantee a configuration of reservoirs and project sizes very near to a global optimum.

Based on the results, it can be concluded that the approach used in this study is simple and can be easily used to analyze large and complex river basins planning problems.

TABLE OF CONTENT

TITLE	Page No.
CANDIDATE DECLARATION	i
ACKNOWLEDGEMENT	ii
ABSTRACT	iv
TABLE OF CONTENT	vii
LIST OF FIGURES	xii
LIST OF TABLES	xiv
Chapter-I INTRODUCTION	1
1.1 Problem Identification.	3
1.2 Objectives of Present Study.	4
1.3 The Approach.	5
1.4 The Chapter Wise Planning of the Thesis Report.	6
Chapter-II LITERATURE REVIEW	8
2.1 Review of Application on Multi Reservoir Analytic Screening Models.	10
2.2 Review of Application on Multi Reservoir Simulation in Water Resources.	14
2.3 Studies in Systems Analysis of Complex Water Resources System.	23
Chapter-III THE LINEAR PROGRAMMING SCREENING MODEL	28
3.1 Introduction.	28
3.2 The Constraints.	31
3.2.1 Reservoir Constraints.	31
3.2.2 Flood Control Constraints.	38
3.2.3 Irrigation Constraints.	39
3.2.4 Hydroelectric Energy Constrains.	42
3.2.5 Bounds on Variables.	43

3.3	The Objective Function.	44
3.4	List of Variables.	46
Chapter-IV	SIMULATION MODEL	50
4.1	Introduction.	50
4.2	Theory.	50
4.2.1	System Design Variable, Parameters and constraints.	51
4.2.1.1	Major Design Variables.	51
4.2.1.2	Cost and Benefit Functions.	52
4.2.1.3	Stream Flow Data.	53
4.3	Operation of the System.	53
4.3.1	Individual Reservoir Operation.	53
4.3.2	Reservoir Operation Among Reservoirs.	55
4.4	Discounting Technique.	55
4.5	Sampling Techniques.	56
4.5.1	Random Sampling.	57
4.5.2	Systematic Sampling.	57
4.6	Results from Simulation.	58
4.6.1	Reservoir Behaviour.	58
4.6.2	Irrigation Analysis.	58
4.6.3	Energy Analysis.	58
4.7	Operation Policy of Reservoirs in Multi- Reservoir System.	59
4.8	Working Principle of computer Programme.	60
4.9	List of Variables.	64
Chapter-V	RIVER SYSTEM AND STATEMENT OF THE PROBLEM	72
5.1	Study Area.	72
5.2	Climate And Rainfall.	75
5.2.1	Mountainous Area.	75

5.2.2	Plain Area.	75
5.3	Stream Flow.	79
5.4	Irrigation Water Requirement.	79
5.4.1	Crop Water Requirement.	79
5.4.2	Effective Rainfall.	81
5.4.3	Representative Crops.	102
5.5	Municipal and Industrial (M&I) Water Demand.	102
5.6	Existing Development.	102
5.7	Development Potential.	104
5.8	Statement of The Problem.	107
Chapter-VI DEVELOPMENT OF SOFTWARE FOR INPUT DATA MATRIX GENERATION FOR LINEAR PROGRAMMING MODEL (INDMAG PACKAGE)		
		126
6.1	Introduction.	126
6.2	The Input Data in Matrix Form.	127
6.2.1	Reservoir Constraints.	127
6.2.2	Flood Control Constraints.	128
6.2.3	Irrigation Constraints.	128
6.2.4	Hydroelectric Energy Constraints.	128
6.2.5	The Objective Function.	129
6.2.6	The Data matrix in Detached Coefficient Form.	129
6.2.6.1	Reservoir Constraints for Site-1, and time Periods $t=1$ & 2 .	130
6.2.6.2	Irrigation Constraints for Site-1 & 2, Multi- irrigation Areas 3 & 4, and time Period $t=1$ & 2 .	130
6.2.6.3	Hydroelectric Constraints for Site-1, and time Periods $t=1$ & 2 .	131

6.2.6.4	Reservoir Constraints for Site-2, and time $t=1$ & 2.	132
6.2.6.5	Hydroelectric Constraints for Site-2, and time Periods $t=1$ & 2.	133
6.2.6.6	The Objective Function.	133
6.3	Algorithm For Creation of Data Matrix.	133
Chapter-VII	COMPUTATION, RESULTS, AND DISCUSSION	151
7.1	General.	151
7.2	Cost, Benefit, And Loss Function.	152
7.2.1	General.	152
7.2.2	Cost, Benefit, and Loss Function for LP Model.	153
7.2.2.1	Computation of Unit Annual Cost of Reservoir.	153
7.2.2.2	Computation of Unit Annual Cost of Irrigation.	155
7.2.2.3	Computation of Unit Annual Cost of Hydropower Plant.	157
7.2.2.4	Values of Cost, Benefit, and Loss Functions of LP Model.	159
7.2.3	Cost, Benefit, and Loss Functions for Simulation Model.	159
7.2.4	Reservoir Volume vs Reservoir Elevation and Reservoir Volume vs Reservoir Area Curves for Simulation.	160
7.3	Solution Methodology.	180
7.3.1	Deciding Configuration and Sizing of Reservoirs for future Development.	180
7.3.2	Sizing of Irrigation Including Multi- Irrigation areas.	180
7.4	Computation for Deciding Configuration and Sizing of Reservoirs for future Development.	180
7.4.1	Strategy for LP Computation.	181
7.4.2	Strategy for Simulation Computation.	187
7.4.3	Computation.	188
7.4.3.1	Computation for Reservoir-1.	188

7.4.3.2	Computation for Reservoir-2.	192
7.4.3.3	Computation for Reservoir-3.	196
7.4.3.4	Computation for Reservoir-4.	203
7.4.3.5	Computation for Site-5 (Run-of-River Hydropower Site).	208
7.4.3.6	Computation for Reservoir-6.	209
7.5	Sizing of Irrigation Including Multi- Irrigation areas.	211
Chapter-VIII ANALYSIS AND CONCLUSION		216
8.1	General.	216
8.2	Analysis of LP Screening Model and Results.	217
8.2.1	Important Features Different from Earlier Studies.	217
8.2.2	Discussion on LP Model Results.	219
8.3	Analysis of Simulation Results.	220
8.4	A Proposed Suitable Scheme of Screening.	223
8.5	Comparison of Results With Project Provisions.	225
8.6	Conclusion.	227
8.7	Recommendation.	230
8.8	Suggestion For Future Work.	231
REFERENCES		240
PUBLICATIONS		248
APPENDICES		
2.I	Various Design Aspects, Techniques considered by Authors	249
4.I	Computer Programme For Simulation.	251
6.I	Linear Programming Screening Model	286
6.I.A	Computer Software (INDMAG PACKAGE).	292
6.II	Sample Data For a Single Purpose Irrigation Reservoir.	302
6.III	Sample Data For a Single Purpose Hydropower Reservoir.	305
6.IV	Sample Data For Two Hydropower Reservoirs in Series.	311

LIST OF FIGURES

TITLE	Page No.
3.1 A Sample Site With One Multi-Purpose Reservoir and Two Multi-Irrigation areas.	29
3.2 Various Reservoir Storage & Variables Related to a Reservoir.	30
3.3 Diagrammatic Representation of Continuity Equation.	32
3.4 Storage Area Relationship & Approximation of Surface Area Per Unit Active Storage Volume.	33
3.5 Parallel Reservoir With Multi-Irrigation areas.	40
4.1 A General Flow Chart For Simulation Computer Programme.	66
5.1 Plant Showing Karun-Dez River Basin.	73
5.2 Schematic Diagram of Karun River System With All Possible Developmental Potential.	74
5.3 Average Annual Rainfall at Gotvand for Period (1918-1985).	76
5.4 Average Annual Rainfall at Dezful for Period (1918-1985).	76
5.5 Average Annual Rainfall at Ahwaz for Period (1918-1985).	77
5.6 Average Annual Rainfall at Abadan for Period (1918-1985).	77
5.7 Isohyethal Map of Karun River Basin.	78
5.8 Iso-evaporation Map of Karun River Basin.	99
5.9 Iso-Thermal Map of Karun River Basin.	100
5.10 Karun River Profile.	105
5.11 Karun River Profile.	106
5.12 Schematic Diagram of Karun River System-Existing Development.	112
5.13 Schematic Diagram of Karun River System-Full Development.	113
5.14 Reservoir Volume vs Elevation for Karun-4 (Up Dam Site).	116
5.15 Reservoir Volume vs Area for Karun-4 (Up Dam Site).	116
5.16 Reservoir Volume vs Elevation for Karun-4 (Mid Dam Site).	117

5.17	Reservoir Volume vs Area for Karun-4 (Mid Dam Site).	117
5.18	Reservoir Volume vs Elevation for Karun-4 (Down Dam Site).	118
5.19	Reservoir Volume vs Area for Karun-4 (Down Dam Site).	118
5.20	Reservoir Volume vs Elevation for Karun-3 Dam Site.	119
5.21	Reservoir Volume vs Area for Karun-3 Dam Site.	119
5.22	Reservoir Volume vs Elevation for Karun-2 Dam Site.	120
5.23	Reservoir Volume vs Area for Karun-2 Dam Site.	120
5.24	Reservoir Volume vs Elevation for Karun-1 Dam Site.	121
5.25	Reservoir Volume vs Area for Karun-1 Dam Site.	121
5.26	Reservoir Volume vs Elevation for Godar-e-Landar (Tunnel Scheme).	122
5.27	Reservoir Volume vs Area for Godar-e-Landar (Tunnel Scheme).	122
5.28	Reservoir Volume vs Elevation for Godar-e-Landar (Up Dam Site).	123
5.29	Reservoir Volume vs Area for Godar-e-Landar (Up Dam Site).	123
5.30	Reservoir Volume vs Elevation for Godar-e-Landar (Down Dam Site).	124
5.31	Reservoir Volume vs Area for Godar-e-Landar (Down Dam Site).	124
5.32	Reservoir Volume vs Elevation for Dez Dam Site.	125
5.33	Reservoir Volume vs Area for Dez Dam Site.	125
6.1	Two Parallel Reservoirs With 2 Multi-Irrigation areas.	146
6.2	A General Flow Chart for Generation of Coefficients of Input Data Matrix for Linear Programming Model (INDMAG PACKAGE).	147
6.3	Flow Chart for Generation of Non-Zero Coefficients for Continuity Equation (3.4) in (INDMAG PACKAGE).	150
8.1	Variations in Y, H and E values in LP Model.	221

LIST OF TABLES

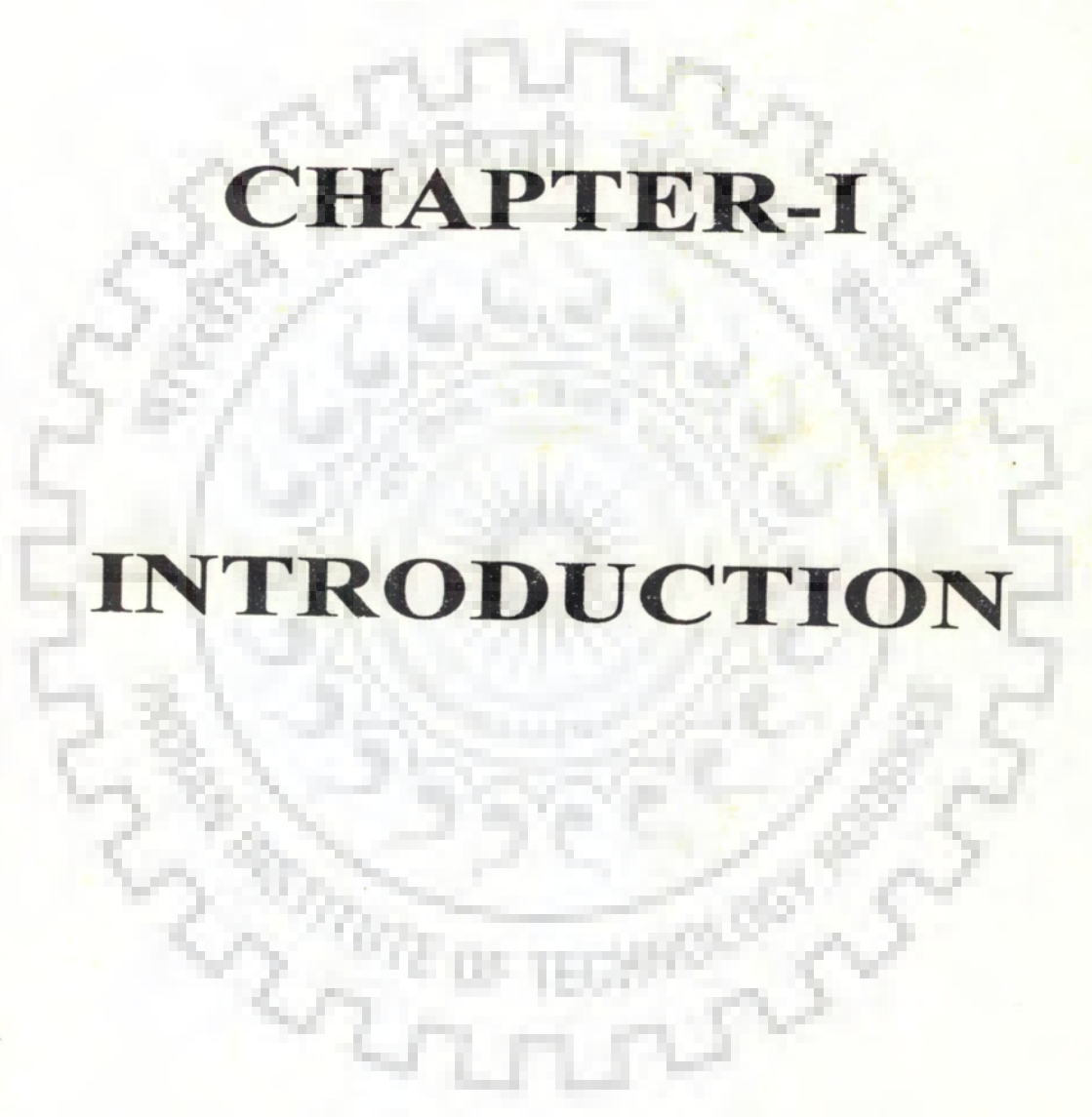
TITLE	Page No.
5.1 Monthly Yield at Karun-4 Dam Site (Up & Mid Dam Site).	82
5.2 Monthly Yield at Karun-4 Dam Site (Down Dam Site).	83
5.3 Monthly Yield at Karun-3 Dam Site.	84
5.4 Monthly Yield at Karun-2 Dam Site.	85
5.5 Monthly Yield at Karun-1 Dam Site.	86
5.6 Monthly Yield at Godar-e-Landar Run-of-River (Tunnel Scheme).	87
5.7 Monthly Yield at Godar-e-Landar Run-of-River (Up Dam Site).	88
5.8 Monthly Yield at Godar-e-Landar Run-of-River (Down Dam Site).	89
5.9 Monthly Yield at Gotvand Diversion Dam Site.	90
5.10 Monthly Yield Between Gotvand Diversion Dam and Shushtar.	91
5.11 Monthly Yield at Dez River at Tale Zang.	92
5.12 Monthly Yield at Dez Dam Site.	93
5.13 Monthly Yield of Dez River at Dezful.	94
5.14 Monthly Yield of Shavor River at Shavor.	95
5.15 Monthly Yield of Karun River at Ahwaz.	96
5.16 Long Term Average Climatological Data for Dezful Ahwaz and Abadan.	97
5.17 Corrected Monthly Values of (Eto) for Reference Crop at Dezful Ahwaz and Abadan.	98
5.18 Monthly Rainfall of Plain Area (80% Dependable Rainfall).	101
5.19 Municipal and Industrial Water Demands Existing Development.	103
5.20 Municipal and Industrial Water Demands Full Development.	103
5.21 Pertinent Features of Dam Sites in Karun River Basin.	110
5.22 Monthly Distribution of Evaporation at Karun River Dam Sites.	111
5.23 Potential of Self & Multi Irrigation Areas (Existing Development).	114
5.24 Potential of Self & Multi Irrigation Areas (Full Development).	114

5.25	Proposed Alternative Configurations of Reservoirs/Sites.	115
6.1	Coefficients of the Matrices [A], [B] & [C] For Two Parallel Reservoirs with Two Multi Irrigation Areas.	139
6.2	Definition of Column Index Number.	140
6.3	Sample Input Data File For INDMAG PACKAGE For Two Parallel Reservoirs With Two Multi Irrigation Areas.	141
6.4	Statistics of the Input Data for Various Computer Package in (LP Model).	145
7.1	Values of Economical Parameters For Linear Programming Model.	159
7.2	Functional Relationship Developed For Different Dam Sites.	161
7.3	Functional Relationship of Volume vs Elevation at Dam Sites.	165
7.4	Functional Relationship of Volume vs Area at Dam Sites.	166
7.5	Mean Flows at Dam Sites.	182
7.6	Flows of Different Dependabilities at Karun River Dam Sites.	183
7.7	Flow of Dez Dam Site With Different Dependabilities.	184
7.8	Values of $K_{i,t}$ at Different Sites (Existing Development).	185
7.9	Values of $K_{i,t}$ at Different Sites (Full Development).	186
7.10	Monthly Pattern of Diversion Out of the Basin.	186
7.11	Monthly Pattern of Load Factors.	187
7.12.1	Results of LP Model for Individual Project (Reservoir-1).	189
7.12.2	First Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-1).	190
7.12.3	A Few Selected Alternatives From Simulation From First Sample for Individual Project (Reservoir-1).	191
7.12.4	Second Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-1).	191
7.12.5	Results of Simulation From Second Sample for Individual Project(Res.-1).	191
7.13.1	Results of LP Model for Individual Project (Reservoir-2).	192

7.13.2 Results of LP Model for Individual Project (Reservoir-2) With Intermediate Catchment Flows.	193
7.13.3 First Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-2).	194
7.13.4 A Few Selected Alternatives of Simulation, Individual Project(Res.-2).	194
7.13.5 Second Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-2).	195
7.13.6 Results of Simulation From Second Sample for Individual Project(Res.-2).	195
7.13.7 Results of LP Model for Integrated Reservoirs for Average Flows (Reservoirs-2 and 1).	195
7.13.8 Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Reservoirs-2 and 1).	196
7.13.9 Results of Simulation (Reservoirs-2 and 1).	196
7.14.1 Results of LP Model for Individual Project (Reservoir-3).	197
7.14.2 Results of LP Model for Individual Project (Reservoir-3) (With Intermediate Catchment Flows).	197
7.14.3 First Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-3).	197
7.14.4 A Few Selected Alternatives From Simulation From First Sample for Individual Project (Reservoir-3).	198
7.14.5 Second Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-3).	198
7.14.6 Results of Simulation From Second Sample for Individual Project(Res.-3).	198
7.14.7 Results of LP Model for Integrated Reservoirs for Average Inflows (Reservoirs-3 and 2).	199
7.14.8 Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Reservoirs-3 and 2).	199

7.14.9 Results of Simulation (Reservoirs-3 and 2).	200
7.14.10 Results of LP Model for Integrated Reservoirs for Average Inflow (Reservoirs-3, 2 and 1).	200
7.14.11 Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Reservoirs-3, 2 and 1).	201
7.14.12 Results of Simulation (Reservoirs-3, 2 and 1).	201
7.14.13 Results of LP Model for Integrated Reservoirs for Average Flows Flows (Reservoirs-3 and 1).	202
7.14.14 Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Reservoirs-3 and 1).	202
7.14.15 Results of Simulation (Reservoirs-3 and 1).	202
7.15.1 Results of LP Model for Individual Project (Reservoir-4).	203
7.15.2 Results of Simulation for Individual Project (Reservoir-4).	203
7.15.3 Results of LP Model for Integrated Reservoirs for Average Inflows (Various Combinations of Reservoirs- 4,3,2 and 1)	204
7.15.4 Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Various Combinations of Reservoirs-4,3,2 and 1)	205
7.15.5 Results of LP Model for Integrated Reservoirs for Dependable Inflows (Various Combinations of Reservoirs-4,3,2 and 1)	206
7.15.6 Results of Simulation for Integrated Reservoirs (Various Combination of Reservoirs-4,3,2 and 1)	207
7.16.1 Results of LP Model for Integrated Reservoir for Average Inflows (Site-5 and Reservoirs-4,3,2 and 1).	208
7.16.2 Results of LP Model for Integrated Reservoirs for Dependable Inflows (Site-5 and Reservoirs-4,3,2 and 1).	208
7.16.3 Results of Simulation (Site-5 and Reservoirs-4,3,2 and 1).	209
7.17.1 Results of LP Model for Individual Project (Reservoir-6).	209

7.17.2 First Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-6).	210
7.17.3 A Few Selected Alternatives From Simulation From First Sample for Individual Project (Reservoir-6).	210
7.17.4 Second Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-6).	210
7.17.5 Results of Simulation From Second Sample for Individual Project(Res.-6).	211
7.18.1 Results of LP Model for Integrated Reservoirs for Average Inflows (Reservoirs-4 and 6 With Multi- Irrigation Areas) Existing Development.	212
7.18.2 Results of LP Model for Integrated Reservoirs for Average Inflows (Reservoirs-1, 2, 3, 4, 5 and 6 With Multi-Irrigation Areas) Full Development.	213
7.18.3 Results of Simulation (Reservoirs-4 and 6 With Multi-Irrigation Areas) Existing Development.	214
7.18.4 Results of Simulation (Reservoirs-1, 2, 3, 4, 5 and 6 With Multi-Irrigation Areas) Full Development.	215
8.1 Results of LP Model for 15 Possible Configurations, Using Average Inflows.	232
8.2 Results of LP Model for 15 Possible Configurations, Using Dependable Year's Inflows.	234
8.3 Results of Simulation Model for 15 Possible Configurations.	236
8.4 A Proposed Scheme of Screening	237
8.5 Comparison of Computed Reservoir Design Variables With Project Provisions.	238
8.6 Firm Irrigation Requirement for Self and multi- Irrigation Areas, Existing and Full Development Scenario.	239
8.7 Salinity Control requirement for Existing and Full Development Cases	239



CHAPTER-I

INTRODUCTION

Use Arabic numerals

Chapter-I

INTRODUCTION

Water is an important constitute of the geosystem. It is a natural resource vital for the existence of the life on this planet. The growth of ancient civilizations can be traced to regions associated with mighty rivers, e.g., the Nile in Egypt, the Yangtze and Yellow river in China, the Ganga in India, the Rhine in Europe, and the Euphrates and Tigris in Asia.

Water has been closely related to development of different civilizations, and in future it will continue to play same role. With world population growing rapidly, pressure on all type of natural resources is constantly being intensifying. By the year 2000, the population of the world will exceed 6 billions. Also this figure is anticipated to reach 10 to 16 billions by the year 2050 (U.N., 1973). Due to population explosion in most parts of the tropics, pressure on Water Resources which are distributed unequally in space and time will be extremely acute. Therefore, in spite of the availability of water as the abundant substance on earth, now water is a scarce resource and needs careful planning for its conservation and use. Over the past 50 years, water resources planning has evolved from a relatively straight forward methodology to a complex procedure. The task of water resources system planners may be broadly described as identification or development of possible water resources systems, designs or management plans and evaluation of their economic, ecological, environmental, and social impacts.

Planning is now more broadly based. Instead of emphasizing a single project to meet a specific defined requirement, all needs and opportunities for water resources development are considered in a region such as a river basin, as a large scale water resources systems.

Although water resources projects have been constructed for thousands of years, modern water resources planning has evolved over only about 50 years. Such projects may range from a single project meeting a single purpose need to a regional systems in a multiunit and multipurpose framework.

Optimum planning of a complex and large scale water resources systems are having a high priority consideration in the economic development of the countries. The complexity of such systems make the analysis of water resources investment alternative very difficult and complex. A simultaneous development in river basin planning increased the application of systems analysis techniques.

The tools of systems analysis are many and varied in their usefulness. The approach and appropriate techniques naturally vary from problem to problem. It depends on the characteristics, i.e., the objectives, scope of planning, state of development of system, the space and time of planning process. For example on one extreme, there may be the case where no development may have taken place and the first stage decision in the morphology of developmental planning has to be on screening the candidate system configurations. On the other hand, there may be the case where the system has already been developed and the issue is preliminary of management of the system. There may be mixed stages of development. Therefore, the approach is likely to vary over a vast range. Usually optimization techniques (mathematical models), simulation, and a combination of these are generally used.

The first step is ^{the} screening stage, in which mathematical optimization models (screening models) ^{are} to be used to limit the range of development for further analysis by discovering unfavorable alternatives. The remaining alternatives were then investigated in the second stage by a detailed simulation model of whole system.

1.1 PROBLEM IDENTIFICATION

Although, considerable interest has developed of late in systems planning of water resources and it has been generally accepted that real - life applications are required to validate the efficacy and worthwhileness of certain techniques. Studies of real - life complex systems are still relatively rare. For instance, it is well known that in view of the non-linearities and discontinuities in the objective function, the final analysis of a complex large real - life system could be best carried out by simulation. On the other hand, simulation over even a promising feasible set would be computationally impossible. Preliminary screening by a mathematical programming model on the basis of which simulation could be planned has often ^{been} recommended (Dorfman, 1962; Hufschmidt & Fiering, 1966; Roefs, 1968; Roefs & Bodin, 1970; Loucks, 1969; Jacoby & Loucks, 1972; Srivastava, 1976; Chaturvedi & Srivastava, 1981; Karamouz et al., 1992). On the other hand, firstly a simulation model and then, subsequently an optimization model were used to analyze a multipurpose, multi reservoir river basin (Lall and Miller, 1988 ; and Razavian et al., 1990). In this context, it is profitable to investigate the value of mathematical programming in preliminary screening and how it should be coupled with a simulation study. For instance, it may be instructive to ascertain how deterministic linear programming models would help in identifying the optimal set in view of the stochastic inputs. An attempt was, therefore, made to study a real-life large scale complex system, the Karun basin in Iran, by a combination of a mathematical programming preliminary screening model and a finer screening-simulation model. In view of the large number of reservoirs being involved and the preliminary planning nature of the study, a deterministic linear programming (LP) technique was adopted.

The earlier studies on mathematical screening models considered the following:

- (i) A few selected integrated alternative configurations only for analysis, but project by project analysis was not considered.
- (ii) The scope of irrigation was as a single irrigation area (self irrigation) per project, but did not consider a large number of individual potential irrigation areas (multi-irrigation areas) under the command of a project/projects.
- (iii) Earlier preparation of input data for computation of linear programming by computer for all potentially feasible alternatives, were data-intensive and Herculean task (Razavian et al., 1990), but generalized algorithm (computer programme) for input data matrix generation very well fitting to basic multi-reservoir multi-purpose design and planning in water resources were not developed to over come the above difficult task of input data feeding.

Keeping in mind the above considerations and recognizing the need of a suitable approach, this study is directed to evaluate the different developmental alternatives, and the following objectives were set as the scope of this work.

1.2 OBJECTIVES OF PRESENT STUDY

The basic objectives in the present thesis ^{are:} can be defined as under:

- (i) To develop a Linear Programming optimization model for river basin planning and development.
- (ii) To test the above developed model by applying it to a large scale river basin system, consisting of multi purpose, multi-reservoirs, and multi-irrigation areas.
- (iii) To limit the range of developmental alternatives and the ranges of the values of decision variables for further analysis, by discovering unfavorable developmental alternatives, and identifying infeasible decision space with the help of optimization model.

- (iv) To explore the best configuration of the development potential of the river system, with respect to the design criteria for each project.
- (v) To apply simulation technique for detailed investigations and for analyzing and verifying the results of the whole system in respect of the outcome of the optimization model.
- (vi) To develop a suitable computer software for generating the input data matrix for linear programming optimization problem applicable to water resources systems.
- (vii) To draw suitable conclusions from the above results and the experience of applying the above optimization-simulation models onto a large scale water resources systems in order to utilize its full developmental potential in the best possible manner.

1.3 THE APPROACH

The mathematical optimization model and simulation model were used to analyze the Karun river system. The Linear Programming (LP) model is considered to be the most suitable methodology for modeling in the initial phases of the investigations, in such a large scale river basin system development. Therefore initially, in the first step the LP model has been applied to the proposed individual potential reservoir sites to find the ranges of the design variables and to investigate and formulate the whole range of individual developmental alternatives. In the second step a finer search by a detailed simulation model is carried out for the whole system. Finally, again the above models were used to study and analyze the combined developmental strategies of the system in two steps as mentioned above, to develop the design criteria for the whole system by which the best configuration of the systems can be drawn. Ultimately, the above approach and the characteristics of the types of the models used suggested a methodological framework for optimal river

basin planning. The results of the present study, carried out under different conditions, confirm and extend earlier findings.

This thesis is an attempt to combine the major advances of systems analysis by optimization-simulation screening models, which is to be used for multi-reservoir, multi purpose and multi irrigation areas water resources systems. The planning, formulation and solution procedure of this analysis in this dissertation is described as below.

1.4 THE CHAPTER WISE PLANNING OF THE THESIS REPORT

With respect to the said objectives, this research work is reported in eight chapters.

CHAPTER-2

In this chapter a literature review is presented related to the topics of the screening using linear programming, and simulation within the frame work of design of the multi purpose, multiple reservoir, and multi irrigation areas system. Literature survey has been done in the Journals of ^{such as} Water Resources Research ; Water Resources Planning and Management, ASCE ; Water Resources Bulletin ; Water Resources Management and some text books related to the topics. A description of the approach/models developed by different researchers is presented in chronological order as far as possible.

CHAPTER-3

This chapter is devoted towards "The Linear Programming model (LP model) formulation in the context of the multipurpose, multiple reservoir and multi irrigation areas system development.

CHAPTER-4

This Chapter deals with Simulation model formulation.

CHAPTER-5

A brief introduction of the problem is presented for the Karun river basin in Iran on which the proposed model(s) were applied.

CHAPTER-6

Development of a computer software package called (INDMAG PACKAGE), to generate required input data matrix for LP model is presented.

CHAPTER-7

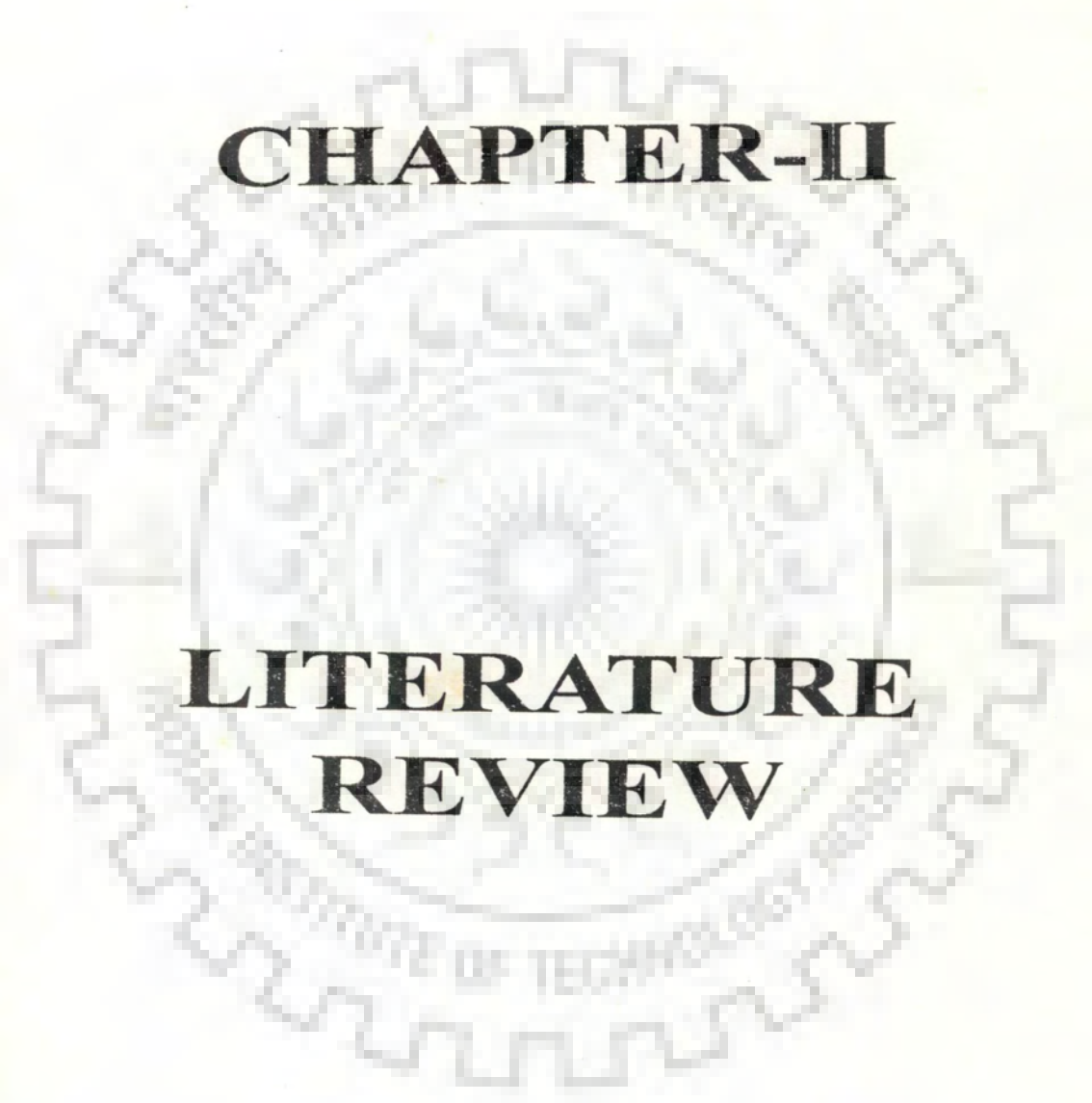
Deals with "The model application ". The proposed LP model and Simulation approach have been applied onto the Karun river system keeping in mind the objectives mentioned in Chapter-1. The results and discussions are also presented in this chapter.

CHAPTER-8

Based on results and experience of the computations carried out analysis is done and suitable conclusions have been drawn, and suggestions for future work are presented.

CHAPTER-II

LITERATURE REVIEW



LITERATURE REVIEW

A brief look at the history of water-development planning reveals a long series of evolutionary changes in both issue definition and analytic methodology. Reservoirs are the most important elements of complex water resource system (Simonovic, 1992; Helweg et al., 1982). The development of methods to define reservoir design as well as operating rules has been the focus of research for many years. These methods can be classified by such characteristics as the type of optimization solution procedure used (e.g., Linear programming and Dynamic programming), Karamouz et al. (1992). As water planning has become more complex, corresponding analytic techniques have evolved from a nearly exclusive reliance on narrowly defined engineering design studies to wide spread use of some form of systems analysis.

Modeling provides a way, perhaps the principal way, of predicting the future behavior of existing or proposed water resource system. Over the past 30 years, we have witnessed advances in our abilities to model the engineering, economic, ecologic, hydrologic, and sometimes even the institutional or practical aspects of large complex multipurpose water resource systems. Applications of models to real systems have improved our understanding of such systems, and hence have often contributed to improved system design, management, and operation. Evaluating the applications of numerous types of models has also taught us how limited our modeling skills remain (Loucks, 1992).

Despite the many applications appearing in the literature mathematical programming techniques are not commonly applied in practice to complex environmental systems (Uber et al., 1992)

One of the earliest methods which was used to calculate the active storage capacity required to meet a specified reservoir release in sequence of periods was developed by Rippl in 1883. His Mass diagram analysis as a conventional method still is used by many water resource planners. A modification of the cumbersome mass curve method was the sequent-peak procedure, a well-known simplistic algorithm for determining the storage capacity requirement for reservoir. Potter (1977) used the sequent peak procedure for sizing of the reservoirs.

Water resources systems analysis has now been generally accepted to provide an efficient way of answering the numerous questions regarding planning of large scale water resources systems for which the conventional methods of analysis will be inadequate. The approach and appropriate technique will naturally vary from problem to problem as the configuration, state of development of the system, and stage of decision making is likely to vary over a vast range (Maass et al., 1962; Hufschmidt and Fiering, 1966; Hall and Dracup, 1970; Haimes, 1977; Loucks et al., 1981; Stedinger et al., 1983; Marino and Mohammadi, 1983a and 1983b; Mohammadi and Marino, 1984a and 1984b; Marino and Mohammadi, 1984; Goodman, 1984; Loaiciga and Marino, 1986; Srivastava, 1987; Chavez-Morales et al., 1987; Chaturvedi, 1987; Flynn and Marino, 1988 and 1989; Sadeghian, 1991; Afshar et al., 1991; Chavez-Morales et al., 1992; Simonovic, 1992; Srivastava and Patel, 1993; Wurbs, 1993; Boney, 1993).

For a large scale water resources system the difficulty in the system analysis is primarily due to large number of possible alternative development strategies, and hence the vast computational effort required to establish an optimal development plan. However, the huge costs involved in the construction and operation of such a system and the great potential for cost reduction through improved system design necessitate a planning programme that will determine such an optimal

development strategy. Therefore, in a large and complex system, one of the major challenge is to reduce the large set of alternative configurations that need to be examined in detail to a reasonable number without mistakenly eliminating an attractive option. The most commonly suggested approach has been first to screen all alternative configurations with mathematical programming technique to determine the most attractive alternatives, then further screen them with a detailed simulation model. A critical review related to the problems of screening and simulation within the frame work of multiple reservoirs planning and management, available in literature of water resources planning and management have been presented in three parts as follows :

2.1. REVIEW OF APPLICATION ON MULTI RESERVOIR ANALYTIC SCREENING MODELS

The concept of a screening model as an integral part of the analysis of water resources is found frequently in the literature.

The screening model is used for analyzing large river basins with multiple resources and water uses to identify potentially better alternatives, so that money, time and effort could be diverted to examine in detail these alternatives. This process is believed to identify cost effective and potentially efficient system configurations and the size of components. Many screening models have been developed, majority of them being linear programming based for very obvious reasons of large number of variables involved in such problems.

These screening models are static in concept and incorporate implicitly the probability distribution of natural unregulated flows in a model by having the representation of system performance of the model and depend on either a historical or an average stream flow sequence. The simplest examples of this approach are use of average seasonal flows in Linear Programming (LP) model of system operation (Dorfman, 1962; and Thomas and Revelle 1966).

This approach was used in M.I.T.'s development study for the Rio Colorado in Argentina (Major and Lenton, 1979). This model incorporated irrigation and hydropower purposes. The objective function was to maximize net benefits with capital cost and benefits were assumed linear. The constraints were the continuity constraints for all the reservoirs, land constraints and water requirement constraints for irrigation incorporating return flows and power generation relationship. Flood control was not incorporated in the study. Average stream flows were used and the time period used was one month. No carry over storage or provisions for sediment deposition were made. They have reported that the use of mean flow rates in design could result in reservoir capacity estimates that are insufficient to supply target releases with reasonable reliability. In the first example reported by them, the total reservoir capacity was increased to 5.5 times that of recommended by their screening model to obtain satisfactory performance. In their second example, almost tripling, of the reservoir capacity suggested by the screening model was necessary.

In practice reservoir system designs are often based on critical flows of record. The linear programming model used to select prospective reservoir capacities that would be similar to the one mentioned above, except that mean monthly flow sequences must be replaced by the critical sequence of monthly flows. The distribution of critical flow and its distribution to various sites in a river basin is to be resolved taking into consideration the cross correlation exhibited by the river flows at various sites.

The yield model is an implicitly stochastic screening model that can be used to deliver various releases with specified reliabilities. The model estimates separately over year and within year reservoir capacity requirements to meet specified release and reliability targets. Constraints on storage volumes, releases, and inflows are written for both within-year periods and yearly operations when both

over year and within year system operation are of importance. The model requires both historical annual flows and estimates of within year monthly flows. The model can be viewed as an extension of the critical period model obtained by allowing a specified number of annual failures and employing a simplifying within-year system operation approximation (Loucks et al., 1981).

Several types of multi-reservoir screening models have been developed since 1950. These include the explicitly stochastic reservoir models, explicitly stochastic models based on linear decision rules and chance constraints on release and storage volume.

One of the first application of screening models to water resources development was by Dorfman (1962). He applied linear programming technique to a hypothetical problem of a river basin. The way in which this method uses operating considerations to reduce optimal designs is illustrated by his first example, which deals with a relatively simple configuration of uses and installations under conditions in which the pattern of inflows repeats itself each year with certainty so that over year storage is not required. The second example introduce methods applicable to situations in which over year storage is needed. This feature adds considerable complications to the analysis. Then is a third case in which uncertainty is taken into account.

Some of the subsequent applications of screening models that appeared in the literature are similar to those presented in (Maass et al., 1962), i.e., linear programming models of the form, maximize net benefit, and subjected to continuity constraints, technological constraints, and policy constraints. See for example, Blanchard (1964), Wallance (1966), Rogers (1967), Loucks (1969), Stephenson (1970), Smith (1970), Poblete and McLaughlin (1970), Bargur (1972), Windsor and Chow (1972), Nayak and Arora (1971, 1973), Srivastava and Tiwari (1978), and Srivastava and Uddihal (1985).

Stephenson (1970) illustrates the optimum design of multi-interlinked river basins using linear programming and the principle of decomposition of linear programmes.

Bargur (1972) presented a multisector planning and management approach to water resources that is based on a general equilibrium analysis employing input-output model and linear programming techniques. A dynamic multisector programming model that takes into account the sectoral, spatial, and temporal aspects of regional planning and an extension to an activity analysis model are formulated and applied empirically to California and the western United States for a 15-year planning horizon. The results of the empirical application include water requirement forecasts, interregional water transfer requirements, efficient production and cropping patterns, 'shadow prices' for water and labor, and an optimal investment programme for water resources projects.

Nayak and Arora (1973) considered a chance constrained formulation of a multireservoir system. Minimum and maximum release requirements, minimum pool level, and minimum free board capacity are specified by the management for each reservoir. The management also specifies the maximum probabilities beyond which these requirements are not violated. By proposing linear decision rules for the releases, the authors reduce the chance constrained formulation to an ordinary linear programming formulation. The linear decision rule states that the release from a reservoir during a given time period is defined by the difference between the 'net initial storage' and a decision parameter for the reservoir during that period. The objective function considers only the total cost of reservoirs, because the primary objective is to meet the various given demands at a minimum cost. This model has been applied to the Minnesota River Basin.

The differences found in the constraints sets of the models are the degree of detail and complexity with which the author choose to represent the physical system. For example Poblete and McLaughlin (1970) who investigated the sensitivity of solutions to the number of time periods, formulated relatively simple constraint sets which included only continuity constraints. On the other hand, Loucks (1968) presented some fairly large formulations with relatively detailed constraints set. The only exception was Rogers (1967) who investigated the effect of a flood control project on the national incomes of India and Pakistan.

Some of the other applications in multi-reservoir analytic screening models are Simonovic and Marino (1982), Marino and Loaiciga (1985a and 1985b); Pereira and Pinto (1985), Gunaa et al.(1990) and Benedito et al.(1991).

Construction of an optimization model for all potentially feasible alternatives can be a data intensive and Herculean Task. Further more, the more complex the optimization model, the more difficult it is to insure that a global optimum has been found. On the other hand simplifying can lead to planning errors.

2.2. REVIEW OF APPLICATION ON MULTI RESERVOIR SIMULATION IN WATER RESOURCES

As early as the 19th century, Rippl (1883) devised the mass curve analysis to investigate the reservoir storage capacity required to provide a desired pattern of releases despite inflow fluctuations.

Simulation models are better suited to the modelling of a physical system for decision making as some of the approximation essential in an optimization model may not be necessary in a simulation model. However, simulation models are not able to directly generate optimal solutions except by exhaustive search of all possible alternatives scenario.

Before the advent of digital computers, the simulation or operation study, which was conventionally known as "working table" covered a few years of critical flow. These studies were limited to investigate at most one reservoir and one irrigated area or one hydropower station (Proceedings of a seminar on Reservoir System Analysis, 1969; Srivastava and Sundar, 1985). No attempts were made to simulate the performance of a large number of alternative designs, nor were simulation extended to handle time periods as long as the selected periods of analysis. As the computer developed in speed and capacity, it became possible to simulate the performance of large and complex river basin systems over extended periods of time (Sigvaldson, 1967). The application of systems analysis to water resources have increased rapidly since then.

Simulation modelling of large river basins began in U. S. A. with a study of hydropower potential on the main stream of the Missouri river by the (U. S. Army Corps of Engineers, 1957). Application of systems analysis techniques in the field of water resources planning and management can be considered to have begun in U. S. A. with the Harvard Water Program in 1962. The first full river basin simulation was performed in the Nile basin in 1955 by (Morrice, 1958). The Corps of Engineers also performed a simulation study of the Columbia river system for development of hydropower (Lewis and Shoemaker, 1962). In the early 1960's the famed Harvard programme took place, as described by Maass et al. (1962). This programme was the first to systematically present the modern, interdisciplinary system analysis approach to water resources planning. In this work, a simulation model was applied to the economic analysis of water resource systems. The model analyzed hydropower, irrigation and flood control purposes in a multi project system.

The simulation modeling work of the Harvard Water Programme was later discussed by Hufschmidt and Fiering (1966), who presented a detailed analysis of

their simulation model and discussed its use in the study of multipurpose planning of the Lehigh River basin.

The Corps of Engineers have also developed simulation packages, the HEC-3, HEC-5 and the SSARR models, which have found wide international use for river flow simulation. The HEC-3 (US Army Corps of Engineers, 1974) program simulates the operation of a reservoir system for conservation purposes like water supply, navigation, recreation, low flow augmentation and hydroelectric power. The various demands are supplied from reservoirs so as to maintain a balance of storage in the reservoir system. While flood control operation can be handled in some respects, a more complete simulation is possible using HEC-5. The program can accept any configuration of reservoirs, diversions, power plants and stream control points. However, the programme while accepting system power demands that override individual power plant requirements, does not provide for percolation losses or channel routings. The economic values can be computed for meeting selected targets and the programme can assign economic values to all outputs and summarise and allocate them in various ways. The Arkanas-White-Red river system in USA were studied earlier in 1972 by using the HEC-3 (Hydrologic Engineering Centre, 1972).

The U. S. Army Corps of Engineers (1976) have used HEC-5 programme, for a study of the Susquehanna River Basin in USA to evaluate the flood control effects of a proposed system of reservoirs.

The HEC-5, (US Army Corps of Engineers, 1982) programme is for simulation of flood events to assist in sizing the flood control and conservation storage requirements for each project recommended for the system. The programme can be used in studies to evaluate pre-project condition and to show the effects of existing and/or proposed reservoirs on flows and damages in the system. The programme can also be used for indicating proper reservoir releases throughout the system during flood

emergencies in order to minimise flooding as much as possible while maintaining optimum balance of control storage among the reservoirs. The above purposes are accomplished by simulating the sequential operation of a system of reservoirs of any configuration for short interval historical or synthetic floods or for long duration non-flood periods or for combinations of the two.

The SSARR (US Army Corps of Engineers, 1986) (Streamflow Synthesis and Reservoir Regulation) model consists of the following three basic components:

- (a) A generalised watershed model for synthesising runoff from rainfall and/or snowmelt
- (b) A river system model for routing runoff downstream through channel and/or lake storage
- (c) A reservoir regulation model for evaluating various modes of reservoir operation

The SSARR model is particularly useful in flood forecasting with real-time precipitation.

The Department of Civil Engineering, MIT, have developed a series of river basin simulation models MITSIM-1 (McBean et al., 1973; and Lenton and Strzepek, 1979; and Strzepek and Lenton, 1978) was developed as a part of the UNDP sponsored study of the Vardar/Axios river basin in Yugoslavia and Greece. The model provides for detailed simulation of both the physical and economic performance of the river basin, including multipurpose and multiobjective surface water projects as well as ground water projects. It is claimed that this model is sufficient for planning purposes where standard rules for reservoir operation are used.

Another version of MITSIM-1 was used by MIT to plan the Rio Colorado (Major and Lenton, 1979) river basin in Argentina. The model described in detail by McBean et al. (1973). The study consisted of screening (LP), simulation and sequencing

models. A number of issues like equity, shadow prices of inputs and outputs have been considered in this study. This is perhaps the most comprehensive planning model reported so far. There is, however, no information about the implementation of the results of these studies by the Government of Argentina.

The MITSIM-1 has been updated by the International Institute for Applied Systems Analysis (IIASA), Austria, to overcome certain difficulties and this revised programme is called MITSIM-II. This has been used by IIASA for water management studies of the South Western Skane Water Supply System in Sweden (Strzepek, 1981).

The MITSIM-II model has also undergone various revisions. A very versatile version of this model was allowing simulation at variable time steps ranging from one week upward and with an option to incorporate priorities for various releases.

Simulation models called MITTAMS and EXTG1 were used to evaluate the basin configuration in the integrated development of the 2400 square Kilometer Vardar/Axios River Basin in Yugoslavia and Greece (TAMS, 1978). These models accommodated a large number of projects and an enormous quantity of data, and provided measures of performance in hydrologic and economic terms. They were also effective in accounting for the complementary between projects and purposes (for example, water used in a reservoir for hydropower and for recreation can be released for use in other projects downstream). The simulation models reproduced the interactions among the elements of the system and described the outcome of operating the system under a given set of inputs and operating assumptions. By successive and systematic runs of the models, the response to the variations in inputs or operating conditions or both were evaluated. When used in conjunction with engineering and economic criteria, the results of these runs allowed:

- (1) the systematic comparison of alternative configurations of water resources projects in the basin; and

- (2) the evaluation of the effect of the upstream development on the flows at the border and the consequent downstream development.

In the early 1970's a set of models named Dynamic Economic Simulation (DES) was developed as a part of research for Texas Water Development Board (now named as Texas Department of Water Resources). They have developed computerised models for planning large scale, multi-basin surface water resources systems and have used them to formulate the Texas Water Plan. The three principal models are SIMYLD-II (Texas Water Board, 1972), SIM-V (Martin, 1982) and AL-V (Martin, 1984).

SIMYLD II analyses water storage and water transfer within a multi-reservoir or multi-basin system. It can simulate the movement of water through a system of river reaches, pump canals, reservoirs and non-storage river junctions. Water demand to be made on the system can be applied to either the storage or non-storage junctions and the option is available to reckon these demands as monthly values or as total annual demand which will be reduced to monthly demand according to a set of user supplied demand distributing factors. SIMYLD II also offers the ability to set priorities for meeting water demands and maintaining reservoir storage at each reservoir. The second purpose of SIMYLD II is determination of the firm yield of a single reservoir within a multi-reservoir system. This model has been used by TWDB for adjudication of water rights in the Cypress Creek basin, for inter-basin transfer connected with the coastal canal and for studies of Nueces river basin.

SIM V is a computerised procedure designed to simulate the operation of a large complex surface water storage and transfer system. SIM V computer routine allows individual network system elements to be introduced at any point of time in the simulation time span. This capability provides the option of investigating various pattern of construction schedules so that the least cost analysis can be selected for implementation. In SIM V, capital costs are entered individually for

each system (canal and reservoir) and system operating costs are computed by the model. In general, the movement of water via transfer links are done at a cost which is a known function of the quantity of water flowing and the pumping lift. It is the function of SIM V to meet system storage requirements, water demands and hydropower generation while minimising cost of transportation within the system and no water is supplied from the system if storage capacity remains in the reservoir.

AL V, an improved version of AL III, is a general hydrological optimisation model used for analysing the surface water resource systems. It is designed to analyse the simulated multi-period operation of any interconnected configuration of reservoirs, pump canals and pipelines. The capabilities of AL V model include :

- (a) To find minimum cost operating plan for a system of reservoirs, river junctions, canals and river reaches
- (b) To find minimum cost of sizing individual reservoirs, canals or closed conduits
- (c) To determine the reservoir operating rules for use in related simulation models
- (d) To find the minimum cost of construction, sizing and sequencing of a number of water storage and conveyance projects in a multiple purpose river basin system.

Besides the above, TWDB has also prepared several programmes such as

- (a) FILLIN-1, MOSS-III, a and SSEQUEN-If for d data m management a and d data generation,
- (b) DES and ECOSYM for dynamic economic simulation,
- (c) DOSAG-1 and QUAL-1 for simulation of water quality in streams and canals,
- (d) GWSIM, for ground water simulation,
- (e) CAPEX-I, PIPEX-I, and CANAL-I for water resources conveyance systems optimal capacity expansion and
- (f) design models.

TWDB is the first and perhaps the only agency to prepare a set of programmes which are directed to all planning aspects of a river basin. However, it is understood that the models have been put to only limited use and Texas Water Plan could not make much headway. Recently SIM V and AL V programmes have been applied (Martin, 1983) to a large scale system comprising 27 reservoirs on the Arkansas-White-Red River system in USA. The derived system operating policy computed a potential increase of approximately 8 per cent in firm power production of the system over the previous study.

The Department of Water Resources, State of California has developed a generalised computer planning model for California's Central Valley and its two major systems, the Central Valley Project (CVP) and the State Water Project (SWP). The model named Department of Water Resources Planning Simulation Model (DWRSIM)(Department of Water Resources, State of California, 1985 and 1986)is designed to simulate the operation of the CVP-SWP system on a monthly time basis. It considers the whole system consisting of surface reservoirs, ground water reservoirs, conveyance facilities, pumping plants and hydropower plants. This effectively being used for managing existing water resources projects and to plan new facilities. Planning studies carried out involve determination of incremental yield resulting from the addition of each new reservoir into the existing system (assuming different capacities for each) keeping in view the various constraints like the formula for sharing water between SWP and CVP.

The Bureau of Reclamation studied the Colorado River System, a very complex river system in USA with numerous treaties and acts constraining its water use. A computer package was developed for the this purpose incorporating the provision of all the treaties, acts and agreements and capable of simulating the whole system of reservoirs. The package named Colorado River Simulation System, (US Department of

Interior, Bureau of Reclamation 1981 and 1986) has the Colorado River Simulation Model (CRSM) as its main component. It has been used to study changes in operation policies and alternate developmental strategies for the river basin. After the unprecedented flood of 1983 the model was used to review the operation policies and formulate alternative operation strategies that will increase the beneficial use of the Colorado water in excess of the project uses that at present include water supply, power generation, recreation and also flood control.

Maji and Heady (1980) constructed a simulation model to estimate the physical and economic performance of alternative river basin development. The paper shows how the problems of large scale water resources developments were confronted and solved. Also a set of general guidelines which may be helpful in other simulation studies have been derived.

A generalized reservoir-system simulation model routinely used in the USACE Southwestern Division (SWD) is described by Hula (1981). The SWD model simulated the daily sequential regulation of a multipurpose reservoir system, performing generally the same types of hydrologic and economic simulation computations as HEC-5. The SWD model uses a one day computation interval, whereas HEC-5 allows a variable time interval. MITSIM (Strzepek et al., 1989) provides the capability to evaluate the economic as well as hydrologic performance of a river basin system involving hydroelectric power, irrigation, municipal and industrial water supply, and other purposes. The Water Rights Analysis Programme (TAMUWRAP) simulates surface-water management and reservoir -system operation under a prior-appropriation water-rights permit system (Wurbs et al., 1993). Unlike many simulation models in which computations proceed from upstream to downstream, TAMUWRAP is based on meeting water demands in according to a user -specified priority. The distinctive feature of the Interactive River System Simulation Programme (IRIS) is its extensive use of

interactive computer graphics for information transfer between machine and user. IRIS simulates a water-supply and conveyance system of any normal configuration and also has limited hydroelectric-power simulation features (Loucks et al., 1989, 1990). The interactive-graphics oriented River Simulation System (RSS) is being developed at the Center for Advanced Decision Support for Water and Environmental Systems (CADWES), sponsored by Bureau of Reclamation. The RSS package allows the user to develop a model for a particular reservoir/river system using preprogrammed objects and functions. The object-oriented-programme structure also facilitates a programmer's altering the RSS software to include additional objects for functions as needed for particular applications.

2.3 STUDIES IN SYSTEMS ANALYSIS OF COMPLEX WATER RESOURCES SYSTEM

Basin resources planning has become an increasingly important concept in comprehensive planning of a complex water resources system. Comprehensive basin water resources planning is a complex and a difficult task, posing numerous social, economic, environmental and engineering problems. One of the most difficult engineering aspects of such a planning effort is the development of optimum expansion policies for the timing, sizing and sequencing of surface water storage and conveyance facilities. For large scale water resources systems the difficulty of this task is primarily due to large number of possible alternative development strategies.

Knowledge of the magnitude of physical phenomena relating to water resources and water uses, economic evaluation of different possible programmes of development and the selection procedure of development programme providing the best choice among different alternatives is the key issue in water resources planning. Within this frame work, multiple reservoir planning is a subset of the activities of river basin planning. The tools of calculations that can contribute to analyze such a system are the use of multi-reservoir screening models.

A simultaneous development in river basin planning was the increased application of systems analysis techniques. Experience and expertise were gained by water resources systems analysis in using two type of models which allowed consideration of the many interactions and interdependancies of system components. Mathematical optimization models which are relatively less detailed and realistic but could systematically investigate the whole range of the development alternatives were formulated. Physical simulation model were built to consider complex river basin systems in detail. The characteristics of the two type of models suggested a methodological framework for river basin planning. The first step was a screening stage in which mathematical optimization models (screening models) were used to limit the range of development for future analysis by simulation model.

Dorfman (1965) defines two types of models: Analytic models that optimize and simulation models. Dorfman's planning sequence begins with the identification of a preliminary optimal design using an analytic model. The simulation model is then used to explore variations around the optimal solution.

The first step in the planning sequence is the screening process, and the analytic model is the screening model. The comparison of analytic and simulation models by Rogers (1968) supports Dorfman's planning process. Analytic models are relatively less realistic than simulation models due to many simplifying assumptions that are necessary for model formulation and solution. However, while simulation models capture more of the characteristics of the problem, it is computationally infeasible to design solely with this model. Rogers concludes, therefore, that the best approach is a combination of the two: Analytic (screening models) for reduction of the range of desirable alternatives and simulation models for detailed more realistic analysis of the remaining alternatives.

Hufschmidt (1965) describes the screening process in more detail. Preliminary screening begins with the easiest decisions by eliminating alternatives that are obviously inferior. Progressively more difficult decisions are made with increasingly more complex analysis. The process continues until a satisfactory range of optimal designs have been defined, i.e., when the analysis becomes prohibitively complex or when continued analysis will not further reduce the size of optimal range. Thus, the screening philosophy as outlined by Hufschmidt is to attempt to limit the range of alternatives for detailed analysis by simulation through the elimination of inferior alternatives by progressively more complex analysis.

A large river basin offers a variety of development opportunities, the number of alternative system plans from which one can choose be extremely large. An investigation (Jacoby and Loucks, 1972) of the use of analytical optimization models to 'screen' the set of possible plans and to select a small number worthy of simulation analysis is presented. Deterministic and stochastic optimization models were developed and applied to both static and dynamic (multi period) planning problems. The resulting designs were further analyzed by simulation to determine the ability of the screening models to identify high-valued alternatives. The results indicated considerable promise for the combined use of optimization and simulation models. The Delaware River basin was used as an example.

A study (Srivastava, 1976; and Chaturvedi and Srivastava, 1981) dealt with the first stage preliminary screening design model in the context of a sequential system analysis iterative modelling of a complex water resources system. The models were developed in the context of River Narmada, a large river basin in India. Two types of analytical optimization models were used to find a reasonably small set of possible optimal design alternatives. These were linear programming deterministic continuous (LPDC) model and linear programming deterministic discontinuous (LPDD)

model. The simulation continued screening on the basis of the information obtained from linear programming model. The LPDC model results may be assumed to be nearly optimum in terms of the objective function and could serve as an input for further screening by simulation. The LPDD model was helpful in selecting the ranges of variables for simulation by random sampling.

A compact, non-linear optimization formulation for selecting among and sizing potential reservoirs is derived by decomposing the problem into simulation and optimization components. Reservoir storage capacities needed are determined using a modified sequent peak algorithm to simulate monthly reservoir operation (Lall and Miller, 1988). Simulation is also employed to determine optimal sizes for hydropower generators at each site. Similarly, average annual flood control and recreation benefits are determined through simulation. An optimization scheme that considers annual yields for each purpose with specified reliabilities and conservation and flood storage as decision variables is used to integrate these simulations into an optimal screening algorithm. Significant savings in computational and memory requirements over other formulations are offered at the expense of nonlinear functional forms. Applications of the model developed with data from sites on Lower Bear River are presented.

A simulation model in conjunction with an optimization model was developed for water-development planning and policy-issue analysis on Platte River in Nebraska (Razavian et al., 1990). The general model consisted of three components: simulation, screening, and optimization. The focus of this paper was on the economic simulation component, which consisted of water-use and economic sub models. The economic simulation model simulated water uses and losses and calculated associated system costs and economic benefits for a large number of alternative water-development options. The output was used to analyze the physical and economic efficiencies of

each alternative, to select preferred alternatives for further analysis, and to generate data for direct input to a subsequent multi-objective optimization model. The technique was found to be a very efficient and cost effective method of evaluating development opportunities for a complex, multipurpose, multi-reservoir river basin.

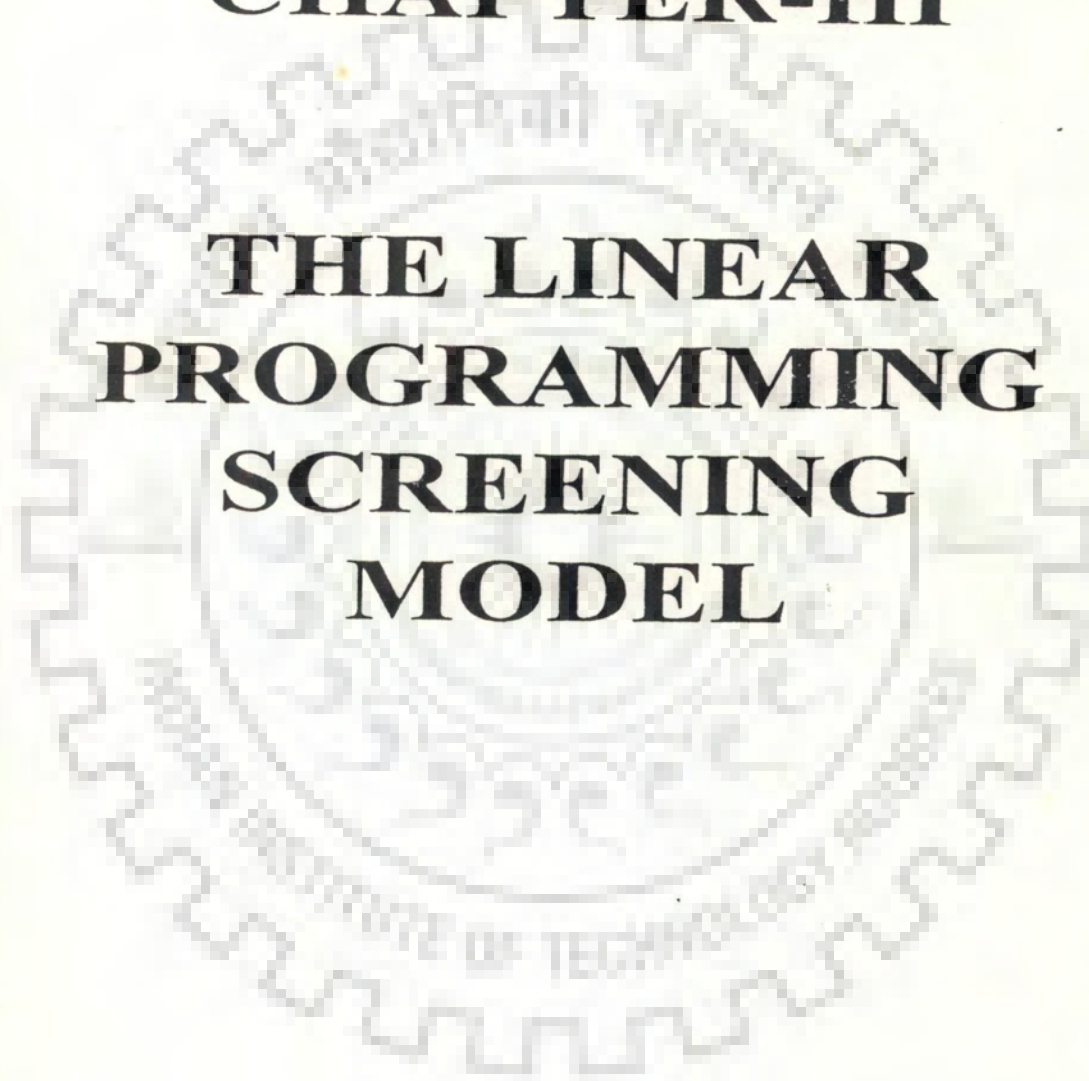
In a study by Karamouz et al. (1992), a multivariate hydrological time-series analysis and a deterministic implicitly stochastic optimization technique for determining reservoir operating rules for multiple reservoirs were investigated. The scheme comprised a three-step cyclic procedure that attempts to improve the initial operating rules for the system. The system required two sets of synthetically generated contemporaneous stream flow series to be used in simulation model. The three step cycle begins with an optimization of reservoir operations for a given set of stream flows. The optimal operations from the solution are then analyzed in a regression procedure to obtain a set of operating rules. These rules are evaluated in a simulation model using a different set of data. Based on the simulation results, bounds are placed on operations and cycle returns to the optimization model. This continues until one of the stopping rule is satisfied.

Some of the other applications were Simonovic (1987); Jan-Tai Kuo et al. (1990); and Boney (1993).

Various techniques and design aspects, considered by authors in this literature review is presented in Appendix-2.I.

CHAPTER-III

THE LINEAR PROGRAMMING SCREENING MODEL



Chapter-III

THE LINEAR PROGRAMMING SCREENING MODEL

3.1 INTRODUCTION

The linear programming and its offshoots are probably the most widely used methods of operation research. The scope of linear programming model is very wide and can be also applied to the problems of other disciplines. It is often applied in certain areas of water resource planning, and are suitable for problems in which it is desired to allocate scarce resources among various activities in an optimal diversion nodes, junction nodes and confluence nodes, and municipal and industrial demand nodes.

The task of the linear programming screening model is to analyze the whole range of development alternatives in a river basin, i.e., to "screen" the alternatives for more detailed analysis by simulation models and to answer the questions of which alternatives and how big should they be? (Jacoby and Loucks, 1972; Srivastava, 1976; Chaturvedi and Srivastava, 1981; and Karamouz et al., 1992). To perform this task, a Linear Programming model for multipurpose, multi-reservoir and multi-irrigation areas is formulated as realistic as possible while maintaining the ability to solve it analytically.

The constraint of solvability which is considered on the model is a critical one in that it results in the following major simplifying assumptions:

- 1) In a linear model the objective function and the constraints are in linear form.
- 2) It is deterministic in nature, i.e., hydrologic inputs are taken as known values and as being certain to occur.
- 3) The model is run for one representative year only i.e., every year is the same.

These major simplifications will be elaborated as they pertain to specific aspects of the model. Several other assumptions which were made for ease of formulation are discussed below. A sample site is shown in Figure 3.1. The variables/parameters of a reservoir are shown in Figure 3.2.

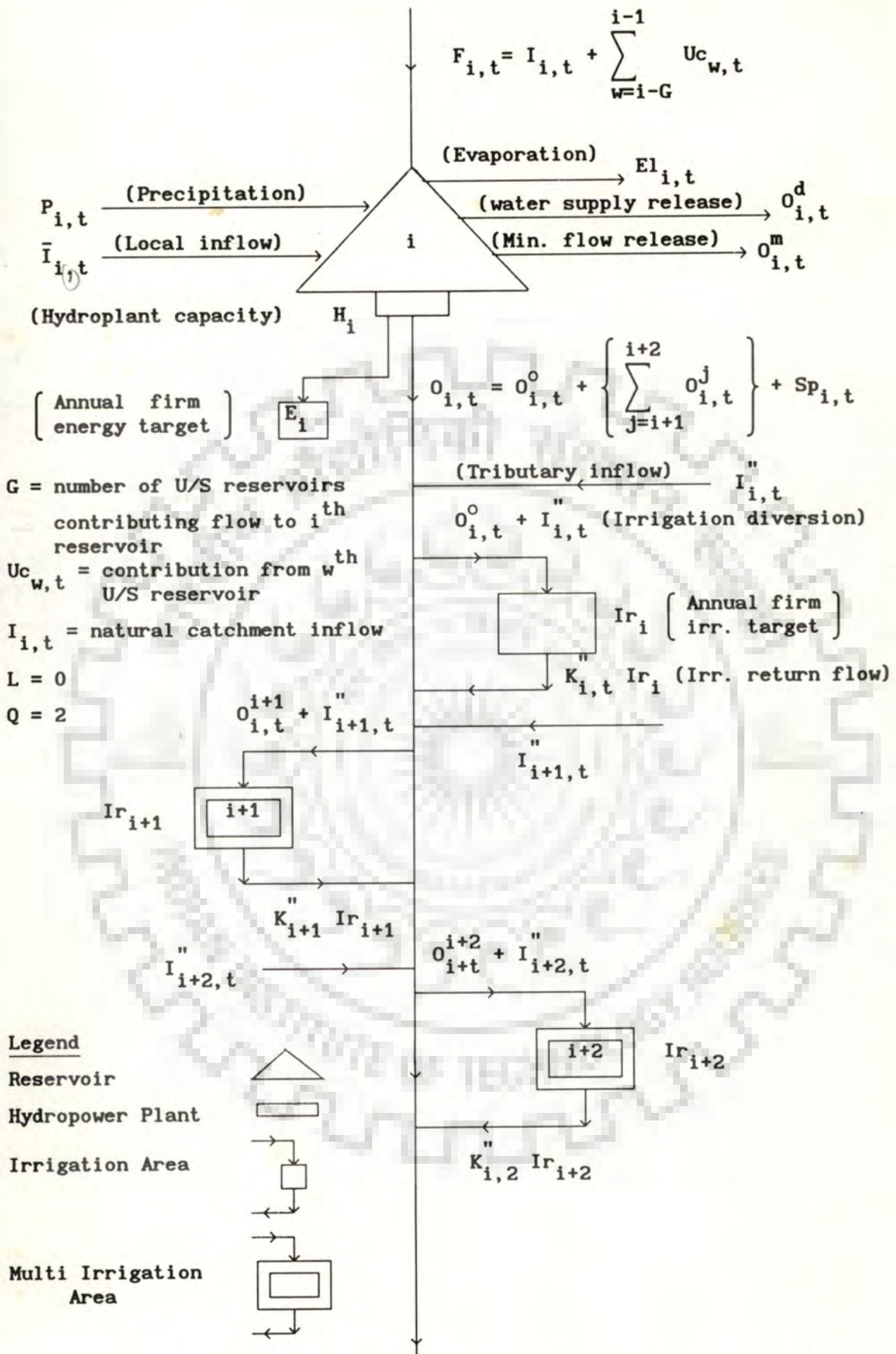


Fig. 3.1. A Sample Site with One Multipurpose Reservoir and 2 Multi-irrigation Areas

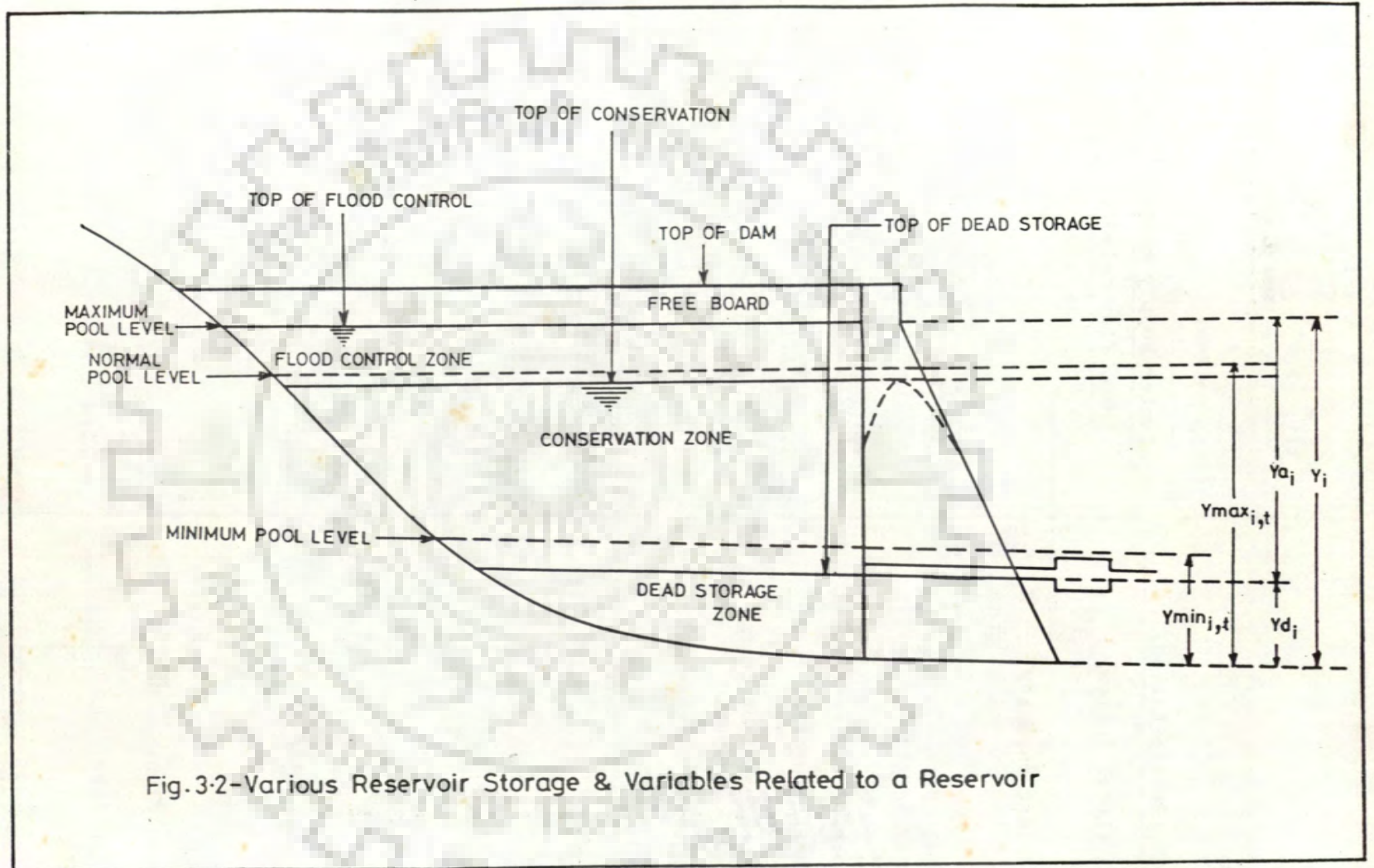


Fig.3-2-Variou Reservoir Storage & Variables Related to a Reservoir

3.2 THE CONSTRAINTS

The constraint set consists of the following basic types of constraints.

3.2.1 Reservoir Constraints

(i) Continuity constraints

Continuity constraints are those constraints that are included in the model to insure conservation of mass in a given time. In terms of a river system this means that the water that enters a point on the stream must leave that point on the stream, if it has not been stored in a reservoir or diverted out of the stream for a water use. This basic continuity principle applies throughout the entire reach of the stream for all the times. However, it is necessary to write the continuity constraints only at sites where water is stored, diverted or imported.

The continuity relationship for multi-reservoir system with reservoir/sites in series and/or parallel, (Figure 3.3) can be written as follows:

$$S_{i,t} = S_{i,t-1} + F_{i,t} + P_{i,t} + \bar{I}_{i,t} - El_{i,t} - O_{i,t} - O_{i,t}^d - O_{i,t}^m \quad \text{for all } i \text{ and } t \quad (3.1)$$

The evaporation from a reservoir can also be considered in the model as described below:

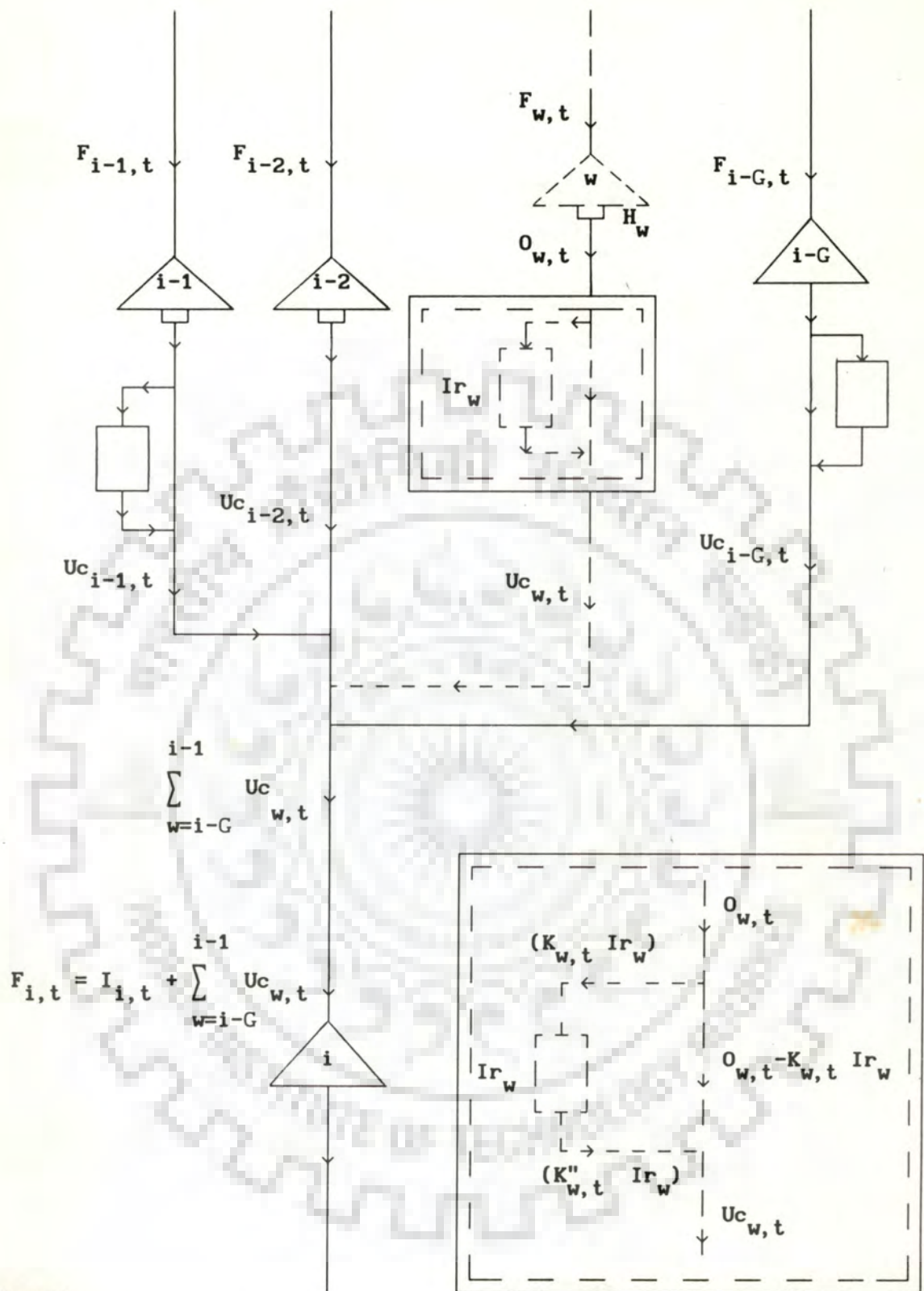
The reservoir evaporation (Loucks, 1981), $El_{i,t}$ in Equation (3.1) may be written as below, also see Figure 3.4.

$$El_{i,t} = Aa_i * e_{i,t}^0 \left(\frac{S_{i,t-1} + S_{i,t}}{2} \right) + Ao_i * e_{i,t}^0 \quad \text{for all } i \text{ and } t \quad (3.2)$$

$$\text{put } \bar{a}_{i,t} = 0.5 Aa_i * e_{i,t}^0 \quad \text{for all } i \text{ and } t \quad (3.3)$$

Now combine Equations (3.1), (3.2) and (3.3) and rewrite the terms, which yields

$$(1 + \bar{a}_{i,t}) S_{i,t} - (1 - \bar{a}_{i,t}) S_{i,t-1} + O_{i,t} = F_{i,t} + P_{i,t} + I_{i,t} - Ao_i e_{i,t}^0 - O_{i,t}^d - O_{i,t}^m \quad \text{for all } i \text{ and } t \quad (3.4)$$



Legend

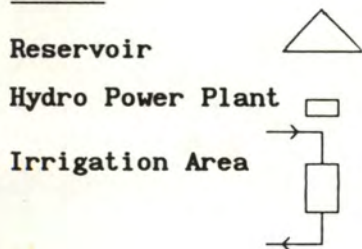


Fig 3.3 Diagrammatic Representation of Continuity Equation

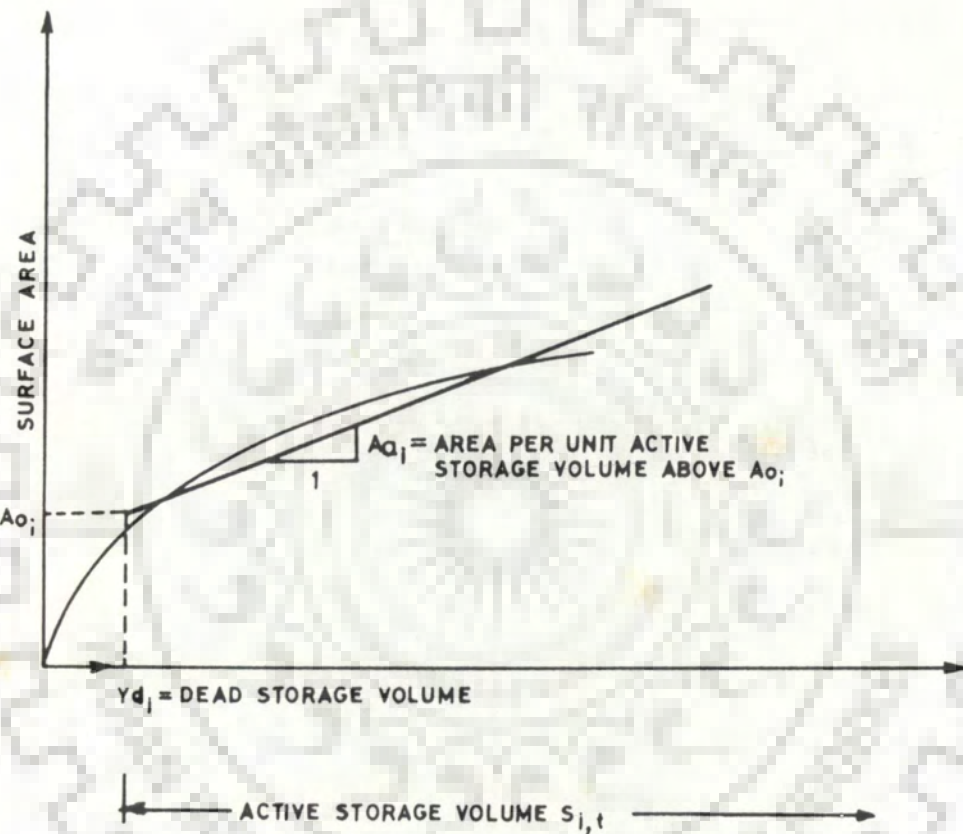


Fig.3-4-Storage Area Relationship and Approximation of Surface Area per Unit Active Storage Volume

For a barrage, the continuity equation is modified as follows:

$$O_{i,t} = F_{i,t} + I_{i,t} - O_{i,t}^d - O_{i,t}^m \quad \text{for all } i \text{ and } t \quad (3.4a)$$

where,

i = i^{th} reservoir/site,

$S_{i,t}$ = final gross reservoir content or storage of i^{th} reservoir in time t ,

$S_{i,t-1}$ = initial gross reservoir content or storage of i^{th} reservoir in time t ,

$O_{i,t}$ = total reservoir release from i^{th} reservoir in time t ,

$F_{i,t}$ = natural inflow from its own catchment plus contributions of all possible regulated flows from upstream reservoirs and return flows from U/S irrigations at i^{th} reservoir in time t ,

$P_{i,t}$ = precipitation effect directly upon the i^{th} reservoir in time t ,

$I_{i,t}$ = local inflow to the i^{th} reservoir from surrounding area in time t ,

$O_{i,t}^d$ = release for water supply from i^{th} reservoir in time t ,

$O_{i,t}^m$ = release from i^{th} reservoir to keep minimum flow on downstream in time t ,

Aa_i = area per unit active storage volume above Ao_i for i^{th} reservoir,

Ao_i = reservoir surface area corresponding to the dead storage of reservoir, Yd_i , for i^{th} reservoir, and

$e_{i,t}^o$ = average reservoir evaporation rate for i^{th} reservoir in time t .

The value of $F_{i,t}$ is given by:

$$F_{i,t} = I_{i,t} + \sum_{w=i-G}^{i-1} Uc_{w,t} \quad \text{for all } i \text{ and } t \quad (3.5)$$

$I_{i,t}$ = natural catchment inflow to i^{th} reservoir in time t ,

$Uc_{w,t}$ = regulated contributions including irrigation return flow from w^{th} U/S reservoir/site to the i^{th} D/S reservoir site in time t ,

$w = w^{th}$ u/s reservoir/site contributing to the flow of i^{th} D/S reservoir/site and is given by

$w = i-G, i-G+1, \dots, i-1$, and

$G =$ total number of U/S reservoir/site contributing to the flow of i^{th} D/S reservoir/site.

Again,

$$Uc_{w,t} = \left\{ O_{w,t} - \left[(K_{w,t} - K_{w,t}^") Ir_w \right] \right\} \quad \text{for all } i \text{ and } t \quad (3.6)$$

where,

$O_{w,t} =$ total release from w^{th} reservoir/site in time t ,

$Ir_w =$ firm annual irrigation target at w^{th} site,

$K_{w,t} =$ proportion of annual firm irrigation target, Ir_w to be diverted for irrigation canal at w^{th} site in time t , and

$K_{w,t}^" =$ irrigation return flow as a proportion of irrigation diversions at w^{th} site in time t .

Note: If w^{th} reservoir/site has no irrigation, all the irrigation terms will be zero in Equation (3.6).

In the model the reservoirs storage at beginning of the next season $S_{i,t}$ are assumed equal to the reservoir contents at the starting of the present season $S_{i,t-1}$ plus any possible additions during present season, (catchment natural inflow and any imports of down stream releases from the upstream reservoirs, including spills and the return flows from irrigated areas and the municipal and industrial uses upstream of the reservoir linked to the i^{th} reservoir minus any deductions during the present season, reservoir release and any diversions). This is sometimes called a continuous model. All the inflow and outflow terms in Equation (3.4) present flow volume throughout the time t .

Similar continuity constraints can be written without storage terms at all the junction points where, sum of all inflows is equal to release downstream and at diversion points sum of all inflows is equal to sum of all outflows including diversions to all the uses.

(ii) **Storage bounds**

(a) The contents of reservoir can not exceed the storage capacity of reservoir during any period t at any site i .

$$S_{i,t-1} \leq Y_i \quad \text{for all } i \text{ and } t \quad (3.7)$$

where Y_i is the gross storage capacity of the reservoir at site i .

(b) Also the dead storage of the reservoir puts a lower limit on the reservoir storage capacity.

$$Yd_i \leq S_{i,t-1} \quad \text{for all } i \text{ and } t \quad (3.8)$$

(c) Same way for all reservoirs the storage has to satisfy specific upper and lower bounds, i.e.,

$$Yd_i \leq Ymin_{i,t} \leq S_{i,t-1} \leq Ymax_{i,t} \leq Y_i \quad \text{for all } i \text{ and } t \quad (3.9)$$

which shows the non negativity of storage capacity at all the time periods and a minimum storage which is site specific and maximum storage corresponding to the conservation storage at the end of each time period, the maximum of which determines the full reservoir level. Specification on $Ymin_{i,t}$ is an iterative process as this is a function of the quantity of sediment inflow into the reservoir, the trap efficiency of the reservoir which is in turn a function of the valley shape and operation of the reservoir, and the sediment distribution in the reservoir over time during life of the reservoir. These relationships are only empirical and are difficult to incorporate

into mathematical model, if not impossible. $Y_{min,i,t}$ is also sometimes governed by the minimum off-take levels of water extraction, minimum draw down levels for power generation, recreation, and wild life considerations, conservation for extreme drought situation and others. If we club all these considerations except sedimentation as a set by, m , and the corresponding storage as $Y_{m,i,t}$ and the sediment storage by $Y_{s,i,t}$ we can write

$$Y_{min,i,t} = \max (Y_{m,i,t}, Y_{s,i,t}) \quad (3.10)$$

$Y_{max,i,t}$ is also governed by various factors. It is bound on the lower side by the compromised or uncompromised flood storage requirement and on the upper side by the topographic conditions of site and the limits on land submergence and social considerations.

Therefore,

$Y_{min,i,t}$ = gross capacity of reservoir up to the minimum pool level of the i^{th} reservoir in time t ,

$Y_{max,i,t}$ = gross capacity of reservoir up to normal pool level (top of the conservation) of the i^{th} reservoir in time t , and

$Y_{d,i}$ = dead storage of i^{th} reservoir.

(d) The total storage capacity of reservoir Y_i is determined as the sum of $Y_{max,i,t}$, and the flood storage.

$$Y_i = (Y_{max,i,t} + Y_{f,i,t}) \quad \text{for all } i \text{ and } t \quad (3.11)$$

where,

$Y_{f,i,t}$ = the flood storage of i^{th} reservoir in time t .

Equation (3.9) also can be written as

$$0 \leq Y'_{min,i,t} \leq S_{i,t-1} \leq Y'_{max,i,t} \leq Y_{a,i} \quad \text{for all } i \text{ and } t \quad (3.12)$$

Where,

$S_{i,t-1}$ = initial live reservoir storage of i^{th} reservoir in time t ,

$Y_{\min}'_{i,t}$ = live capacity of reservoir up to the minimum pool level of i^{th} reservoir in time t ,

$Y_{\max}'_{i,t}$ = live capacity of reservoir up to the normal pool level of i^{th} reservoir in time t , and

Y_{a_i} = total live capacity of i^{th} reservoir at maximum pool level.

3.2.2 Flood Control Constraints

The total of dead storage, live storage, and flood storage is limited by the gross reservoir capacity, i.e.,

$$Y_{d_i} + S_{i,t-1} + Y_{f_{i,t}} \leq Y_i \quad \text{during flood period} \quad (3.13)$$

$$Y_{d_i} + S_{i,t-1} \leq Y_i \quad \text{during non flood period} \quad (3.14)$$

Equation (3.13) can be written as

$$Y_{d_i} + S_{i,t-1} + (Y_{a_i} - Y_{\max}'_{i,t}) \leq Y_i \quad (3.15)$$

$$Y_{d_i} + Y_{a_i} + S_{i,t-1} - Y_{\max}'_{i,t} \leq Y_i, \text{ i.e.,} \quad (3.16)$$

because $Y_{d_i} + Y_{a_i} = Y_i$. Therefore Equation (3.16) is

$$S_{i,t-1} - Y_{\max}'_{i,t} \leq 0 \quad \text{for all } i \text{ and } t \quad (3.17)$$

here, $S_{i,t-1}$ is live reservoir storage.

For gross reservoir storage Equation (3.17) is written as

$$S_{i,t} - Y_{\max}_{i,t} \leq 0 \quad \text{for all } i \text{ and } t \quad (3.18)$$

3.2.3 Irrigation constraints

The volume of water released from the reservoir must be sufficient to meet irrigation demand in period t. For a multi purpose reservoir with multi-irrigation areas as shown in figure 3.5., the constraints are described below.

(i) Irrigation Constraint for p^{th} reservoir for its own irrigation command area

The irrigation release $O_{p,t}^0$ from p^{th} reservoir for its own irrigation area plus local inflow joining should satisfy its corresponding irrigation demand in time t, i.e.,

$$O_{p,t}^0 + I_{p,t}'' \geq K_{p,t} I_r_p \quad \text{for all } p \text{ and } t \quad (3.19)$$

$O_{p,t}^0$ = release from p^{th} reservoir for its own irrigation command area in time t,

$I_{p,t}''$ = water that joins the main stem just above irrigation diversion canal at p^{th} reservoir site in time t,

$K_{p,t}$ = proportion of firm annual irrigation target at p^{th} reservoir site in time t,
and

I_r_p = firm annual irrigation target at p^{th} reservoir site.

where,

$p = i, i + 1, \dots, i + L,$

$p = p^{\text{th}}$ parallel reservoir, and

$L =$ number of parallel reservoirs (excluding i^{th} reservoir), i.e., total number of parallel reservoirs are, $(L+1)$. For single reservoir, $p=i$ only with $L=0$.

(ii) Irrigation constraint for j^{th} multi-irrigation area

The irrigation release $O_{p,t}^j$ made from p^{th} reservoir for j^{th} multi-irrigation area plus local inflow joining, should satisfy the irrigation demand of j^{th} multi-irrigation area in time t, i.e.,

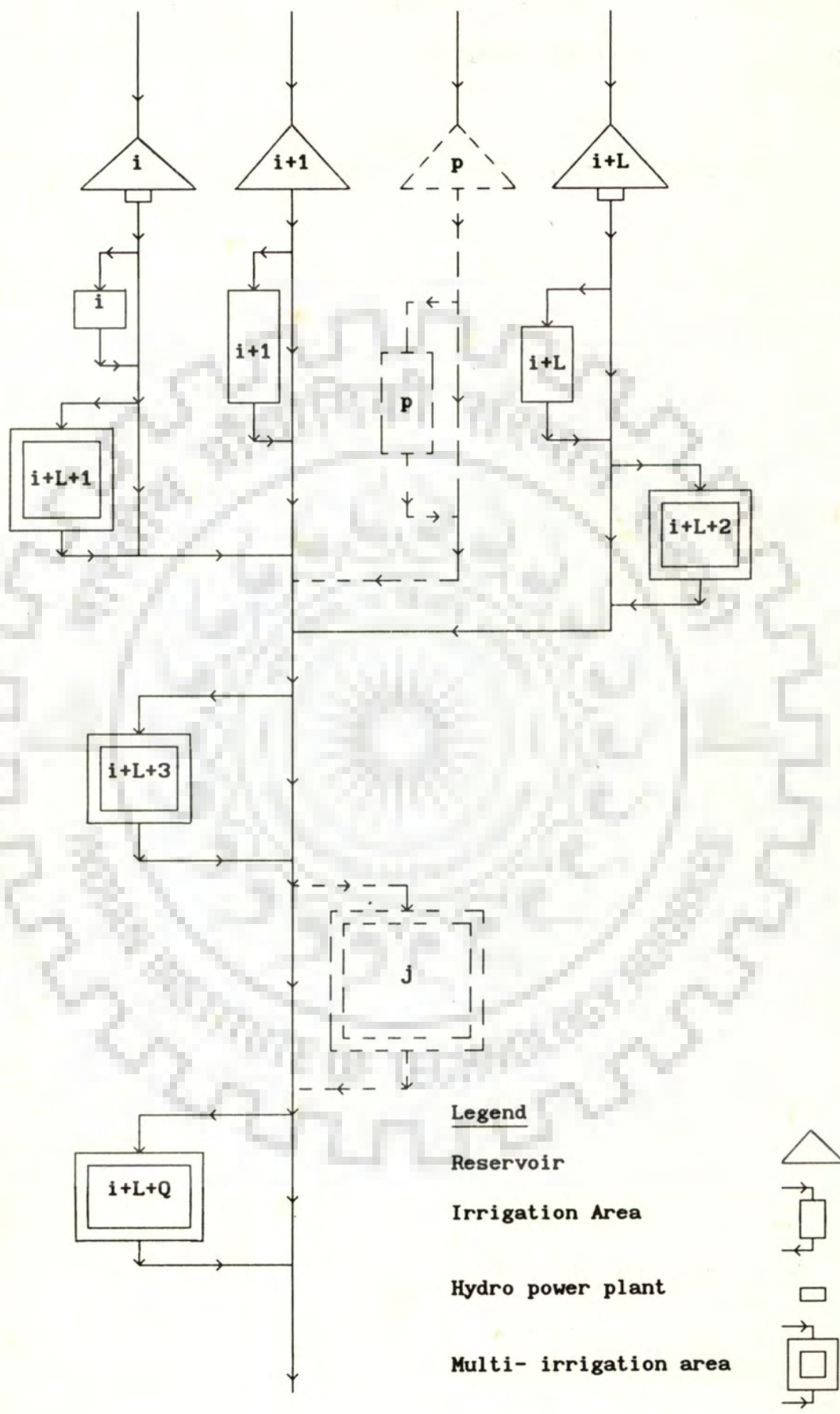


Fig. 3.5 Parallel Reservoir with Multi-Irrigation Areas

$$\left\{ \sum_{p=i}^{i+L} O_{p,t}^j \right\} + I_{j,t}'' \geq \left\{ \sum_{p=i}^{i+L} K_{j,t} Ir_j^p \right\} \quad \text{for all } j \text{ and } t \quad (3.20)$$

j = j^{th} multi-irrigation area given by,

j = $i + L + 1, i + L + 2, \dots, i + L + Q,$

$O_{p,t}^j$ = release from p^{th} reservoir for j^{th} multi-irrigation area in time $t,$

$I_{j,t}''$ = water that joins the main stem just above irrigation diversion canal at j^{th} site in time $t,$

$K_{j,t}$ = proportion of firm annual irrigation target at j^{th} site in time $t,$

Ir_j^p = firm annual irrigation to be served for j^{th} multi-irrigation area by p^{th} reservoir in time $t.$

(iii) Total release constraints for p^{th} reservoir

Total release, $O_{p,t},$ made from p^{th} reservoir i in time t is also given by

$$O_{p,t} = O_{p,t}^0 + \left\{ \sum_{j=i+L+1}^{i+L+Q} O_{p,t}^j \right\} + Sp_{p,t} \quad \text{for all } p \text{ and } t \quad (3.21)$$

$O_{p,t}$ = total release from p^{th} reservoir in time $t,$

$Sp_{p,t}$ = spill from p^{th} reservoir in time $t,$

Q = total number of multi irrigation areas.

(iv) Annual Irrigation target at j^{th} multi-irrigation area

The annual irrigation target Ir_j at sit j is defined as

$$Ir_j = \sum_{p=i}^{i+L} Ir_j^p \quad \text{for all } j \quad (3.22)$$

where,

Ir_j = firm annual irrigation target at j^{th} multi-irrigation area.

3.2.4 Hydroelectric Energy Constraints

The production of Hydroelectric energy is a relatively well defined technical process. There are only three decision variables which effect

- The flow through the turbine of the power plant.
- The head associated with flow
- The capacity of power plant

The relationships of these variables to electric energy production are the origins of the energy constraints.

- (i) The flow through turbines should meet energy generation demand.

$$E_{i,t}^T - (C_f e_i He_{i,t}) * O_{i,t} = 0 \quad \text{for all } i \text{ and } t \quad (3.23)$$

where,

$E_{i,t}^T$ = total energy generated from reservoir i^{th} in time t , in MW-hr,

C_f = conversion factor from M.C.M/_{month} to Mw-hr,

e_i = turbine and generator efficiency for hydroplant i ,

$He_{i,t}$ = average storage head at i^{th} reservoir in time t , and

$O_{i,t}$ = water released from i^{th} reservoir in time t .

- (ii) Energy production is also limited by the percent of time that the plant will produce power specified by the load factor.

$$E_{i,t}^T - \alpha_{i,t} h_{i,t} H_i = 0 \quad \text{for all } i \text{ and } t \quad (3.24)$$

- (iii) Total energy is defined by

$$E_{i,t}^T = \eta_{i,t} E_i + E_{i,t} \quad \text{for all } i \text{ and } t \quad (3.25)$$

where,

E_i = firm annual energy target at i^{th} site,

H_i = hydropower plant capacity at i^{th} site,

$\alpha_{i,t}$ = load factor for hydropower at i^{th} site in time t ,

$\eta_{i,t}$ = percentage of annual energy target to be supplied in time t at i^{th} site i ,

$h_{i,t}$ = number of hours in a period t at i^{th} site, and

$E_{i,t}$ = nonfirm (secondary) energy generated in time t at i^{th} site.

$He_{i,t}$ = is not a known constant. Therefore, together with $O_{i,t}$ it makes Equation (3.23) a nonlinear one. Appropriate $He_{i,t}$ may be determined by trial & error.

3.2.5 Bounds on Variables

Further, if necessary, bounds on the individual design/operating variable may be also put, i.e.,

$$LL_{1,i} \leq Y_i \leq UL_{1,i} ; \quad LL_{2,i} \leq Ir_i \leq UL_{2,i} ;$$

$$LL_{3,i} \leq H_i \leq UL_{3,i} ; \quad LL_{4,i} \leq E_i \leq UL_{4,i} ;$$

and $Omin_{i,t} \leq O_{i,t} \leq Omax_{i,t}$

where,

$LL_{1,i}$, $LL_{2,i}$, $LL_{3,i}$, and $LL_{4,i}$ = lower limits (bounds) on Y_i , Ir_i , H_i , and E_i respectively,

$UL_{1,i}$, $UL_{2,i}$, $UL_{3,i}$, and $UL_{4,i}$ = upper limits (bounds) on Y_i , Ir_i , H_i , and E_i respectively,

$Omax_{i,t}$ = maximum limit (bound) on $O_{i,t}$, and

$Omin_{i,t}$ = minimum limit (bound) on $O_{i,t}$.

3.3 THE OBJECTIVE FUNCTION

The objective function is to maximize the total annual net benefit from irrigation, hydropower and flood control at all site i . The benefit can be calculated as

$$\text{Maximize: } \sum \left[B_{2,i} + B_{3,i} + B_{4,i} - (C_{1,i} + C_{2,i} + C_{3,i}) - (Om_{1,i} + Om_{2,i} + Om_{3,i}) \right] \quad (3.26)$$

The first subscript 1, 2, 3 and 4 represent reservoir, irrigation, hydropower and flood control respectively, and the second subscript i represents a site in the system. The various terms in the objective function are given by:

$$B_{2,i} = a_{2,i} Ir_i, \quad B_{3,i} = a_{3,i} E_i, \quad B_{4,i} = a_{4,i} \sum_t Yf_{i,t}$$

where, $\sum_t Yf_{i,t} = \sum_t (Y_i - Y_{\max,i,t})$

$$C_{1,i} = C'_{1,i} Y_i, \quad C_{2,i} = C'_{2,i} Ir_i, \quad C_{3,i} = C'_{3,i} H_i,$$

$$Om_{1,i} = Om'_{1,i} Y_i, \quad Om_{2,i} = Om'_{2,i} Ir_i, \quad Om_{3,i} = Om'_{3,i} H_i$$

where,

$a_{2,i}$ = the long run benefit function for firm irrigation at site i ,

$a_{3,i}$ = the benefit per unit of firm energy at site i ,

$a_{4,i}$ = the flood control benefit as a function of the flood control reserve for i th reservoir,

$B_{2,i}, B_{3,i}, B_{4,i}$ = gross annual firm irrigation, firm hydropower, and flood control benefits, respectively at site i ,

$C_{1,i}, C_{2,i}, C_{3,i}$ = annual capital cost of reservoir capacity, irrigation, and hydropower plant respectively at site i ,

$Om_{1,i}$, $Om_{2,i}$, $Om_{3,i}$ = annual operation and maintenance cost of reservoir capacity, irrigation and hydropower plant respectively at site i ,

$C'_{1,i}$, $C'_{2,i}$, $C'_{3,i}$ = annual capital cost function for reservoir capacity, irrigation and hydropower plant respectively at site i , and

$Om'_{1,i}$, $Om'_{2,i}$, $Om'_{3,i}$ = annual operation and maintenance cost function for reservoir capacity, irrigation, and hydropower plant respectively at site i .



3.4 LIST OF VARIABLES

- Aa_i = area per unit active storage volume above Ao_i for i^{th} reservoir,
 Ao_i = reservoir surface area corresponding to the dead storage of reservoir, Yd_i ,
 for i^{th} reservoir,
 $a_{2,i}$ = the long run benefit function for firm irrigation at site i ,
 $a_{3,i}$ = the benefit per unit of firm energy for site i ,
 $a_{4,i}$ = the flood control benefit as a function of the flood control reserve for i^{th}
 reservoir,
 $B_{2,i}, B_{3,i}, B_{4,i}$ = gross annual firm irrigation, firm hydropower, and flood control
 benefits, respectively at site i ,
 $C_{1,i}, C_{2,i}, C_{3,i}$ = annual capital cost of reservoir capacity, irrigation, and
 hydropower plant respectively at site i ,
 $C'_{1,i}, C'_{2,i}, C'_{3,i}$ = annual capital cost function for reservoir capacity, irrigation
 and hydropower plant respectively at site i , and
 C_f = conversion factor from M.C.M to Mw-hr,
 E_i = firm annual energy target at i^{th} site,
 $E_{i,t}^T$ = total energy generated from i^{th} reservoir in time t , in MW-hr,
 $E_{i,t}$ = nonfirm (secondary) energy generated in time t at i^{th} site,
 $El_{i,t}$ = evaporation from i^{th} reservoir in time t ,
 e_i = turbine and generator efficiency for hydroplant i ,
 $e_{i,t}^0$ = average reservoir evaporation rate for i^{th} reservoir in time t ,
 $F_{i,t}$ = natural inflow from its own catchments plus contributions of all possible
 regulated flows from upstream reservoirs and return flows from U/S
 irrigations at i^{th} reservoir in time t ,
 G = total number of U/S reservoir/site contributing to the flow of i^{th} D/S
 reservoir/site,
 H_i = hydropower plant capacity at i^{th} site,
 $He_{i,t}$ = average storage head at i^{th} reservoir in time t ,

- $h_{i,t}$ = number of hours in a period t at i^{th} site,
 $I_{i,t}$ = natural catchment inflow to i^{th} reservoir in time t ,
 $I_{i,t}^{\text{local}}$ = local inflow to the i^{th} reservoir from surrounding area in time t ,
 $I_{j,t}^{\text{main}}$ = water that joins the main stem just above irrigation diversion canal at j^{th} site in time t ,
 $I_{p,t}^{\text{main}}$ = water that joins the main stem just above irrigation diversion canal at p^{th} reservoir site in time t ,
 Ir_i = firm annual irrigation target at site i ,
 Ir_j = annual irrigation target at j^{th} multi-irrigation area,
 Ir_p = firm annual irrigation target at p^{th} reservoir site,
 Ir_j^p = firm annual irrigation to be served for j^{th} multi-irrigation area by p^{th} reservoir in time t ,
 Ir_w = firm annual irrigation target at w^{th} site,
 i = i^{th} reservoir/site,
 j = j^{th} multi-irrigation area,
 $K_{j,t}$ = proportion of annual irrigation target at j^{th} site in time t ,
 $K_{p,t}$ = proportion of annual irrigation target at p^{th} reservoir site in time t ,
 $K_{w,t}$ = proportion of firm annual irrigation target, Ir_w to be diverted for irrigation canal at w^{th} site in time t ,
 $K_{w,t}^{\text{return}}$ = irrigation return flow as a proportion of irrigation diversions at w^{th} site in time t ,
 L = number of parallel reservoirs (excluding i^{th} reservoir), i.e., total number of parallel reservoirs are, $(L+1)$,
 $LL_{1,i}$, $LL_{2,i}$, $LL_{3,i}$, and $LL_{4,i}$ = lower limits (bounds) on Y_i , Ir_i , H_i , and E_i respectively,
 $O_{i,t}$ = total reservoir release from i^{th} reservoir in time t ,

- $O_{i,t}^d$ = release for water supply from i^{th} reservoir in time t ,
 $O_{i,t}^m$ = release from i^{th} reservoir to keep minimum flow on downstream in time t ,
 $O_{p,t}$ = total release from p^{th} reservoir in time t ,
 $O_{p,t}^o$ = release from p^{th} reservoir for its own irrigation command area in time t ,
 $O_{p,t}^j$ = release from p^{th} reservoir for j^{th} multi-irrigation area in time t ,
 $O_{w,t}$ = total release from w^{th} reservoir/site in time t ,
 $Om_{1,i}, Om_{2,i}, Om_{3,i}$ = annual operation and maintenance cost of reservoir capacity, irrigation and hydropower plant respectively at site i ,
 $Om'_{1,i}, Om'_{2,i}, Om'_{3,i}$ = annual operation and maintenance cost function for reservoir capacity, irrigation, & hydropowerplant respectively at site i .
 $Omax_{i,t}$ = maximum limit (bound) on $O_{i,t}$,
 $Omin_{i,t}$ = minimum limit (bound) on $O_{i,t}$,
 $P_{i,t}$ = precipitation effect directly upon the i^{th} reservoir in time t ,
 p = p^{th} parallel reservoir,
 Q = total number of multi irrigation areas.
 $S_{i,t}$ = final live/gross reservoir content or storage of i^{th} reservoir in time t ,
 $S_{i,t-1}$ = initial live/gross reservoir content or storage of i^{th} reservoir in time t ,
 $Sp_{p,t}$ = spill from p^{th} reservoir in time t ,
 $Uc_{w,t}$ = regulated contributions including irrigation return flow from w^{th} U/S reservoir/site to the i^{th} D/S reservoir site in time t ,
 $UL_{1,i}, UL_{2,i}, UL_{3,i}$ and $UL_{4,i}$ = upper limits (bounds) on Y_i, Ir_i, H_i , and E_i respectively,
 w = w^{th} U/S reservoir/site contributing to the flow of i^{th} D/S reservoir/site,
 Y_i = gross capacity of i^{th} reservoir,
 Ya_i = total live capacity of the reservoir i at maximum pool level,
 Yd_i = dead storage of reservoir i ,

$Yf_{i,t}$ = flood storage of i^{th} reservoir in time t ,

$Ymax_{i,t}$ = gross capacity of reservoir up to normal pool level (top of the conservation) of the i^{th} reservoir in time t ,

$Ymax'_{i,t}$ = live capacity of reservoir up to the normal pool level of the i^{th} reservoir in time t ,

$Ymin_{i,t}$ = gross capacity of reservoir up to the minimum pool level of the i^{th} reservoir in time t ,

$Ymin'_{i,t}$ = live capacity of reservoir up to the minimum pool level of the i^{th} reservoir in time t ,

$\alpha_{i,t}$ = load factor for hydropower at i^{th} site in time t ,

$\eta_{i,t}$ = percentage of annual energy target to be supplied in time t at i^{th} site.



CHAPTER-IV

**SIMULATION
MODEL**



SIMULATION MODEL

4.1 INTRODUCTION

Simulation can be defined as reproducing the essence of a system without reproducing the system itself. The ^{in reality} essential characteristics of the system are reproduced in a model which is then studied in an abbreviated time scale.

Simulation is perhaps the most widely used method for evaluating alternative water resource systems. The reasons for its popularity lies in its mathematical simplicity and versatility.

Simulation is not an optimizing procedure. Rather, for any set of design and operating policy parameter values, it merely provides a rapid means for evaluating the anticipated performance of the system. It is necessary for the analyst to specify the trial design (or, equivalently, to allow the computer to do so in accordance with some algorithm), whereupon the simulation model yields estimates of the economic, environmental and other responses associated with the trial. Simulation methods do not identify the optimal design and operating policy, but they are an excellent means of evaluating the expected performance resulting from any design and operating policy. Hence they are often used to assist water resources Planners in evaluating those designs and operating policies defined by simpler optimisation models.

4.2 THEORY

The simulation problem can be stated as follows (Mass et al, 1962 ; Hufshmidt and Fiering, 1966 ; System Analysis in Water Resources Planning, 1975 ; and Srivastava, 1976):

Determine:

- (1) a combination of reservoirs, power plants, and irrigation-diversion and distribution facilities,



247247

- (2) firm, and secondary annual target levels of irrigation and energy outputs,
- (3) and allocations of reservoir capacity to active, dead, and flood storages, so as to get maximum present value of net benefits.

Given :

- (1) monthly run off values, and
- (2) an operating procedure for reservoirs.

4.2.1 System Design Variables, Parameters and Constraints

In general, there are two classes of system components and constants: (1) design variables, which are free to change from one simulation run to the next, and (2) invariant physical functions, parameters, and constants of the water resources system under study.

The design variables, parameters, and constants are:

4.2.1.1 Major design variables

1. Major Physical Design Variables in terms of their assumed ranges and unit of measurements:
 - (i) Components of System:
 - (a) Gross and live capacities of reservoirs, and
 - (b) Power plant capacities of power plants.
 - (ii) Allocation of Reservoir Capacity:
 - (a) Dead storage in reservoirs where energy is generated,
 - (b) Flood storage in reservoirs, and
 - (c) 12-element vector of flood storage allocation for reservoirs (monthly values)
 - (iii) Target Outputs:
 - (a) Firm and secondary annual target outputs for irrigation for the command areas (yearly)

- (b) Firm and secondary annual target outputs for energy (yearly), and
- (c) 12-element vector of annual target outputs for water supply and energy (monthly percent of the annual values).

2. Variables, Functions and Constants relating to power generation:

- (1) Equation used for energy generation,
- (ii) Pen stock capacities,
- (iii) Maximum head for power plants, and
- (iv) Turbine and generator efficiencies.

4.2.1.2 Cost and benefit functions

1. For each irrigation area :

- (i) Annual target output for irrigation vs. unit gross irrigation benefits relationship,
- (ii) Annual irrigation shortage vs. irrigation loss relationship,
- (iii) Annual target output for irrigation vs. capital costs of irrigation diversion, distribution and pumping works relationship, and
- (iv) Annual target, output for irrigation vs. annual OM costs of irrigation diversion, distribution and pumping works relationship.

2. For each power plant :

- (i) Installed capacity of power plant vs. capital costs of power plant relationship,
- (ii) Installed capacity of power plant vs. annual OM costs of power plant relationship,
- (iii) Reservoir capacity vs. net effective power head,
- (iv) Firm energy benefits, or unit firm energy benefits,
- (v) Dump price for energy, or unit-dump energy benefits, and
- (vi) Energy loss, or unit loss from energy deficits.

3. For each reservoir :
 - (i) Capacity of reservoir vs. capital costs of reservoir relationship, and
 - (ii) Capacity of reservoir vs. annual OM costs of reservoir relationship.
4. Others :
 - (i) Interest rates and formula used for present worth method of discounting.

4.2.1.3 Stream flow data

1. Monthly river flows for each reservoir site.

*Specify what kind.
For example, average
monthly flows.*

4.3 OPERATION OF THE SYSTEM

Since the performance of the river basin system is studied for many different combinations of system variables, performance in terms of physical outputs and economic benefits achieved is being measured by simulating the behaviour of the system on a digital computer, it is necessary to construct an operating procedure (a set of rules for storing and releasing water in reservoir and among reservoirs in a given period) in a form suitable for the computer (Srivastava, 1992).

4.3.1 Individual Reservoir Operation

The reservoir will operate under the following basic constraints :

1. The volume of water released during any period can not exceed the contents of the reservoir at the beginning plus the flow into the reservoir during the period, i.e.,

$$O_{i,t} \leq S_{i,t-1} + F_{i,t} + P_{i,t} + I_{i,t} - O_{i,t}^d - O_{i,t}^m - El_{i,t} - Y_{min_{i,t}} \quad \text{for all } i \text{ and } t \quad (4.1)$$

2. The continuity equation

$$S_{i,t} = S_{i,t-1} + F_{i,t} + P_{i,t} + I_{i,t} - O_{i,t} - El_{i,t} - O_{i,t}^d - O_{i,t}^m \quad \text{for all } i \text{ and } t \quad (4.2)$$

3. The contents of the reservoir at any period can not exceed the capacity of the reservoir (or the live reservoir storage capacity up to the top of conservation during floods), as well as the dead storage of the reservoir puts a lower limit on the reservoir storage, such that

$$Yd_i \leq Ymin_{i,t} \leq S_{i,t-1} \leq Ymax_{i,t} \leq Y_i \quad \text{for all } i \text{ and } t \quad (4.3)$$

where,

- $E_{i,t}$ = reservoir evaporation for i^{th} reservoir in time t ,
- $F_{i,t}$ = natural inflow from its own catchment plus contributions of all possible regulated flows from upstream reservoirs and return flows from U/S irrigation at i^{th} reservoir in time t ,
- $I_{i,t}$ = local inflow to i^{th} reservoir from surrounding areas in time t ,
- $O_{i,t}$ = total reservoir release from i^{th} reservoir in time t ,
- $P_{i,t}$ = precipitation effect directly upon i^{th} reservoir in time t ,
- $S_{i,t-1}$ = initial gross reservoir storage or content of i^{th} reservoir in time t ,
- $S_{i,t}$ = gross reservoir storage or content of i^{th} reservoir at the end of time t ,
- t = any time,
- Y_i = gross storage capacity of i^{th} reservoir,
- Yd_i = dead storage of i^{th} reservoir,
- $Ymin_{i,t}$ = gross capacity of reservoir up to minimum pool level of i^{th} reservoir in time t ,
- $Ymax_{i,t}$ = gross capacity of reservoir up to normal pool level (top of the conservation) of the i^{th} reservoir in time t ,
- $O_{i,t}^d$ = release for water supply from i^{th} reservoir in time t , and
- $O_{i,t}^m$ = release from i^{th} reservoir to keep minimum flow on downstream in time t .
- $O_{i,t}^m$ = release from i^{th} reservoir to keep minimum flow on downstream in time t .

4.3.2 Reservoir Operation among Reservoirs

In establishing an operating procedure among reservoirs for simulation the hydrologic properties of the basin, the physical configuration of the system, and the water use points are important. The operation policy is discussed later in ^{Section} para 4.7.

4.4 DISCOUNTING TECHNIQUE

The procedure in which discounting factors may be systematically applied to compare alternatives (either different projects or different sizes of same project) in terms of the extent of serving the economic objectives is called a discounting technique (James and Lee, 1971). In the simulation the present worth method of discounting is used. The present worth method selects the projects with the largest present worth of net benefits, PW_{nb} of the discounted algebraic sum of the benefits minus costs over its life.

In simulation the initial capital costs (initial first costs) of reservoir, $K_{1,i}$ of irrigation, $K_{2,i}$, and of hydropower, $K_{3,i}$ at each site i are calculated. The gross benefits in time j (usually a year), from irrigation, $B_{2,i,j}$, and from energy, $B_{3,i,j}$, are calculated. The net benefits $B'_{i,j}$, from irrigation and hydropower in time j is given by:

$$B'_{i,j} = (B_{2,i,j} + B_{3,i,j}) - (Om_{1,i,j} + Om_{2,i,j} + Om_{3,i,j}) \quad (4.4)$$

Where,

$Om_{1,i,j}$ = operation and maintenance (OM) cost of reservoir at site i in time j ,

$Om_{2,i,j}$ = OM cost of irrigation works at site i in time j , and

$Om_{3,i,j}$ = OM cost of hydropower at site i in time j .

Then,

$$PW_{nb} = \sum_i (K_{1,i} + K_{2,i} + K_{3,i}) + \sum_{j=1}^N \sum_i \left(\frac{P}{F}, i_f \%, j \right) B'_{i,j} \quad (4.5)$$

$$= -K + \sum_{j=1}^N \sum_i \left[\frac{1}{(1 + i_f/100)^j} \right] B'_{i,j} \quad (4.6)$$

Where,

$$K = \sum_i (K_{1,i} + K_{2,i} + K_{3,i})$$

i_f = the discount rate for finding present worth,

N = the economic life of the project, and

j = any time period (usually a year).

In equation (4.4) the bracketted term is the abbreviation of the present worth factor. In equation (4.5) the term in the bracket is the actual present worth factor.

4.5 SAMPLING TECHNIQUES

The net benefit from river basin system in response to various simulating combinations of many system variables, say n , represents an n dimensional surface (System Analysis in Water Resources Planning, 1975).

This surface may be called the net benefit response surface. On this surface, there may be several points at which the net benefits are maximum. Among these points there is at least one point which locates the maximum of all maxima, or the greatest net benefits.

Because of the enormous number of possible combinations of the system variables, the point of greatest net benefits cannot be easily determined even with the use of high speed computers. Many combinations and points of maximum net benefits, however, can be eliminated from consideration on account of certain site conditions and the limitations in the range of and due to the nature of the variables. The only time saving practical method of locating the point of optimality or points of local maxima is to sample the variables and thereby explore the response surface and eliminate undesirable combinations from the computations.

There are two broad categories of sampling methods: random and systematic sampling. All the sampling methods may be used either separately or in combination. The selection mainly depends on the nature of the response surface under investigation.

4.5.1 Random Sampling

In random sampling the values of the system variables for each combination are selected purely by chance from an appropriate population of values of the variables (using rectangularly distributed random numbers between 0-1). These selected values should be within their respective ranges and subject to whatever side conditions or limitations may be associated with the different variables. The maximum benefit for each combination is then determined by carrying out simulation. The combination with greatest benefit may be very nearly the maximum of maxima.

4.5.2 Systematic Sampling

✓ In Systematic sampling the values of system variables are selected in accordance with some ordering principle and the entire range of combinations of the variables is systematically examined. The methods of systematic sampling particularly applicable to river-basin system designs are the uniform grid method, and incremental analysis method.

In the uniform grid method (also known as factorial method) the values of variables are taken at uniform intervals or grids over the entire range of each variables. The finer the grid the larger will be the number of combinations of variables to be considered. Hence, this method may usually be applied in two steps. In the first step a coarse grid is used to determine the region of local maxima or summits. This is followed by a second step, in which a finer grid is used to analyse the benefit functions around the local summits. From the local summits, the optimal one can be found. In this method a greater number of grid nodes is used only for more

important variables. Thus the entire response surface of the system can be mapped with a small number of variables.

4.6 RESULTS FROM SIMULATION

Each simulation run (say for monthly operation) gives the following results and statistics for behaviour analysis of the system, other than the present worth of net benefits obtained, during the period of analysis.

4.6.1 Reservoir Behaviour

1. Minimum monthly active content of reservoir in a calendar month (12 element vector),
2. Maximum monthly active content of reservoir in a calendar month (12 element vector),
3. Number of times reservoir was full in a calendar month (12 element vector),
4. Number of times reservoir was empty in a calendar month (12 element vector), and
5. Final reservoir content at the end of the analysis period (single value).

4.6.2 Irrigation Analysis

1. Maximum monthly irrigation deficit in a calendar month (12 element vector),
2. Number of monthly irrigation deficits in a calendar month (12 element vector), and
3. Average annual irrigation deficit (single value).

4.6.3 Energy Analysis

1. Average annual energy deficit (single value),
2. Average annual energy surplus (single value),
3. Maximum monthly energy deficit in a calendar month (12 element vector),
4. Maximum monthly energy surplus in a calendar month (12 element vector),

5. Number of monthly energy deficits in a calendar month (12 element vector), and
6. Number of monthly energy surpluses in a calendar month (12 element vector).

4.7 OPERATION POLICY OF RESERVOIRS IN MULTI- RESERVOIR SYSTEM

The reservoir operation policy has been prepared for the operation of different reservoirs (Islam, 1991; Rath, 1991; and Srivastava, 1992) in the following manner :

- (i) The reservoir operation starts from the upper most reservoir and continues to the next reservoir in the D/S and so on to the next, in a given unit period of time (here a month). The starting month in a year is April.
- (ii) The individual reservoir operation policy is described in ^{Section} para 4.3.1.
- (iii) All water demands shall be met by various shares of water. Two types of water shares are defined. Share-1 means meeting various U/S and D/S water demands from the total monthly inflow reaching a reservoir. Share-2 means meeting deficits in various U/S and D/S water demands, if any, from the water available within the conservation storage (AWWCS).
- (iv) → The water uses of same priority, if any, among all the water uses are initially clubbed for all the computation purposes. After the computations for a unit time period (here a month) are over then the deficits in clubbed water users are distributed into the unclubbed water users in the ratios of their amounts. These are done separately for U/S and D/S water uses.
- (v) Water can be diverted (transferred) from a reservoir/site to other reservoir/site, in terms of priority of water uses.
- (vi) Any number of water uses can be considered in any sequence. The water among various water uses will be shared on the basis of a pre-decided priority of water uses. This priority can be changed in any simulation run.

- (vii) To meet the energy demand an option has been kept whether the non-hydropower releases, i.e., towards M & I water supply and irrigation requirements can be put to power generation or not. Another option has also been put forth whether the spilled water can be put to power generation or not, in case power is generated on a canal power house.
- (viii) In case of all the reservoirs & run-of river schemes, the total monthly inflow to a reservoir/site includes the return flows from various water users U/S of the reservoir/site under consideration, plus the return flows from various water uses D/S of the reservoirs, and reservoir spills, if any, from the U/S reservoirs contributing to the flow of the reservoir/site under consideration. In the present context 25 % of the releases made towards M & I requirements and 20 % of the releases made towards irrigation requirements are taken as contribution towards return flows.

How were these selected?

4.8 WORKING PRINCIPLE OF COMPUTER PROGRAMME

The computer programme for the simulation of multi reservoir system is a huge model (Garudkar 1992; Dayaratne, 1992; and Jain, 1993). It comprises of 13 subroutine sub-programmes and 11 function sub-programmes alongwith the main programme (Appendix 4.I). The programme works in accordance with the operation policy framed earlier. A general flow chart for simulation steps are presented in Figure 4.1. The functions of the various sub-programmes are mentioned below:

1. Subroutines STAT1 :

This subroutine instructs to make U/S subtractions and D/S releases from share-1 and share-2

2. Subroutines WATER :

This subroutine does the following :

(i) Use of Share-1 :

Firstly, makes subtractions for U/S water uses from Share-1, then makes releases for D/S water uses from unutilised water of Share-1. Secondly, it calculates deficits in U/S and D/S water demands, if any.

(ii) Use of Share-2 :

It makes releases for D/S water uses from Share-2, if there were any deficits as calculated earlier.

3. Subroutine RELES :

This subroutine calculates and defines the current net water available and deficits after every U/S subtractions and D/S releases.

4. Subroutine POWER :

This subroutine does basic computations for energy generation.

5. Subroutine CAL1 :

This subroutine calculates statistics for various U/S and D/S water demands (clubbed) for behaviour analysis.

6. Subroutine CAL11 :

This subroutine calculates statistics for various U/S and D/S water demands (unclubbed) for behaviour analysis.

7. Subroutine INTI1 :

This subroutine initialises the statistical variables for various U/S and D/S water demands (clubbed) for a study to zero.

8. Subroutine INIL1 :

This subroutine initialises the statistical variables for various U/S and D/S water demands (unclubbed) for a study to zero.

9. **Subroutine WRT11 :**
This subroutine writes the statistics of variables for various U/S and D/S water demands (unclubbed).
10. **Subroutine WRT12 :**
This subroutine writes the data used.
11. **Subroutines WRTM, and WRT :**
These subroutines write the intermediate calculations giving distribution of water shares among various U/S and D/S water demands (clubbed) and their deficits for each time period.
12. **Subroutine DIST1 :**
This subroutine distributes the water deficits of the clubbed demands to the unclubbed demands.
13. **Subroutine BENFT :**
This subroutine calculates the present worth of net benefit.
14. **Function AREA :**
This function calculates the reservoir water spread area.
15. **Function ELEVAT :**
This function calculates the reservoir water elevation.
16. **Function ABFD1 :**
This function calculates annual benefit for D/S water use ii at i^{th} reservoir/site.
17. **Function ALFD1 :**
This function calculates annual loss in benefit for D/S water use ii at i^{th} reservoir/site.

18. Function ADFD1 :

This function calculates annual dump energy benefit for hydropower use ii at i^{th} reservoir /site.

19. Function AOFR1 :

This function calculates annual OM cost of reservoir at i^{th} reservoir/site.

20. Function AAFP1 :

This function calculates annual OM cost of hydroplant at i^{th} reservoir/site.

21. Function AOFD1 :

This function calculates annual OM cost of D/S water use ii at i^{th} reservoir/site.

22. Function CFRE1 :

This function calculates capital cost of reservoir at i^{th} reservoir /site.

23. Function CFPP1 :

This function calculates capital cost of hydropower at i^{th} reservoir/site.

24. Function CFWD1 :

This function calculates capital cost of D/S water ii at i^{th} reservoir/site.

4.9 LIST OF VARIABLES

- $B_{2,i,j}$ = gross benefit from irrigation in time j at i^{th} site,
 $B_{3,i,j}$ = gross benefit from hydropower in time j at i^{th} site,
 $B_{i,j}$ = gross benefit from irrigation and hydropower in time j at i^{th} site,
 $E_{i,t}$ = reservoir evaporation for i^{th} reservoir in time t ,
 $F_{i,t}$ = natural inflow from its own catchment plus contributions of all possible regulated flows from upstream reservoirs and return flows from U/S irrigation at i^{th} reservoir in time t ,
 i_f = the discount rate for finding present worth,
 $I_{i,t}$ = local inflow to i^{th} reservoir from surrounding areas in time t ,
 j = any time period (usually a year),
 K = total initial capital cost of the system,
 $K_{1,i}$ = initial capital cost of reservoir at i^{th} site,
 $K_{2,i}$ = initial capital cost of irrigation at i^{th} site,
 $K_{3,i}$ = initial capital cost of hydropower at i^{th} site,
 N = the economic life of the project,
 $O_{i,t}$ = total reservoir release from i^{th} reservoir in time t ,
 $O_{i,t}^d$ = release for water supply from i^{th} reservoir in time t ,
 $O_{i,t}^m$ = release from i^{th} reservoir to keep minimum flow on downstream in time t ,
 $Om_{1,i,j}$ = operation and maintenance (OM) cost of i^{th} reservoir in time j ,
 $Om_{2,i,j}$ = OM cost of irrigation works at i^{th} site in time j ,
 $Om_{3,i,j}$ = OM cost of hydropower at i^{th} site in time j ,
 $P_{i,t}$ = precipitation effect directly upon i^{th} reservoir in time t ,
 PW_{nb} = present worth of net benefits,
 $S_{i,t-1}$ = initial gross reservoir storage or content of i^{th} reservoir in time t ,
 $S_{i,t}$ = gross reservoir storage or content of i^{th} reservoir at the end of time t ,
 t = any time (a month),

Y_i = gross storage capacity of i^{th} reservoir,

Y_{d_i} = dead storage of i^{th} reservoir,

$Y_{\text{max}_{i,t}}$ = gross capacity of reservoir up to normal pool level (top of the conservation) of the i^{th} reservoir in time t , and

$Y_{\text{min}_{i,t}}$ = gross capacity of reservoir up to minimum pool level of i^{th} reservoir in time t .



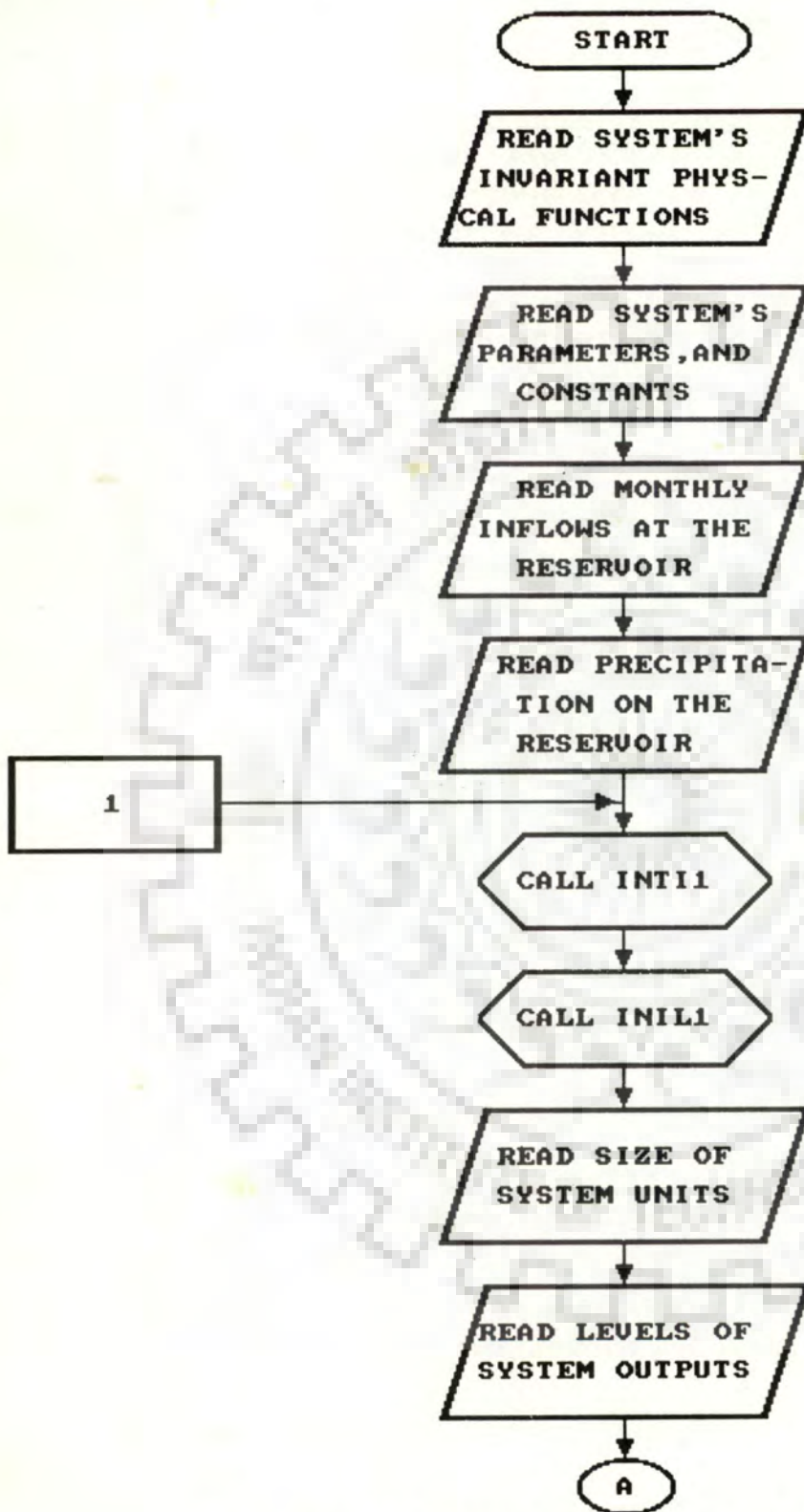


Fig.4.1 A General Flow Chart for Simulation

Fig.4.1 continued

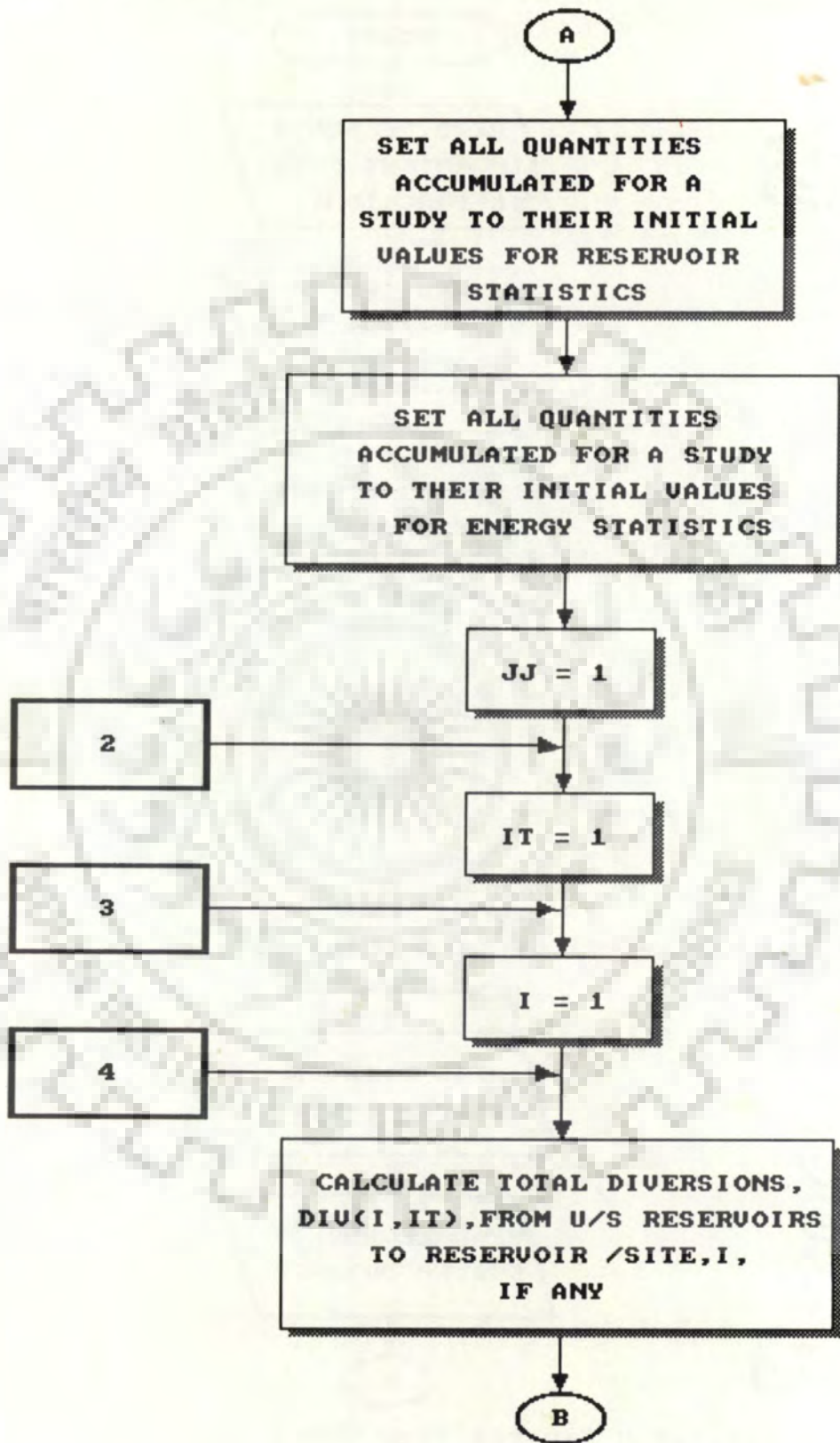


Fig.4.1 continued

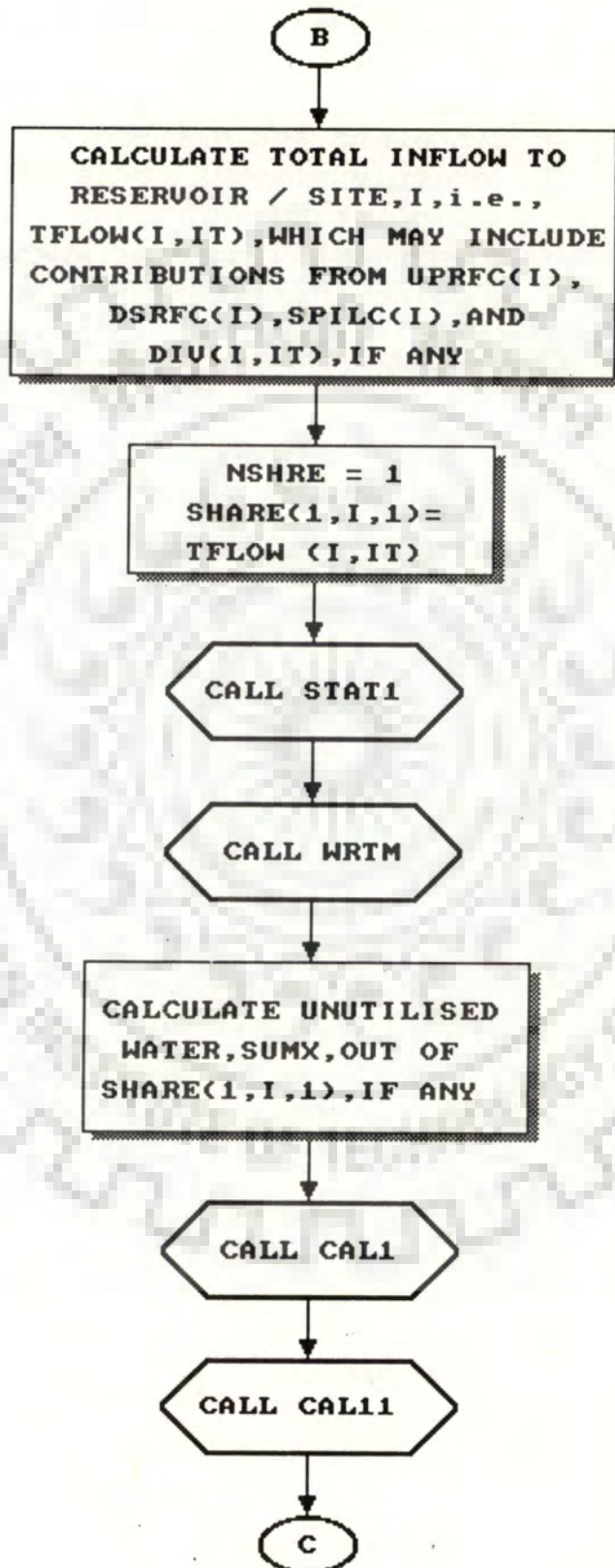


Fig. 4.1 continued

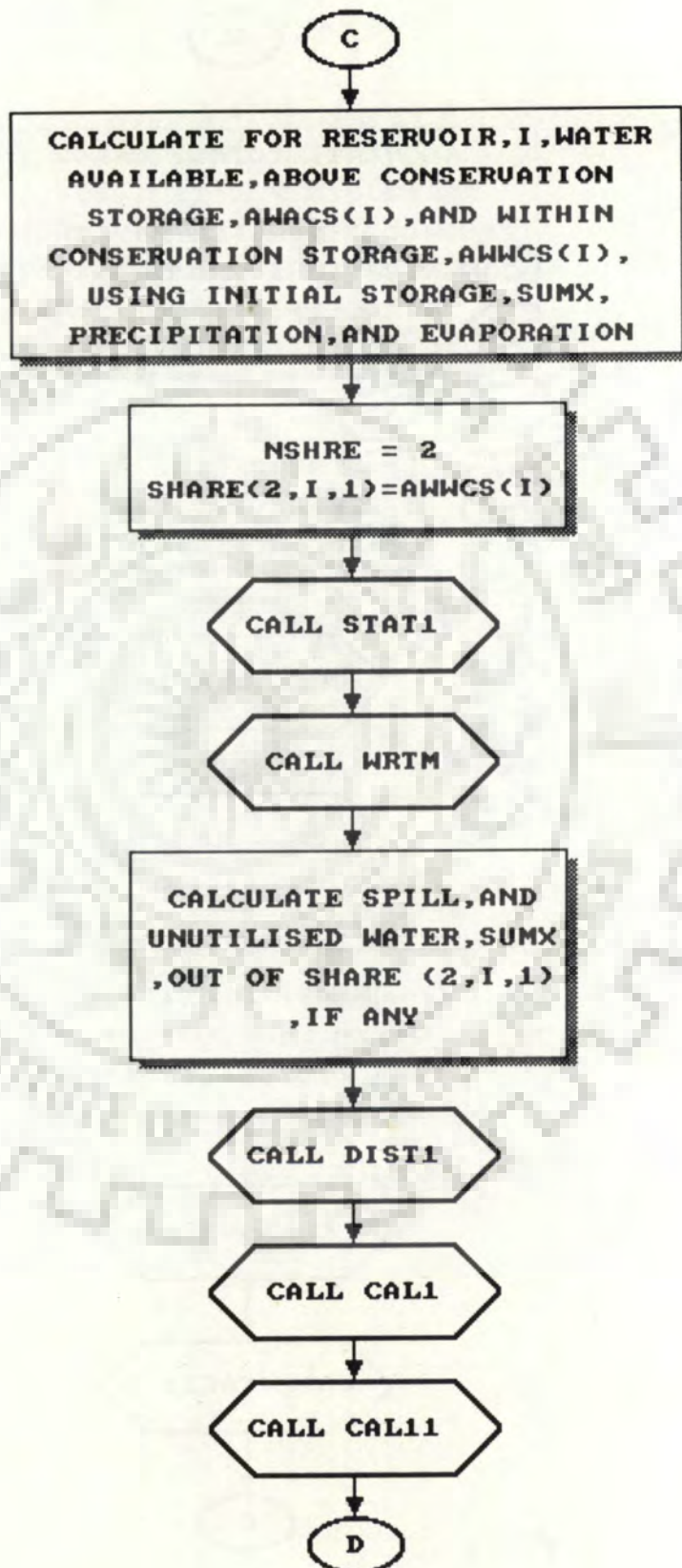


Fig.4.1 continued

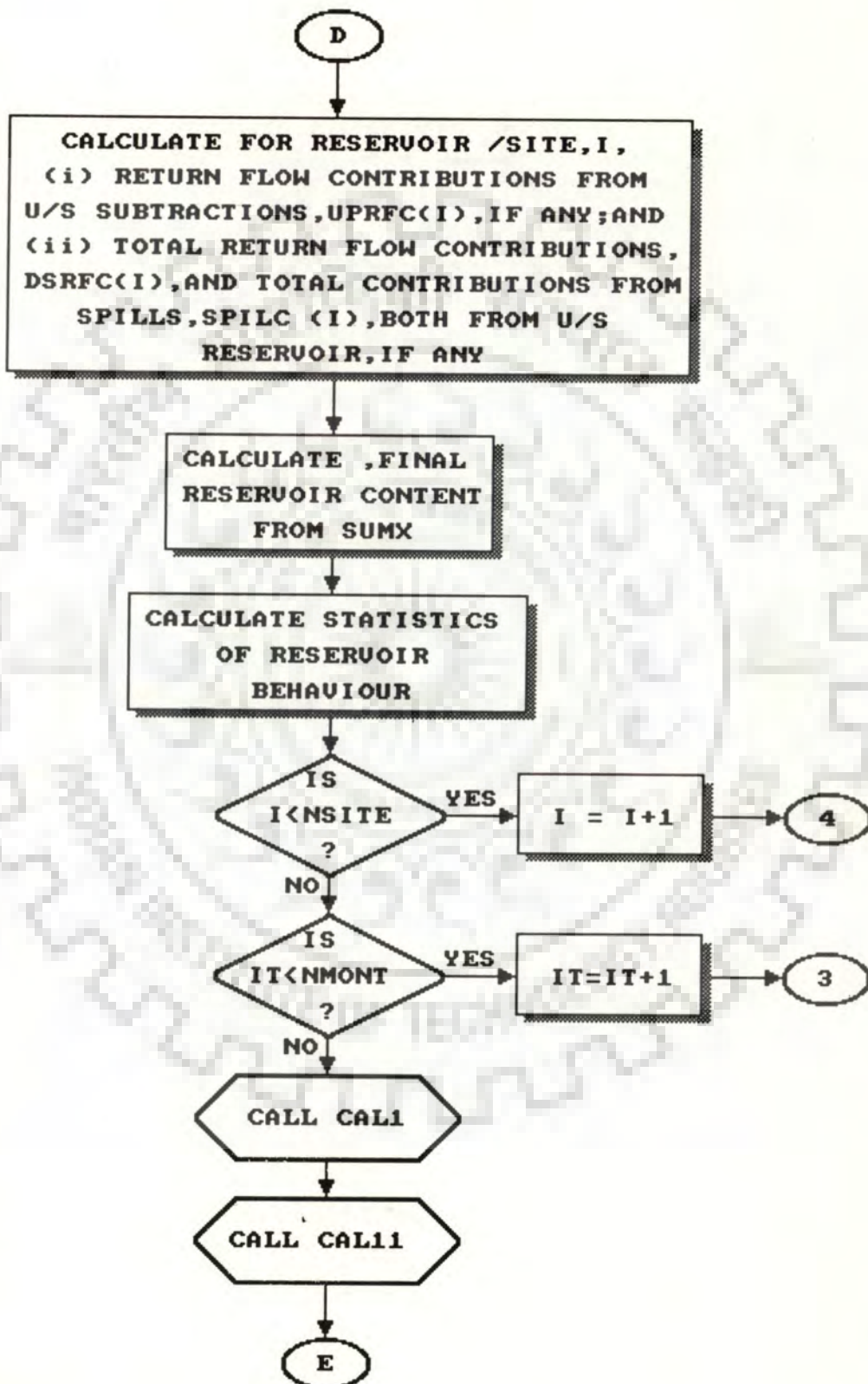
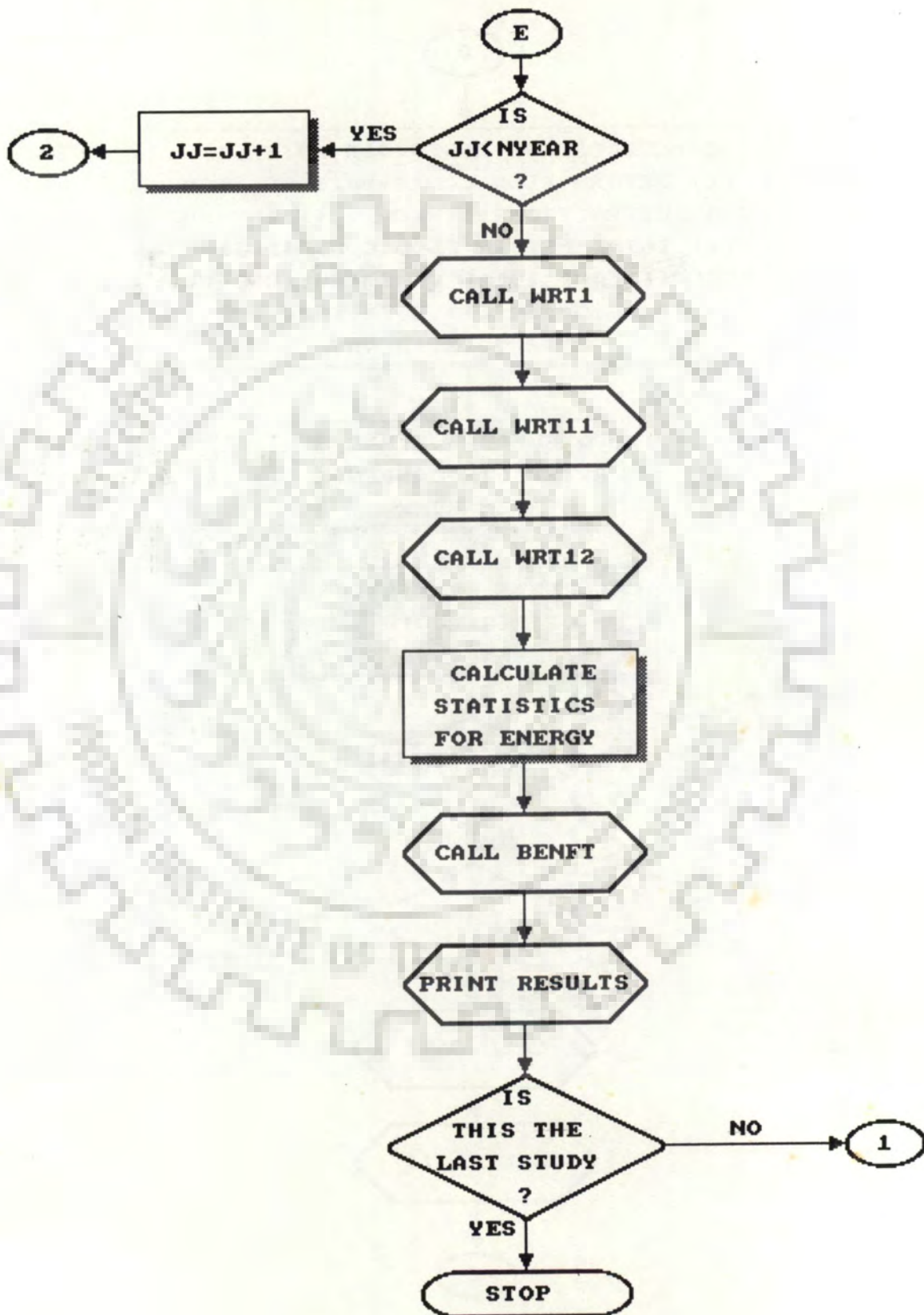
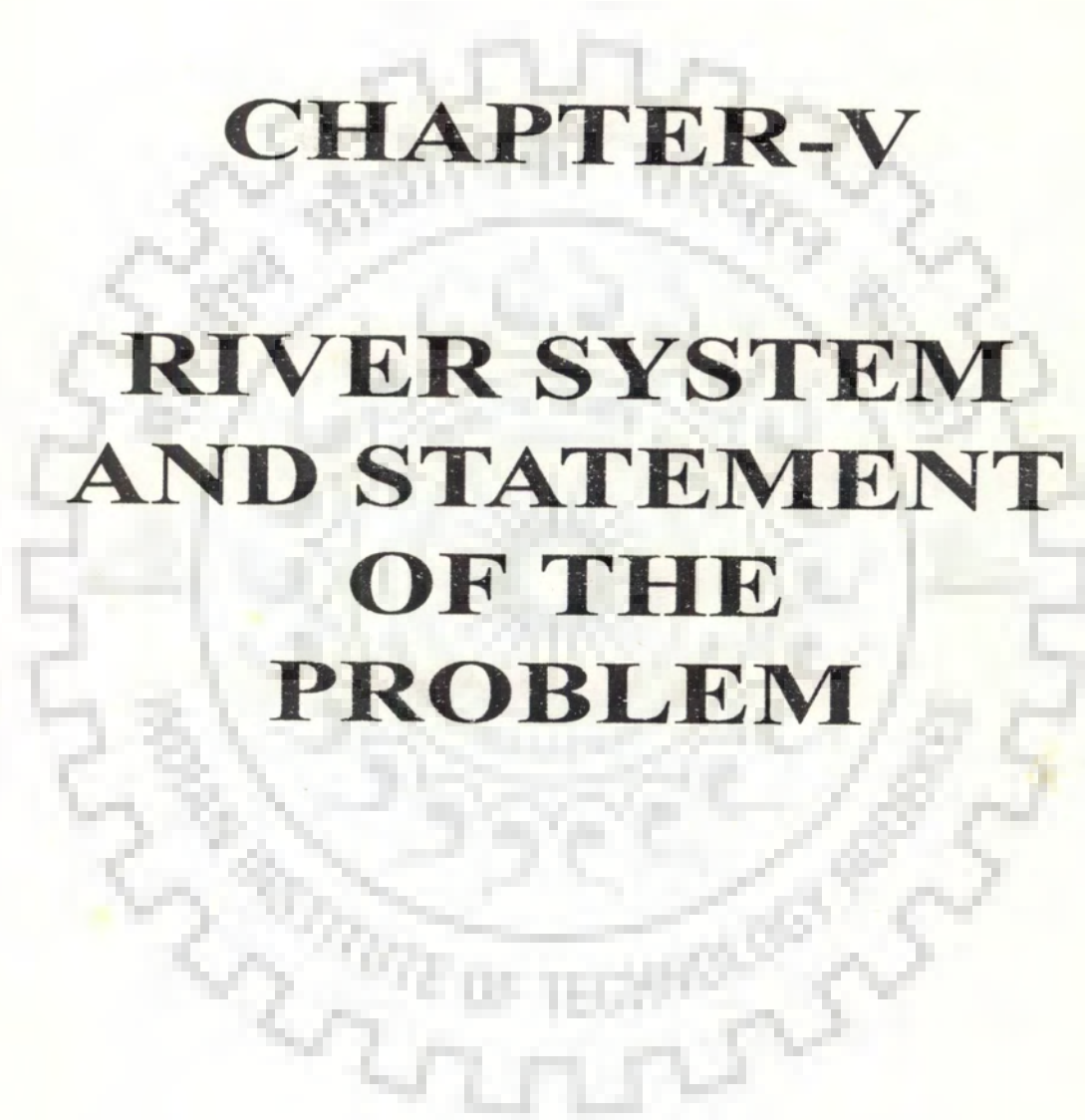


Fig. 4.1 continued



CHAPTER-V

RIVER SYSTEM AND STATEMENT OF THE PROBLEM



Chapter V

RIVER SYSTEM AND STATEMENT OF THE PROBLEM

It was earlier mentioned in the objectives of ~~present work~~ ^{Section} (para 1.2), that the scope of the present work is to develop optimization-simulation models ^{for} river basin planning and development and ^{them} apply it to a real-life large-scale river basin system, consisting of multi-purpose, multi-reservoir, and multi-irrigation areas. For this reason, the Karun river system in Iran is chosen for application.

5.1 STUDY AREA

The Karun river is one of the most important and largest river systems in Iran. It emerges out of the Zagross mountain ranges (Southwestern Iran). The river originates at about 4409 m above mean sea level. It flows generally in a southerly direction into the Persian Gulf.

The ~~Headwaters~~ of the Karun river consist of four major sub basins, namely, of the rivers Khersan, Vanak, Bazuft, and upper Karun. All of the sub basins are mountainous, with limited access and no major population centers.

The Karun river follows a tortuous course through the mountains until it finally emerges on the Khuzestan plain near Gotvand. The length of the river up to the Gotvand is 450 km. From Gotvand the river flows across the plain where it is joined at Band-e-Ghir by the Dez river from north. The combined river which is known as Karun river passes through Khuzestan province and empties into the Arvand river at Khorramshahr, (Figure 5.1). The catchment area of the Karun river is 37036 sq. km. at its confluence with the Dez river, while at this point the total catchment area of Karun and Dez rivers are 59017 sq. km. ^{Figure 5.2 shows a} Schematic diagram of Karun river Basin with all possible developmental potential is shown in Figure 5.2.



Legend

- | | | | |
|--------------------|-------|--------------------------------|---|
| River | — | Run of River Hydro Power Plant | ▭ |
| Catchment Boundary | - - - | Existing Diversion | ▬ |
| Dam Site | △ | Gauging Hydrometric Station | ⊕ |
| Existing Dam Site | ▲ | City | ● |

Fig. 5-1—Plan Showing Karun-Dez River Basin

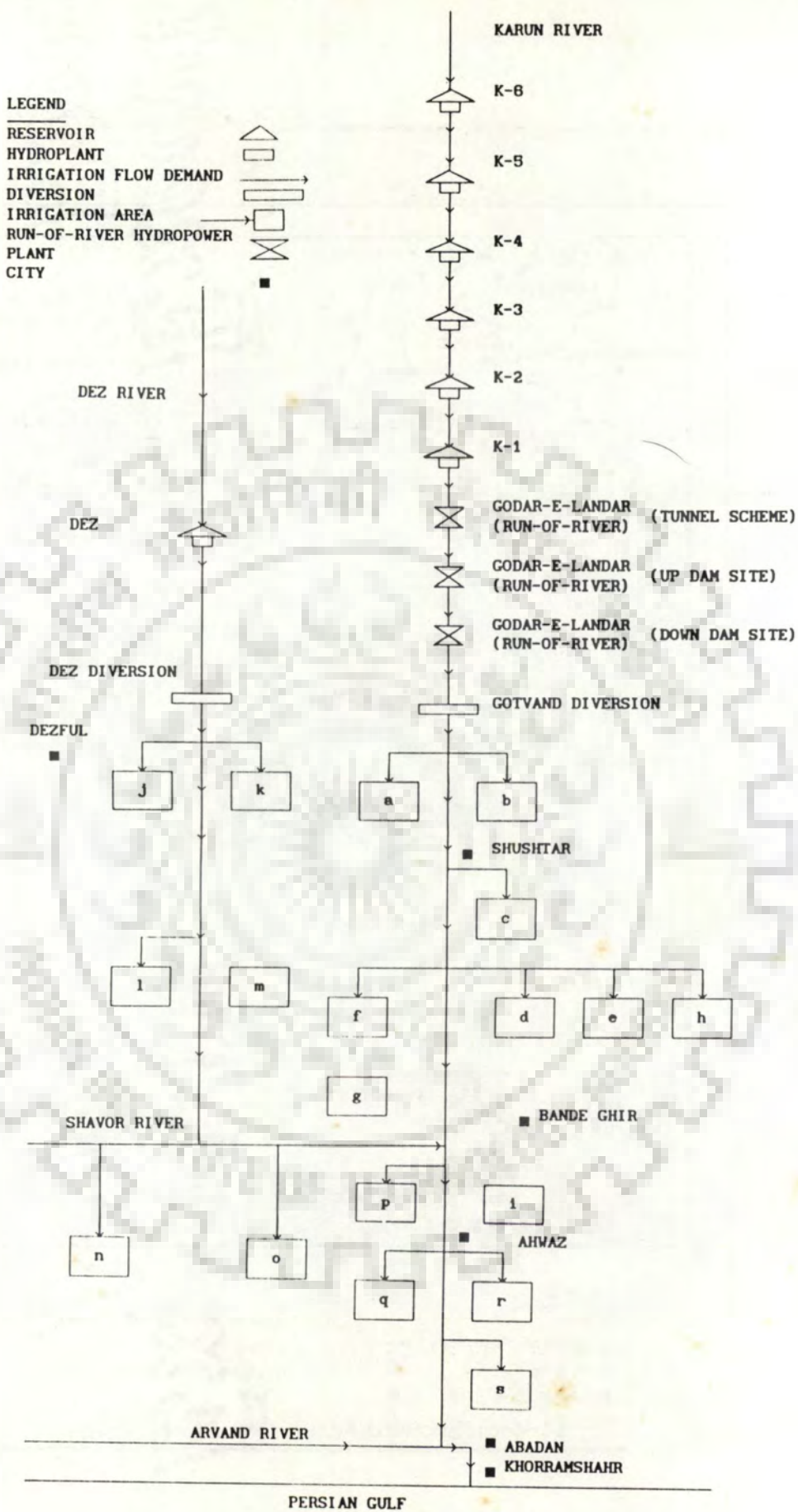


Fig. 5.2 : Schematic Diagram of Karun River System With All Possible Developmental Potential

5.2 CLIMATE AND RAINFALL

The catchment area of the Karun river system can be divided into the following parts:

5.2.1 Mountainous Area

This part of catchment is from the source of the river up to the Gotvand (drainage area up to Gotvand is 31899 sq. km.). The average slope of the river at Gotvand is 0.11. Mean monthly temperature in this area falls to -5°C during winters and reaches 28°C in summer. Average annual precipitation is around 750 mm, but rises considerably in higher altitudes. Most of the precipitation occurs in the period from December to February and this is why stream flow is strongly influenced by the snow melt. The Figure 5.3 ^{shows} represents the variation of annual precipitation during the period of 68 years (1918 to 1985) at Gotvand.

5.2.2 Plain Area

Between Gotvand up to the end point of the river which is entering into Persian Gulf, the elevations of the plain area vary between 10 and 100 meters. The mean monthly temperature in this area ranges between 11.8°C and 35.7°C in the months of January and July respectively. Average annual precipitation is around 241.4 mm. Most of the precipitation occurs in the winter (55% out of total annual precipitation) and in autumn and spring it is 30% and 15% respectively. The Figures 5.4 to 5.6 show the variation of annual precipitation at Dezful, Ahwaz, and Abadan respectively (over the period of 1918 to 1985) which can be a representative value of plain area. Also ^{an} average annual isohyetal map of the Karun river basin during period of 1964 to 1984 is shown in Figure 5.7.

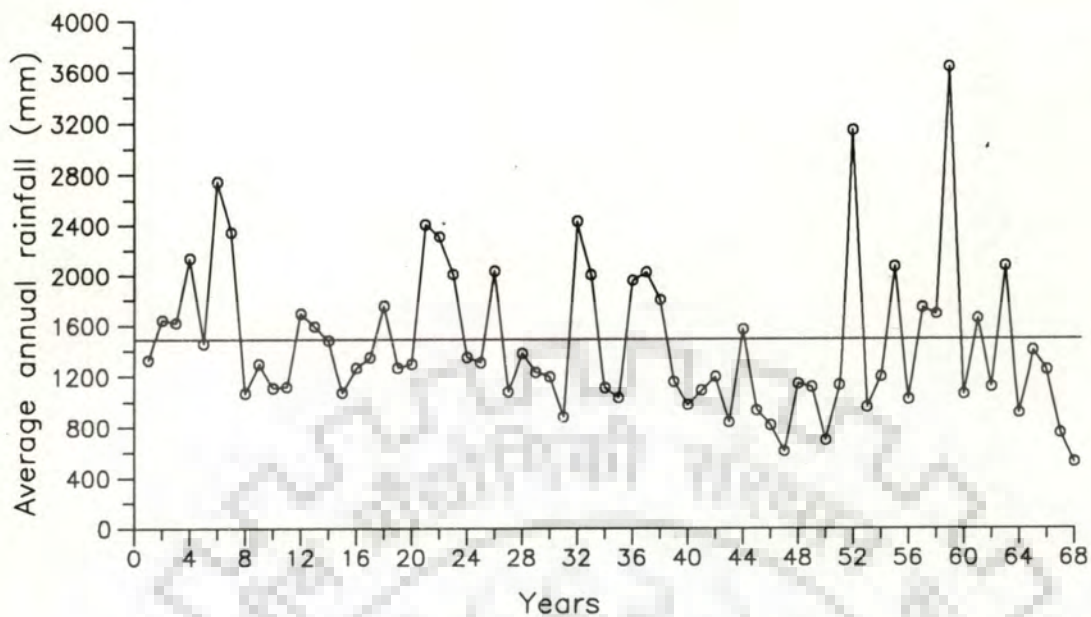


Fig. 5.3 : Average Annual Rainfall at Gotvand for Period (1918-1985)

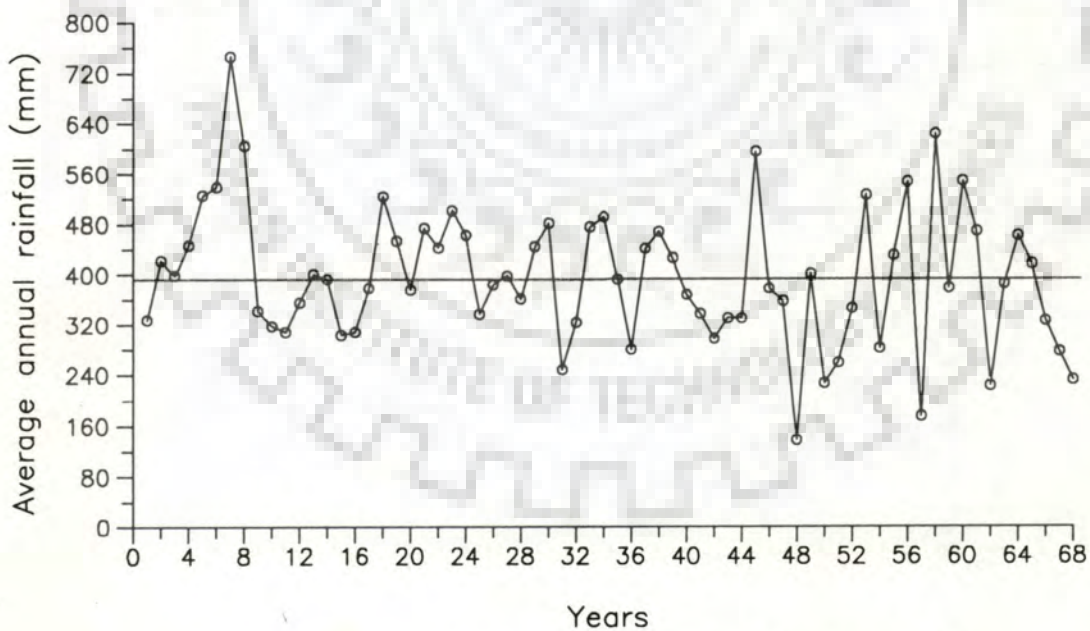


Fig. 5.4 : Average Annual Rainfall at Dezful for Period (1918-1985)

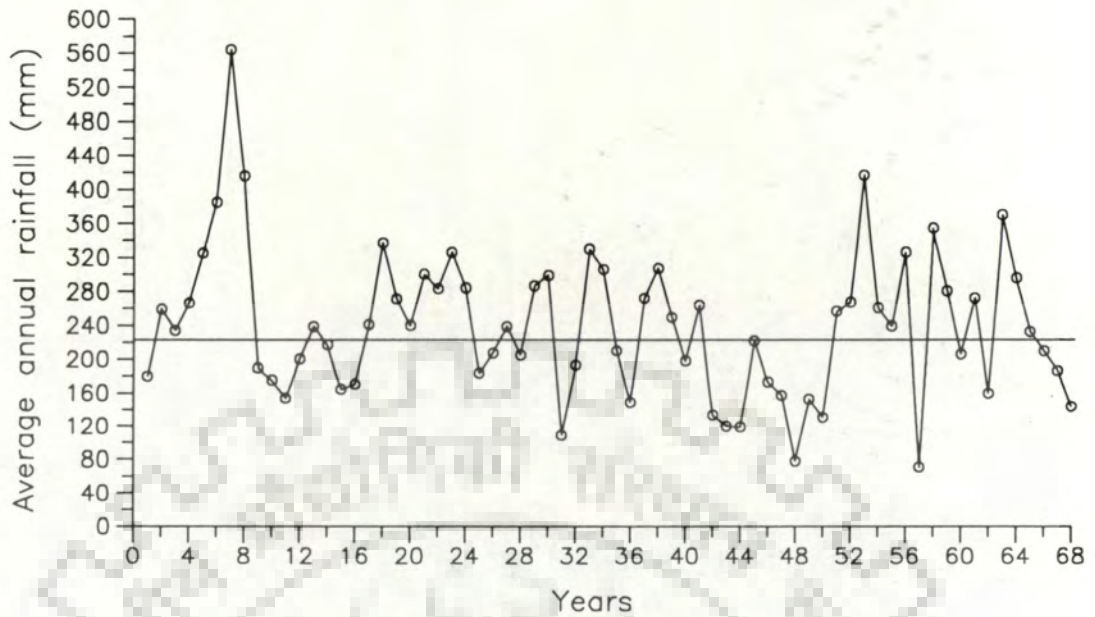


Fig. 5.5 : Average Annual Rainfall at Ahwaz for Period (1918-1985)

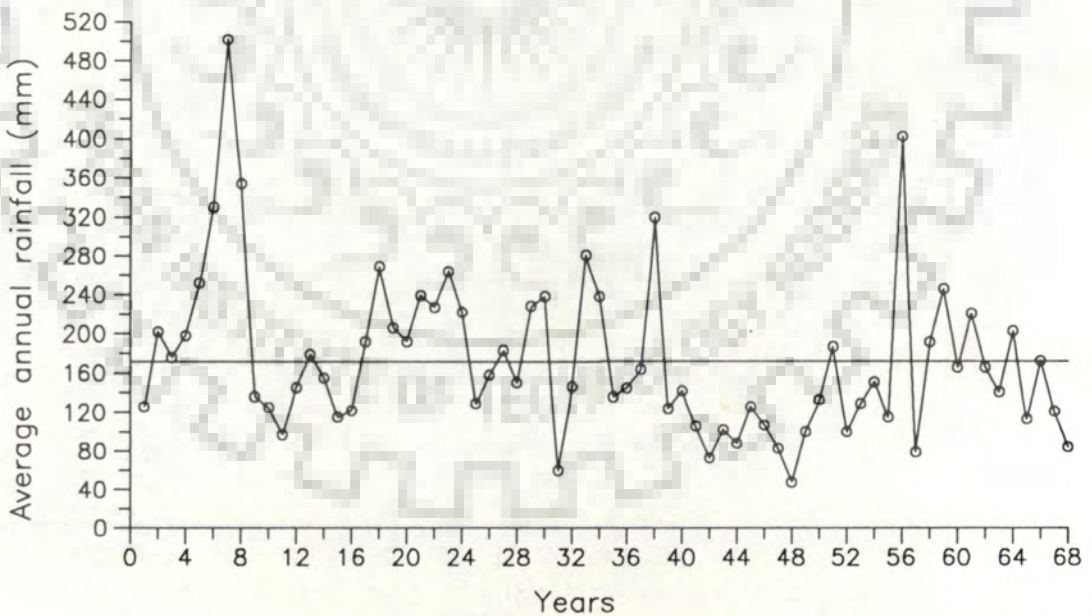
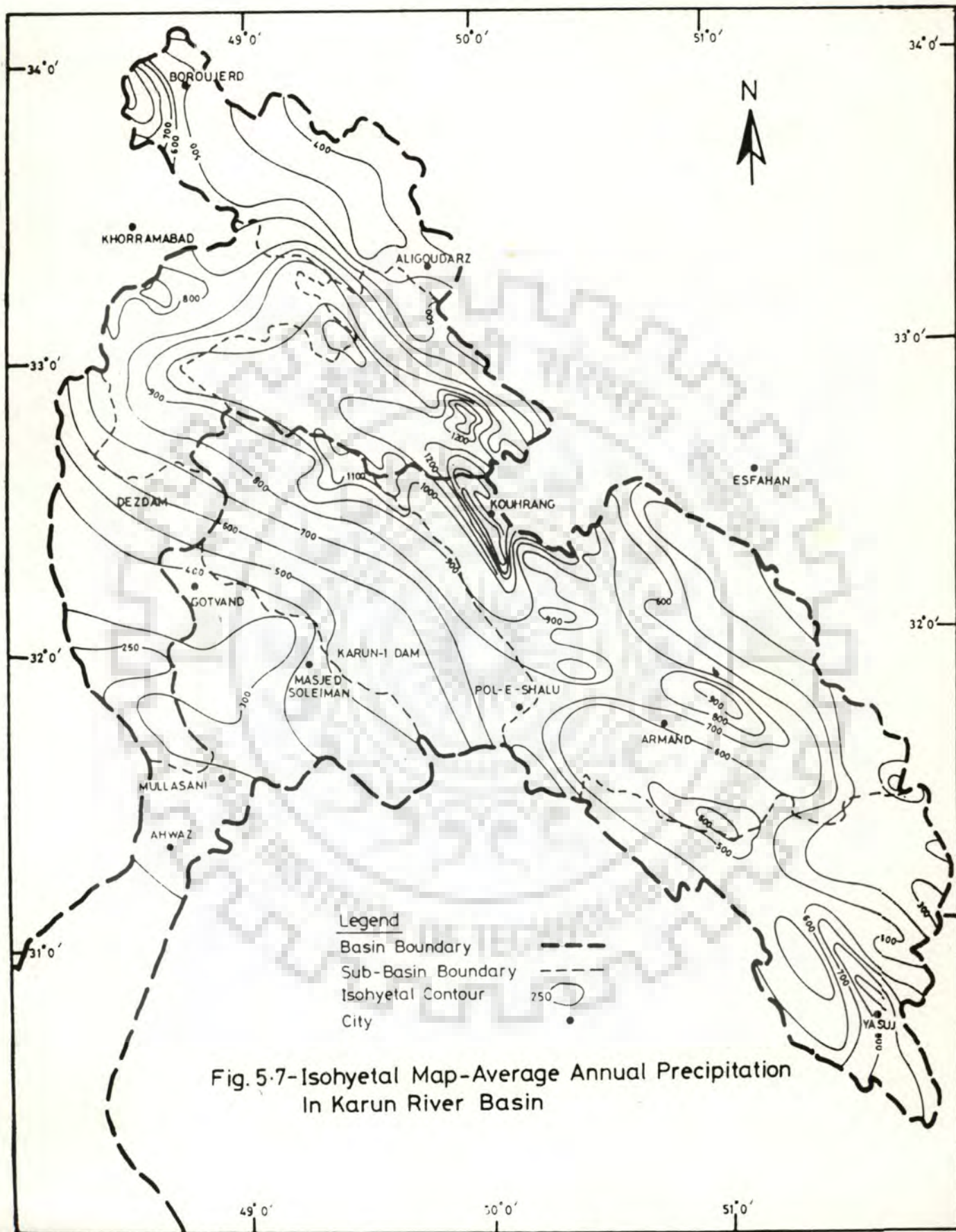


Fig. 5.6 : Average Annual Rainfall at Abadan for Period (1918-1985)



5.3 STREAM FLOW

Within the Karun ^{and} & Dez river basins, monthly discharge data ^{are} is available at 19 gauging stations and dam sites. The station with longest recording period is Ahwaz with data extending from 1893-1987. After a careful checking of the data, these were extended by correlation (Hydrological Studies of Karun River Basin, 1990), to cover the period from (1950-1988). These extended records have been transferred to the dam sites, taking into account the variations in area, precipitation and other factors. The Tables 5.1 to 5.15 show the monthly yield at different sites for the period (1951-1988).

5.4. IRRIGATION WATER REQUIREMENT

The greatest demand on water resources of the Karun and Dez rivers is irrigation water requirement and these demands have to be investigated ^{in depth} to a ~~great~~ level of details.

Irrigation water requirements of the ~~Multi~~ irrigation areas are calculated based on the crop water requirements for different ~~crop~~ ^{cropping} patterns.

5.4.1 CROP WATER REQUIREMENT

Determination of consumptive use and field water requirement of different crops for this macro level study has been done on the basis of evaporative demand of crops.

The potential evapotranspiration (ET_o) ^{the} has been estimated by ^{the} modified Penman method (FAO. 24-revised, 1977), which is likely to give the most satisfactory results as compared to other methods. The equation is

$$ET_o = C \left[W \cdot R_n + (1 - W) \cdot f(u) \cdot (e_a - e_d) \right] \quad (5.1)$$

where,

ET_o = reference crop evapotranspiration (mm/day),

W = temperature-related weighting factor,

R_n = net radiation in equivalent evaporation (mm/day),

$f(u)$ = wind -related function,

$(e_a - e_d)$ = difference between the saturation vapour pressure at mean air temperature and the mean actual vapour pressure of the air, both in mbar,

C = adjustment factor to compensate for the effect of day and night weather condition (nonstandard climate)

$$ET_{\text{crop}} \text{ can be found by : } ET_{\text{crop}} = k_c \cdot ET_o \quad (5.2)$$

where,

k_c = crop coefficient which is used by Doorenbos and Pruitt (1977).

The net irrigation requirement is determined based on a monthly period as this is a preliminary planning. The sum of net irrigation requirements for different crops over the several multi irrigation areas forms the basis for determining the irrigation demand.

To determine the total irrigation requirements, besides meeting the net irrigation requirements, water may also be required for leaching of accumulated salts from the root zone and for cultural practices. Since irrigation is never 100 percent efficient, allowances have to be made for conveyance losses and field application efficiency. In this study 80% conveyance and 40% and 60% field application efficiencies have been considered. Project efficiency (EFp) is expressed in fraction of the net irrigation requirement (IRRN).

The project irrigation supply requirement, (V_i) can be obtained from:

$$V_i = 10/EF_p \left[\frac{A * IRRN}{1 - LR} \right]_i \quad (5.3)$$

where :

V_i = irrigation supply in month i (m^3 /month),

EFp = project irrigation efficiency (fraction),

A = acreage under a given crop (Ha),

IRRN = net water requirement of given crop (mm/month),

LR = leaching requirement (fraction).

The Table 5.16 presents the long term average climatological data at Dezful, Ahwaz and Abadan. Since these three stations give representative values of Khuzestan Plain area, therefore, ETo values of above mentioned stations would be representative of all multi irrigation areas. Also, Table 5.17 presents the corrected monthly values of ETo for Dezful, Ahwaz and Abadan which have been used for determination of crop water requirements for all irrigation areas of the Khuzestan plains. In Figures 5.8 and 5.9 ^{show} average annual isoevaporation and isothermal maps ^{respectively} (Investigation of Karun River Basin, 1988) of the Karun river basin are shown respectively.

5.4.2 EFFECTIVE RAINFALL

To determine the water requirements of the different irrigation areas, the effective contribution of rainfall is considered. Monthly precipitation data were generally available for Dezful, Ahwaz and Abadan for 38 years period from 1951 to 1988. To demonstrate the variations in irrigation demands, the irrigation demands and return flows are calculated for two levels of rainfalls:

- average monthly rainfall, and
- rainfall with an 80% annual probability of exceedence.

The monthly rainfall of study area with 80% dependable rainfall is shown in Table 5.18.

Table 5.1: Monthly Yield at Karun-4 Dam Site (Up & Mid Dam Site)

Unit : In (m. c. m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	683.8	933.4	571.6	351.7	255.7	218.0	220.6	180.8	167.2	787.8	400.5	1032.6	483.6
1952	919.1	933.9	644.2	421.9	312.3	245.7	236.8	270.0	574.3	746.1	346.9	855.6	542.2
1953	1605.5	1367.4	805.8	502.3	362.6	285.2	288.8	229.7	612.6	694.7	327.1	466.8	629.0
1954	875.5	860.5	592.7	363.5	274.4	222.8	229.5	191.0	207.2	131.0	267.6	746.7	413.5
1955	700.3	828.6	523.0	346.0	268.0	198.3	197.8	199.9	259.1	266.7	321.7	791.8	408.4
1956	702.8	761.7	548.8	377.7	287.4	204.9	229.4	190.0	209.2	254.5	301.7	617.2	390.4
1957	1193.8	1359.3	1003.9	595.7	394.8	298.9	186.1	238.5	292.1	243.6	264.4	483.7	546.2
1958	579.3	457.7	319.0	204.9	172.0	128.0	115.1	119.2	311.0	186.6	223.2	290.0	258.8
1959	770.3	588.4	361.6	254.7	170.9	129.1	116.4	110.2	118.7	168.5	183.3	236.9	267.4
1960	518.3	583.9	364.3	203.3	137.4	112.2	96.4	113.8	110.2	144.4	377.9	318.8	256.7
1961	491.0	744.9	469.0	281.0	179.2	131.2	112.8	108.9	180.9	197.5	407.7	413.9	309.8
1962	461.8	679.0	426.1	284.4	199.8	170.6	150.6	168.5	183.8	191.8	262.1	403.6	298.5
1963	280.4	591.1	469.8	308.8	200.9	165.0	127.5	116.9	133.5	128.0	159.4	353.3	252.9
1964	545.3	420.5	284.2	167.9	133.9	122.7	114.6	115.3	155.8	185.3	369.9	543.3	263.2
1965	628.1	706.6	435.2	237.3	150.0	122.9	120.3	235.6	153.2	146.4	423.8	513.5	322.7
1966	614.4	595.9	417.0	254.7	168.5	129.4	133.5	161.2	135.0	194.1	228.6	445.6	289.8
1967	478.1	570.0	398.8	242.1	164.5	144.9	114.6	132.7	231.2	187.4	211.0	497.7	281.1
1968	729.1	845.8	552.3	365.1	237.3	171.7	142.3	188.7	328.1	293.7	567.4	1059.6	456.8
1969	1460.0	1170.2	774.1	520.7	424.3	300.5	235.6	250.4	229.1	233.5	292.9	417.8	525.8
1970	666.9	538.9	351.4	237.8	185.3	157.8	140.2	141.3	179.6	173.4	181.2	416.5	280.9
1971	706.0	709.0	427.5	255.0	173.0	141.4	131.7	148.3	257.9	220.6	258.7	493.5	326.9
1972	1677.5	1111.3	839.7	513.7	388.6	223.6	199.8	232.5	276.8	222.1	289.0	820.4	566.3
1973	747.8	584.2	396.4	291.7	196.9	162.0	140.7	148.0	163.8	167.4	175.2	595.1	461.5
1974	897.5	699.9	497.4	332.9	208.1	185.3	156.0	150.9	257.4	396.8	284.3	564.0	385.9
1975	713.8	705.5	442.2	300.8	200.9	176.8	161.7	159.9	1840.8	411.9	913.2	561.9	549.1
1976	1192.2	1729.7	1257.0	749.4	458.0	324.4	257.4	347.8	275.5	330.0	326.9	593.3	653.5
1977	676.8	625.9	399.1	241.1	175.2	145.7	140.7	345.8	591.0	566.1	518.4	681.4	425.6
1978	794.9	663.2	430.7	282.8	202.8	142.5	164.3	185.3	501.6	345.0	567.6	535.2	401.3
1979	914.4	638.0	491.0	261.4	203.6	173.8	157.1	165.9	197.5	215.7	820.9	1144.9	448.7
1980	2550.1	1665.2	901.3	609.6	432.8	278.8	218.0	235.4	276.0	422.0	608.3	730.4	744.0
1981	1151.2	979.0	621.4	452.9	303.2	222.3	197.5	218.8	295.5	290.3	349.1	564.5	470.5
1982	1186.5	1052.6	609.6	328.6	249.4	193.6	214.9	424.8	316.2	417.3	407.7	563.2	497.0
1983	1006.8	1493.5	711.7	389.7	255.0	183.2	156.0	156.3	195.4	190.3	239.0	350.7	444.0
1984	1137.5	634.0	375.0	218.3	164.5	140.9	127.0	232.2	264.6	336.7	514.3	411.4	379.7
1985	887.9	524.2	351.7	211.6	129.9	103.1	91.8	106.0	322.2	295.7	307.4	446.1	314.8
1986	1190.8	1584.5	749.4	387.8	270.5	229.3	184.3	267.0	656.6	431.8	547.2	1338.2	653.1
1987	1431.6	1670.0	876.6	430.2	366.4	235.7	233.0	457.2	299.1	462.7	573.4	1472.5	709.0
1988	1120.5	972.1	610.6	382.1	308.7	235.3	208.0	238.1	199.7	233.4	395.3	716.5	468.4
AVE.	918.1	883.7	560.6	346.3	293.0	188.4	169.7	202.2	314.7	302.9	374.1	618.1	431.0

Table 5.2: Monthly Yield at Karun-4 Dam Site (Down Dam Site)

Unit: In (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	753.7	1028.8	630.0	387.6	281.8	240.3	243.1	199.3	184.3	868.3	441.4	1138.1	533.1
1952	1013.0	1029.3	710.0	465.0	344.2	270.8	261.0	297.6	633.0	822.4	382.3	943.0	597.6
1953	1769.6	1507.1	888.2	553.6	399.6	314.4	318.3	253.2	675.2	765.7	360.5	514.5	693.3
1954	965.0	948.4	653.3	400.7	302.4	245.6	253.0	210.5	228.4	144.4	295.0	823.0	455.8
1955	771.9	913.3	576.4	381.4	295.4	218.6	218.0	220.3	285.6	293.9	354.6	872.7	450.2
1956	774.6	836.5	602.6	414.6	317.1	225.0	251.7	208.7	229.7	279.7	331.3	677.8	429.1
1957	1310.8	1492.7	1102.4	654.1	433.4	328.1	204.2	262.1	320.6	267.5	290.3	531.1	599.8
1958	645.0	770.6	350.1	225.0	188.8	140.6	126.5	130.9	344.0	205.0	244.9	318.6	307.5
1959	845.8	646.3	396.9	279.6	187.5	142.0	127.8	120.5	130.4	185.1	201.4	260.0	293.6
1960	568.9	641.2	399.9	223.4	150.8	123.2	105.8	124.9	121.0	158.6	415.0	350.2	281.9
1961	539.2	817.7	515.1	308.6	196.9	144.1	123.6	119.8	198.5	216.7	447.6	454.6	340.2
1962	506.8	745.7	470.1	312.3	219.4	187.2	167.4	184.8	201.7	212.8	287.7	443.2	328.3
1963	543.2	649.2	415.9	239.1	223.1	181.3	140.0	128.3	146.7	140.7	175.0	387.8	297.5
1964	598.6	464.2	312.0	184.5	147.0	133.4	126.0	126.7	171.1	203.5	406.7	596.7	289.2
1965	689.7	775.7	477.8	260.3	164.7	134.7	132.2	258.7	168.2	161.0	465.3	563.8	354.3
1966	674.7	654.3	458.0	279.6	158.3	142.0	146.4	177.0	148.3	213.1	251.2	489.4	316.0
1967	525.0	625.9	437.9	266.0	180.5	159.1	125.7	145.7	254.0	205.8	231.7	546.4	308.6
1968	801.1	928.9	606.4	400.7	260.6	188.6	156.3	207.1	360.3	322.4	622.9	1163.3	501.6
1969	1603.0	1284.8	849.9	571.8	466.0	329.7	258.7	275.0	251.4	279.2	321.9	458.8	579.2
1970	732.3	591.9	385.7	261.1	203.6	202.8	182.5	155.3	197.3	190.5	198.8	457.5	313.3
1971	775.1	778.6	766.6	279.9	189.9	155.3	144.6	162.8	283.3	242.1	284.1	543.5	383.8
1972	1841.9	1220.3	921.9	563.5	694.8	245.6	219.3	255.3	304.0	243.9	317.3	900.7	644.0
1973	821.2	641.2	435.2	296.5	217.5	178.1	154.5	162.3	194.1	183.8	192.3	653.4	344.2
1974	985.4	768.4	549.1	365.6	228.5	203.8	171.3	166.4	282.5	435.7	312.1	619.2	424.0
1975	783.7	774.9	485.3	330.2	220.7	193.9	177.6	175.7	202.7	452.0	1002.6	616.9	451.3
1976	1308.9	1899.3	1380.2	822.8	503.0	356.0	282.5	382.1	302.5	362.1	358.7	651.4	717.5
1977	743.0	687.3	438.2	264.6	192.3	160.2	154.7	379.7	648.8	621.6	569.2	748.1	467.3
1978	872.9	726.4	473.0	312.3	222.6	156.7	180.4	203.5	550.8	379.0	623.1	587.6	440.7
1979	1003.9	700.7	539.4	286.9	223.4	190.7	172.6	182.2	229.7	236.9	901.2	1257.1	493.7
1980	2800.0	1828.3	989.4	669.3	476.5	306.1	239.5	258.4	303.0	463.4	668.0	802.0	817.0
1981	1263.9	1074.8	682.2	497.4	332.9	244.0	216.7	240.3	324.3	318.8	383.4	619.7	516.5
1982	1302.8	1155.5	670.1	360.5	273.7	212.7	235.9	466.3	347.3	458.3	447.6	618.5	545.8
1983	1105.4	1640.0	781.6	428.0	271.1	201.1	171.3	171.6	212.0	208.7	262.3	384.9	486.5
1984	1248.9	696.1	411.7	239.7	180.5	154.5	139.4	255.1	290.6	366.8	564.8	451.5	416.6
1985	974.9	575.6	386.0	232.2	142.5	113.0	100.8	116.4	351.2	324.8	337.5	489.9	345.4
1986	1308.7	2034.0	822.8	425.9	296.8	251.8	201.9	293.2	721.1	474.1	600.6	1469.4	741.7
1987	1865.0	1835.0	962.6	531.1	402.3	258.7	253.2	502.1	328.4	792.6	629.3	1616.6	831.4
1988	1213.9	1054.2	618.4	402.6	337.2	281.5	254.3	297.0	315.2	434.2	354.8	916.0	539.9
AVE.	1022.4	985.3	622.4	381.0	277.0	208.3	187.9	223.1	301.1	345.7	408.8	682.6	470.5

Table 5.3: Monthly Yield at Karun-3 Dam Site

Unit: In (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	1183.6	1615.6	989.4	608.8	442.5	377.4	381.8	313.1	289.3	1363.9	693.1	1787.4	837.2
1952	1591.0	1616.7	1115.0	730.4	540.5	425.3	410.1	467.3	994.3	1291.9	600.3	1480.8	938.6
1953	2779.1	2366.9	1394.9	869.4	627.8	493.9	499.7	397.9	1060.6	1202.7	566.4	808.2	1089.0
1954	1515.4	1489.7	1026.1	629.2	474.9	385.7	397.4	330.5	358.5	226.5	463.2	1292.4	715.8
1955	1212.2	1434.6	905.0	598.9	464.2	343.4	315.4	274.5	244.4	193.4	508.0	1285.6	648.3
1956	1714.2	3061.4	1911.3	795.5	549.1	420.5	368.6	427.7	600.8	474.1	523.1	861.6	975.6
1957	1046.5	777.0	568.9	399.6	323.0	259.3	232.8	233.8	514.8	338.8	444.0	574.6	476.1
1958	1608.4	1013.8	665.3	482.6	336.4	263.3	233.3	222.9	233.3	289.3	320.1	418.3	507.3
1959	904.0	911.5	590.9	366.4	253.1	213.5	190.8	209.4	221.9	262.6	720.3	794.7	469.9
1960	1096.0	1312.1	831.1	571.6	354.1	269.4	233.5	224.2	344.0	381.0	719.0	717.7	587.8
1961	756.4	1248.9	755.3	503.0	355.2	300.5	267.5	288.0	306.9	304.0	396.3	591.8	506.1
1962	713.5	950.3	729.1	486.7	326.0	268.4	220.1	207.6	231.5	222.1	266.7	626.2	437.3
1963	972.0	681.4	480.2	295.4	232.2	211.3	199.3	197.5	250.6	289.5	713.4	1078.5	475.1
1964	1207.4	1190.0	786.9	467.6	321.9	257.1	232.2	375.8	271.4	264.1	702.7	911.1	582.4
1965	1061.7	938.2	677.6	421.3	289.0	233.3	238.5	271.4	246.2	397.6	454.1	923.3	512.7
1966	937.4	1099.5	738.7	467.6	316.9	263.6	229.7	255.1	467.9	344.7	380.8	1029.8	544.3
1967	1458.4	1457.9	968.2	651.9	431.5	317.1	268.0	328.4	519.4	505.4	1784.1	1797.3	874.0
1968	2733.6	2031.6	1304.4	916.3	722.1	526.0	418.1	456.2	402.5	447.9	517.9	721.4	933.2
1969	1040.3	841.6	581.2	401.0	312.8	267.6	246.8	248.1	358.7	320.4	353.3	710.7	473.5
1970	1224.3	1197.8	733.1	453.2	319.3	267.0	242.4	287.2	441.4	404.1	471.7	994.0	586.3
1971	3390.9	2106.0	1488.9	942.5	676.8	433.9	378.7	405.9	473.0	391.1	488.6	1378.9	1046.3
1972	1236.1	919.2	647.9	458.0	349.8	286.3	254.0	257.1	277.1	293.2	340.1	1338.2	554.8
1973	1779.3	1270.6	897.8	617.9	401.8	341.2	298.6	297.3	483.7	729.9	554.4	1215.9	740.7
1974	1478.5	1403.7	929.9	635.9	440.6	359.4	321.7	326.3	388.3	817.3	2336.2	1588.1	918.8
1975	2723.7	3066.8	2155.6	1362.8	942.3	635.3	499.0	615.9	509.3	598.0	602.9	1048.5	1230.0
1976	1206.4	1048.6	714.9	484.5	369.9	311.2	298.1	728.4	1025.9	1976.4	1179.6	1527.7	906.0
1977	1648.8	1290.7	917.1	640.9	460.1	331.9	335.9	370.1	932.1	646.7	1150.8	1064.5	815.8
1978	1604.1	1092.0	887.9	558.4	425.1	353.8	323.7	333.1	484.4	500.5	1525.9	2390.6	873.3
1979	4252.0	2693.1	1543.3	1041.6	743.3	518.8	423.8	445.6	500.3	711.8	1138.4	1408.2	1285.0
1980	2038.8	1694.1	1078.1	780.5	537.0	409.8	375.1	396.3	506.5	493.3	645.9	1224.7	848.3
1981	2296.7	1747.4	1049.4	608.0	445.2	350.3	373.8	746.0	561.9	784.3	783.8	1101.1	904.0
1982	1782.2	2368.2	1201.0	711.4	481.8	368.5	317.3	313.1	358.7	358.2	428.7	584.8	772.8
1983	2027.8	1047.3	674.7	422.9	316.6	270.0	244.2	400.5	454.4	627.3	1137.6	777.6	700.1
1984	1435.4	883.1	658.4	452.6	318.7	267.8	243.4	267.0	598.8	563.0	529.8	803.8	585.1
1985	2218.0	2612.2	1282.7	739.0	523.9	429.6	351.0	468.1	1513.0	1016.3	996.9	2464.5	1217.9
1986	2529.7	2593.0	1448.7	849.1	641.2	444.9	425.1	705.0	500.3	1135.3	1057.5	2856.4	1265.5
1987	1955.2	1655.3	1007.1	675.0	541.0	450.0	399.2	466.6	495.1	681.7	557.3	1438.6	860.2
1988	1759.7	1526.7	958.9	600.0	484.8	369.6	326.6	374.0	313.6	366.5	620.8	1125.2	735.5
MEAN	1687.3	1533.0	981.4	623.6	449.8	349.9	316.2	366.7	493.0	584.6	730.9	1177.4	774.5

Table 5.4: Monthly Yield at Karun-2 Dam Site

Unit: In (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	1246.8	1701.9	1042.2	641.2	466.0	397.5	402.3	329.7	304.8	1436.7	730.2	1882.8	881.8
1952	1675.9	1702.9	1174.5	769.2	569.4	448.1	431.8	492.2	1047.4	1360.8	632.4	1559.9	988.7
1953	2927.2	2493.1	1469.4	915.7	661.3	520.1	526.4	419.1	1117.2	1266.7	596.7	851.2	1147.0
1954	1596.3	1569.3	1080.7	662.6	500.3	406.3	418.6	348.1	377.7	238.7	487.8	1361.3	754.0
1955	1276.8	1511.2	953.2	630.8	488.8	361.6	332.3	289.0	257.4	203.7	535.2	1354.3	682.9
1956	1805.5	3224.8	2013.4	837.8	578.3	443.0	388.3	450.5	633.0	499.5	551.1	907.5	1027.7
1957	1102.2	818.5	599.2	421.0	340.2	273.2	245.2	246.2	542.2	356.9	467.6	605.2	501.5
1958	1694.1	1067.9	700.7	508.4	354.4	277.2	245.7	234.8	245.7	304.8	337.2	440.6	534.3
1959	952.2	959.9	622.5	386.0	266.5	225.0	200.9	220.6	233.8	276.6	758.7	837.2	495.0
1960	1154.4	1382.1	875.3	602.1	373.1	283.9	246.0	236.1	362.4	401.2	757.4	756.1	619.2
1961	796.8	1315.6	795.5	529.8	374.2	316.6	281.8	303.3	323.2	320.4	417.6	623.4	533.2
1962	751.6	1000.9	767.9	512.6	343.4	282.6	231.7	218.8	243.9	234.1	281.0	659.7	460.7
1963	1024.0	717.8	505.9	311.2	244.5	222.6	210.0	208.1	264.1	305.1	756.7	1136.1	500.5
1964	1271.7	1253.5	829.0	492.6	339.1	270.8	244.7	395.8	285.9	278.1	740.3	959.6	613.4
1965	1118.2	988.3	713.8	443.8	304.5	245.6	251.2	285.9	259.5	418.9	478.2	972.5	540.0
1966	987.5	1158.1	778.1	492.6	333.7	277.5	241.8	268.5	492.7	363.1	401.0	1084.8	573.3
1967	1536.1	1535.5	1019.9	686.7	454.5	334.0	282.3	346.0	547.2	532.4	1879.2	1893.2	920.6
1968	2879.3	2140.0	1374.0	965.0	760.7	554.2	440.4	480.6	424.1	471.7	545.6	759.7	982.9
1969	1095.7	886.6	612.3	422.4	329.4	281.8	260.0	261.3	377.9	337.5	372.2	748.6	498.8
1970	1289.6	1261.8	772.2	477.3	336.4	281.2	255.3	302.5	465.0	425.6	496.9	1047.2	617.6
1971	3571.6	2218.3	1568.2	992.9	713.0	456.9	398.9	427.7	498.2	411.9	514.8	1452.6	1102.1
1972	1302.0	968.2	682.5	482.4	368.5	301.6	267.5	270.9	291.9	308.7	358.2	1409.5	584.3
1973	1874.1	1338.4	945.7	650.9	423.2	359.4	314.4	313.1	509.6	768.8	584.0	1280.7	780.2
1974	1557.2	1478.7	979.5	669.9	464.2	378.7	338.8	343.7	409.0	860.8	2460.8	1672.9	967.9
1975	2868.8	3230.4	2270.5	1435.4	992.6	669.3	525.7	648.8	536.5	629.9	635.0	1104.5	1295.6
1976	1270.6	1104.6	752.9	510.2	389.7	327.8	313.9	767.2	1080.6	2081.9	1242.6	1609.1	954.3
1977	1736.7	1359.6	966.1	675.2	484.8	349.5	353.8	389.8	981.8	681.2	1212.3	1121.3	859.3
1978	1689.5	1150.1	935.3	588.2	447.8	372.6	341.1	351.0	510.4	527.2	1607.3	2518.1	919.9
1979	4478.8	2836.7	1625.5	1097.1	782.9	546.4	446.3	469.4	527.0	749.6	1199.1	1483.4	1353.5
1980	2147.5	1784.4	1135.6	822.0	565.7	431.8	395.0	417.6	533.4	519.4	680.4	1290.0	893.6
1981	2419.1	1840.6	1105.4	640.4	469.0	369.1	393.7	785.6	592.0	826.1	825.6	1159.9	952.2
1982	1877.3	2494.7	1265.0	749.4	507.6	388.1	334.1	329.7	377.9	377.4	451.5	615.9	814.0
1983	2136.0	1103.2	710.6	445.4	333.5	284.4	257.1	421.7	478.5	660.7	1198.3	819.1	737.4
1984	1512.0	930.2	693.4	476.8	335.6	282.0	256.3	281.2	630.6	593.0	558.1	846.5	616.3
1985	2336.4	2751.5	1351.0	778.3	551.8	452.6	369.6	493.0	1593.6	1070.5	1050.0	2595.9	1282.8
1986	2664.7	2731.2	1525.9	894.3	675.5	468.7	447.6	742.6	527.0	1195.9	1114.0	3008.8	1333.0
1987	2059.4	1743.6	1060.9	710.8	570.0	474.1	420.4	491.4	521.5	718.0	587.1	1515.3	906.0
1988	1853.5	1608.1	1010.0	631.8	510.8	389.4	344.0	394.0	330.5	385.9	654.0	1185.3	774.8
MEAN	1777.3	1614.8	1033.8	656.8	473.8	368.6	333.0	386.2	519.3	615.8	769.9	1240.3	815.8

Table 5.5: Monthly Yield at Karun-1 Dam Site

Unit:In (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	1362.0	2022.2	1186.0	790.4	614.4	545.9	525.7	425.9	488.9	1954.6	999.2	2236.9	1096.0
1952	1862.8	2023.5	1357.9	961.0	732.0	594.3	562.2	579.1	847.3	1852.0	861.6	1837.5	1172.6
1953	3322.8	2888.7	1741.0	1155.7	836.5	663.7	678.6	510.1	881.0	1725.0	811.3	961.4	1348.0
1954	1769.9	1877.0	1236.3	819.3	653.0	554.4	545.9	443.2	524.1	331.0	658.1	1592.0	917.0
1955	1397.3	1813.3	1070.8	776.7	640.1	511.6	439.6	387.8	466.3	283.8	613.5	1490.4	824.3
1956	2383.0	3690.0	2447.0	1164.3	783.4	591.9	521.3	545.1	630.1	595.1	821.9	1067.6	1270.1
1957	1354.7	1054.0	651.1	549.3	465.2	423.2	334.4	352.5	666.7	421.7	667.4	672.4	634.4
1958	1792.7	1419.0	763.9	615.2	507.6	443.3	327.1	329.4	452.0	476.7	400.5	549.8	673.1
1959	1055.3	1181.7	596.5	463.9	421.3	400.7	275.5	324.5	488.9	764.6	1384.4	945.8	691.9
1960	1305.2	1794.8	977.1	659.2	519.6	462.8	381.3	358.0	486.5	535.8	855.4	809.7	762.1
1961	811.0	1706.1	832.2	651.1	508.9	459.1	370.4	381.8	492.0	418.3	651.9	699.6	665.2
1962	1009.0	1553.2	1006.3	675.5	516.1	455.1	334.6	358.7	473.6	324.8	434.4	855.4	666.4
1963	1210.9	914.7	593.9	368.5	379.8	388.4	290.6	310.5	473.0	479.3	794.6	1285.4	650.8
1964	1374.3	1367.3	822.8	573.2	483.2	432.0	338.0	589.4	499.2	354.1	1440.4	1246.0	793.3
1965	1209.8	1230.7	780.5	567.6	470.6	423.7	360.3	400.7	451.3	435.2	533.7	970.4	652.9
1966	947.4	1247.9	746.7	531.7	444.3	417.8	316.2	367.8	568.7	455.7	500.0	1091.8	636.3
1967	1575.4	1919.3	1190.8	833.0	602.4	485.6	381.0	404.4	676.5	694.7	2667.2	2472.8	1158.6
1968	3736.4	2967.7	1754.4	1208.0	873.2	624.1	534.0	567.6	495.1	567.6	710.2	917.6	1246.3
1969	1390.1	1108.9	570.5	527.6	444.6	388.4	352.5	362.9	489.9	438.0	482.1	878.7	619.5
1970	1566.9	1593.6	841.0	583.9	342.8	350.9	324.0	417.3	648.0	645.4	777.6	1316.7	784.0
1971	3599.8	2579.3	1754.4	1229.4	841.0	610.7	456.2	453.6	593.6	531.4	679.1	1661.5	1249.2
1972	1481.2	1116.9	835.7	570.5	447.3	356.2	337.0	334.4	342.1	409.5	565.1	1980.3	731.4
1973	2576.6	1877.6	1138.3	800.8	565.1	474.1	406.9	394.0	679.1	948.7	860.5	1604.4	1027.2
1974	2011.5	2046.3	1403.5	908.0	658.9	519.6	464.0	469.2	650.6	1482.6	3317.8	2350.9	1356.9
1975	3516.7	3433.7	2726.6	1840.1	1296.3	865.1	705.0	790.6	526.2	806.1	777.6	326.6	1467.5
1976	423.2	972.3	476.8	527.6	648.2	731.2	450.5	804.0	841.1	2342.4	1430.5	1898.4	962.2
1977	1746.6	1449.3	1013.8	779.7	600.0	504.9	472.5	460.9	899.4	1000.3	1781.5	1255.8	997.1
1978	1851.0	1419.0	980.6	703.3	569.4	508.1	435.5	438.8	581.9	822.2	2104.7	2709.9	1093.7
1979	4906.3	3000.9	1787.3	1296.9	930.2	677.9	592.5	586.6	609.6	1232.5	1762.0	1848.9	1602.6
1980	2686.2	2173.3	1324.2	1040.8	766.3	606.1	554.7	521.3	576.2	833.6	1003.9	1563.8	1137.5
1981	2626.7	2121.8	1262.3	802.4	631.0	533.0	508.6	824.5	622.1	1078.0	1166.4	1370.1	1128.9
1982	2110.0	3028.2	1734.8	1064.1	706.3	536.8	471.5	458.0	534.2	497.9	560.1	676.3	1031.5
1983	2085.9	1370.8	743.5	525.8	441.7	418.9	344.5	492.7	624.7	840.3	1525.9	1092.0	875.6
1984	1938.1	1201.8	803.5	554.7	458.5	441.4	347.1	374.8	547.5	720.1	825.8	1349.4	771.9
1985	2147.5	3178.7	1537.1	949.5	722.4	586.8	466.3	524.6	955.2	1314.1	1169.0	2968.6	1376.6
1986	2696.3	2847.7	1689.8	1077.0	811.6	596.2	546.7	848.6	577.0	1978.0	1522.8	3634.8	1568.9
1987	2269.1	2094.5	1227.8	909.9	715.9	594.1	538.9	528.5	555.2	885.9	671.1	1649.3	1053.3
1988	2168.7	1939.7	1157.3	777.3	627.5	514.5	454.1	486.5	501.3	531.1	891.9	1374.5	952.0
AVE.	1981.0	1927.0	1175.4	811.4	623.1	518.2	440.7	479.2	592.5	842.3	1055.3	1442.5	990.7

Table 5.6: Monthly Yield at Godar-e-Landar Run-of-River " Tunnel Scheme " Unit: In (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	1215.5	1104.3	853.3	628.9	593.8	606.7	399.2	403.8	400.2	696.0	1116.4	1499.7	793.1
1952	1521.9	1897.1	1157.3	763.3	594.6	596.7	394.5	394.5	410.6	1305.1	1251.7	2004.1	1024.3
1953	2122.4	1899.8	1281.9	914.9	670.1	593.8	391.4	579.6	1613.5	1264.4	1078.5	1980.8	1199.3
1954	3876.2	2633.4	1565.3	1086.1	777.0	603.2	494.8	526.2	1323.7	1191.0	995.6	898.6	1330.9
1955	1989.8	1689.5	1084.2	688.6	593.8	596.5	397.9	397.4	401.5	601.3	685.3	1801.4	910.6
1956	1558.6	1704.8	1066.3	735.0	594.3	595.4	395.5	397.1	399.4	596.7	593.3	1513.0	845.8
1957	2934.2	2664.7	2060.0	1096.8	675.5	593.0	392.4	480.8	817.5	670.3	897.4	1129.9	1201.0
1958	1329.6	1075.6	758.8	593.8	595.9	611.7	411.6	417.8	439.6	595.1	600.3	600.0	669.2
1959	2008.5	1257.5	798.2	604.8	591.7	602.1	403.8	408.0	414.2	634.3	626.5	647.2	749.7
1960	470.1	637.7	663.7	591.7	601.6	624.3	424.1	437.0	463.4	686.4	691.8	622.1	576.2
1961	1379.1	1595.0	905.0	595.7	592.2	622.5	427.7	416.3	424.8	629.3	638.9	609.1	736.3
1962	882.3	1540.9	857.9	595.4	592.7	603.4	404.4	410.1	416.8	610.2	631.7	638.7	682.0
1963	452.4	977.9	894.3	594.1	593.0	606.4	407.7	413.7	422.2	636.1	668.2	702.2	614.0
1964	491.0	441.9	420.0	606.4	623.3	654.6	450.7	470.2	493.3	741.6	727.6	675.2	566.3
1965	811.3	867.5	803.5	594.3	594.6	606.4	423.5	416.5	406.9	609.4	636.3	615.9	615.5
1966	967.7	948.4	707.4	594.1	596.5	611.5	412.1	416.8	418.6	630.6	649.0	665.4	634.8
1967	778.6	1424.1	939.0	594.9	594.6	609.6	408.8	417.1	412.4	602.4	619.2	638.4	669.9
1968	1716.3	1819.7	1123.3	784.8	594.9	594.1	399.4	398.1	475.1	827.4	3418.6	2283.3	1202.9
1969	4034.7	2916.0	1653.1	1128.9	869.1	635.6	491.7	527.5	457.2	568.2	668.2	891.9	1236.8
1970	1249.7	1019.9	707.4	581.7	599.7	619.5	419.9	427.7	436.8	652.1	682.0	693.4	674.1
1971	509.4	1319.4	800.0	591.1	588.7	604.5	409.8	429.5	459.6	639.4	659.4	1093.8	675.4
1972	3759.1	2458.0	1658.7	1012.4	732.3	596.5	453.3	526.2	654.2	580.9	601.1	1630.6	1221.9
1973	1342.1	1016.2	823.9	603.7	597.8	598.9	401.0	405.4	407.7	630.1	685.8	864.2	698.1
1974	2267.8	1633.8	1159.5	751.3	594.3	586.6	386.7	387.8	425.3	767.5	756.3	1449.2	930.5
1975	1662.5	1682.8	1149.3	817.7	604.2	605.1	398.4	398.4	473.3	997.9	2869.3	2050.0	1142.4
1976	3346.7	3732.9	2697.7	1646.4	1188.7	807.3	651.6	780.5	684.5	776.3	776.6	1311.6	1533.4
1977	2580.6	1315.4	905.8	628.9	596.7	604.0	398.1	744.9	1250.4	2715.9	1437.0	1796.0	1247.8
1978	2101.7	1440.4	1083.9	829.5	631.0	587.1	388.3	525.7	1295.5	831.5	1359.8	1212.0	1023.9
1979	1841.9	1149.0	962.6	656.5	593.8	597.0	397.4	396.6	431.3	713.6	2026.9	2662.0	1035.7
1980	4497.3	2736.0	1616.1	1022.1	756.4	598.9	508.6	548.5	593.3	927.4	1399.9	1738.2	1411.9
1981	2228.4	1874.3	1213.9	839.7	604.2	593.0	392.7	476.7	605.5	659.1	992.5	1786.7	1022.2
1982	2882.2	2136.8	1245.2	745.7	593.8	589.2	459.6	938.3	728.1	986.8	1090.7	1361.6	1146.5
1983	1968.4	2462.8	1484.9	941.7	654.3	588.4	400.2	507.5	596.4	600.0	594.9	701.1	958.4
1984	2346.3	1190.3	818.5	590.9	588.7	597.3	397.9	408.0	402.5	778.4	1387.0	944.3	870.8
1985	2242.6	3319.6	1605.2	991.5	754.2	612.8	487.0	547.9	997.4	1372.5	1220.8	3100.0	1437.6
1986	2815.8	2973.8	1764.5	1124.7	847.4	622.7	570.8	886.2	602.6	2065.6	1590.2	3795.7	1638.3
1987	2369.6	2187.2	1282.2	950.0	747.5	620.3	562.7	551.8	579.8	925.1	700.9	1722.4	1100.0
1988	2264.9	2025.7	1208.5	811.8	655.4	537.3	474.3	508.0	523.6	554.7	931.3	1435.4	994.2
MEAN 1968.9	1757.1	1152.1	787.6	654.4	608.8	433.9	492.7	598.9	849.2	1025.2	1362.2	974.3	

Table 5.7: Monthly Yield at Godar-e-Landar Run-of-River "Up Dam Site"

Unit: In (m . c . m)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	1242.8	1129.5	873.4	644.4	606.7	621.1	409.8	417.1	414.2	714.6	1141.5	1532.9	812.3
1952	1555.6	1938.6	1183.9	782.4	609.1	609.6	405.6	406.4	423.0	1333.8	1279.9	2056.0	1048.7
1953	2168.4	1941.3	1311.1	936.4	687.0	607.5	403.3	594.1	1648.8	1292.6	1102.9	2024.1	1226.5
1954	3957.1	2689.9	1600.3	1111.3	796.0	618.7	508.0	539.4	1353.3	1218.0	1018.4	919.4	1360.8
1955	2033.2	1726.5	1109.4	705.5	607.5	608.0	409.0	408.5	416.0	616.9	702.2	1840.8	932.0
1956	1592.8	1742.3	1090.9	753.2	608.8	606.9	405.6	407.2	410.1	612.2	608.9	1550.0	865.7
1957	2993.9	2721.8	2104.7	1122.0	692.4	605.9	404.4	494.0	837.0	686.6	918.1	1155.5	1228.0
1958	1359.3	1100.3	777.8	607.5	606.9	622.2	421.2	427.4	460.9	609.6	617.9	618.7	685.8
1959	2051.9	1285.9	817.4	620.3	603.2	612.6	413.4	416.8	423.0	651.1	637.6	661.2	766.2
1960	494.7	661.3	679.8	603.2	611.5	633.4	432.1	446.6	479.0	701.9	723.2	646.4	592.8
1961	1411.0	1631.1	926.5	610.7	603.2	638.0	443.2	425.9	436.8	643.9	662.0	631.2	755.3
1962	903.7	1575.2	878.5	610.4	604.2	613.9	413.9	420.2	429.2	620.8	645.9	655.5	697.6
1963	474.3	1005.7	915.7	608.5	604.0	616.3	416.5	422.5	432.3	646.2	678.8	720.6	628.5
1964	516.1	460.1	434.4	617.4	632.4	662.9	458.8	478.2	505.2	760.0	753.2	701.7	581.7
1965	843.2	893.5	822.8	608.8	606.1	616.8	439.1	429.8	417.1	619.5	657.1	638.7	632.7
1966	991.5	970.4	724.8	607.7	607.5	621.9	422.2	427.4	428.7	642.6	663.0	693.6	650.1
1967	805.1	1456.0	961.0	609.3	605.6	620.0	417.6	427.2	423.0	613.5	632.4	666.7	686.5
1968	1755.2	1859.3	1149.3	803.8	609.3	605.1	410.6	408.8	499.0	863.7	3490.9	2337.2	1232.7
1969	4118.8	2978.6	1693.8	1154.1	887.4	649.2	501.8	536.3	469.7	579.3	688.2	912.1	1264.1
1970	1273.6	1040.6	722.9	590.1	610.1	628.6	428.7	437.3	448.7	664.6	696.2	711.8	687.8
1971	550.4	1344.0	809.1	604.0	597.8	612.8	419.4	445.0	489.1	669.0	698.8	1124.7	697.0
1972	3839.5	2502.7	1679.4	1022.3	752.4	611.2	466.6	539.4	675.5	596.4	618.7	1657.6	1246.8
1973	1352.6	1028.5	844.0	621.9	612.3	608.8	409.8	414.2	415.8	644.6	715.9	910.1	714.9
1974	2324.3	1675.9	1190.0	767.4	608.0	593.5	392.4	392.9	446.1	788.2	779.4	1476.1	952.9
1975	1684.4	1715.2	1175.8	839.7	622.5	621.9	411.6	412.4	488.3	1022.3	2930.8	2095.1	1168.3
1976	3417.9	3812.2	2756.6	1683.9	1217.1	827.9	669.3	800.6	703.0	796.3	796.5	1342.4	1568.6
1977	2615.7	1346.4	928.6	646.3	611.2	616.8	408.2	767.0	1280.4	2772.1	1471.5	1837.5	1275.2
1978	2149.1	1477.4	1111.3	848.8	645.5	598.1	398.9	537.6	1323.0	851.0	1397.3	1243.4	1048.4
1979	1891.2	1182.0	988.6	673.3	607.5	608.5	408.0	407.2	446.3	728.6	2070.7	2729.9	1061.8
1980	4616.5	2811.8	1660.3	1052.6	778.3	615.0	521.8	562.5	608.3	948.7	1433.1	1778.4	1448.9
1981	2286.3	1922.3	1245.7	863.2	620.3	605.9	404.6	489.1	621.0	674.2	1011.9	1818.5	1046.9
1982	2947.0	2186.6	1275.7	763.9	608.3	600.2	471.5	960.3	744.9	1009.8	1113.8	1393.5	1173.0
1983	2019.0	2529.5	1520.0	963.2	669.3	600.0	410.3	517.6	607.6	611.2	608.1	718.8	981.2
1984	2404.1	1220.8	838.6	603.7	599.2	606.4	405.9	420.4	416.5	796.8	1420.2	967.3	891.7
1985	2278.5	3372.6	1630.9	1007.3	766.3	622.7	494.8	556.5	1013.5	1394.2	1240.3	3149.5	1460.6
1986	2860.8	3021.2	1792.9	1142.6	861.1	632.6	580.1	900.5	612.2	2098.5	1615.6	3856.4	1664.5
1987	2407.3	2222.3	1302.5	965.3	759.6	630.2	571.8	560.6	589.2	939.9	712.0	1749.9	1117.5
1988	2301.0	2057.8	1227.8	824.7	665.9	545.9	481.9	516.1	531.9	563.5	946.3	1458.3	1010.1
MEAN	2012.8	1795.7	1177.8	805.3	668.5	620.5	444.5	504.5	614.9	868.3	1050.0	1394.2	996.4

Table 5.8: Monthly Yield at Godar-e-Landar Run-of-River "Down Dam Site"

Unit: In (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	1255.6	1141.5	883.1	651.9	612.8	627.8	415.0	423.3	420.7	723.2	1153.4	1548.7	821.4
1952	1523.5	1958.4	1196.4	791.2	615.8	615.8	411.1	412.1	429.0	1347.6	1293.4	2080.9	1056.3
1953	2190.4	1961.1	1325.0	946.5	695.0	613.9	409.0	600.8	1665.4	1306.1	1114.6	2044.6	1239.4
1954	3995.6	2716.7	1617.0	1123.3	804.9	626.2	514.3	545.6	1367.3	1230.9	1029.0	929.2	1375.0
1955	2053.8	1744.2	1121.4	713.5	613.9	613.9	414.5	413.9	422.8	624.4	710.2	1859.8	942.2
1956	1609.2	1760.2	1102.7	761.7	615.5	612.6	410.3	411.9	415.2	619.7	616.4	1567.6	875.3
1957	3023.4	2748.8	2125.8	1134.0	700.4	612.0	410.1	500.3	846.3	694.4	927.9	1167.7	1240.9
1958	1373.5	1112.1	786.6	613.9	612.3	627.0	425.6	431.8	471.0	616.4	626.2	627.8	693.7
1959	2072.5	1299.6	826.8	627.8	608.8	617.4	417.8	420.9	427.2	659.1	643.1	667.7	774.1
1960	506.5	672.3	687.5	608.8	616.0	637.7	436.0	451.0	486.5	709.4	738.2	658.1	600.7
1961	1426.0	1647.8	936.6	617.6	608.5	645.5	450.7	430.3	442.5	650.6	673.1	641.5	764.2
1962	913.9	1591.5	888.4	617.4	609.9	618.7	418.3	424.8	435.2	626.0	652.9	663.6	705.0
1963	484.8	1019.1	925.9	615.2	609.3	620.9	420.7	426.6	437.0	650.9	684.0	729.1	635.3
1964	528.2	469.3	441.1	622.7	636.7	666.9	462.7	482.1	510.9	768.5	765.4	714.1	589.0
1965	858.2	905.8	832.2	615.5	611.7	621.7	446.6	436.0	421.7	624.2	666.9	649.3	640.8
1966	1003.1	980.8	733.1	614.2	612.8	626.7	426.9	432.6	433.4	648.3	669.5	707.1	657.4
1967	817.7	1471.0	971.5	616.0	610.9	624.9	421.7	431.8	428.2	619.0	638.7	680.1	694.3
1968	1773.6	1878.1	1161.6	812.6	616.0	610.4	416.0	413.9	510.4	881.0	3525.1	2362.9	1246.8
1969	4159.0	3008.6	1713.4	1166.2	895.9	655.7	506.5	540.4	475.6	584.8	697.8	921.5	1277.1
1970	1285.1	1050.5	730.4	594.1	615.1	632.9	432.9	441.7	454.4	670.6	703.2	720.3	694.3
1971	568.6	1355.8	813.4	610.1	602.1	616.8	423.8	452.6	503.1	683.0	717.7	1139.2	707.2
1972	3877.8	2523.9	1689.3	1026.9	762.0	618.4	472.8	545.6	685.6	603.9	627.0	1670.5	1258.6
1973	1357.4	1034.4	853.6	630.5	619.0	613.4	413.9	418.3	419.6	651.4	730.2	931.8	722.8
1974	2351.1	1696.0	1204.5	775.1	614.4	597.0	395.0	395.3	455.9	798.1	790.6	1489.1	963.5
1975	1694.9	1730.8	1188.4	850.1	631.0	630.0	417.8	418.9	495.6	1033.9	2960.1	2116.6	1180.7
1976	3451.9	3849.7	2784.7	1701.9	1230.7	837.8	677.5	810.0	711.5	805.9	806.1	1356.9	1585.4
1977	2632.3	1361.2	939.3	654.6	617.9	623.0	412.9	777.3	1294.7	2799.1	1487.8	1857.2	1288.1
1978	2171.6	1495.1	1124.1	858.2	652.2	603.4	404.1	543.3	1336.2	860.3	1415.2	1258.4	1060.2
1979	1914.5	1197.8	1000.9	681.4	613.9	614.2	413.2	412.4	453.6	735.9	2091.7	2762.0	1074.3
1980	4673.3	2847.9	1681.2	1067.1	788.8	622.7	528.0	568.9	615.6	958.8	1448.9	1797.6	1466.6
1981	2313.6	1945.1	1260.7	874.2	628.1	612.0	410.3	495.1	628.6	681.4	1026.4	1833.8	1059.1
1982	2977.8	2210.5	1290.2	772.5	615.0	605.6	477.2	970.7	753.0	1021.0	1124.9	1408.8	1185.6
1983	2043.1	2561.4	1536.6	973.3	676.3	605.6	415.0	522.3	613.0	616.6	614.3	727.1	992.0
1984	2431.5	1235.3	848.2	609.9	604.0	610.7	409.8	426.4	423.0	805.3	1436.0	978.5	901.5
1985	2295.4	3397.6	1642.9	1014.8	772.2	627.3	498.4	560.6	1021.0	1404.6	1249.6	3173.1	1471.5
1986	2882.0	3043.7	1806.0	1151.2	867.5	637.2	584.2	906.9	616.6	2114.0	1627.8	3885.1	1676.9
1987	2425.3	2238.6	1312.4	972.5	765.2	635.0	575.9	564.8	593.3	946.9	717.2	1762.8	1125.8
1988	2318.2	2073.3	1237.2	830.8	670.7	549.9	485.5	520.0	535.8	567.6	953.3	1469.1	1017.6
MEAN	2032.5	1814.1	1190.0	813.7	675.1	626.0	449.5	510.0	622.5	877.4	1061.9	1409.5	1006.9

Table 5.9: Monthly Yield at Gotvand Diversion Dam Site

Unit: In (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	AVERAGE
1951	1564.7	2064.8	1259.1	816.1	604.8	525.2	500.0	440.9	437.0	1573.9	1242.1	2584.5	1134.4
1952	2199.2	2066.1	1413.9	980.8	724.5	583.1	531.1	630.1	1859.5	1072.6	1005.7	2401.5	1289.0
1953	4000.7	2522.8	1731.0	1180.1	856.0	639.1	542.0	512.4	2410.0	1316.7	1088.9	1321.9	1510.1
1954	2185.6	2024.3	1420.6	966.6	708.4	560.1	487.8	429.2	591.5	637.4	804.6	2133.0	1079.1
1955	1671.1	1786.0	1307.1	861.1	638.8	497.6	420.4	407.2	435.7	708.9	678.3	1789.0	933.4
1956	2643.6	2917.3	1981.5	1191.4	804.3	604.8	489.9	552.1	870.9	699.8	953.9	1200.1	1242.5
1957	1411.5	1135.6	819.6	626.7	433.9	377.7	339.6	337.0	966.8	601.3	769.8	834.6	721.2
1958	2134.7	1344.6	862.4	658.9	479.4	396.4	357.7	347.3	349.9	629.9	479.5	632.4	722.8
1959	1221.4	1143.7	766.0	506.2	391.0	337.5	308.4	362.9	404.4	730.9	1656.3	1233.8	755.2
1960	1682.0	1864.2	1068.7	691.0	484.8	385.7	343.2	335.4	474.6	628.3	1106.3	1028.0	841.0
1961	1017.5	1737.7	956.2	632.9	462.6	379.0	335.9	361.6	497.1	417.8	619.5	747.0	680.4
1962	1029.3	1369.7	997.2	612.3	425.1	349.8	307.4	311.6	369.4	375.1	411.1	830.0	615.6
1963	1250.0	824.4	602.9	402.0	313.9	275.3	253.5	248.8	475.9	846.5	1276.6	1295.7	672.1
1964	1603.8	1500.7	1030.9	663.2	488.3	388.4	316.5	644.6	432.3	436.8	1359.5	1350.4	851.3
1965	1399.2	1248.9	845.3	573.2	444.9	371.5	367.0	391.1	335.1	517.9	583.2	1214.9	691.0
1966	1147.2	1342.9	910.7	589.0	429.1	358.4	331.0	373.2	803.3	466.6	609.1	1361.6	726.8
1967	1934.9	2069.9	1315.6	829.5	587.4	445.7	377.7	499.7	784.3	907.5	3899.1	2655.0	1358.9
1968	4586.5	3269.3	1939.4	1240.6	904.5	638.5	547.9	596.2	514.0	691.0	828.4	998.4	1396.2
1969	1431.3	1131.4	764.1	551.5	467.9	421.3	387.2	378.4	568.9	448.4	563.8	938.8	671.1
1970	2010.7	1768.8	950.8	596.7	489.6	406.0	369.1	605.8	1024.4	797.3	971.2	1432.6	951.9
1971	4448.0	2809.9	1866.8	1203.9	726.9	626.5	558.1	577.8	785.1	573.6	751.2	1897.9	1402.1
1972	1618.8	1196.7	797.1	584.2	431.8	354.6	319.3	304.8	328.7	548.2	899.4	2287.4	805.9
1973	2952.7	1922.0	1175.8	833.0	595.9	460.7	389.1	362.1	959.6	1077.0	1106.3	1697.2	1127.6
1974	2095.3	2143.3	1355.8	879.6	614.2	507.0	443.2	523.1	725.2	1882.8	4601.6	2843.2	1551.2
1975	4472.1	4253.8	2859.2	1821.3	1298.5	874.8	688.2	750.6	530.1	974.1	937.5	370.7	1652.6
1976	445.2	1061.7	446.0	545.6	636.1	681.4	436.2	908.0	1834.6	1821.7	1858.5	2197.8	1072.7
1977	2052.2	14939.0	1104.0	805.7	590.1	476.5	454.9	484.2	2066.1	963.2	2360.0	1463.4	2313.3
1978	2184.2	1463.2	1074.0	731.7	559.0	480.2	423.5	457.0	805.6	849.7	2822.4	3124.9	1248.0
1979	6056.7	3041.1	1800.7	1305.7	926.7	682.5	556.8	639.2	916.0	1112.0	2332.3	2141.0	1792.5
1980	3243.0	2215.6	1383.7	1058.2	759.6	597.0	524.6	558.8	782.8	856.7	1248.0	1815.4	1253.6
1981	3167.7	2164.1	1327.7	827.6	621.7	510.0	485.5	933.4	965.3	1011.7	1481.3	1594.3	1257.5
1982	2512.9	3068.1	1753.5	1080.7	698.5	514.5	454.1	480.6	616.9	642.3	614.8	801.7	1103.2
1983	2482.3	1415.0	860.3	560.1	428.8	374.2	346.3	523.3	975.6	861.1	1995.1	1276.6	1008.2
1984	2294.9	1246.5	914.4	588.2	446.2	401.0	348.4	377.7	1065.8	784.1	994.3	1113.5	881.2
1985	2560.3	3218.4	1575.4	969.8	714.9	574.0	449.7	563.0	2287.7	1164.1	1484.7	3420.1	1581.8
1986	3255.6	2887.9	1713.1	1093.6	805.7	585.5	517.9	963.2	786.7	1588.6	1990.7	4181.2	1697.5
1987	2714.6	2136.8	1296.6	929.4	708.2	582.6	511.1	567.9	699.8	890.4	772.9	1912.9	1143.6
1988	2587.1	1982.3	1233.1	803.3	618.2	488.0	1068.2	439.3	515.8	486.0	663.3	1088.9	997.8
MEAN	2349.2	2323.6	1249.5	836.6	613.7	492.4	444.4	504.7	848.8	857.7	1311.1	1663.5	1124.6

Table 5.10: Monthly Yield Between Gotvand Diversion Dam and Shushtar

Unit: In (m. c. m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	30.3	9.4	4.0	2.1	1.6	1.6	2.6	26.2	43.3	55.0	60.9	42.0	23.2
1952	34.6	11.0	4.6	2.4	1.9	1.9	3.1	30.1	49.8	63.0	69.7	48.0	26.7
1953	39.6	12.3	5.4	2.9	2.1	2.1	3.4	31.6	52.6	66.9	73.9	50.8	28.6
1954	41.8	13.1	5.6	2.9	2.1	2.1	2.6	25.7	42.8	54.2	59.9	41.2	24.5
1955	34.0	10.7	4.6	2.4	1.9	1.6	2.3	23.1	38.1	48.5	53.7	36.8	21.5
1956	30.5	9.6	4.0	2.1	1.6	1.6	2.1	21.0	34.7	44.3	49.0	33.7	19.5
1957	27.9	8.8	3.7	2.1	1.6	1.3	2.3	21.5	35.5	45.1	50.0	34.5	19.5
1958	28.4	8.8	3.7	2.1	1.6	1.3	1.8	16.8	28.0	35.3	39.1	27.0	16.2
1959	22.2	7.0	2.9	1.6	1.1	1.1	2.9	27.0	44.6	56.8	62.7	43.0	22.7
1960	35.6	11.2	4.8	2.7	1.9	1.9	2.1	18.9	31.4	39.7	44.1	30.3	18.7
1961	24.9	7.8	3.2	1.9	1.3	1.3	1.6	16.3	27.0	34.5	38.1	26.2	15.3
1962	21.7	6.7	2.9	1.6	1.1	1.1	1.3	13.2	22.0	28.0	30.8	21.3	12.6
1963	17.7	5.6	2.4	1.3	.8	.8	2.3	21.5	35.5	45.1	50.0	34.5	18.1
1964	28.4	8.8	3.7	2.1	1.6	1.3	2.3	21.8	35.8	45.6	50.3	34.7	19.7
1965	28.7	8.8	3.7	2.1	1.6	1.3	1.6	14.5	24.1	30.6	34.0	23.3	14.5
1966	19.3	6.2	2.4	1.3	1.1	1.1	2.3	22.0	36.5	46.4	51.3	35.3	18.8
1967	29.2	9.1	3.7	2.1	1.6	1.6	4.9	46.7	77.5	98.2	108.9	74.9	38.2
1968	61.9	19.3	8.3	4.6	3.2	3.2	2.1	18.7	31.1	39.4	43.5	30.1	22.1
1969	24.6	7.8	3.2	1.9	1.3	1.3	2.3	21.8	36.0	45.6	50.5	34.7	19.3
1970	28.7	8.8	3.7	2.1	1.6	1.6	3.4	31.6	52.6	66.6	73.9	50.8	27.1
1971	41.8	13.1	5.6	2.9	2.1	2.1	2.1	19.7	32.7	41.5	45.9	31.6	20.1
1972	26.0	8.0	3.5	1.9	1.3	1.3	3.1	29.5	48.7	61.9	68.7	47.2	25.1
1973	38.8	12.3	5.1	2.7	2.1	1.9	2.9	28.5	47.2	59.9	66.4	45.6	26.1
1974	37.8	11.8	5.1	2.7	2.1	1.9	5.7	53.9	89.4	113.5	125.7	86.6	44.7
1975	71.2	22.5	9.4	5.1	3.7	3.7	.3	1.0	1.8	2.3	2.6	1.8	10.5
1976	1.6	.5	.3	.0	.0	.0	2.6	24.4	40.4	51.3	57.0	39.1	18.1
1977	32.4	10.2	4.3	2.4	1.6	1.6	3.1	31.1	51.6	65.6	72.6	50.0	27.2
1978	41.2	12.9	5.4	2.9	2.1	2.1	3.6	36.3	60.1	76.2	84.5	58.1	32.1
1979	47.9	15.0	6.4	3.5	2.7	2.4	3.6	35.5	58.8	74.6	82.7	57.0	32.5
1980	46.9	14.7	6.2	3.5	2.4	2.4	2.9	28.0	46.4	59.1	65.3	44.8	26.9
1981	37.0	11.5	4.8	2.7	1.9	1.9	3.1	30.8	51.1	64.8	71.8	49.5	27.6
1982	40.7	12.9	5.4	2.9	2.1	2.1	2.1	19.2	31.9	40.4	44.6	30.8	19.6
1983	25.2	8.0	3.5	1.9	1.3	1.3	2.9	27.7	46.1	58.6	64.8	44.6	23.8
1984	36.7	11.5	4.8	2.7	1.9	1.9	2.3	24.1	39.7	50.5	55.7	38.4	22.5
1985	31.6	9.9	4.3	2.4	1.6	1.6	2.9	28.8	47.7	60.4	66.9	46.1	25.3
1986	38.0	11.8	5.1	2.7	2.1	1.9	3.6	34.0	56.2	71.3	79.1	54.4	30.0
1987	44.7	14.2	5.9	3.2	2.4	2.4	2.3	23.1	38.4	48.5	53.7	37.1	23.0
1988	30.5	9.6	4.0	2.1	1.6	1.6	2.3	22.8	37.8	48.2	53.4	36.8	20.9
MEAN	33.7	10.6	4.5	2.4	1.8	1.7	2.6	25.5	42.2	53.6	59.4	40.9	23.2

Table 5.11: Monthly Yield of Dez River at Tale Zang

Unit: In (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	1041.6	1426.5	771.9	445.4	299.7	242.9	226.3	214.4	265.9	1113.0	705.0	1715.4	705.7
1952	1451.4	1427.3	858.7	526.6	366.7	276.9	242.6	337.5	815.7	1059.4	618.5	1394.2	781.3
1953	2646.8	2001.8	1052.3	619.2	426.1	325.4	294.5	282.0	867.3	993.0	586.8	689.7	898.8
1954	1375.4	1330.1	797.4	459.1	321.7	249.1	187.9	213.3	602.6	265.2	711.0	1287.4	650.0
1955	1402.4	1569.3	909.6	580.4	400.2	242.9	175.7	164.3	205.3	316.5	465.0	940.9	614.4
1956	1668.6	2111.1	1338.9	660.0	416.5	275.3	243.6	317.5	465.5	444.8	528.0	892.2	780.2
1957	941.5	720.8	462.3	302.9	215.3	170.3	149.6	145.2	603.9	339.8	429.2	624.2	425.4
1958	1826.9	995.0	567.3	377.7	252.0	185.6	147.5	156.8	189.0	362.6	284.1	310.3	471.2
1959	854.9	924.6	489.1	297.8	200.3	149.5	121.0	145.2	227.1	556.2	1065.3	663.8	474.6
1960	1070.8	1385.8	654.1	432.8	292.2	198.7	162.3	161.5	303.3	373.5	691.0	517.4	520.3
1961	603.7	1313.8	565.9	341.8	217.0	176.2	151.9	160.7	246.2	286.9	537.6	490.7	424.4
1962	905.6	1363.3	804.1	425.3	275.6	197.4	155.0	199.1	256.3	253.2	381.3	701.4	493.1
1963	981.1	622.7	411.4	249.1	178.1	142.0	121.0	122.3	235.9	376.9	860.5	925.6	435.6
1964	1015.4	830.0	516.4	321.9	233.8	170.1	147.2	448.4	307.7	247.5	1268.0	1031.1	544.8
1965	889.5	865.7	572.6	361.6	248.8	179.7	168.7	211.5	163.0	214.4	324.3	585.5	398.8
1966	580.1	731.2	469.5	272.1	184.3	139.5	122.6	168.2	357.2	292.4	353.3	669.8	361.7
1967	1096.8	1434.8	795.8	448.6	291.1	200.3	161.5	285.1	434.9	556.8	1863.4	2599.8	847.4
1968	3776.5	2224.4	1133.0	665.0	446.2	311.5	238.2	260.8	224.5	367.0	501.6	535.5	890.3
1969	739.0	677.1	382.5	269.4	174.1	134.5	124.4	119.5	269.6	183.8	256.3	924.3	354.5
1970	1622.0	1577.3	671.2	367.5	233.6	163.4	131.9	335.9	837.7	538.1	648.5	843.4	664.2
1971	2701.2	1897.4	1261.3	731.7	456.9	314.4	216.4	449.2	692.1	385.4	587.6	1226.8	910.0
1972	971.7	767.4	485.3	318.2	230.9	181.9	136.9	136.9	169.8	303.8	555.5	1455.9	476.2
1973	2133.3	1351.5	811.8	475.1	304.8	248.8	180.1	166.7	320.9	506.0	521.8	958.8	665.0
1974	1086.6	1188.1	713.3	471.9	231.1	190.4	151.1	157.3	305.6	1041.5	2042.8	1088.1	722.3
1975	2414.3	2424.5	1412.1	871.6	682.2	462.3	287.7	275.0	260.2	338.5	514.3	665.6	884.0
1976	857.4	709.8	534.3	299.4	186.1	154.0	220.8	484.2	766.2	992.5	777.9	1440.9	618.6
1977	1189.5	858.7	625.4	395.9	259.3	218.3	210.5	221.6	1066.9	663.3	1268.0	892.9	655.9
1978	1406.4	1009.8	613.1	386.8	251.2	202.0	176.5	219.0	387.8	589.7	1318.3	1854.6	701.3
1979	3806.8	1910.5	967.7	614.4	439.3	324.1	271.6	373.5	470.4	885.4	1255.3	1482.4	1066.8
1980	2351.9	1600.3	853.3	568.9	415.7	311.5	273.2	304.8	345.3	610.9	750.6	1217.5	800.3
1981	1995.7	1465.4	804.3	455.9	317.7	247.2	217.5	503.9	452.8	621.8	826.8	1036.5	745.5
1982	1656.6	2278.2	1244.1	666.1	386.8	235.7	228.1	273.5	344.7	331.3	384.9	461.4	707.6
1983	1371.1	977.9	529.5	309.6	180.5	134.7	143.3	248.8	569.7	485.2	945.6	922.5	568.2
1984	1719.3	874.8	620.9	314.7	202.2	175.2	147.2	169.0	506.0	400.7	633.0	671.8	536.2
1985	1283.0	2272.4	914.9	501.1	367.2	259.3	187.9	239.2	684.3	681.7	616.9	2187.6	849.6
1986	1877.6	1767.7	940.1	543.7	375.0	260.1	213.3	588.4	355.1	1383.1	1021.5	2843.9	1014.1
1987	1746.3	1514.6	803.3	517.5	341.0	251.0	229.7	247.8	282.5	487.3	401.8	1137.9	663.4
1988	1775.8	1398.1	763.3	433.9	273.2	197.1	194.4	262.8	284.9	369.6	637.6	1022.0	634.4
MEAN	1548.3	1363.2	766.4	455.3	304.6	223.7	188.4	257.1	424.8	532.1	740.5	1076.6	656.7

Table 5.12 : Monthly Yield at Dez Dam Site

Unit: In (m. c. m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	1083.1	1483.6	802.7	463.1	311.5	252.6	235.4	222.9	276.6	1157.6	733.3	1784.1	733.9
1952	1509.5	1484.4	893.0	547.5	381.1	287.9	252.2	351.0	848.4	1101.9	643.3	1450.0	812.5
1953	2752.6	2081.9	1094.4	644.2	443.3	338.3	306.1	293.4	902.0	1032.7	610.4	717.5	934.7
1954	1430.5	1383.1	829.2	477.3	334.5	259.0	195.4	221.9	626.7	275.5	739.5	1338.8	676.0
1955	1458.4	1631.9	946.0	603.7	416.2	252.6	182.7	171.1	213.6	329.2	483.7	978.5	639.0
1956	1735.6	2195.8	1392.5	686.5	433.1	286.3	253.5	330.2	484.2	462.7	549.2	927.9	811.5
1957	979.2	749.7	481.0	315.0	223.9	177.0	155.5	150.9	628.3	353.3	446.6	649.0	442.5
1958	1899.8	1034.7	589.8	392.7	261.9	192.8	153.4	163.0	196.5	376.9	295.5	322.7	490.0
1959	889.0	961.5	508.6	309.9	208.4	155.6	126.0	151.1	236.1	578.5	1107.8	690.5	493.6
1960	1113.7	1441.2	680.3	450.2	304.0	206.5	168.7	168.0	315.4	388.5	718.8	538.1	541.1
1961	628.1	866.5	588.7	355.4	225.8	180.2	147.9	166.9	256.1	298.3	559.1	510.4	441.4
1962	941.7	1417.7	836.2	442.5	286.9	205.4	161.2	207.1	266.5	263.3	396.3	729.4	512.8
1963	1020.5	647.6	428.0	259.0	185.3	147.8	126.0	127.3	245.2	391.9	895.0	962.7	453.0
1964	1056.1	863.2	537.0	334.8	243.2	177.0	153.2	466.3	319.9	257.4	1318.6	1072.3	566.6
1965	925.1	900.2	595.7	376.0	259.0	187.0	175.5	219.8	169.5	222.9	337.2	608.9	414.7
1966	603.2	760.7	488.3	282.8	191.8	145.2	127.5	175.0	371.4	304.0	367.5	696.5	376.2
1967	1140.7	1492.1	827.6	466.6	302.9	208.4	168.0	296.5	452.3	579.1	1937.8	2703.7	881.3
1968	3927.6	2313.3	1178.2	691.8	463.9	323.8	247.8	271.1	233.3	381.8	521.5	556.8	925.9
1969	768.4	704.2	397.7	280.2	181.1	139.8	129.3	124.2	280.5	191.0	266.5	961.4	368.7
1970	1686.9	1640.3	698.0	381.9	242.9	169.8	137.1	349.4	871.2	559.6	674.4	877.1	690.7
1971	2809.1	1973.4	1311.9	760.9	475.1	327.0	225.0	467.3	719.8	401.0	610.9	1276.0	946.5
1972	1010.6	797.9	504.9	330.8	240.0	189.4	142.6	142.3	176.5	316.0	577.5	1514.0	495.2
1973	2218.5	1405.4	844.2	494.4	316.9	258.7	187.4	173.4	333.6	526.2	542.8	997.1	691.6
1974	1130.3	1235.5	741.9	490.7	240.3	197.9	157.1	163.6	317.8	1083.2	2124.4	1131.7	751.2
1975	2511.0	2521.4	1468.6	906.4	709.5	480.8	299.1	285.9	270.6	352.3	534.7	692.3	919.4
1976	891.6	738.2	555.8	311.2	193.6	160.2	229.7	503.6	797.0	1032.4	809.0	1498.4	643.4
1977	1236.9	893.0	650.6	411.7	269.7	227.1	218.8	230.4	1109.6	690.0	1318.8	928.7	682.1
1978	1462.7	1050.2	637.7	402.3	261.4	210.0	183.5	227.6	403.3	613.3	1370.9	1929.0	729.3
1979	3958.9	1986.8	1006.3	638.8	456.9	336.9	282.5	388.5	489.4	920.9	1305.3	1541.5	1109.4
1980	2445.9	1664.6	887.4	591.7	432.3	323.8	284.3	317.0	359.3	635.3	780.7	1266.2	832.4
1981	2075.5	1524.0	836.5	474.1	330.2	257.1	226.0	523.8	471.0	646.7	859.8	1078.0	775.2
1982	1722.7	2369.3	1293.9	692.6	402.3	245.1	237.2	284.3	358.5	344.5	400.2	479.8	735.9
1983	1426.0	1017.0	550.7	322.2	187.8	140.3	149.0	258.9	592.5	504.7	983.4	959.6	591.0
1984	1588.1	909.9	645.8	327.3	210.3	182.1	153.2	175.7	426.2	416.8	658.1	698.5	557.7
1985	1334.1	2363.2	951.6	520.9	381.9	269.7	195.4	248.8	711.8	708.9	641.5	2275.3	883.6
1986	1952.6	1838.5	977.6	565.4	390.0	270.5	221.9	612.0	369.4	1438.3	1062.5	2957.7	1054.7
1987	1816.2	1575.2	835.4	538.1	354.6	260.9	238.7	257.6	293.9	506.7	417.8	1183.5	689.9
1988	1846.8	1454.1	793.9	451.3	284.2	204.9	202.2	273.5	296.3	384.4	663.3	1062.7	659.8
MEAN	1610.2	1417.7	797.0	473.5	316.8	232.6	195.9	267.4	441.8	553.4	770.1	1119.6	683.0

Table 5.13: Monthly Yield of Dez River at Dezful

Unit: In (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	20.9	28.4	15.5	8.8	5.9	4.8	4.7	4.1	5.2	22.3	14.0	34.2	14.1
1952	28.9	28.7	17.1	10.4	7.2	5.6	4.9	6.7	16.3	21.3	12.4	28.0	15.6
1953	53.0	39.9	21.2	12.3	8.6	6.4	6.0	5.7	17.4	20.0	11.7	13.7	18.0
1954	27.6	26.5	15.8	9.1	6.4	5.1	3.9	4.1	12.2	5.2	14.3	25.7	13.0
1955	28.1	31.3	18.2	11.5	8.0	4.8	3.6	3.4	4.1	6.2	9.3	18.9	12.3
1956	33.5	42.3	26.8	13.1	8.3	5.6	4.9	6.5	9.3	8.8	10.6	17.9	15.6
1957	18.7	14.5	9.4	6.2	4.3	3.5	2.9	2.9	12.2	6.7	8.6	12.4	8.5
1958	36.4	19.8	11.2	7.5	5.1	3.7	2.9	3.1	3.9	7.3	5.7	6.2	9.4
1959	17.1	18.5	9.9	5.9	4.0	2.9	2.3	2.9	4.7	11.1	21.3	13.2	9.5
1960	21.4	27.9	13.1	8.6	5.9	4.0	3.4	3.4	6.0	7.5	13.7	10.4	10.4
1961	12.1	26.2	11.2	6.7	4.3	3.5	3.1	3.1	4.9	5.7	10.9	9.8	8.5
1962	18.2	27.3	16.1	8.6	5.6	4.0	3.1	3.9	5.2	5.2	7.5	14.0	9.9
1963	19.6	12.6	8.3	5.1	3.5	2.9	2.3	2.3	4.7	7.5	17.1	18.4	8.7
1964	20.4	16.6	10.4	6.4	4.8	3.5	2.9	9.1	6.2	4.9	25.4	20.7	10.9
1965	17.7	17.4	11.5	7.2	5.1	3.5	3.4	4.1	3.4	4.1	6.5	11.7	8.0
1966	11.5	14.7	9.4	5.4	3.7	2.7	2.3	3.4	7.3	6.0	7.0	13.5	7.2
1967	22.0	28.7	15.8	8.8	5.9	4.0	3.4	5.7	8.8	11.1	37.3	52.1	17.0
1968	75.5	44.5	22.8	13.4	8.8	6.2	4.7	5.2	4.4	7.3	10.1	10.6	17.8
1969	14.7	13.7	7.8	5.4	3.5	2.7	2.6	2.3	5.4	3.6	5.2	18.4	7.1
1970	32.4	31.6	13.4	7.2	4.6	3.2	2.6	6.7	16.8	10.9	13.0	16.8	13.3
1971	54.1	38.0	25.2	14.7	9.1	6.2	4.4	9.1	13.7	7.8	11.7	24.6	18.2
1972	19.6	15.3	9.6	6.4	4.6	3.7	2.9	2.9	3.4	6.0	11.1	29.0	9.5
1973	42.6	27.1	16.3	9.4	6.2	5.1	3.6	3.4	6.5	10.1	10.4	19.2	13.3
1974	21.7	23.8	14.2	9.4	4.6	3.7	3.1	3.1	6.2	20.7	41.0	21.8	14.4
1975	48.2	48.5	28.1	17.4	13.7	9.4	5.7	5.4	5.2	6.7	10.4	13.2	17.7
1976	17.1	14.2	10.7	5.9	3.7	2.9	4.4	9.6	15.3	20.0	15.6	28.8	12.4
1977	23.8	17.1	12.6	8.0	5.1	4.3	4.1	4.4	21.3	13.2	25.4	17.9	13.1
1978	28.1	20.1	12.3	7.8	5.1	4.0	3.6	4.4	7.8	11.9	26.4	37.1	14.1
1979	76.1	38.3	19.3	12.3	8.8	6.4	5.4	7.5	9.3	17.6	25.1	29.5	21.3
1980	47.1	31.9	17.1	11.5	8.3	6.2	5.4	6.0	7.0	12.2	15.0	24.4	16.0
1981	39.9	29.2	16.1	9.1	6.4	5.1	4.4	10.1	9.1	12.4	16.6	20.7	14.9
1982	33.2	45.5	24.9	13.4	7.8	4.8	4.7	5.4	7.0	6.7	7.8	9.3	14.2
1983	27.3	19.6	10.7	6.2	3.7	2.7	2.9	4.9	11.4	9.6	18.9	18.4	11.4
1984	34.3	17.4	12.3	6.2	4.0	3.5	2.9	3.4	10.1	8.0	12.7	13.5	10.7
1985	25.7	45.5	18.2	9.9	7.2	5.1	3.9	4.9	13.7	13.7	12.4	43.8	17.0
1986	37.5	35.4	18.7	37.8	7.5	5.1	4.1	11.7	7.0	27.7	20.5	56.8	22.5
1987	34.8	30.3	16.1	10.4	6.7	5.1	4.7	4.9	5.7	9.8	8.0	22.8	13.3
1988	35.6	27.9	15.3	8.6	5.4	4.0	3.9	5.2	5.7	7.3	12.7	20.5	12.7
MEAN	31.0	27.3	15.3	9.8	6.1	4.5	3.8	5.1	8.5	10.6	14.8	21.5	13.2

Table 5.14: Monthly Yield of Shavor River at Shavor

Unit: In (m. c. m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	28.4	31.1	31.6	30.5	28.9	30.3	34.2	40.2	38.6	32.1	29.8	23.6	31.6
1952	56.0	62.4	54.4	50.9	58.7	53.3	50.5	45.9	39.1	32.7	36.5	38.6	48.2
1953	49.3	42.9	39.1	38.3	45.3	44.2	40.4	41.0	36.5	32.1	36.5	34.2	40.0
1954	34.0	37.8	30.8	32.9	36.4	36.4	35.3	35.3	39.4	40.4	43.0	40.2	36.8
1955	54.9	51.2	46.6	44.2	49.3	53.0	46.9	48.7	37.3	33.4	23.1	29.3	43.2
1956	31.3	33.7	28.4	28.1	28.4	32.9	28.8	30.3	30.1	28.0	30.6	34.0	30.4
1957	37.5	34.8	28.7	26.2	25.2	26.2	28.5	29.8	30.8	32.4	32.4	36.3	30.7
1958	39.6	31.9	31.9	32.4	37.0	35.9	31.9	36.5	31.9	32.9	28.0	25.1	32.9
1959	29.5	29.2	26.8	26.5	27.3	29.5	31.6	33.2	31.6	33.4	35.5	27.0	30.1
1960	30.3	31.9	27.6	27.3	26.8	31.3	33.4	37.1	31.9	32.1	29.8	24.9	30.4
1961	28.1	29.5	24.9	26.5	26.0	27.9	30.3	31.1	25.7	30.8	28.8	25.7	27.9
1962	28.4	28.7	23.6	24.4	24.9	31.6	34.7	35.3	26.2	25.7	26.2	23.8	27.8
1963	25.7	26.0	25.7	23.3	20.4	23.3	27.5	34.5	31.6	27.0	36.0	30.6	27.6
1964	33.2	32.7	25.7	27.3	24.9	17.7	29.0	35.3	29.8	28.5	37.1	33.7	29.6
1965	34.6	31.9	26.5	24.9	26.8	32.4	32.9	33.2	28.0	30.1	32.4	32.7	30.5
1966	33.5	34.8	32.9	29.2	24.9	24.9	30.6	36.3	34.7	30.8	30.8	28.3	31.0
1967	29.2	30.3	28.1	28.1	28.4	30.5	33.7	38.4	37.6	36.3	49.2	31.1	33.4
1968	98.0	44.7	32.7	31.9	36.4	32.7	35.3	38.4	34.7	46.9	41.2	33.2	42.2
1969	37.0	37.2	30.0	29.7	30.3	32.1	32.4	35.8	33.2	35.3	33.4	34.5	33.4
1970	45.8	36.7	32.1	33.5	32.9	34.3	35.3	34.0	38.9	37.3	41.5	36.8	36.6
1971	51.4	39.6	36.7	32.4	30.3	35.4	34.2	39.1	37.1	36.8	37.1	37.1	37.3
1972	40.2	36.7	34.8	32.1	31.6	33.5	32.1	34.7	35.5	35.8	35.3	34.5	34.7
1973	59.7	38.0	35.1	32.9	36.7	35.9	35.3	39.9	38.4	36.3	34.2	34.7	38.1
1974	36.4	40.2	37.5	37.8	36.7	37.2	38.4	35.5	33.4	36.8	41.2	34.7	37.2
1975	37.5	36.4	34.3	38.0	37.5	38.3	35.5	34.2	36.8	35.8	35.8	31.6	36.0
1976	32.1	31.3	30.0	31.9	34.6	41.2	38.4	36.5	37.8	34.0	31.9	29.0	34.1
1977	34.8	35.1	33.2	30.5	33.7	32.1	29.3	29.8	39.1	30.8	48.0	35.0	34.3
1978	36.4	38.6	36.7	34.6	37.8	35.4	35.0	34.2	35.0	38.9	47.4	46.9	38.1
1979	49.0	33.7	41.0	42.1	42.6	42.1	38.4	35.8	33.2	31.4	31.4	36.5	38.1
1980	44.5	44.2	38.6	35.6	38.3	39.9	35.0	32.1	31.1	35.8	30.1	32.7	36.5
1981	31.3	33.2	33.2	34.3	35.9	37.2	44.3	50.8	50.5	44.6	41.0	53.9	40.9
1982	54.6	47.7	46.9	48.5	52.8	54.6	53.7	43.3	37.3	35.0	38.1	41.2	46.1
1983	42.9	39.9	41.2	45.8	62.1	67.5	62.2	55.0	46.9	37.1	35.3	49.5	48.8
1984	54.9	48.7	41.5	45.5	50.6	58.4	57.5	49.5	59.1	46.1	50.8	54.2	51.4
1985	65.1	65.6	55.4	49.3	53.6	54.1	58.6	60.7	49.5	35.3	43.0	49.8	53.3
1986	60.0	56.2	43.9	51.7	62.1	71.2	74.9	67.7	49.5	44.3	39.7	62.2	57.0
1987	71.0	57.0	48.2	54.6	58.9	67.0	65.6	65.8	57.5	48.2	40.7	59.6	57.9
1988	80.1	73.9	56.0	55.7	59.7	72.0	63.2	59.6	47.7	39.4	34.2	45.4	57.3
MEAN	43.8	39.9	35.6	35.5	37.8	39.8	39.9	40.4	37.5	35.3	36.2	36.6	38.2

Table 5.15: Monthly Yield of Karun River at Ahwaz

Unit: I n (m.c.m.)

YEAR	APR.	MAY.	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.	JAN.	FEB.	MAR.	ANNUAL
1951	2854.6	3639.9	2117.8	1308.9	872.1	708.7	623.1	628.3	748.6	2409.0	2300.7	4754.5	1913.9
1952	4093.4	3642.4	2379.2	1621.2	1120.9	820.9	662.8	938.3	3047.4	2327.4	1942.7	3856.1	2204.4
1953	7706.6	5154.6	2962.3	1978.3	1342.4	980.6	789.3	798.9	3263.1	2226.5	1812.1	1885.7	2575.0
1954	3864.1	3386.3	2194.4	1362.0	954.0	728.8	644.9	663.6	974.6	1119.7	1413.7	3304.0	1717.5
1955	2941.4	3274.9	1942.4	1284.0	926.7	630.0	529.5	551.3	602.4	1082.2	1297.3	3075.7	1511.5
1956	5381.2	6555.1	4036.6	1994.3	1230.2	815.3	618.2	869.4	1654.5	1329.4	1840.1	2124.7	2370.7
1957	2836.7	1947.5	1303.8	867.0	556.0	425.9	415.2	480.0	1888.0	1191.8	1437.5	1235.6	1215.4
1958	3920.4	2585.5	1475.3	987.5	645.5	472.5	407.2	433.1	510.9	1235.3	742.9	959.8	1198.0
1959	2095.8	2170.8	1220.5	710.3	463.1	374.2	351.2	423.0	747.8	1464.0	3303.0	1850.7	1264.5
1960	2713.5	3242.5	1799.9	1068.1	671.5	517.7	466.0	491.2	732.5	1282.3	1926.9	1544.6	1371.4
1961	1491.3	3087.4	1579.5	1053.7	649.0	509.2	454.1	539.1	767.5	1189.0	1397.3	1296.5	1167.8
1962	1980.7	2820.1	1844.3	1098.1	664.0	499.5	415.2	492.2	649.3	1114.8	831.0	1646.7	1171.3
1963	2480.7	1704.3	1064.4	535.7	375.2	345.8	367.3	395.0	647.0	1237.4	2861.8	2614.3	1219.1
1964	2884.6	2495.5	1565.0	910.7	594.3	446.8	419.1	959.0	814.4	1138.1	3449.2	2525.6	1516.9
1965	2478.3	2256.6	1500.4	900.5	567.6	427.5	443.2	577.2	507.5	1202.7	1089.4	1905.9	1154.7
1966	1828.3	2286.6	1449.3	834.6	512.1	413.8	395.3	510.9	1259.2	1218.8	1001.8	2178.8	1157.4
1967	3382.3	3460.0	2125.0	1386.6	846.6	570.0	462.9	723.4	1492.7	1491.7	6767.7	6035.5	2395.4
1968	9305.6	4966.8	2943.6	2123.2	1519.5	1006.0	661.5	839.0	901.2	1333.1	1566.1	1545.6	2392.6
1969	2220.4	1941.3	1152.0	728.3	491.0	412.5	411.9	448.4	903.3	1133.2	755.3	2086.6	1057.0
1970	3818.9	3330.1	1687.7	958.1	589.8	451.3	414.5	734.3	2079.8	1414.7	1765.9	2375.8	1635.1
1971	8679.4	4687.7	3323.6	2265.1	1467.0	884.4	607.8	993.3	1874.0	1308.4	1678.6	3474.6	2603.7
1972	2862.4	2126.9	1358.2	890.0	632.1	502.5	429.0	478.0	575.7	1193.1	1320.9	3743.9	1342.7
1973	5415.7	3160.8	2058.6	1375.6	822.3	668.5	506.0	556.2	1222.1	1603.4	1678.8	2857.9	1827.2
1974	3397.6	3127.6	1978.3	1398.1	769.5	613.6	500.5	578.3	1022.0	2003.6	8215.3	3575.1	2265.0
1975	7250.7	6332.0	4317.6	3122.5	2208.1	1360.1	775.5	1033.4	1158.9	1411.1	1759.7	2199.6	2744.1
1976	2646.0	2206.5	1499.1	902.4	594.9	498.5	541.2	1392.7	3007.5	2716.7	3423.3	3993.2	1951.8
1977	3806.5	2638.5	1855.9	1289.4	841.6	614.4	565.1	698.8	3381.0	1651.1	4336.4	2547.4	2018.8
1978	4064.5	2585.7	1805.2	1149.0	776.7	621.7	524.9	654.7	1344.5	1509.8	5178.0	5818.8	2169.5
1979	1624.8	5350.9	3032.8	2237.3	1541.2	1013.2	695.7	953.1	1522.8	1835.7	4285.9	3881.8	3164.6
1980	6131.4	3904.3	2328.1	1768.0	1194.0	847.7	654.5	821.4	1307.7	1518.7	2313.1	3240.3	2169.1
1981	5984.3	3813.8	2233.8	1330.9	906.9	679.0	604.5	1434.4	1602.4	1712.8	2736.4	2805.1	2153.7
1982	4705.7	5398.3	2952.7	1810.6	1067.1	688.1	564.3	693.1	1039.4	1252.5	1158.9	1244.4	1881.2
1983	4646.2	2501.1	1444.5	823.9	506.2	416.2	425.9	763.3	1619.2	1524.1	3671.6	2179.6	1710.1
1984	4280.4	2205.9	1535.8	876.9	542.1	468.5	429.0	524.9	1764.9	1428.7	1849.9	1858.5	1480.4
1985	4798.6	5661.6	2651.9	1600.6	1101.1	803.3	558.6	828.1	3739.5	1900.5	2742.6	6400.4	2732.2
1986	6156.3	5082.5	2884.4	1834.2	1289.6	825.2	645.7	1483.1	1314.1	2427.4	3663.5	7898.9	2958.7
1987	5099.4	3766.4	2181.3	1527.5	1087.2	819.9	637.4	835.9	1173.4	1560.4	1446.9	3432.6	1964.0
1988	4850.9	3495.6	2074.2	1284.8	899.9	636.9	545.4	750.6	828.1	1278.6	2022.0	2814.7	1790.1
MEAN	4386.3	3473.5	2101.6	1347.3	890.5	645.2	530.6	736.0	1412.9	1525.7	2447.0	2967.6	1872.0

Table 5.16 : Long-Term Average Climatological Data for Dezful, Ahwaz and Abadan

	Jan.	Feb.	Mar.	Apr.	May.	Jun.	Jul.	Aug.	Sep.	Oct.	Nov.	Dec.
DEZFUL												
T _{min} (C°)	5.6	7.8	10.5	15.1	20.8	24.3	30.6	20.5	28.0	22.3	10.8	7.1
T _{max} (C°)	17.2	19.7	24.3	29.6	37.2	43.2	45.6	44.7	41.5	34.8	26.7	19.4
Sunshine (h)	4.5	5.8	6.3	7.3	9.2	11.0	10.6	10.4	9.9	7.9	5.6	4.3
Wind (Km/d)	141.7	185.4	214.8	249.9	278.7	266.0	213.6	211.5	180.4	150.2	119.5	126.4
RH (%)	72.0	67.0	56.0	47.0	32.0	22.0	24.0	26.0	25.0	36.0	54.0	70.0
RH _{max} (%)	78.0	79.0	71.0	60.0	42.0	29.0	28.0	31.0	32.0	47.0	65.0	76.0
Barometric Pressure (Mbar)	1002.9	1000.9	994.5	998.1	991.5	984.8	980.9	983.0	989.4	996.5	1001.3	1003.1
AHWAZ												
T _{min} (C°)	6.5	8.1	11.8	16.5	21.7	24.7	26.9	26.0	22.1	17.5	12.0	7.7
T _{max} (C°)	17.6	20.4	25.5	31.8	38.8	44.3	45.9	45.5	42.3	36.0	26.5	19.4
Sunshine (h)	5.4	5.8	6.5	7.1	9.0	10.6	10.6	10.1	9.9	8.2	5.9	5.2
Wind (Km/d)	180.4	183.2	252.3	266.3	286.2	311.1	270.9	247.7	215.9	178.6	172.2	166.7
RH (%)	72.0	64.0	53.0	43.0	32.0	25.0	26.0	30.0	31.0	40.0	53.0	68.0
RH _{max} (%)	84.0	80.0	71.0	64.0	50.0	42.0	45.0	50.0	51.0	60.0	71.0	82.0
Barometric Pressure (Mbar)	1017.5	1015.7	1012.6	1008.9	1005.0	998.4	994.7	996.6	1002.8	1010.4	1015.4	1017.5
ABADAN												
T _{min} (C°)	7.5	8.8	12.3	16.9	22.2	25.6	26.5	27.1	23.7	18.9	13.8	8.9
T _{max} (C°)	18.3	21.1	25.9	31.7	38.5	43.1	44.5	44.7	42.2	36.0	26.8	19.9
Sunshine (h)	5.6	6.9	7.4	7.7	9.2	10.5	10.3	9.8	9.7	8.8	6.7	5.0
Wind (Km/d)	249.5	274.0	307.6	306.8	332.4	402.1	380.8	336.7	265.0	203.7	223.0	225.9
RH (%)	72.0	64.0	54.0	47.0	36.0	30.0	32.0	33.0	36.0	47.0	59.0	71.0
RH _{max} (%)	84.0	79.0	72.0	66.0	53.0	42.0	43.0	44.0	51.0	64.0	75.0	83.0
Barometric Pressure (Mbar)	1018.3	1016.4	1013.3	1010.0	1006.3	1000.2	996.2	997.9	1004.1	1011.4	1016.4	1018.5

Table 5.17 : Corrected Monthly Values of (ETo) for Reference Crop at Dezful, Ahwaz and Abadan

	Jan.	Feb.	Mar	Apr.	May .	Jun.	Jul.	Aug.	Sep.	Oct.	Nov.	Dec.
DE Z FUL												
Penman ETo (mm/d)	1.94	2.86	4.74	6.96	10.17	11.96	10.99	10.34	8.44	5.67	3.13	1.94
Adjustment factor	0.92	0.94	0.94	0.94	0.88	0.86	0.89	0.87	0.86	0.89	0.92	0.92
Corrected Penman ETo (mm/d)	1.90	2.70	4.50	6.50	8.90	10.30	9.80	9.00	7.30	5.00	2.90	1.80
Average monthly ETo (mm)	55.30	75.30	138.10	196.30	277.40	308.60	303.20	278.90	217.80	156.40	86.40	55.30
AHWAZ												
Penman ETo (mm/d)	2.25	3.21	5.48	7.42	10.55	12.78	12.19	10.94	9.03	6.17	3.84	2.33
Adjustment factor	0.92	0.94	0.93	0.95	0.92	0.90	0.93	0.95	0.94	0.94	0.93	0.92
Corrected Penman ETo (mm/d)	2.10	3.00	5.10	7.00	9.70	11.50	11.30	10.40	8.50	5.80	2.50	2.10
Average monthly ETo (mm)	64.20	84.50	158.00	211.50	300.90	345.10	351.40	322.20	254.60	179.80	107.10	66.50
ABADAN												
Penman ETo (mm/d)	2.69	3.99	6.14	8.08	11.06	14.05	13.60	12.37	9.73	6.39	4.18	2.64
Adjustment factor	0.90	0.92	0.94	0.96	0.93	0.86	0.87	0.87	0.92	0.96	0.93	0.91
Corrected Penman ETo (mm/d)	2.40	3.70	5.80	7.80	10.30	12.10	11.80	10.80	9.00	6.10	3.10	2.40
Average monthly ETo (mm)	75.10	102.80	178.90	232.70	318.90	362.50	366.80	333.60	268.50	190.20	113.30	74.50

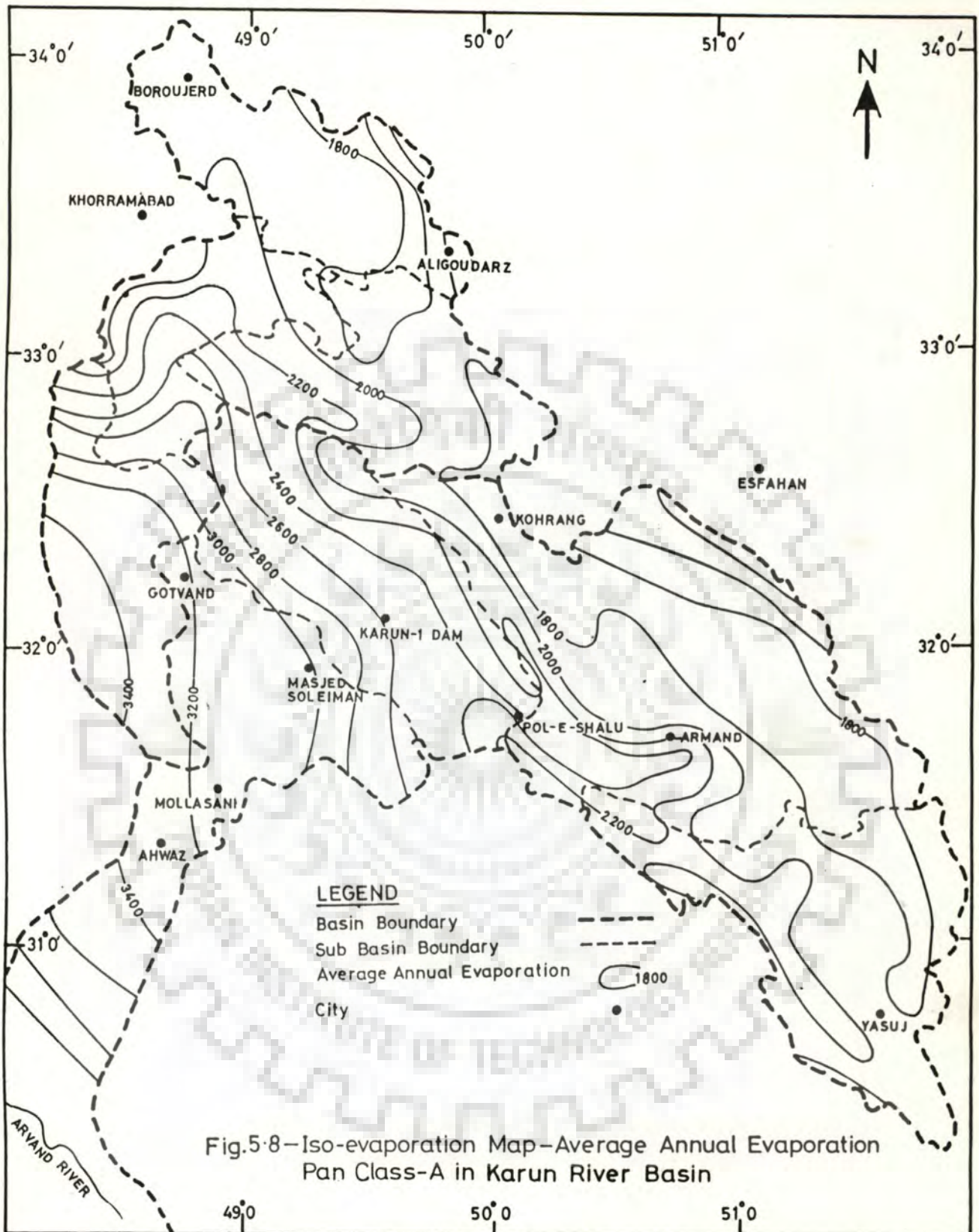


Fig.5.8—Iso-evaporation Map—Average Annual Evaporation Pan Class-A in Karun River Basin

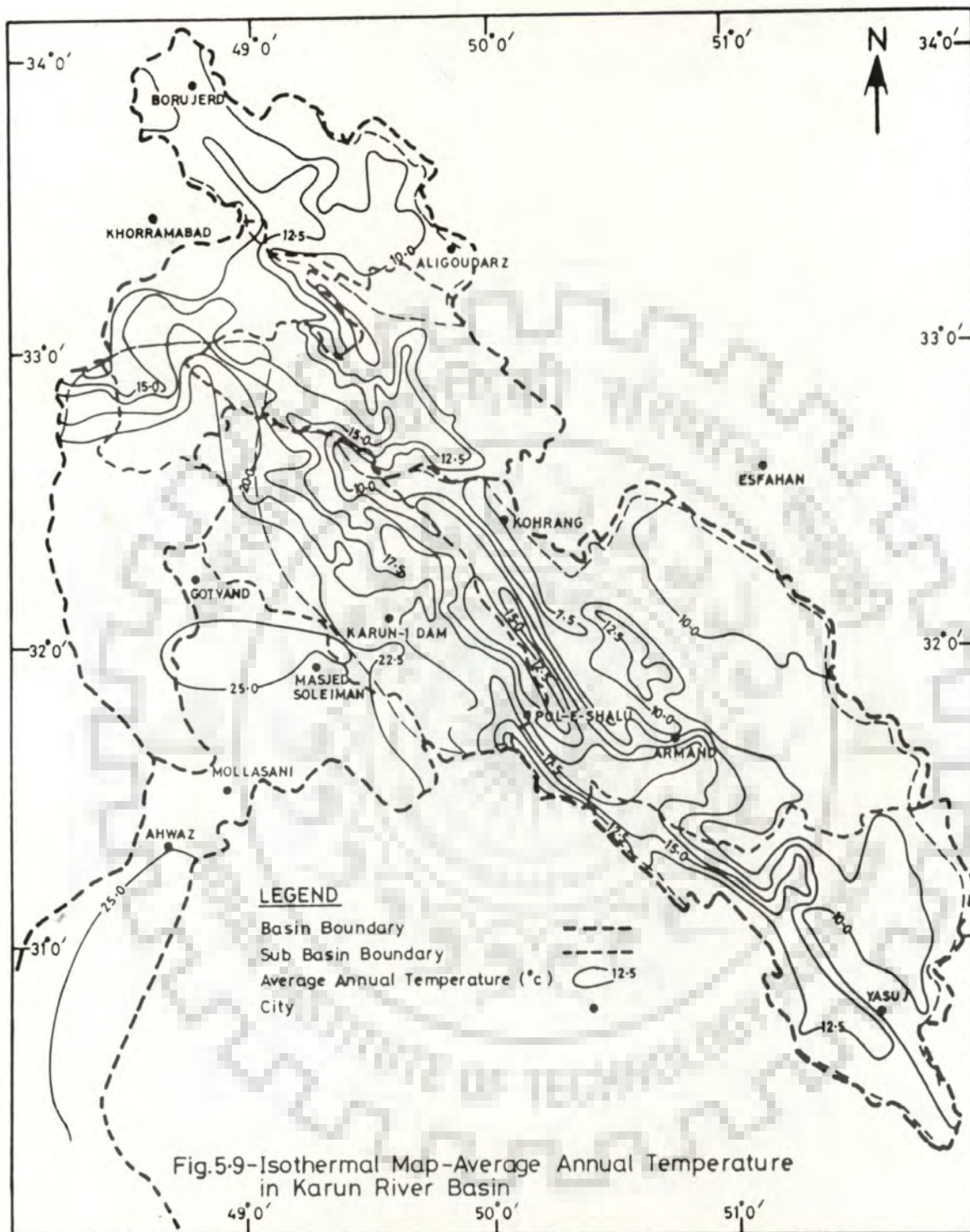


Table 5.18 : Monthly Rainfall of Plain Area (80 % Dependable Rainfall) Unit : mm

NO. STATION	MONTH											
	JAN.	FEB.	MAR.	APR.	MAY	JUN.	JUL.	AUG.	SEP.	OCT.	NOV.	DEC.
1. DEZFUL	71.9	55.6	36.8	25.6	10.7	1.8	0.0	0.0	0.9	9.3	33.9	62.5
2. AHWAZ	38.0	10.4	27.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	20.3	63.8
3. ABADAN	12.4	12.1	2.0	29.5	0.0	0.0	0.0	0.0	0.0	0.0	36.3	15.9

5.4.3 REPRESENTATIVE CROPS

The following representative crops or crop combinations were selected for the purpose of study :

<u>Winter Planted</u>	<u>Perennial</u>	<u>Summer Planted</u>
Wheat	Alfaalfa	Rice
Barley	Tree Fruit	Autumn Vegetables
Tomato /Eggplant	Sugar cane	Watermelon/Melon
Spring cucumber	Date Palm	Vetch and Black-Eye Bean
Watermelon/Melon		Corn
Onions/Garlic		Sugar cane
Barseem/Fababean		Sudan grass
Winter Vegetables		
Potato		

5.5 MUNICIPAL AND INDUSTRIAL (M & I) WATER DEMAND

Municipal and Industrial (M & I) water demands are considered in two stages of developments. The estimated demands of M & I water for existing development and future full development (after 25 years) for cities which are located in the river basin are given in Tables 5.19 and 5.20.

5.6 EXISTING DEVELOPMENT

The waters of both the rivers (Karun and Dez) have been used for thousands of years for irrigation on Khuzestan plain. However, it is only in the last 50 years or so that the potential for hydropower and regulation of the rivers in the mountains has been recognized.

The Dez river was developed first and the Dez concrete arch dam with a height of 203 meter was commissioned in 1965. This dam is functioning as a multipurpose project generating hydropower and has the capability to regulate the Dez river thereby permitting modern irrigation of some 108000 ha near the town of Dezful. Shortly thereafter, in 1967 to 1969 studies of Karun river identified a significant potential for hydropower and concluded that regulation of the river would permit development of irrigation for a further 130000 to 150000 ha of land. The Karun -1, a

Table 5.19 : Municipal and Industrial Water Demands-(m.c.m.) Existing Development

Location	MONTHS											
	Apr.	May	Jun.	Jul.	Aug.	Sep.	Oct.	Nov.	Dec.	Jan.	Feb.	Mar.
Gotvand	10.2	13.3	7.5	6.8	7.3	7.2	7.8	12.3	12.2	11.5	10.9	9.6
Shushtar	3.1	3.1	3.1	3.7	3.7	3.7	2.8	2.8	2.8	2.6	2.6	2.6
Ahwaz	24.3	24.3	24.3	28.6	28.6	28.6	22.1	22.1	22.1	20.7	20.7	20.7
Mared/ Khorramshahr/ Abadan	5.6	5.6	5.6	7.3	7.3	7.3	4.9	4.9	4.9	4.3	4.3	4.3
Dezful	14.2	9.1	8.2	6.9	5.2	6.1	5.2	11.8	10.5	11.6	14.2	11.1
Total	57.4	55.4	48.7	53.3	52.1	52.9	42.8	53.9	52.5	50.7	52.7	48.3

Table 5.20: Municipal and Industrial Water demands-(m.c.m.) Full Development

Location	MONTHS											
	Apr.	May	Jun.	Jul.	Aug.	Sep.	Oct.	Nov.	Dec.	Jan.	Feb.	Mar.
Gotvand	14.9	18.9	11.3	10.9	11.4	11.3	11.4	17.2	17.0	16.3	15.6	13.0
Shushtar	26.1	15.4	15.4	16.5	16.5	16.5	14.7	14.7	14.7	29.9	29.9	29.9
Ahwaz	73.8	59.4	59.4	71.0	71.0	71.0	53.8	53.8	53.8	65.0	65.0	63.0
Mared/ Khorramshahr/ Abadan	15.1	15.1	15.1	17.9	17.9	17.9	13.9	13.9	13.9	12.8	12.8	12.4
Dezful	31.6	25.4	24.3	19.6	17.4	18.5	17.1	25.1	23.5	33.3	36.5	32.9
Total	161.5	134.2	125.5	135.9	134.2	135.2	110.9	124.7	122.9	157.3	159.8	151.2

concrete arch dam of 170m height with a power station having an installed capacity of 1000 MW was commissioned in 1976 (Karun-2 and Karun-3 Development Projects, Definition Report, 1984).

5.7 DEVELOPMENT POTENTIAL

Based on the developmental potential, investigated (The Initial Karun River Project Feasibility Report, 1968), the Karun river can be divided into four major Zones, as shown in Figures 5.10 and 5.11.

Zone1 : From Arvand Rud (mouth of river) to Gotvand km 360, the development potential includes irrigation, municipal and industrial water supply. This reach has a length of 360 km measured along the river and it is not suitable for power generation or for providing storage schemes.

Zone2 : From Km 360 to Km 490 (Karun-1 dam site/Shahid Abbaspour Dam), river flows in steep-sided valley through the foothills of the Zagross mountains. Although a number of potential dam sites exist on this reach, but geological formations are not suitable for high storage dams. Thus, this length of the river should be considered for development by a series of run-of-river power installations.

Zone3 : The most important stretch of the river from a development point of view is that from km 490 to km 670. Here the river has a considerable long-term average discharge and a relatively steep slope. The river drops some 450 m along this reach and with a long term average flow of approximately 300 m³/sec, this has very considerable hydropower potential. In addition, the topography of the river valley is such that dams would retain reservoir storages of adequate size to give significant regulation of river flows. So far, three main dam sites were identified in this stretch of the river, which can provide almost complete regulation of the river.

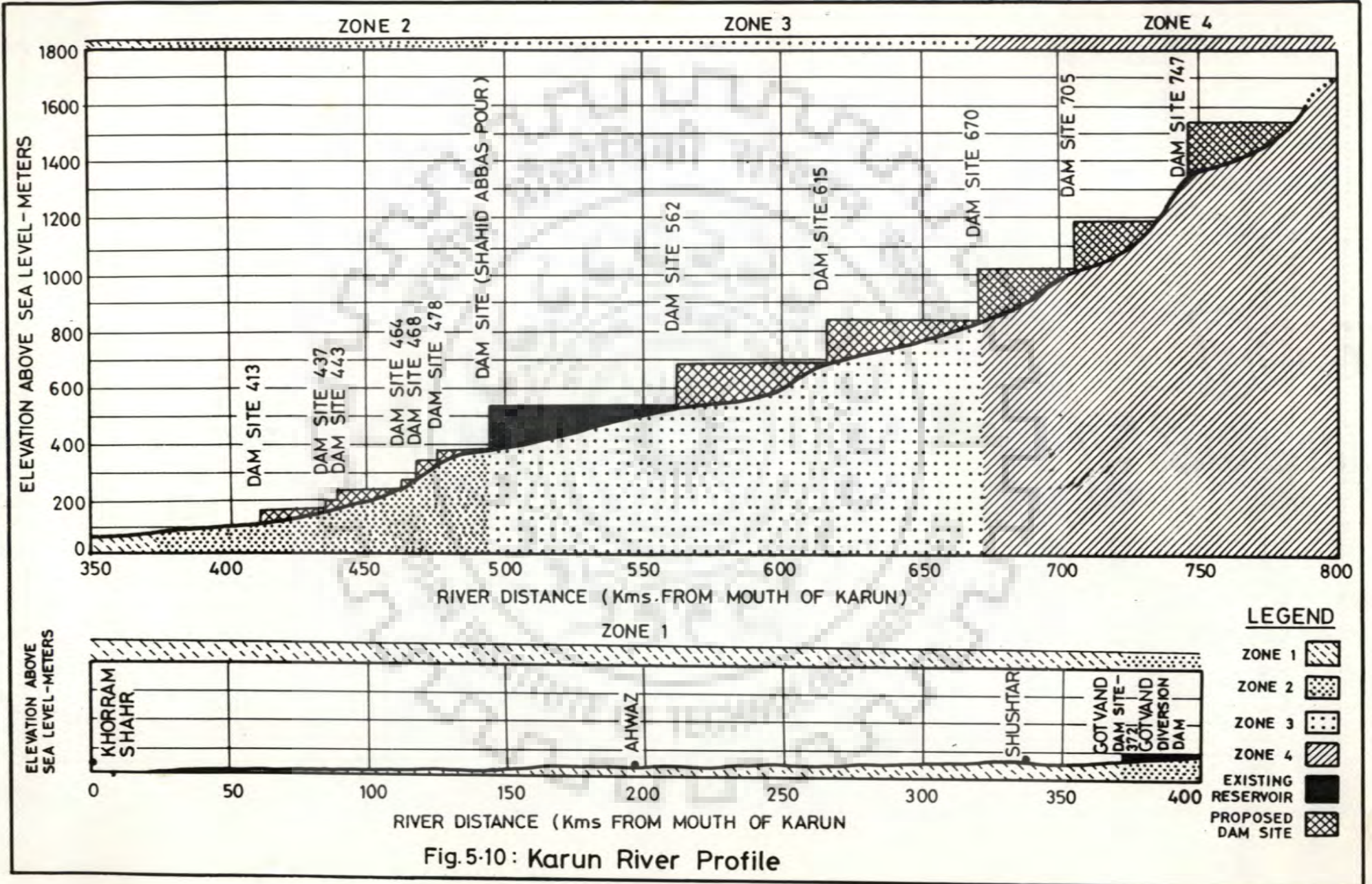
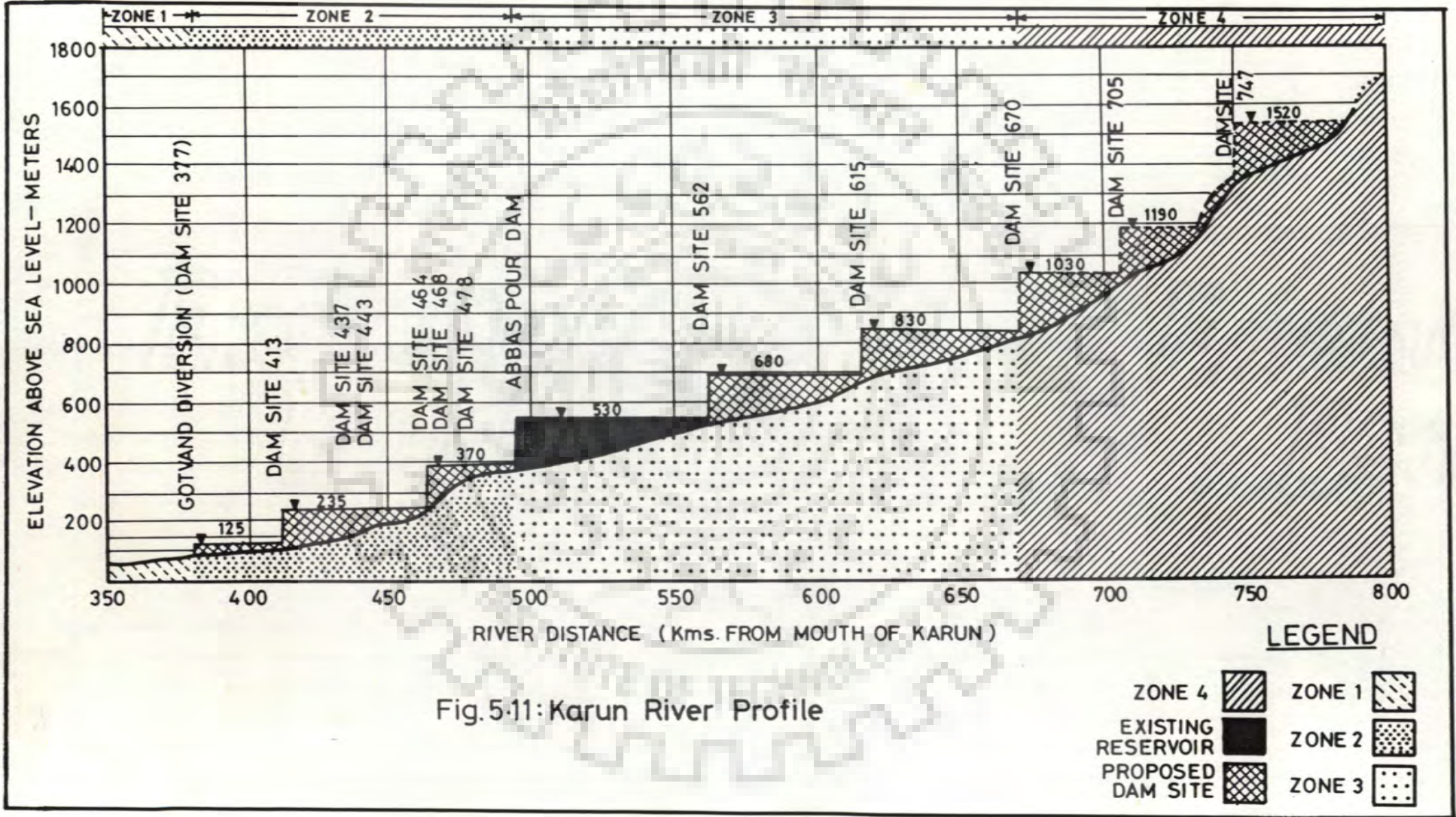


Fig.5-10: Karun River Profile



Zone4 : The headwaters of the river above km 670 include a number of major tributaries such as the Khersan, Bazuft and Vanak rivers. Several potential dam sites have been identified at km 670, km 705 and km 747. In this study, proposal of dam sites at Km 705 and Km 747 have not been considered as these are not currently under investigation by the project authorities.

5.8 STATEMENT OF THE PROBLEM

The constantly increasing demand for a significant quantity and quality of water properly distributed in time and space, has forced planners to contemplate and propose ever more comprehensive, complex and ambitious plans for water resources systems. The specific decision problem under consideration is a multi reservoir, multi purpose and multi irrigation area system, where in, an optimal combination of reservoirs is to be determined to meet the current and forecasted growth in demand of water for irrigation, hydropower, flood control, and municipal & industrial water supply. It is imperative to organize this effort in a well balanced form, allocating resources to those projects at the level that offers the highest potential pay off. An effective strategic model should be able to support the development of logistics to provide the top managers with a better understanding of decisions on design of new facilities and the expansion of the existing water supply system.

The problem now is to develop a suitable methodology to identify the combination of multi reservoir alternatives to maximize the economic benefits, satisfying the system and the resource constraints. The methodology is applied to the Karun river system in Iran. It is noted that except Karun -1 and Dez reservoirs and their diversions which are existing in the Karun river system, several other potential dam sites on the Karun river between Km 360 (Gotvand diversion dam) and Km 747 are proposed, as follows:

Initially, three run-of-river hydropower sites at Km 464, 466 and 477 which are called Tunnel scheme, Up Dam Site and Down Dam Sites respectively, and storage hydropower sites at Km 562 (Karun-2) and Km 615 (Karun-3) and Km 670 (Karun-4) are proposed. Based on preliminary investigations (Karun-2,3 Development Project, Power Studies, 1986), it is found that for each storage site there were alternative schemes, i.e.,

- i) a single high dam at Karun-2 with a gross head of 300 meter, or two lower dams at Karun -2 and Karun-3,
- ii) Three possible sites between Km 544 and 564 at Karun-2, and
- iii) Three possible sites between Km 666 to 670 at Karun-4, which are named Karun-4 up & mid and down dam sites.

These investigations finally proposed 3 potential reservoir sites and one run-of-river hydropower site which are to be developed. The Table 5.21 gives the details of these dam sites. Monthly distribution of reservoir evaporation for different dam sites are shown in Table 5.22.

Since the Karun river system is partially developed, in terms of irrigation utilization, the potential irrigation area of the total system is classified in the two developmental categories:

- Case 1. Existing development with an irrigation area of 326000 ha, and
- Case 2. Full development with major projects with an irrigation area of 450000 ha.

Based on above categories several Multi Irrigation areas with different crop patterns as well as with different irrigation water requirements have been identified by the project authorities. The Figures 5.12 and 5.13. schematically show the entire Karun river system and multi irrigation areas for existing and full development scenarios respectively. The details of irrigation potential are given in Tables 5.23 and 5.24. Also, Volume vs Elevation and Area Curves for reservoir at each of the Dam

Sites are shown in Figures 5.14 to 5.33. It is required to examine the technical feasibility, economical viability of this basin development. There can be various alternatives depending upon the configurations of the reservoir/sites in the basin. In the first instance, alternative combinations, capacities and project targets of 5 major dams, i.e., Karun-1, Karun-2, Karun-3, Karun-4, Dez, and Godar-e-Landar run-of-river hydroplant are proposed to be investigated.

The various proposed alternative configurations of the above system to be studied are shown in Table 5.25, based on various project proposals and engineering considerations. These are to be analyzed using the approach mentioned in the Chapter 1, for deciding the optimal system configuration and the optimal project targets.

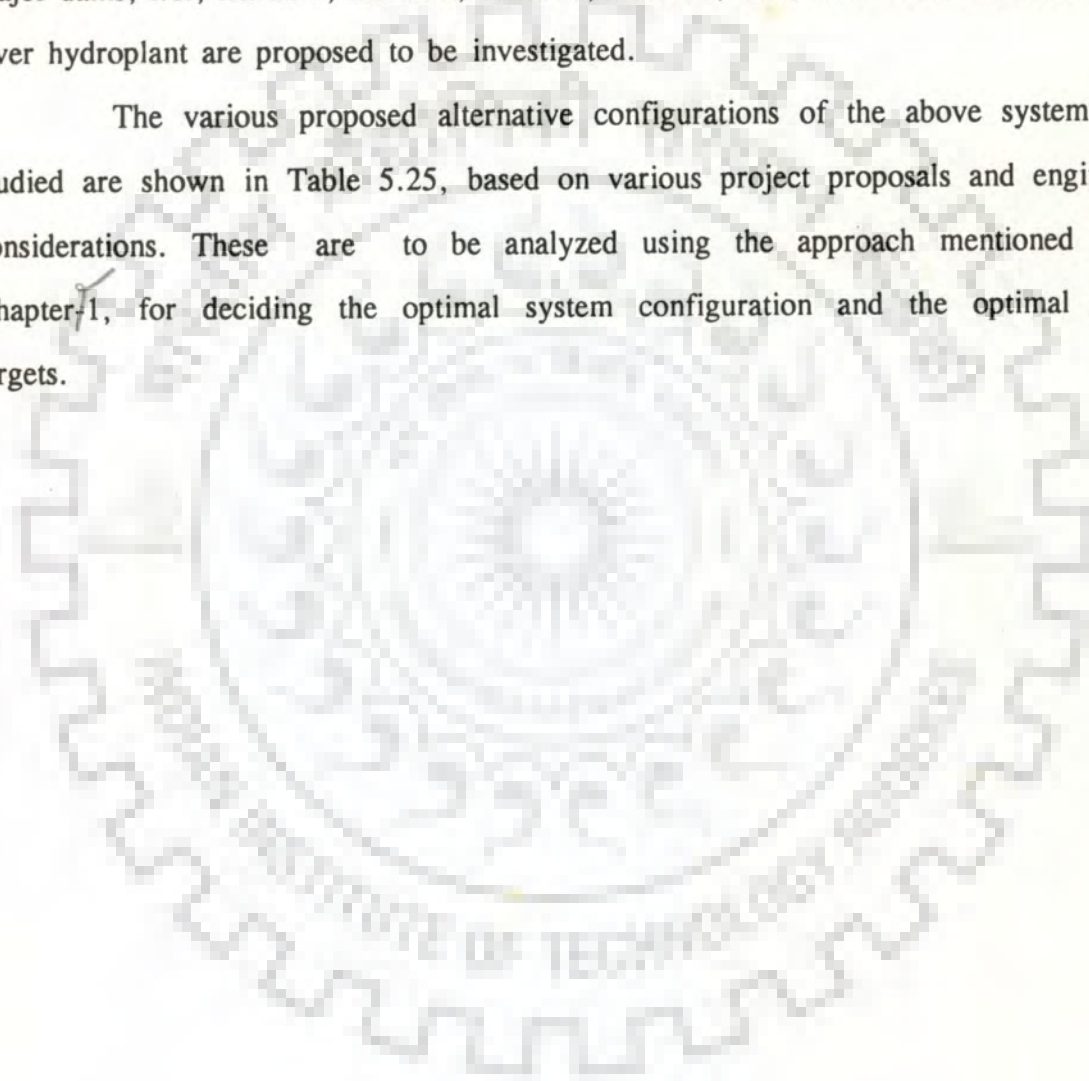


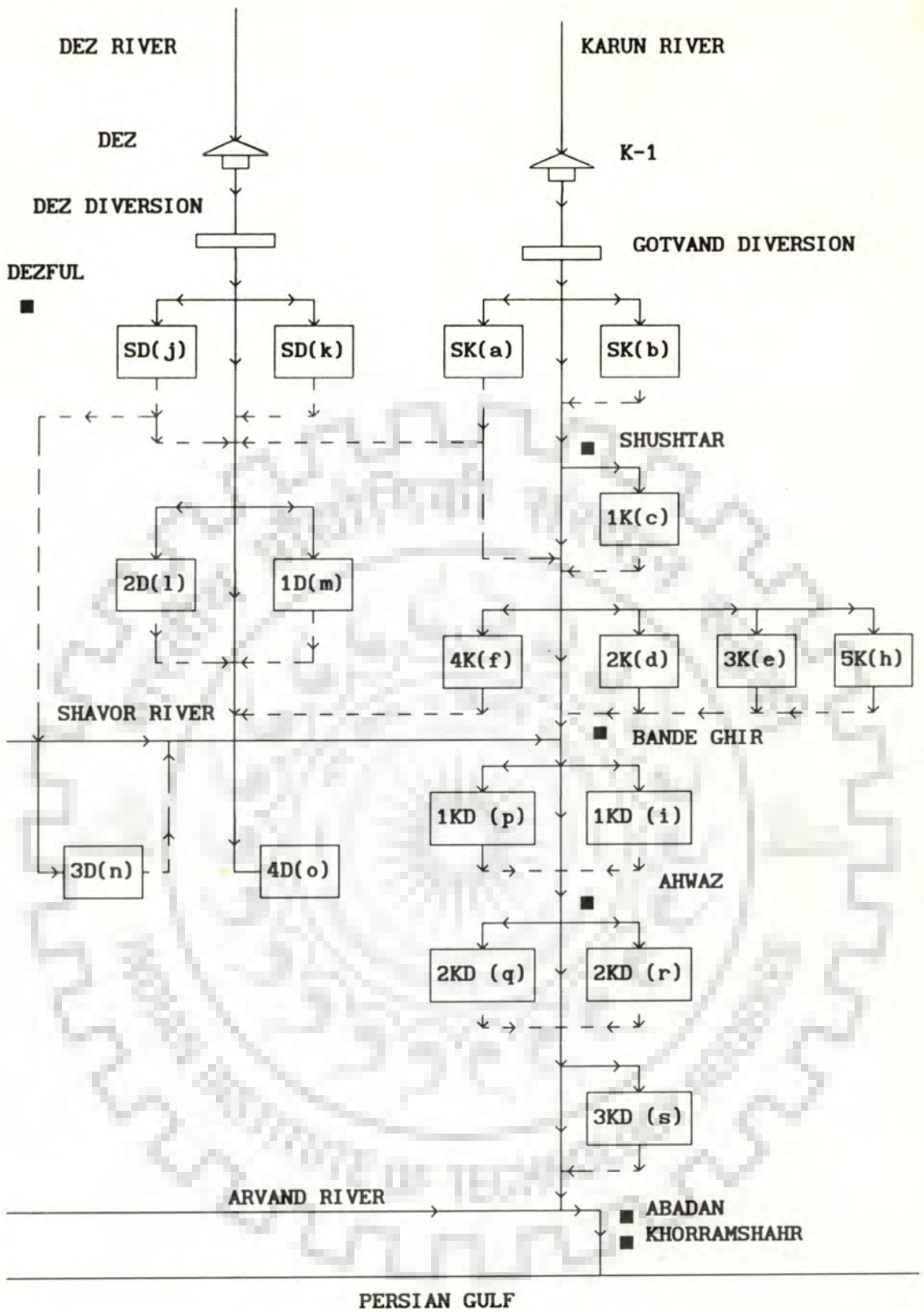
Table 5.21: Pertinent Features of Dam Sites in Karun River Basin

NO.	Description	Site	CA (Km ²)	Annual Catchment Yield (m.c.m.)	Storage(m.c.m.)		
					Live	Dead	Gross
1.	Karun-4 Dam Site*	1	14 590	470.5	860	1176	2036
2.	Karun-3 Dam Site*	2	22 913	774.5	1345	930	2275
3.	Karun-2 Dam Site*	3	24 120	815.8	2373	2300	4673
4.	Karun-1 Dam Site	4	25 852	990.7	1740	1280	3020
5.	Godar-e-Landar Run-of-river Hydropower Plant*	5	26 997	974.3	-	-	-
6.	Dez Dam Site	6	17 429	683.0	2510	830	3340

* Under investigation.

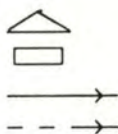
Table 5.22 : Monthly Distribution of Reservoir Evaporation at Karun River Dam Sites Unit:In mm

NO.	Dam Site	Jan.	Feb.	Mar	Apr.	May	Jun.	Jul.	Aug.	Sep.	Oct.	Nov.	Dec.	Annual
1.	Karun - 4 Dam Site	48.9	60.7	72.8	117.0	164.0	214.1	257.0	279.3	237.9	163.5	82.5	58.7	1754.6
2.	Karun - 3 Dam Site	40.0	48.3	70.0	94.4	166.0	264.0	277.0	265.0	235.0	165.0	95.5	57.8	1778.0
3.	Karun - 2 Dam Site	40.0	48.3	70.0	94.4	166.0	264.0	277.0	265.0	235.0	165.0	95.5	57.8	1778.0
4.	Karun - 1 Dam Site	35.5	40.3	55.2	87.2	142.9	234.2	292.3	298.3	253.9	166.7	94.4	48.5	1749.3
5.	Godar - e - Landar Run - of - river Hydropower Plant	54.4	50.2	72.8	110.3	187.5	267.7	281.1	275.7	261.3	197.1	123.9	72.8	1954.8
6.	Dez Dam Site	59.7	67.0	92.9	137.4	210.8	303.0	342.6	326.0	299.0	216.4	132.7	75.9	2263.4



LEGEND

RESERVOIR
 HYDROPLANT
 IRRIGATION FLOW DEMAND
 RETURN FLOW



RUN-OF-RIVER HYDROPOWER
 PLANT
 DIVERSION
 IRRIGATION AREA
 CITY

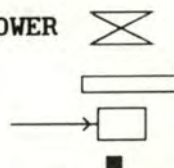


Fig. 5.12 : Schematic Diagram of Karun River System - Existing Development

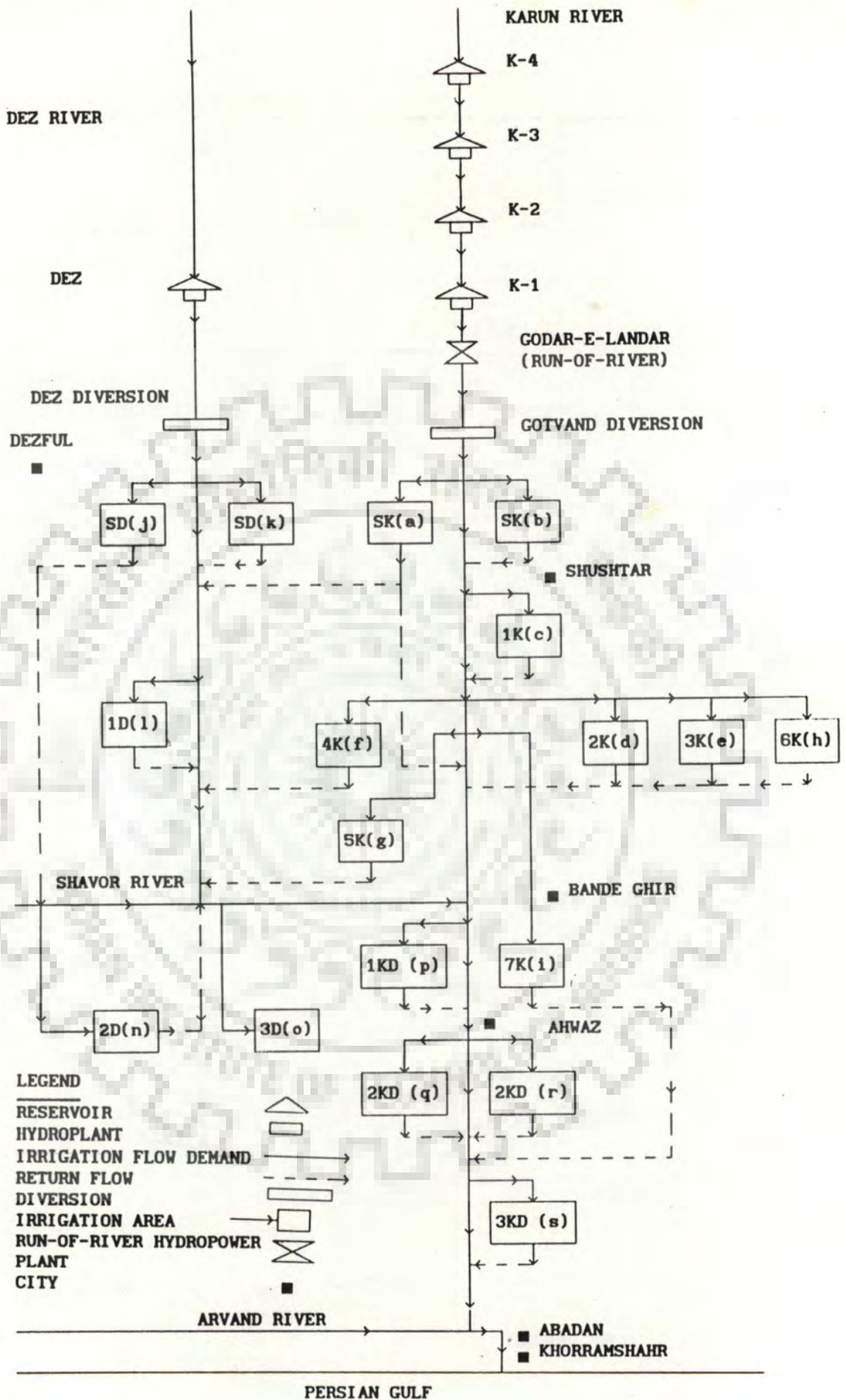


Fig. 5.13 : Schematic Diagram of Karun River System - Full Development

Table 5.23 : Potential of Self & Multi Irrigation Areas of Karun River Basin (Existing Development)

NO.	Irrigation Area	Total Cultivable Area (ha)	Total Annual Irrigation requirement in m.c.m.
1.	SK (Self Karun)	14000	252.0
2.	1K	70	1.5
3.	2K	20930	376.0
4.	3K	6900	124.0
5.	4K	14260	257.0
6.	5K	1760	32.0
7.	SD (Self Dez)	100100	1802.0
8.	1D	15990	288.0
9.	2D	16220	292.0
10.	3D	16100	290.0
11.	4D	1800	32.0
12.	1KD	30250	786.0
13.	2KD	61410	1597.0
14.	3KD	26000	676.0
		325790	6805.5

Table 5.24 : Potential of Self & Multi Irrigation Areas of Karun River Basin (Full Development)

NO.	Irrigation Area	Total Cultivable Area (ha)	Total Annual Irrigation requirement in m.c.m.
1.	SK (Self Karun)	40000	720.0
2.	1K	170	3.0
3.	2K	6900	124.0
4.	3K	25800	465.0
5.	4K	1495	27.0
6.	5K	33700	607.0
7.	6K	4715	85.0
8.	7K	17000	306.0
9.	SD (Self Dez)	105700	1902.0
10.	1D	20470	368.0
11.	2D	17710	319.0
12.	3D	15640	282.0
13.	1KD	25900	673.0
14.	2KD	92230	2398.0
15.	3KD	41500	1079.0
		448930	9359.0

✓ **Table 5.25: Proposed alternative Configurations for reservoirs/sites in Karun River Basin**

✓

Site Alternatives	Karun-1 Dam	Karun-2 Dam	Karun-3 Dam	Karun-4 Dam	Dez Dam	Godar-e-Landar Run-of-river Power plant
1	YES	YES	YES	YES	YES	YES
2	YES	NO	YES	YES	YES	YES
3	YES	YES	NO	YES	YES	YES
4	YES	YES	YES	NO	YES	YES
5	YES	YES	NO	NO	YES	YES
6	YES	NO	YES	NO	YES	YES
7	YES	NO	NO	YES	YES	YES
8	YES	NO	NO	NO	YES	YES

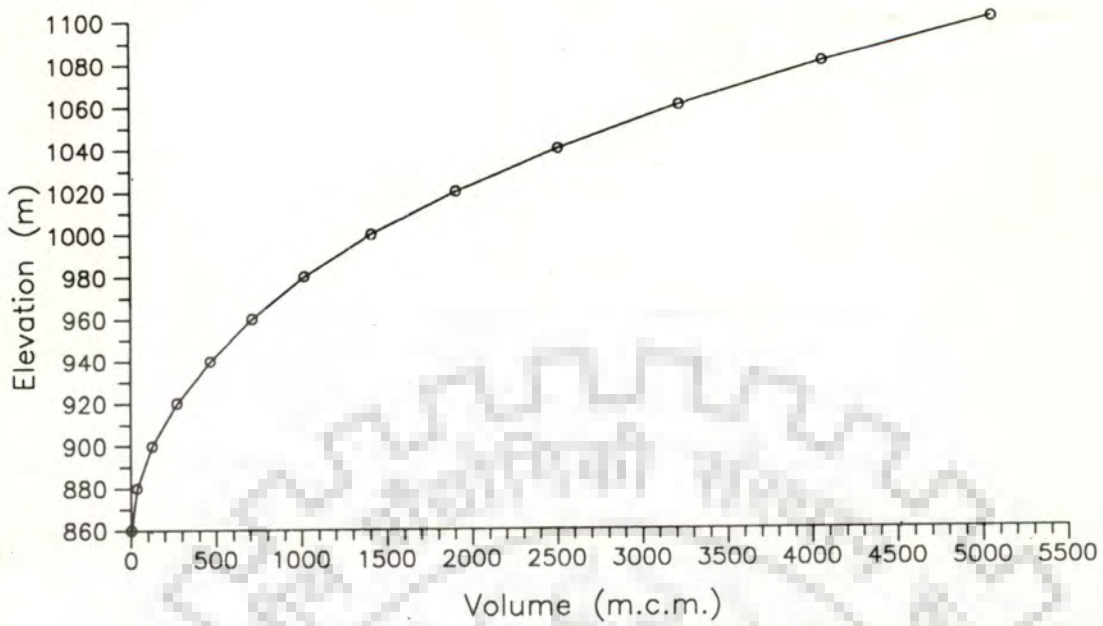


Fig. 5.14 : Reservoir Volume vs. Elevation for Karun-4 (Up Dam Site)

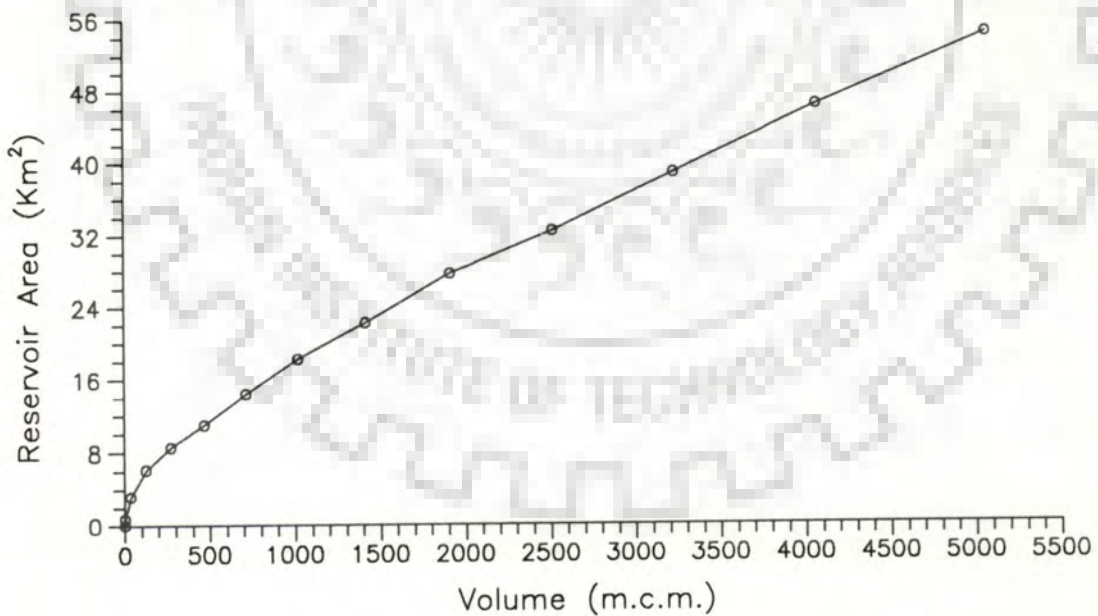


Fig. 5.15 : Reservoir Volume vs. Area for Karun-4 (Up Dam Site)

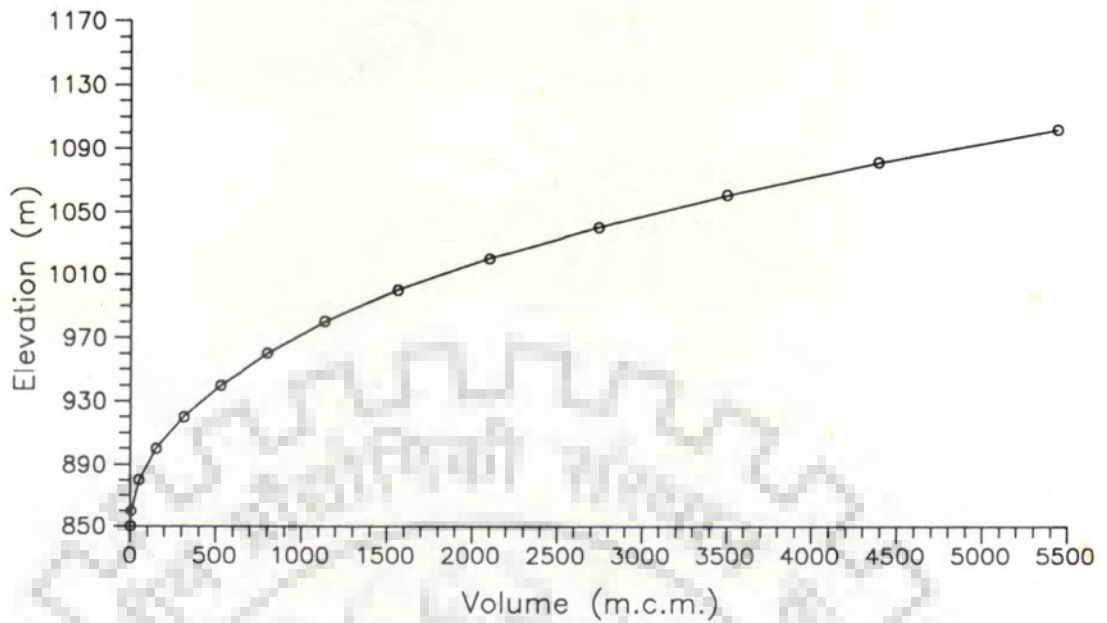


Fig. 5.16 : Reservoir Volume vs Elevation for Karun-4 (Mid Dam Site)

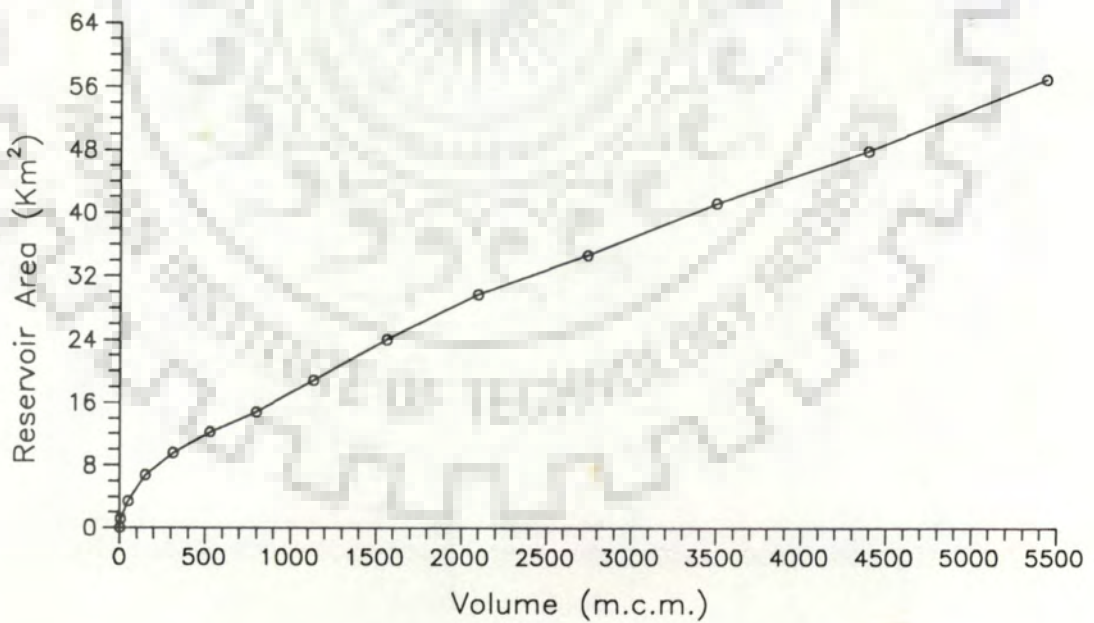


Fig. 5.17 : Reservoir Volume vs Area for Karun-4 (Mid Dam Site)

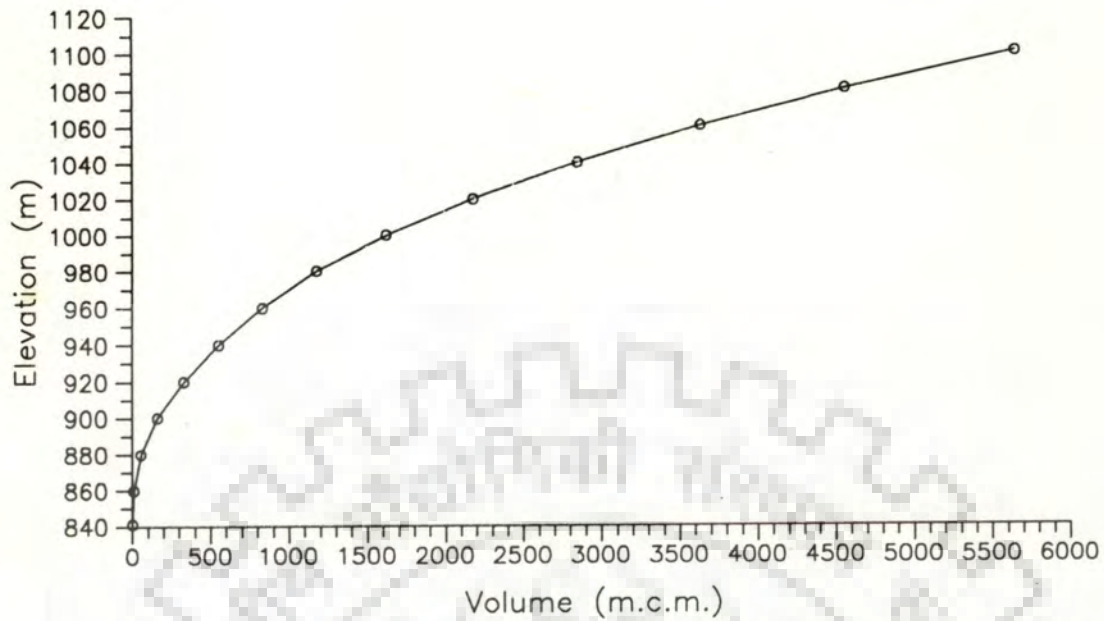


Fig. 5.18 : Reservoir Volume vs Elevation for Karun-4 (Down Dam Site)

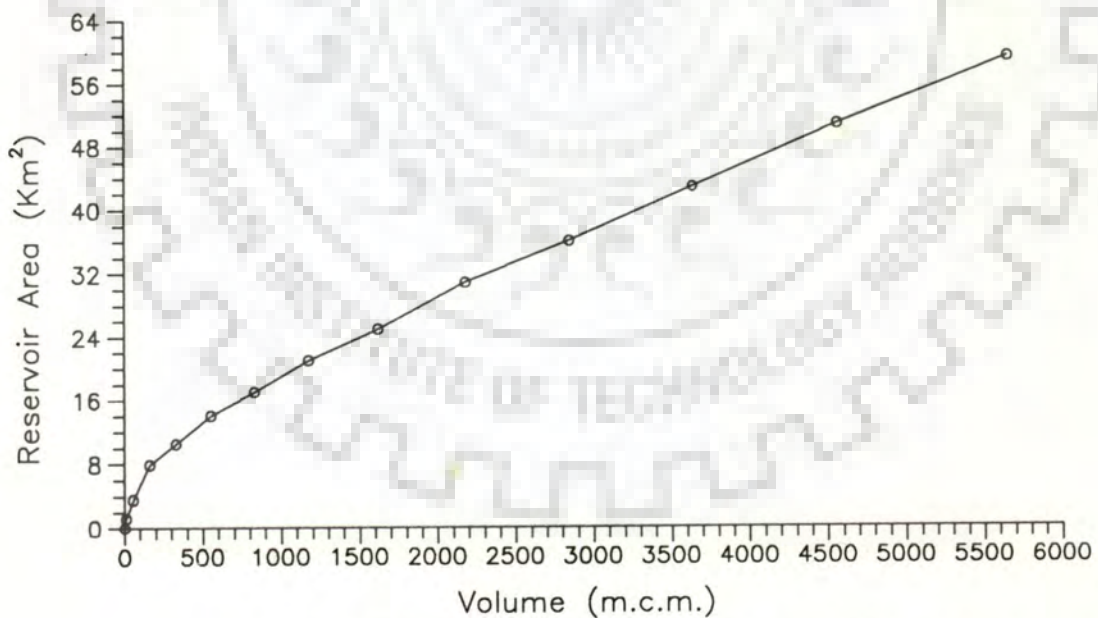


Fig. 5.19 : Reservoir Volume vs Area for Karun-4 (Down Dam Site)

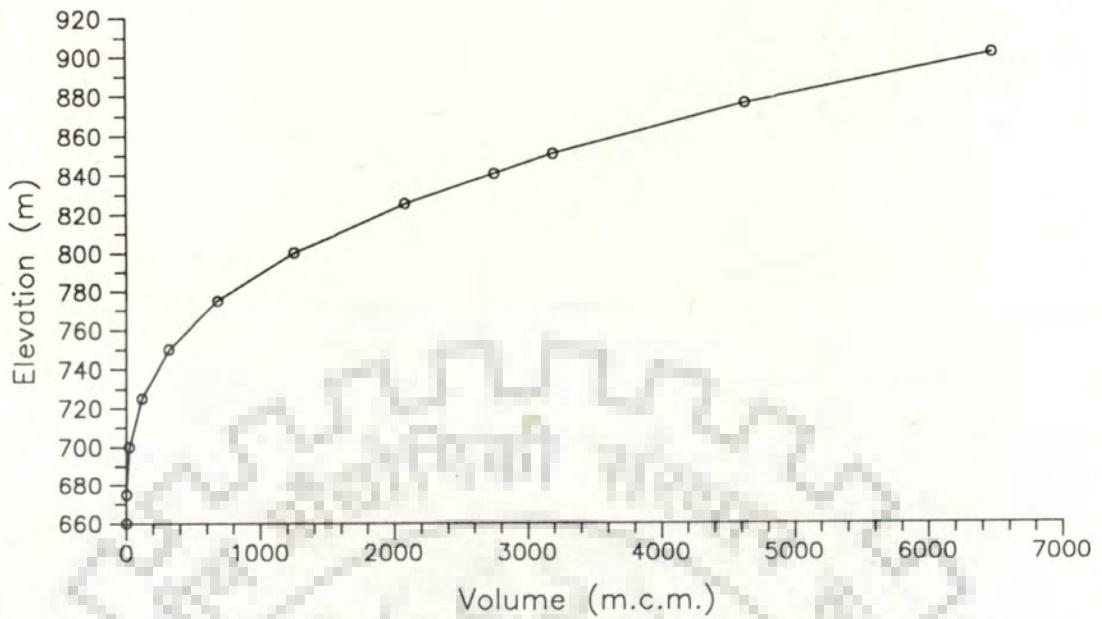


Fig. 5.20 : Reservoir Volume vs Elevation for Karun-3 Dam Site

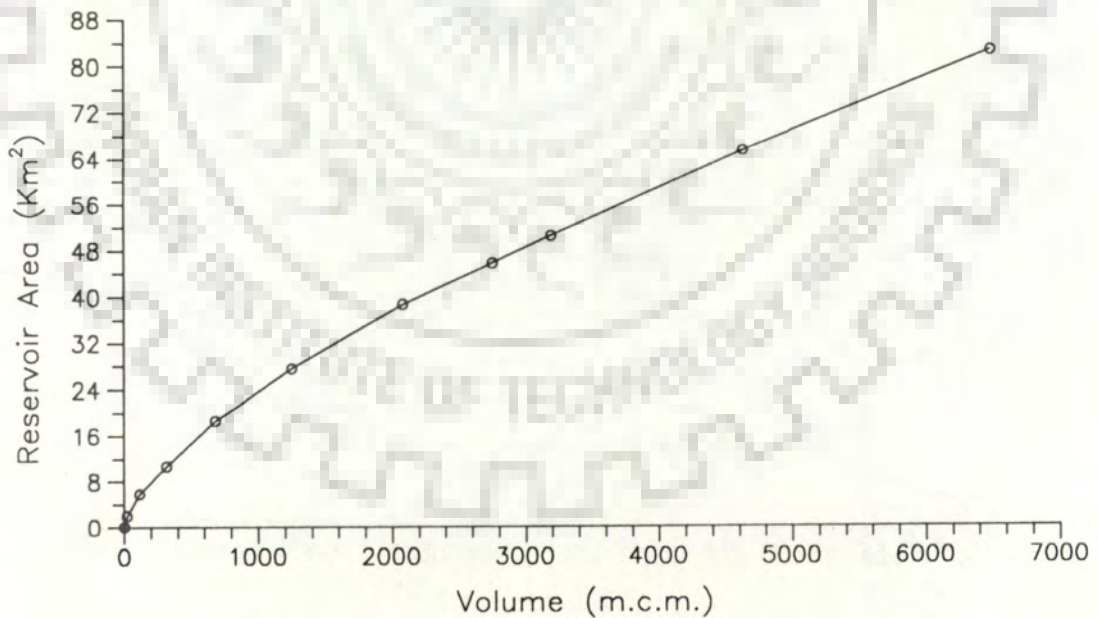


Fig. 5.21 : Reservoir Volume vs Area for Karun-3 Dam Site

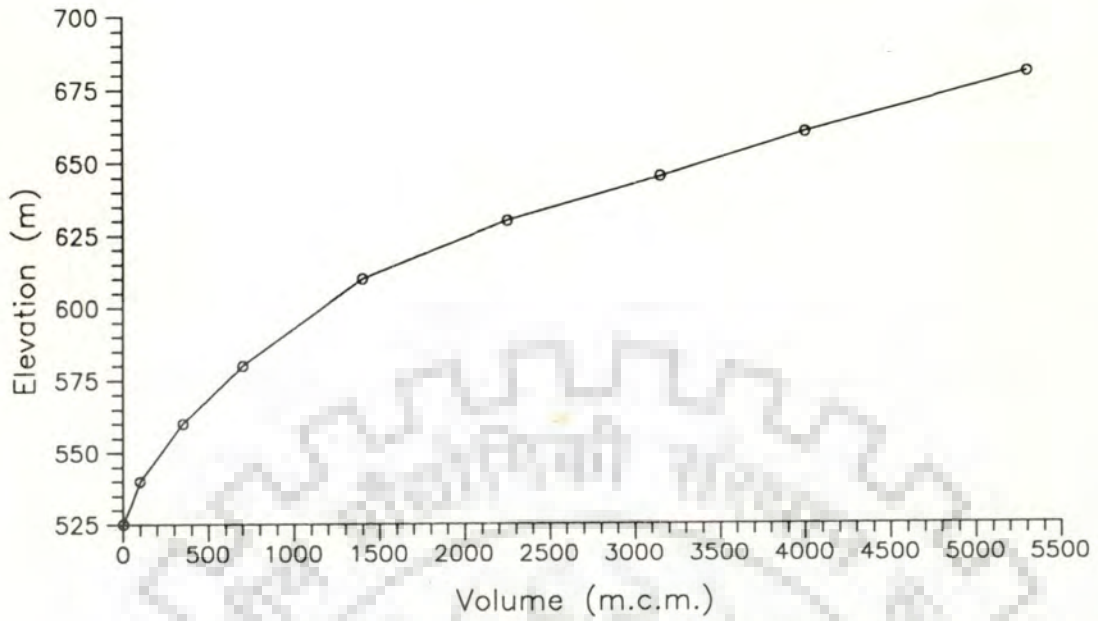


Fig. 5.22 : Reservoir Volume vs Elevation for Karun-2 Dam Site

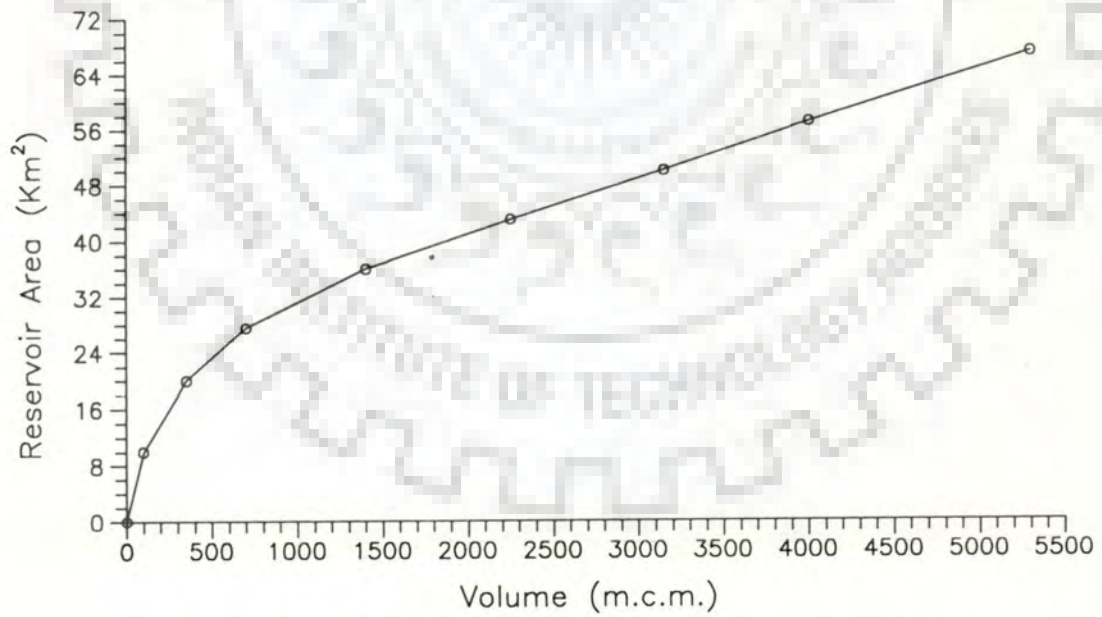


Fig. 5.23 : Reservoir Volume vs Area for Karun-2 Dam Site

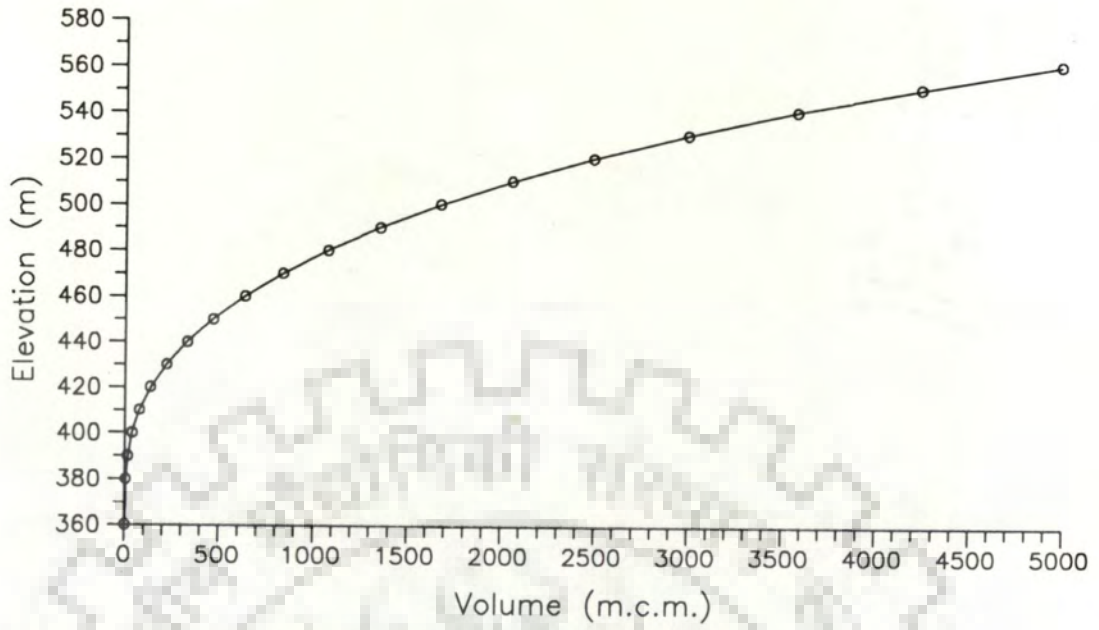


Fig. 5.24 : Reservoir Volume vs Elevation for Karun-1 Dam Site

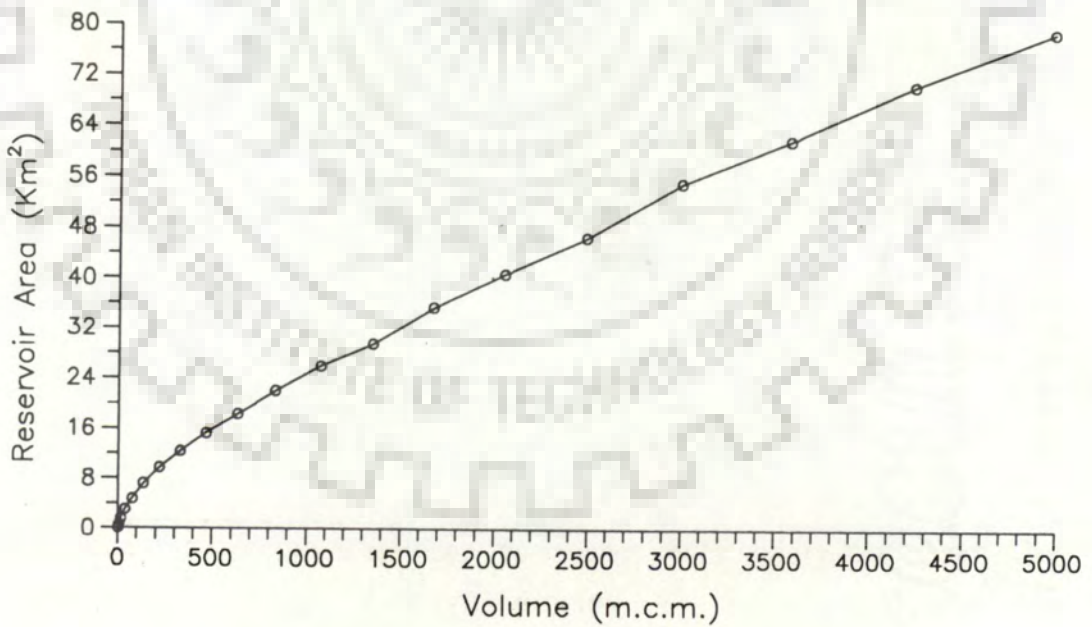


Fig. 5.25 : Reservoir Volume vs Area for Karun-1 Dam Site

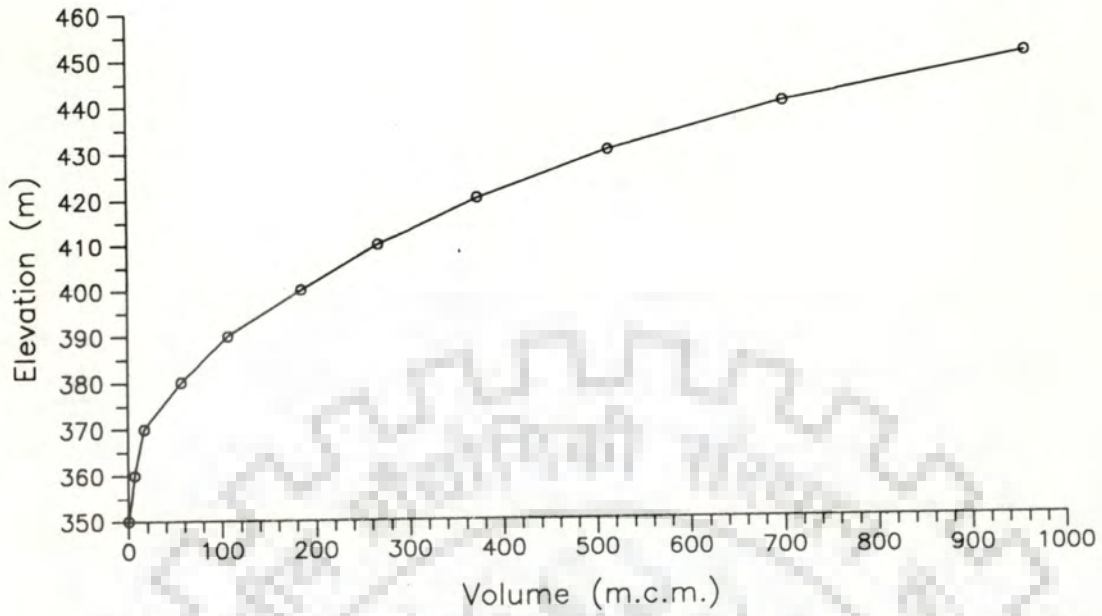


Fig. 5.26 : Reservoir Volume vs Elevation for Godar-e-Landar (Tunnel Scheme)

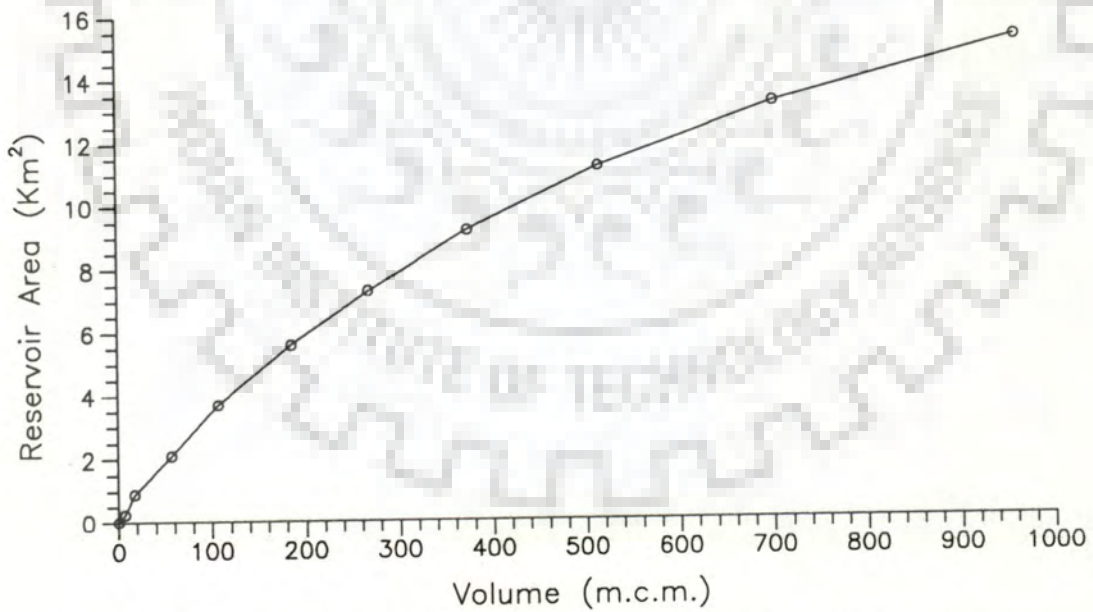


Fig. 5.27 : Reservoir Volume vs Area for Godar-e-Landar (Tunnel Scheme)

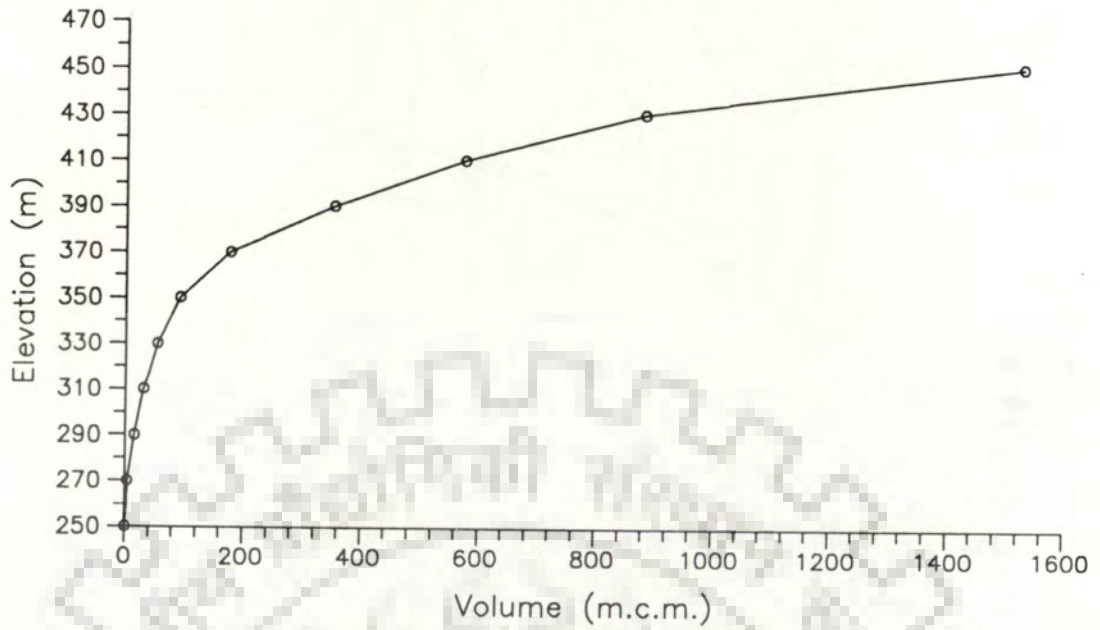


Fig. 5.28 : Reservoir Volume vs Elevation for Godar-e-Landar (Up Dam Site)

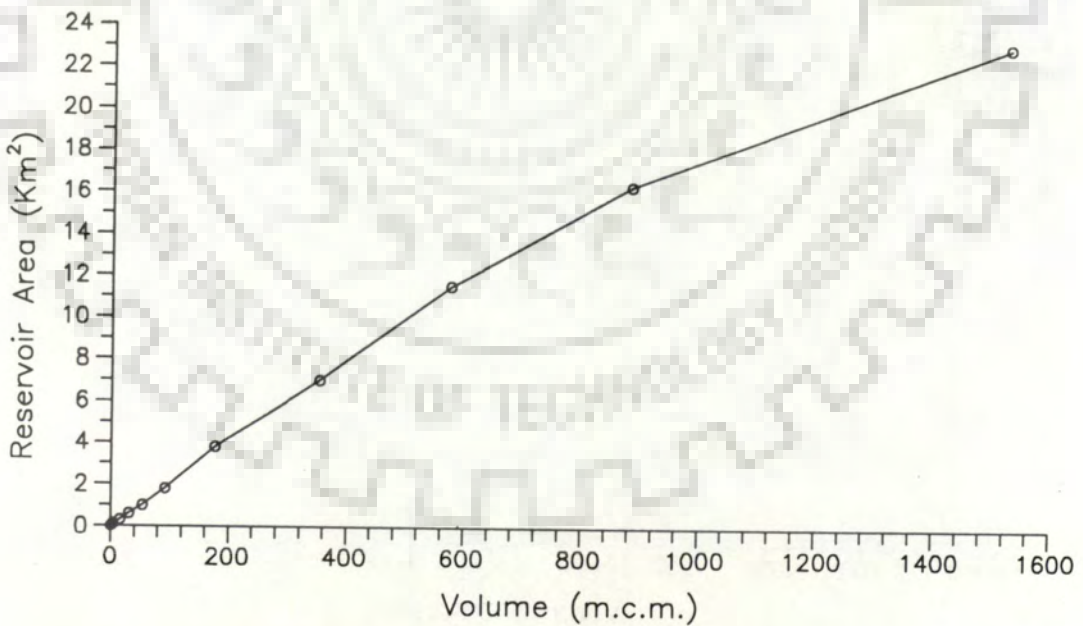


Fig. 5.29 : Reservoir Volume vs Area for Godar-e-Landar (Up Dam Site)

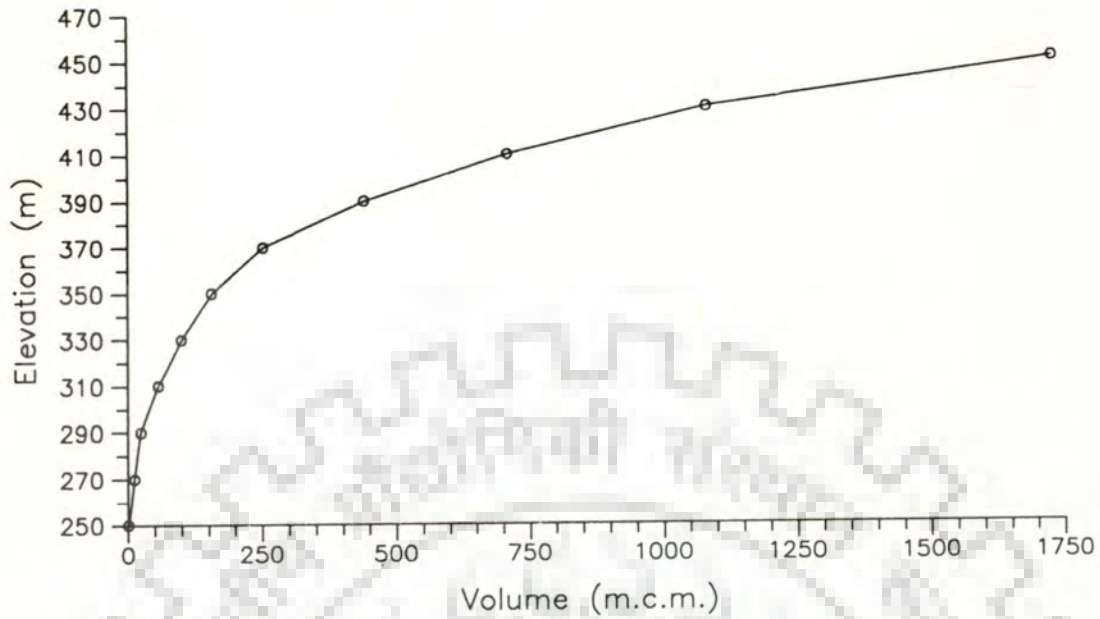


Fig. 5.30 : Reservoir Volume vs Elevation for Godar-e-Landar (Down Dam Site)

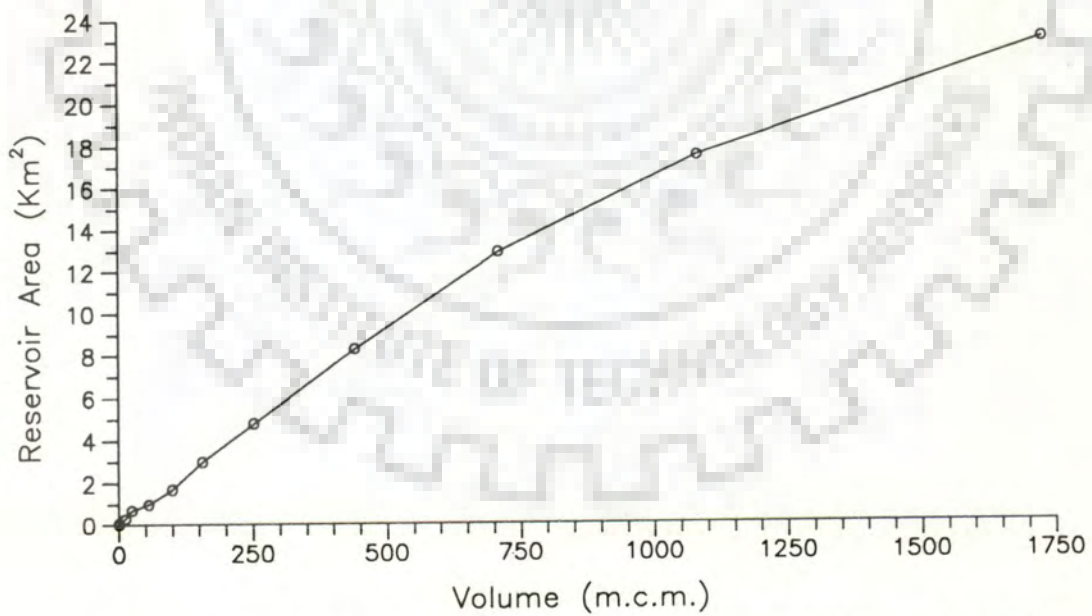


Fig.5.31 : Reservoir Volume vs Area for Godar-e-Landar (Down Dam Site)

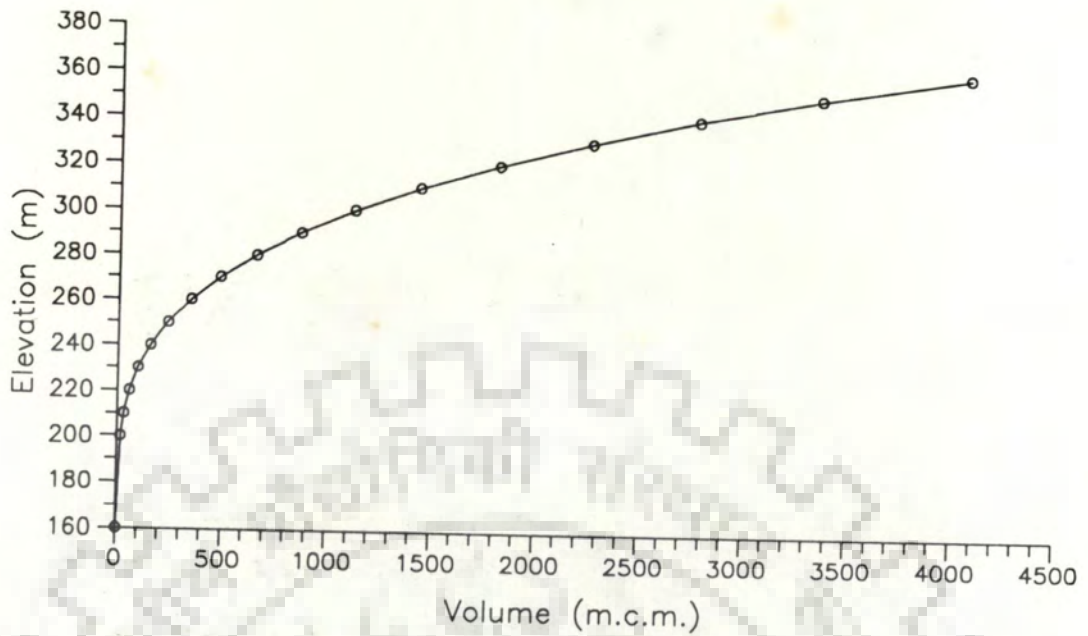


Fig. 5.32 : Reservoir Volume vs Elevation for Dez Dam Site

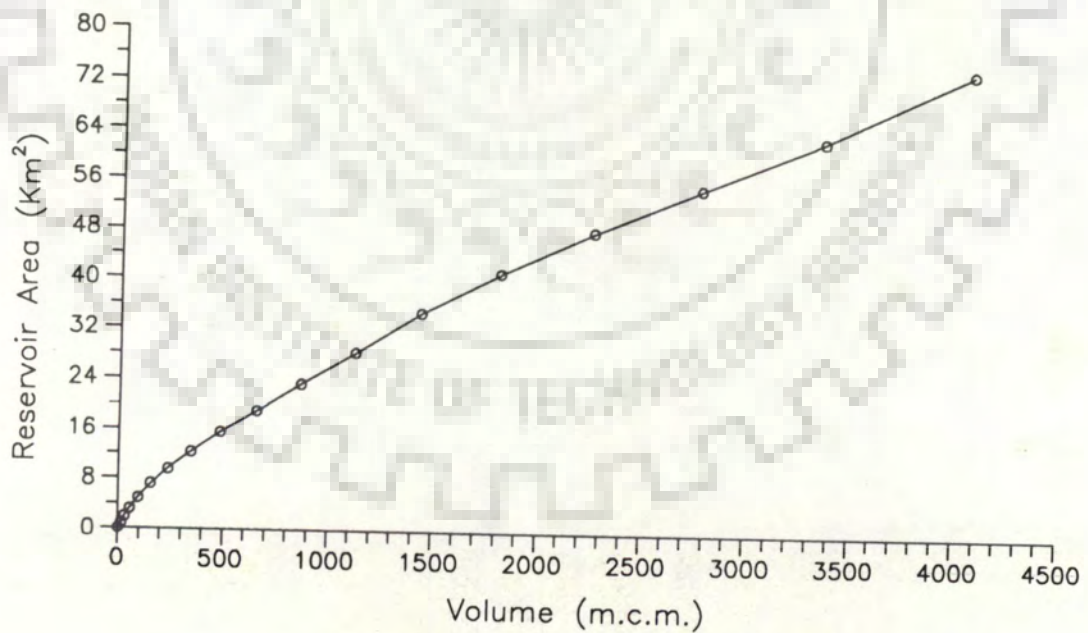


Fig. 5.33 : Reservoir Volume vs Area for Dez Dam Site

CHAPTER-VI

DEVELOPMENT OF SOFTWARE FOR INPUT DATA MATRIX GENERATION FOR LINEAR PROGRAMMING MODEL

(INDEMAG PACKAGE)

DEVELOPMENT OF SOFTWARE FOR INPUT DATA MATRIX GENERATION FOR LINEAR PROGRAMMING MODEL (INDMAG PACKAGE)

6.1 INTRODUCTION

Computer technology has already exerted a major impact on water resources. It can not be doubted that such an impact will continue to accelerate with the further growth and evolution of computer technology. Increasingly ambitious computations will be made possible by increasingly powerful and effective machines and by new software production methods (Bugliarello, 1987). Meanwhile, computer packages for addressing water resources problems are being developed and implemented which incorporate advance computer-based capabilities for several purposes. But procedure of utilization of these packages vary from packages to packages as well as from problem to problem (Bhattacharya, 1987 ; Srivastava, 1991; and Suryawanshi, 1987). Standard Linear Programming packages like MPS (Mathematical Programming System) of the IBM computers (Mathematical programming system-extended, 1972), and LINGO, of LINDO systems Inc./are efficient and generalized computer packages. These packages cater the needs for all types of operation research problems in linear programming. In a very standard format the input data matrix of the non-zero elements of the set of constraint equations is fed to the computer. This technique may be simple and fool proof but the data handling is extensive. In fact, a few number of users in the field of systems analysis can have access to these computer packages. In spite of the availability of several computer programmes for linear programming in the books or otherwise, the data feeding is extensive. These programmes are neither very efficient nor generalized with regard to feeding of the input data matrix. The entire matrix of zero and non-zero elements of the

constraint equations are to be prepared on paper and is then fed as the input data (Srivastava, 1991). In this chapter a generalised computer algorithm has been presented to generate the input data matrix of the non zero elements for the set of constraint equations of the Linear Programming Model presented in Chapter 3 of a complex water resources system. This has to be appended as a subroutine sub programme to the main computer programme on linear programming (Appendix 6.1).

6.2 THE INPUT DATA IN MATRIX FORM

The modeled constraint equations and the objective function given in Chapter 3 are rewritten below, by arranging the variables in the following sequence:

$$O_{i,t}, S_{i,t-1}, S_{i,t}, Y_i, Sp_{i,t}, Y_{max,i,t}, O_{i,t}^0,$$

$$O_{i,t}^j = i + L + 1, \dots, O_{i,t}^j = i + L + Q, Ir_i,$$

$$Ir_j^i =, \dots, Ir_j^i =, H_i, E_i, E_{i,t}^T \text{ and } E_{i,t}.$$

where,

i = i^{th} reservoir / site,

L = number of parallel reservoirs (excluding i^{th} reservoir), i.e., total number of parallel reservoirs are, $(L + 1)$. In case there is no reservoir in parallel, $L=0$,

Q = total number of multi-irrigation areas,

j = j^{th} multi-irrigation areas, and

t = any time period.

6.2.1 Reservoir Constraints

$$O_{i,t} - (1-a_{i,t}) S_{i,t-1} + (1+a_{i,t}) S_{i,t} = F_{i,t} + P_{i,t} + I_{i,t}$$

$$-A_0 e_{i,t}^0 - O_{i,t}^d - O_{i,t}^m \quad \text{for all } i \text{ and } t \quad (3.4)$$

$$S_{i,t-1} - Y_i \leq 0 \quad \text{for all } i \text{ and } t \quad (3.7)$$

$$S_{i,t-1} \geq Yd_i \quad \text{for all } i \text{ and } t \quad (3.8)$$

6.2.2 Flood Control Constraint

$$S_{i,t-1} - Y_{\max_{i,t}} \leq 0 \quad \text{for all } i \text{ and } t \quad (3.18)$$

6.2.3 Irrigation Constraints

$$-O_{p,t}^0 + K_{p,t} Ir_p \leq I_{p,t}'' \quad \text{for all } p \text{ and } t \quad (3.19)$$

where, $p = i, i+1, \dots, i+L$.

$$-\left\{ \sum_{p=i}^{i+L} O_{p,t}^j \right\} + \left\{ \sum_{p=i}^{i+L} K_{j,t} Ir_p^p \right\} \leq I_{j,t}'' \quad \text{for all } j \text{ and } t \quad (3.20)$$

where,

$j = i + L + 1, i + L + 2, \dots, i + L + Q$.

$$O_{p,t} - Sp_{p,t} - O_{p,t}^0 - \left\{ \sum_{j=i+L+1}^{i+L+Q} O_{p,t}^j \right\} = 0 \quad \text{for all } p \text{ and } t \quad (3.21)$$

$$Ir_j - \sum_{p=1}^{i+L} Ir_p^p = 0 \quad \text{for all } j \quad (3.22)$$

6.2.4 Hydroelectric Energy Constraints

$$-(C_f e_i He_{i,t}) * O_{i,t} + E_{i,t}^T = 0 \quad \text{for all } i \text{ and } t \quad (3.23)$$

$$-(\alpha_{i,t} h_{i,t}) H_i + E_{i,t}^T = 0 \quad \text{for all } i \text{ and } t \quad (3.24)$$

$$-\eta_{i,t} E_i + E_{i,t}^T - E_{i,t} = 0 \quad \text{for all } i \text{ and } t \quad (3.25)$$

6.2.5 The Objective Function

$$\begin{aligned} \text{Max : } & \left[\sum_t \left(a_{4,i} - C'_{1,i} - Om'_{1,i} \right) Y_i - \left[\sum_t \left(a_{4,i} Y_{\max_{i,t}} \right) \right] + \right. \\ & \left. \left[a_{2,i} - \left(C'_{2,i} + Om'_{2,i} \right) \right] Ir_i - \left[C'_{3,i} + Om'_{3,i} \right] H_i + a_{3,i} E_i \right] \end{aligned} \quad (3.26)$$

Also, further we may put,

$$b_{i,t} = \left(1 - \bar{a}_{i,t} \right); \quad d_{i,t} = \left(1 + \bar{a}_{i,t} \right);$$

$$X_{i,t} = F_{i,t} + P_{i,t} + I_{i,t} - Ao_i e_{i,t}^o - O_{i,t}^d - O_{i,t}^m \quad \text{in Equation} \quad (3.4)$$

$$R_{i,t} = C_f e_i H_{e_{i,t}} \quad \text{in Equation} \quad (3.23)$$

$$T_{i,t} = \alpha_{i,t} h_{i,t} \quad \text{in Equation} \quad (3.24)$$

and

$$M_i = \left[\sum_t a_{4,i} \right] - \left[C'_{1,i} + Om'_{1,i} \right]; \quad U_i = a_{4,i};$$

$$V_i = a_{2,i} - \left[C'_{2,i} + Om'_{2,i} \right];$$

$$Z_i = \left[C'_{3,i} + Om'_{3,i} \right]; \text{ and } D_i = a_{3,i}, \text{ in the objective function.}$$

6.2.6 The Data Matrix in Detached Coefficient Form

In order to explain the principle of the computer algorithm the above constraint equations are opened and have been written for 2 reservoirs and 2 multi-irrigation areas, i.e., $i = 1, L = 1, Q = 2,$ and $t=2$ (Figure 6.1).

6.2.6.1 Reservoir constraints for site 1, and time periods t=1 & 2

Here, $i = 1$, and the constraint equations are,

$$O_{1,1} - b_1 S_{1,0} + d_{1,1} S_{1,1} = X_{1,1} \quad \text{for } t = 1 \quad (6-4-1-1)$$

$$O_{1,2} + d_{1,2} S_{1,0} - b_{1,2} S_{1,1} = X_{1,2} \quad \text{for } t = 2 \quad (6-4-1-2)$$

Since there is no U/S reservoir $F_{1,1} = I_{1,1}$ and $F_{1,2} = I_{1,2}$ in $X_{1,1}$ and respectively. Also, it is assumed that, $S_{1,2} = S_{1,0}$

$$S_{1,0} - Y_1 \leq 0 \quad \text{for } t = 1 \quad (6-7-1-1)$$

$$S_{1,1} - Y_1 \leq 0 \quad \text{for } t = 2 \quad (6-7-1-2)$$

$$S_{1,0} \geq Yd_1 \quad \text{for } t = 1 \quad (6-8-1-1)$$

$$S_{1,1} \geq Yd_1 \quad \text{for } t = 2 \quad (6-8-1-2)$$

It is assumed that flood provision is only for first time period, i.e.,

$$S_{1,0} - Y_{\max 1,1} \leq 0 \quad \text{for } t = 1 \quad (6-18-1-1)$$

6.2.6.2 Irrigation constraints for sites 1 & 2, multi-irrigation areas 3 & 4, and time periods t = 1 & 2

Since, reservoirs 1 and 2 are parallel with each other, $i=1$ for reservoir 1, and here,

$p = i, \dots, i + L$, or $p = 1$ to 2, and

$j = i + L + 1, \dots, i + L + Q$, or $j = 3$ to 4, and the constraint equations are,

$$-O_{1,1}^0 + K_{1,1} Ir_1 \leq I_{1,1}'' \quad \text{for } t = 1 \quad (6-19-1-1)$$

$$-O_{1,2}^0 + K_{1,2} Ir_1 \leq I_{1,2}'' \quad \text{for } t = 2 \quad (6-19-1-2)$$

$$-O_{1,1}^3 + K_{3,1} Ir_3^1 \leq I_{3,1}'' \quad \text{for } t = 1 \quad (6-20-1-1)$$

$$-O_{1,2}^3 + K_{3,2} Ir_3^1 + \leq I_{3,2}'' \quad \text{for } t = 2 \quad (6-20-1-2)$$

$$O_{1,1} - Sp_{1,1} - O_{1,1}^0 - O_{1,1}^3 - O_{1,1}^4 = 0 \quad \text{for } t = 1 \quad (6-21-1-1)$$

$$O_{1,2} - Sp_{1,2} - O_{1,2}^0 - O_{1,2}^3 - O_{1,2}^4 = 0 \quad \text{for } t = 2 \quad (6-21-1-2)$$

$$-O_{2,1}^0 + K_{2,1} Ir_2 \leq I_{2,1}'' \quad \text{for } t = 1 \quad (6-19-2-1)$$

$$-O_{2,2}^0 + K_{2,2} Ir_2 \leq I_{2,2}'' \quad \text{for } t = 2 \quad (6-19-2-2)$$

$$-O_{1,1}^4 + K_{4,1} Ir_4^1 - O_{2,1}^4 + K_{4,1} Ir_4^2 \leq I_{4,1}'' \quad \text{for } t = 1 \quad (6-20-2-1)$$

$$-O_{1,2}^4 + K_{4,2} Ir_4^1 - O_{2,2}^4 + K_{4,2} Ir_4^2 \leq I_{4,2}'' \quad \text{for } t = 2 \quad (6-20-2-2)$$

$$O_{2,1} - Sp_{2,1} - O_{2,1}^0 - O_{2,1}^4 = 0 \quad \text{for } t = 1 \quad (6-21-2-1)$$

$$O_{2,2} - Sp_{2,2} - O_{2,2}^0 - O_{2,2}^4 = 0 \quad \text{for } t = 2 \quad (6-21-2-2)$$

$$Ir_3 - Ir_3^1 = 0 \quad (6-22-1-1)$$

$$Ir_4 - Ir_4^1 - Ir_4^2 = 0 \quad (6-22-1-2)$$

6.2.6.3 Hydroelectric constraints for site 1, & time periods t=1 & 2

Here, $i = 1$, and the constraint equations are,

$$-R_{1,1} * O_{1,1} + E_{1,1}^T = 0 \quad \text{for } t = 1 \quad (6-23-1-1)$$

$$-R_{1,2} * O_{1,2} + E_{1,2}^T = 0 \quad \text{for } t = 2 \quad (6-23-1-2)$$

$$-T_{1,1}^* H_1 + E_{1,1}^T = 0 \quad \text{for } t = 1 \quad (6-24-1-1)$$

$$-T_{1,2}^* H_1 + E_{1,2}^T = 0 \quad \text{for } t = 2 \quad (6-24-1-2)$$

$$-\eta_{1,1} E_1 + E_{1,1}^T - E_{1,1} = 0 \quad \text{for } t = 1 \quad (6-25-1-1)$$

$$-\eta_{1,2} E_1 + E_{1,2}^T - E_{1,2} = 0 \quad \text{for } t = 2 \quad (6-25-1-2)$$

6.2.6.4 Reservoir constraints for site 2, and time periods $t = 1$ & 2

Here, $i = 2$, and the constraint equations are,

$$O_{2,1} - b_{2,1} S_{2,0} + d_{2,1} S_{2,1} = X_{2,1} \quad \text{for } t = 1 \quad (6-4-2-1)$$

$$O_{2,2} + d_{2,2} S_{2,0} - b_{2,2} S_{2,1} = X_{2,2} \quad \text{for } t = 2 \quad (6-4-2-2)$$

Since there is no U/S reservoir $F_{2,1} = I_{2,1}$ and $F_{2,2} = I_{2,2}$ in $X_{2,1}$ and $X_{2,2}$ respectively. Also, it is assumed that, $S_{2,2} = S_{2,0}$

$$S_{2,0} - Y_2 \leq 0 \quad \text{for } t = 1 \quad (6-7-2-1)$$

$$S_{2,1} - Y_2 \leq 0 \quad \text{for } t = 2 \quad (6-7-2-2)$$

$$S_{2,0} \geq Yd_2 \quad \text{for } t = 1 \quad (6-8-2-1)$$

$$S_{2,1} \geq Yd_2 \quad \text{for } t = 2 \quad (6-8-2-2)$$

It is assumed that flood provision is only for first time period, i.e.,

$$S_{2,0} - Y_{\max 2,1} \leq 0 \quad \text{for } t = 1 \quad (6-18-2-1)$$

6.2.6.5 Hydroelectric constraints for site 2, and time periods t=1 & 2

Here, i=2, and the constraint equations are,

$$-R_{2,1} * O_{2,1} + E_{2,1}^T = 0 \quad \text{for } t = 1 \quad (6-23-2-1)$$

$$-R_{2,2} * O_{2,2} + E_{2,2}^T = 0 \quad \text{for } t = 2 \quad (6-23-2-2)$$

$$-T * H_2 + E_{2,1}^T = 0 \quad \text{for } t = 1 \quad (6-24-2-1)$$

$$-T_{2,2} * H_2 + E_{2,2}^T = 0 \quad \text{for } t = 2 \quad (6-24-2-2)$$

$$-\eta_{2,1} E_2 + E_{2,1}^T - E_{2,1} = 0 \quad \text{for } t = 1 \quad (6-25-2-1)$$

$$-\eta_{2,2} E_2 + E_{2,2}^T - E_{2,2} = 0 \quad \text{for } t = 2 \quad (6-25-2-2)$$

6.2.6.6 The objective function

The objective function coefficients can be written in the following manner:

$$\left(M_1 Y_1 - a_{4,1} Y_{\max_{1,1}} + V_1 Ir_1 - Z_1 H_1 + a_{3,1} E_1 \right) + \left(M_2 Y_2 - a_{4,2} Y_{\max_{2,1}} + V_2 Ir_2 - Z_2 H_2 + a_{3,2} E_2 \right) + \left(V_3 Ir_3 \right) + \left(V_4 Ir_4 \right) \quad (6.26)$$

The data Matrix in Detached Coefficient Form is given in Table 6.1.

6.3 ALGORITHM FOR CREATION OF DATA MATRIX

Based on the Detached Coefficients in Matrix Form of Table 6.1, a computer algorithm is presented below to create the desired Input Data Matrix for the Linear Programming Model. This computer algorithm based computer programme can be appended as a subroutine sub-programme to a available computer programme on Linear Programming. Before producing the algorithm, the following variables are defined below.

ICOLR or $C_{i,r}^R$ 1 = a Column Index Number (CIN), defining the location of a particular design variable (Y_i) and/or stating location of a set of series of time variant variables

$$(O_{i,t}, S_{i,t}, Sp_{i,t-1}, Y_{max_{i,t}}, O_{i,t}^0, O_{i,t}^{j=i+L+1}, \dots, O_{i,t}^{j=i+L+Q}) \text{ concerning } i^{\text{th}} \text{ reservoir,}$$

ICOLI or $C_{i,r}^I$ 2 = a Column Index Number (CIN), defining the location of a particular design variable,

$$(I_r, I_r^i_{j=i+L+1}, \dots, I_r^i_{j=i+L+Q}) \text{ concerning irrigation from } i^{\text{th}} \text{ reservoir,}$$

ICOLP or $C_{i,r}^P$ 3 = a Column Index Number (CIN), defining the location of a particular design variable (H_i, E_i) and/or starting location of a set of series of time variant variables ($E_{i,t}^T, \bar{E}_{i,t}$) concerning hydropower from i^{th} reservoir,

NCOLR = number of CIN's for reservoir, i.e; $r^1 = 1, \dots, \text{NCOLR,}$

NCOLI = number of CIN's for irrigation, i.e; $r^2 = 1, \dots, \text{NCOLI,}$

NCOLP = number of CIN's for power, i.e; $r^3 = 1, \dots, \text{NCOLP,}$

IROW = a counter for the total number of rows in the problem,

JCOL = a counter for the time increment (increment for the column number for the variables /parameters varying with time). A temporary variable,

JROW = a counter for the time increment (increment for the row number). A temporary variable,

A = the Coefficient Matrix,

B = the Right Hand Side Matrix,

C = the Objective Function Matrix,

CODE = the variable defining the nature of a constraint equation, and

MM = total time period for which the model is to be run.

The various Column Index Numbers, CIN's, are defined below in Table 6.2. Looking at the Coefficients in Detached Matrix Form, it is found that almost in every constraint equation, the non-zero coefficients of variables generally are appearing by shifting themselves diagonally with time increments. For example, in the continuity equation for a reservoir the variables $S_{i,t-1}$, $S_{i,t}$, and $O_{i,t}$, and parameter $X_{i,t}$ have this property, as seen from Table 6.1 (refer Equation 6-4-1-1, and 6-4-1-2 for reservoir 1 and Equation 6-4-2-1, and 6-4-2-2 for reservoir 2). This property has been utilized in the algorithm presented here, and further this logic can be easily programmed on computer. A general flow chart of the entire algorithm (computer programme flow chart) has been shown in Figure 6.2. As a sample a detailed flow chart of the algorithm for generating the non-zero coefficients of the Continuity Equation (3.4) (computer programme flow chart) is given in Figure 6.3. The detailed computer programme is given in Appendix 6.I.A.

A sample data for the problem above explained is given in Table 6.3. The main features of this computer algorithm (computer programme), now named as **INDMAG PACKAGE**, are as follows.

- (1) The computer programme is very general and can be applied
 - (a) to any single reservoir or to any multi-reservoir systems
 - (b) to any single or multipurpose reservoir, and
 - (c) to any configuration, consisting of reservoirs in series and parallel.
- (2) CIN's have been separated for variables relating to reservoir, irrigation, and hydropower. Any number of new sets of variables can be added at the end of the existing sets of CIN's. Hence, the developed algorithm is very flexible and

any number of new system constraints and, thereupon, system variables can be added according to the problem to be formulated, and the computer programme be suitably modified.

- (3) The upper and lower bounds (limits) can be put on any variable, if desired.
- (4) The entire sets of data A, B, C, CODE, NLET, NGET, NET, M, and K are generated by the algorithm.

Where,

NLET = the number of less than equal to constraints,

NGET = the number of greater than equal to constraints,

NET = the number of equal to constraints,

M = the total number of constraints, and

K = the total number of variables.

- (5) For using this computer programme, firstly, define the problem to be solved, and the set of system constraints involved. Secondly, choose the sequence of the variables which are to be used and then define the sequence of CIN's and their values (VCIN). The CIN of a variable not considered will be zero.

To explain the above, the sample data for a single purpose irrigation reservoir, a single purpose hydropower reservoir, and two hydropower reservoirs in series are given in Appendices 6.II, 6.III, and 6.IV respectively.

- (6) The modifications (additions/deletions) in the input data file already created (Appendix 6.III), due to the exclusion and/or inclusion of constraint equations and/or variables, arising out of any omission/error, at any stage for a large size problem are very simple here as compared to MPS and

LINGO. This is because in latter packages the changes required are to be thoroughly searched in the already existing data file, which is cumbersome.

- (7) The input data file for each of the reservoirs of the system problem can be prepared individually and tested and then can be added together with minor changes for multi-reservoir problem.
- (8) The above software package is very convenient and can be used repetitively for any number of times without any hesitation due to its simplicity in data feeding as compared to other available softwares.
- (9) At last, the above approach is feasible, efficient, flexible, fool proof and requires very small input data and time. The Table 6.4 compares the statistics of the extent of the size of input data file, in each of the packages.

Sample Input data for INDMAG PACKAGE :

In order to explain the flexibility in the input data for INDMAG Computer Package on linear programming a sample input data for two multi-purpose reservoirs in parallel form with two multi-irrigation areas is presented in Table 6.3.

The Coefficients of Matrices [A], [B] and [C] for two multi-purpose parallel reservoirs with two multi-irrigation areas is presented in Table 6.1. It shows that the number of constraint equations in matrix [A] is equal to 40, also the number of variables which is contributed in this matrix is equal to 45.



Table 6.2: Definition of Column Index Numbers

V	$O_{i,1}$	$S_{i,0}$	Y_i	$Sp_{i,1}$	$Y_{max_{i,1}}$	$O_{i,1}^0$	$O_{i,1}^{j=i+L+1}$	$\dots O_{i,1}^{j=i+L+Q}$
CIN	ICOLR(i,1)	ICOLR(i,2)	ICOLR(i,3)	ICOLR(i,4)	ICOLR(i,5)	ICOLR(i,6)	ICOLR(i,7)	\dots ICOLR(i,7+Q-1)
	$C_{i,1}^R$	$C_{i,2}^R$	$C_{i,3}^R$	$C_{i,4}^R$	$C_{i,5}^R$	$C_{i,6}^R$	$C_{i,7}^R$	$\dots C_{i,7+Q-1}^R$
V	I_{r_i}	$I_{r_{j=i+L+1}}^i$	\dots	$I_{r_{j=i+L+Q}}^i$				
CIN	ICOLI(i,1)	ICOLI(i,2)	\dots	ICOLI(i,2+Q-1)				
	$C_{i,1}^I$	$C_{i,2}^I$	\dots	$C_{i,2+Q-1}^I$				
V	H_i	E_i	$E_{i,1}^T$	$E_{i,1}$				
CIN	ICOLP(i,1)	ICOLP(i,2)	ICOLP(i,3)	ICOLP(i,4)				
	$C_{i,1}^P$	$C_{i,2}^P$	$C_{i,3}^P$	$C_{i,4}^P$				

V = Variable, CIN = Column Index Number.

Table 6.3: Sample Input Data File for INDMAG PACKAGE for Two Parallel Reservoirs With Two Multi-irrigation Areas

Input Parameter/Variable (Read Statement)	Input Parameter/Variable (Data to be Given)
IGEN	1
IPRNT	0
NTYPE NOPT	1 0
NRE	4
MM	2
SITNA	KARUN-1
SITNO	SITE-4
IRENO	1
NOS	0
NSURC	-
NFLM	1
IFLM	1 -1
MMFS	1 1
FLOW	1530 533
FLOW1	2*0
FLOW2	2*0
P	2*0
WS	12.1 13.4
NVAR	23
ITHMI	-1
NCOLR NCOLI NCOLP	8 3 4
ICOLR	1 3 5 6 8 9 11 13
ICOLI	15 16 17
ICOLP	18 19 20 22
XK1	0.78 0.22
XK3	.156 .044
IRP	1
IRFMI	1
LRFMI	1
QSFMI	2
IRJP	1 1
YD	-1 1
XNETA	1280
COEFF EFFCI	0.506 0.494
ALPHA	2.6 0.885
HEAD	0.64 0.61
TIME	2*160
C11 OM11	2*720
A2 C21 OM21	17.85 1.95
A3 C31 OM31	10 4.31 0.93
A4	0.15 46.3 25.2
A0 AA	5
ET	30 0.01
ISAL	0.21 0.09
NVAAL	-1
IUP ILO IEQ	-
UL LM EQU	-
EQ	7*1
G	0
IBAR	0

Table 6.3 continued

SITNA	DEZ
SITNO	SITE-5
IRENO	2
NOS	0
NSURC	-
NFLM	1
IFLM	1 -1
MMFS	1 1
FLOW	896.7 403
FLOW1	2*0
FLOW2	2*0
P	2*0
WS	8.3 10.7
NVAR	43
ITHMI	-1
NCOLR NCOLI NCOLP	7 2 4
ICOLR	24 26 28 29 31 32 34
ICOLI	36 37
ICOLP	38 39 40 42
XK1	0.75 0.25
XK3	0.075 0.025
IRP	1
IRFMI	-1
LRFMI	-
QSFMI	-
IRJP	-
YD	930
XNETA	0.506 0.494
COEFF EFFCI	2.6 .885
ALPHA	0.64 0.61
HEAD	2*180
TIME	2*720
C11 OM11	16.8 1.80
A2 C21 OM21	10 19.3 4.10
A3 C31 OM31	0.15 72 39.2
A4	5
A0 AA	22 0.067
ET	0.21 0.09
ISAL	1
NVAAL	5 1
IUP ILO IEQ	-1 -1 2
UL LM EQU	0 0 2500
EQ	7*1
G	0
IBAR	0
SITNA	MULTI-IRRIGATION AREA
SITNO	MIR-1
IRENO	3
NOS	0
NSURC	-
NFLM	0
IFLM	-
MMFS	-
FLOW	220 156
FLOW1	2*0
FLOW2	2*0
P	2*0

Table 6.3 continued

WS	2*0
NVAR	44
ITHMI	1
NCOLR NCOLI NCOLP	0 1 0
ICOLR	-
ICOLI	44
ICOLP	-
XK1	0.7 0.3
XK3	2*0
IRP	-1
IRFMI	-1
LRFMI	-
QSFMI	-
IRJP	-
YD	0
XNETA	-
COEFF EFFCI	-
ALPHA	-
HEAD	-
TIME	-
C11 OM11	-
A2 C21 OM21	12 2.2 0.80
A3 C31 OM31	-
A4	-
A0 AA	2*0
ET	2*0
ISAL	-1
NVAAL	-
IUP ILO IEQ	-
UL LM EQU	-
EQ	7*0
G	0
IBAR	0
SITNA	MULTI-IRRIGATION AREA
SITNO	MIR-2
IRENO	4
NOS	0
NSURC	-
NFLM	0
IFLM	-
MMFS	-
FLOW	280 120
FLOW1	2*0
FLOW2	2*0
P	2*0
WS	2*0
NVAR	45
ITHMI	1
NCOLR NCOLI NCOLP	0 1 0
ICOLR	-
ICOLI	45
ICOLP	-
XK1	0.65 0.35
XK3	2*0
IRP	-1
IRFMI	-1
LRFMI	-

Table 6.3 continued

QSFMI	-
IRJP	-
YD	0
XNETA	-
COEFF EFFCI	-
ALPHA	-
HEAD	-
TIME	-
C11 OM11	-
A2 C21 OM21	9 2.3 0.7
A3 C31 OM31	-
A4	-
A0 AA	2*0
ET	2*0
ISAL	-1
NVAAL	-
IUP ILO IEQ	-
UL LM EQU	-
EQ	7*0
G	0
IBAR	0
1PRNT	0
IDSCO	-
IRDC IPDC	-
TIRRI	-
THPRE	-

Table 6.4: Statistics of the Input Data Files for Various Computer Packages on Linear Programming

Problem	No. of Time Periods	No. of Constraints Equations,	No. of Variables,	Non-zero Coefficients in Matrices [A], [B], and [C]	Size of Input Data File in terms of Number of Data Lines		
	MM	M	K		Package		
					INDMAG	MPS	LINGO
Hydropower Reservoir	2	12	11	33	37	39	14
	12	72	51	204	37	236	79
Irrigation Reservoir	2	10	10	30	36	39	14
	12	60	50	204	36	236	79
Multiple and Multi-Purpose Reservoir Table 6.3	12	240	270	762	141	716	241

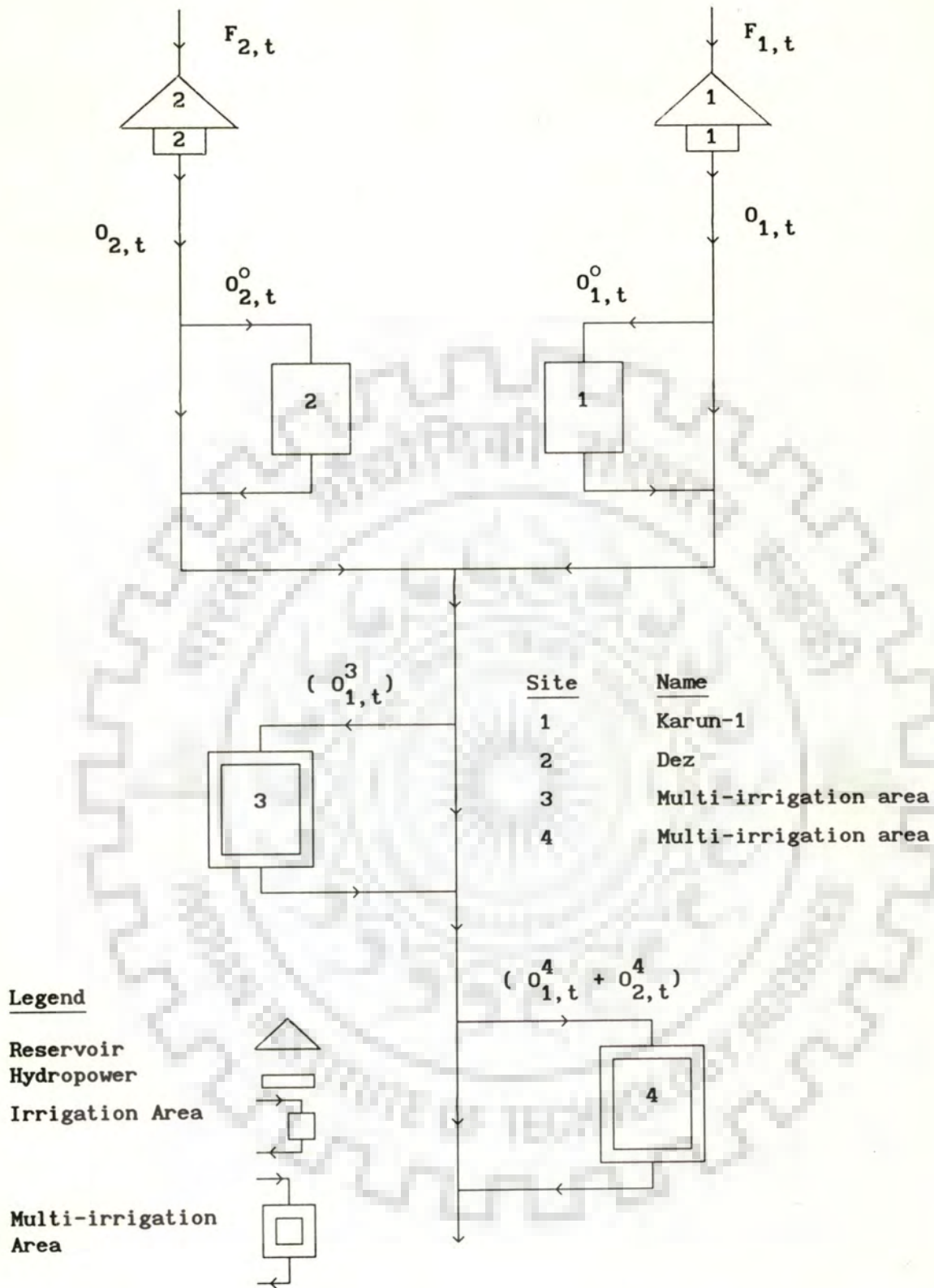


Figure 6.1 Two parallel Reservoirs with 2 Multi-irrigation Areas

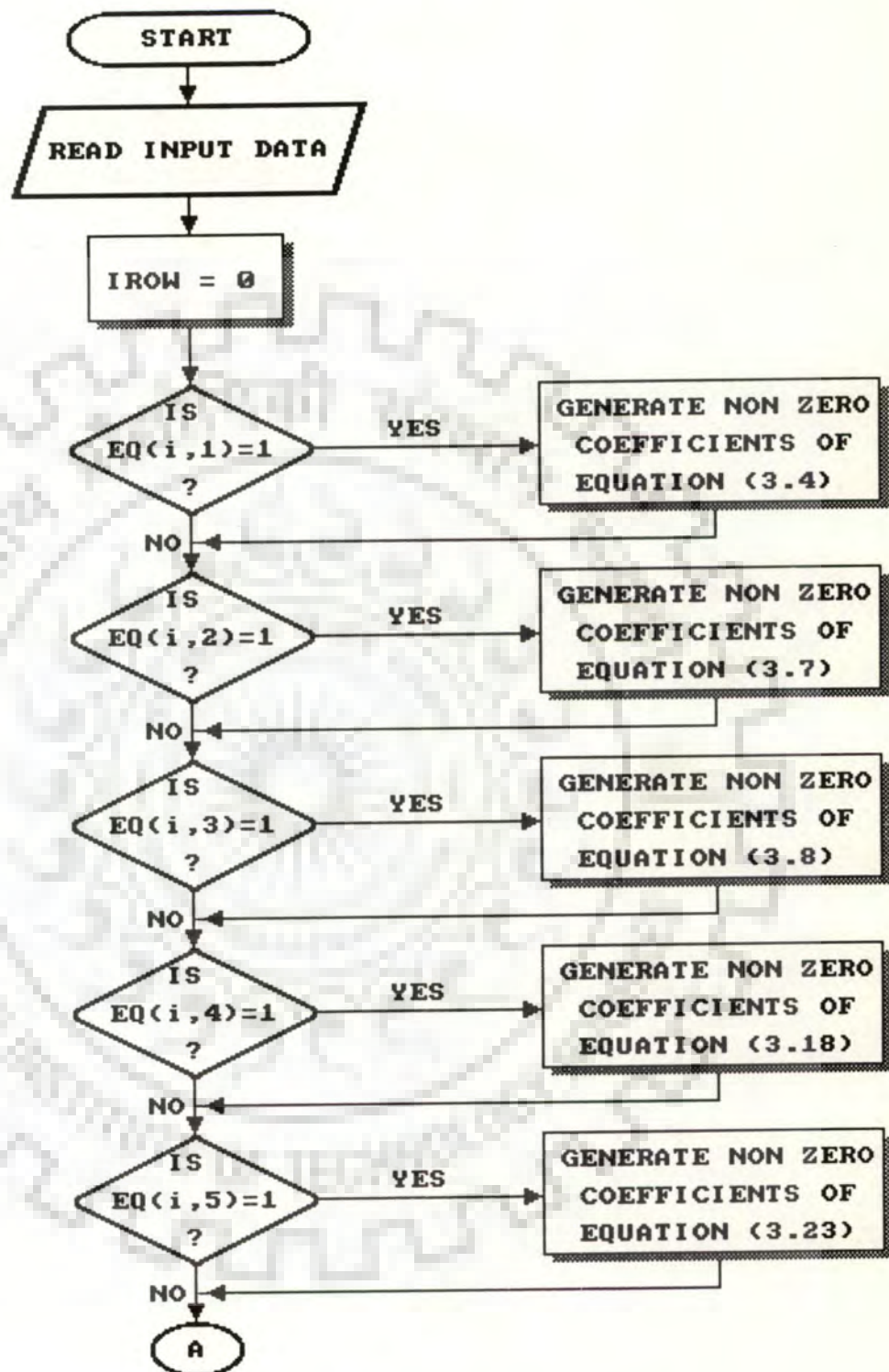


Fig.6.2 General Flow Chart for Generation of Coefficients of Input Data Matrix for Linear Programming Model (INDMAG PACKAGE)

Fig.6.2 continued

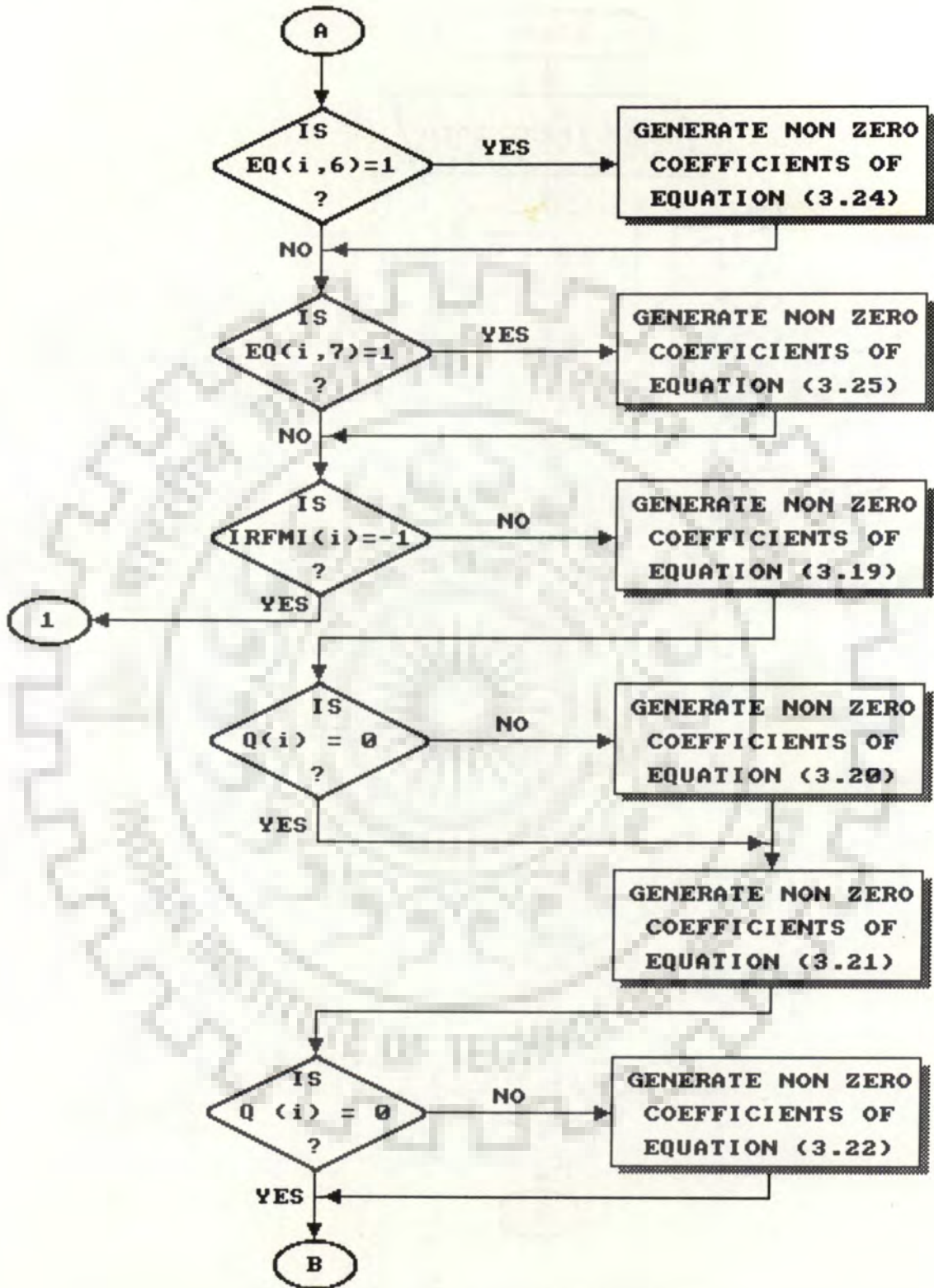
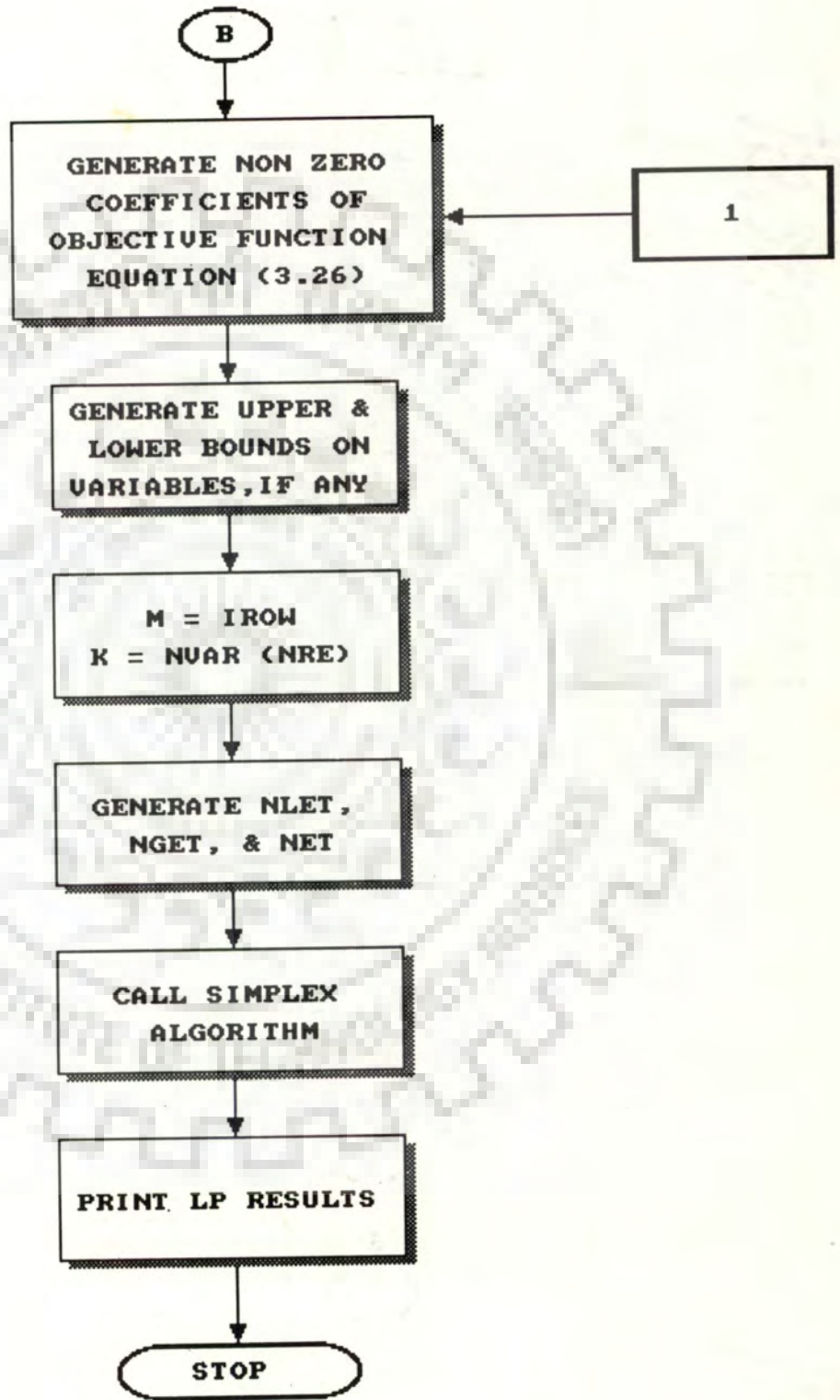


Fig.6.2 continued



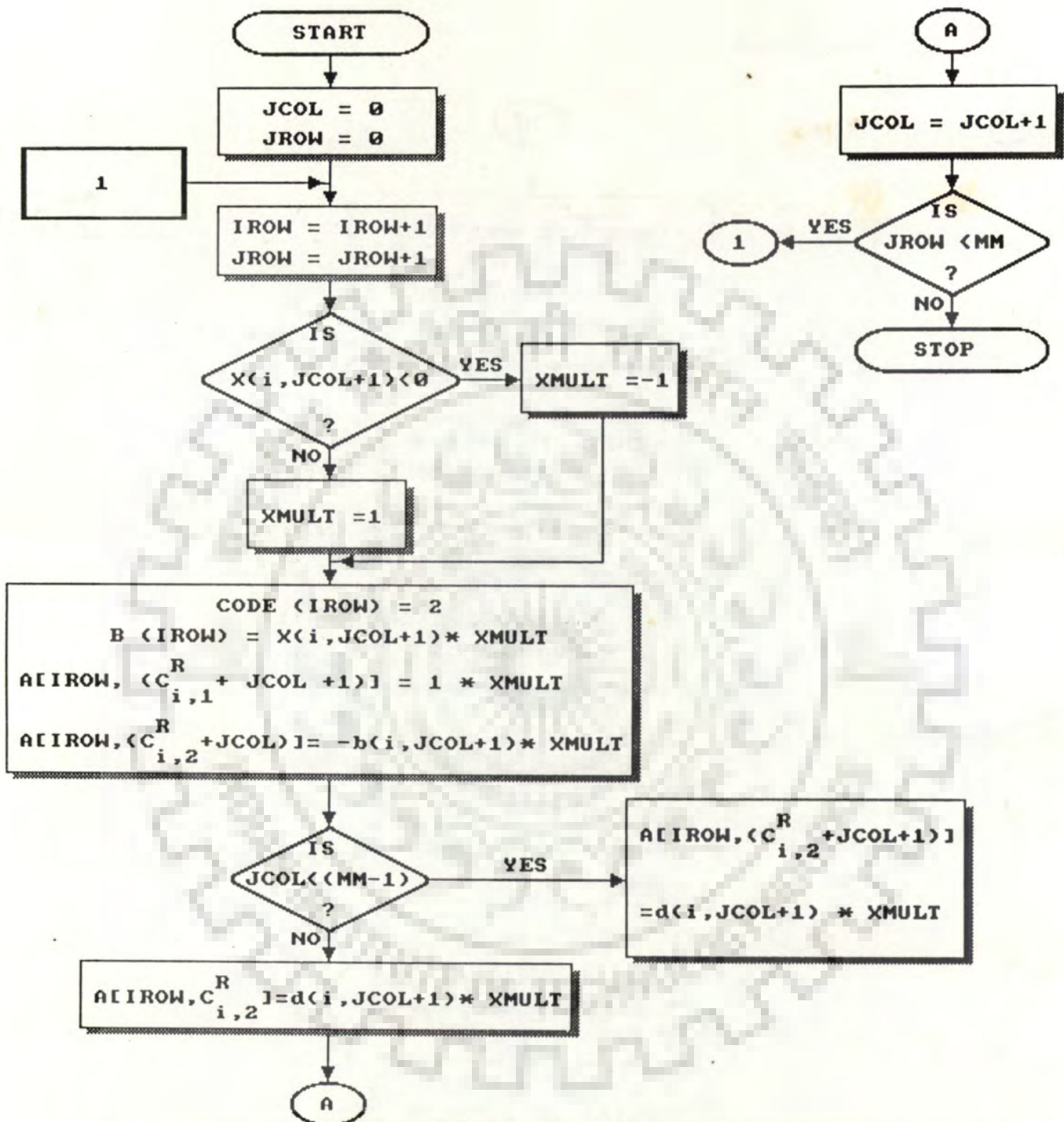
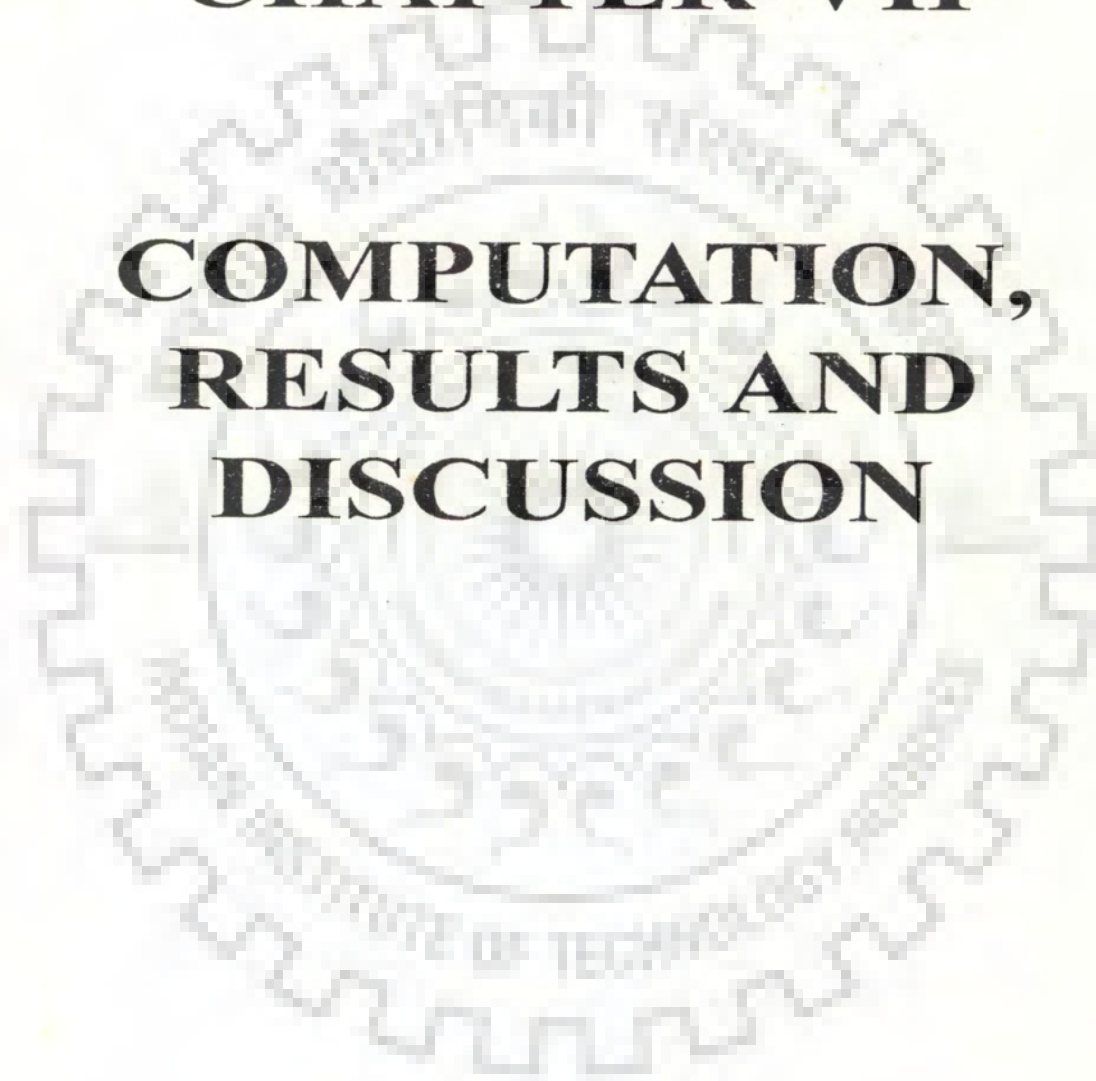


Fig.6.3 Flow Chart for Generation of Non-Zero Coefficients for Continuity Equation (3.4) in (INDMAG PACKAGE)

CHAPTER-VII

COMPUTATION, RESULTS AND DISCUSSION



COMPUTATION, RESULTS AND DISCUSSION

7.1 GENERAL

Both analytical and simulation models were applied for the design of the problem to find the optimal configuration of the reservoirs and the optimal sizes of reservoirs and projects targets. The analytical mathematical model (Linear programming model) was used to find a reasonably small set of possible optimal design alternatives. A suitable algorithm was developed for multi purpose, multiple reservoirs as well as for multi irrigation areas to create the Input Data Matrix, and was attached to the main computer programme containing the Simplex algorithm for the computation of the above Linear Programming screening model. At this stage the large number of alternative combinations could be reduced to a less number of alternative designs, and could indicate a path on the response surface. It may be then possible to use the simulation technique for further analysis, to obtain the near optimal design variables.

Computation of LP model was done on the basis of the monthly flows, using an average flow, and 90% and, 70% dependable flow as a representative year depending upon the type of the project. The simulation model considered 12 monthly flows and thirty eight years of data were used. The flood storages in Karun-1 reservoir were 750, 600, 540 and 20 m.c.m. in the months of February, March, April and May respectively. For Dez reservoir the flood storages were 820, 800, and 40 m.c.m. in the months of March, April and May respectively. It is noted that all input data required for the computation of LP and simulation models are given in Chapter 5. Basic data were obtained from Mahab Ghodss Consulting Engineers Company Various Project Reports, 1968 to 1993). The computations were done on TATA ELXI Power series 3220 computer and PC. (GENIUS 386).

7.2 COST, BENEFIT AND LOSS FUNCTIONS

7.2.1 General

In every optimization model cost, benefit and loss functions, as a continuous function of inputs and outputs, such as stored volumes, targets, capacities, flows, and allocations etc. are required (James and Lee, 1971). These functions were developed from the data obtained from numerous volumes of reports in the Master Plan for the Karun river system.

The system analysis was used to determine as best as possible those sets of design variables that maximized the values of the net benefit derived from conservation uses (mainly irrigation, and hydroelectric energy) and flood control. In linear programming model annual cost method was used as the economic objective and all capital costs were converted to annual values. In simulation the economic objective was to determine the present worth of net benefits.

Since the value of capital cost of the projects were not at the level of present time, therefore, to evaluate the present value of the capital cost of each project including dam, power plant, and irrigation diversions, suitable inflation rate up to 1994 was considered and the present value of the capital cost of dam, power plant irrigation were calculated. For Karun-1 project ($i=4$) considering 7% constant inflation rate from 1970 to 1994 calculations are as follows:

(1) Present value of dam capital cost

$$F = P \left(\frac{F}{P}, i_f \%, n \right) = P (1 + i_f)^n$$

$$(K_{4,1})_{24} = 116129 * 10^6 (1+0.07)^{24} = 589049 * 10^6 \text{ Rials}$$

(2) Present value of irrigation and diversion capital cost

$$(K_{4,2})_{24} = 308539 * 10^6 \text{ Rials}$$

(3) Present value of power plant capital cost

$$(K_{4,3})_{24} = 504882 * 10^6 \text{ Rials}$$

7.2.2 Cost, Benefit, and Loss Functions for Linear Programming Model

For linear programming unit capital costs were calculated from the given project provisions and then unit annual cost of each item was calculated.

7.2.2.1 Computation of unit annual cost of reservoir

Unit annual costs were calculated from the capital costs of the reservoir, subjected to the following items,

- (i) Unit annual interest on capital cost = $(i_{i,1}^r * CC_{i,1})$
- (ii) Unit annual depreciation cost = $\left[\frac{i_{i,1}^d}{(1 + i_{i,1}^d)^n - 1} \right] * CC_{i,1}$
- (iii) Unit annual operation and maintenance cost = $(i_{i,1}^{om} * CC_{i,1})$

Unit annual cost can be defined as the sum of unit annual interest on capital cost, unit annual depreciation cost, and unit annual operation and maintenance cost, i.e.,

$$C_{i,1} = CC_{i,1} \left[i_{i,1}^r + \frac{i_{i,1}^d}{(1 + i_{i,1}^d)^n - 1} \right] + CC_{i,1} i_{i,1}^{om}$$

$$= C'_{i,1} + Om'_{i,1}$$

where,

$$CC_{i,1} = \frac{K_{i,1}}{Y_i}$$

- $K_{i,1}$ = capital cost of i^{th} reservoir,
 $CC_{i,1}$ = unit capital cost of i^{th} reservoir,
 $C_{i,1}$ = unit annual cost function of i^{th} reservoir,
 $i_{i,1}^r$ = annual rate for calculating annual interest on capital cost of reservoir,
 $i_{i,1}^d$ = annual rate for calculating annual depreciation on capital cost of reservoir using sinking fund method,
 $i_{i,1}^{\text{om}}$ = annual rate for calculating annual operation & maintenance on the capital cost of reservoir,
 $C'_{i,1}$ = unit annual capital cost of reservoir, and
 $\text{Om}'_{i,1}$ = unit annual OM cost of reservoir.

For example the capital cost of Karun-1 reservoir ($i=4$) is Rials $589049 * 10^6$ (based on price level of 1994), and gross storage of the reservoir (up to top of the dam) is 3020 m.c.m. The values of $i_{4,1}^r$, $i_{4,1}^d$, and $i_{4,1}^{\text{om}}$ are 7%, 1%, and 1% respectively. Hence

Unit capital cost of reservoir :

$$CC_{4,1} = \left(\frac{589049}{3020} \right) * 10^6 = 195 * 10^6 \text{ Rials/m.c.m.}$$

(i) **Unit annual interest on capital cost:**

$$\left[(0.07 * 195 * 10^6) \right] = 13.65 * 10^6 \text{ Rials/m.c.m.}$$

(ii) **Unit annual depreciation cost:**

$$\left[\frac{0.01}{(1 + 0.01^{38}) - 1} \right] * 195 * 10^6$$

$$= 4.2 * 10^6 \text{ Rials/m.c.m.}$$

Here it is assumed that $n = 38$ years.

$i_{1,2}^r$ = annual rate for calculating annual interest on capital cost of irrigation,

$i_{1,2}^d$ = annual rate for calculating annual depreciation on capital cost of irrigation using sinking fund method,

$i_{1,2}^{om}$ = annual rate for calculating annual operation & maintenance on the capital cost of irrigation,

$C'_{1,2}$ = unit annual capital cost of irrigation, and

$Om'_{1,2}$ = unit annual OM cost of irrigation.

Capital cost of the irrigation is Rials $308539 * 10^6$ (based on price level of 1994), & annual water requirement for irrigation is 540 m.c.m. The values of $i_{4,2}^r$, $i_{4,2}^d$, and $i_{4,2}^{om}$ are 7%, 2%, and 2% respectively. Hence

Unit capital cost of irrigation:

$$CC_{4,2} = \left(\frac{308539}{6638} \right) * 10^6 = 46.5 * 10^6 \text{ Rials/m.c.m.}$$

(i) Unit annual interest on capital cost:

$$\left[(0.07) * (46.5 * 10^6) \right] = 3.3 * 10^6 \text{ Rials/m.c.m.}$$

(ii) Unit annual depreciation cost:

$$\left[\frac{0.01}{(1 + 0.01^{38}) - 1} \right] * 46.5 * 10^6 = 1.01 * 10^6 \text{ Rials/m.c.m.}$$

Here it is assumed that $n=38$ years.

(iii) Unit annual operation and maintenance cost:

$$\left[(0.02) * (46.5 * 10^6) \right] = 0.93 * 10^6 \text{ Rials/m.c.m.}$$

Therefore, unit annual cost of irrigation = $\left[(i) + (ii) \right] + (iii)$

(iii) Unit annual operation and maintenance cost:

$$\left[(0.01) * (195 * 10^6) \right] = 1.95 * 10^6 \text{ Rials/m.c.m.}$$

Therefore,

$$\text{unit annual cost of reservoir} = \left[(i) + (ii) \right] + (iii)$$

$$\begin{aligned} & \left[(13.65 * 10^6) + (4.2 * 10^6) \right] + (1.95 * 10^6) = (17.85 * 10^6 + 1.95 * 10^6) \\ & = 19.8 * 10^6 \text{ Rials/m.c.m.} \end{aligned}$$

$$\text{or } C'_{4,1} = 17.85 * 10^6 \text{ Rials/m.c.m.,}$$

$$\text{and } Om'_{4,1} = 1.95 * 10^6 \text{ Rials/m.c.m.}$$

7.2.2.2 Computation of unit annual cost of irrigation

Similarly unit annual cost of irrigation can be defined as :

$$\begin{aligned} C_{i,2} &= CC_{i,2} \left[i_{i,2}^r + \frac{i_{i,2}^d}{(1 + i_{i,2}^d)^{n-1}} \right] + CC_{i,2} i_{i,2}^{om} \\ &= C'_{i,2} + Om'_{i,2} \end{aligned}$$

where,

$$CC_{i,2} = \frac{K_{i,2}}{Ir_i}$$

and

$K_{i,2}$ = capital cost of i^{th} irrigation site/area,

$CC_{i,2}$ = unit capital cost of i^{th} irrigation site/area,

$C_{i,2}$ = unit annual cost function of i^{th} irrigation site/area,

$$\begin{aligned} & [(3.3 * 10^6) + (1.01 * 10^6)] + (0.93 * 10^6) = (4.31 * 10^6 + 0.93 * 10^6) \\ & = 5.24 * 10^6 \text{ Rials/m.c.m.} \end{aligned}$$

or $C'_{4,2} = 4.31 * 10^6 \text{ Rials/m.c.m.},$

and $Om'_{4,2} = 0.93 * 10^6 \text{ Rials/m.c.m.}$

7.2.2.3 Computation of unit annual cost of hydropower plant

Unit annual cost of hydropower plant can be defined:

$$\begin{aligned} C_{i,3} &= CC_{i,3} \left[i_{i,3}^r + \frac{i_{i,3}^d}{(1 + i_{i,3}^d)^n - 1} \right] + CC_{i,3} i_{i,3}^{om} \\ &= C'_{i,3} + Om'_{i,3} \end{aligned}$$

where,

$$CC_{i,3} = \frac{K_{i,3}}{H_i}$$

$K_{i,3}$ = capital cost of hydropower plant at i^{th} site,

$CC_{i,3}$ = unit capital cost of hydropower plant at i^{th} site,

$C_{i,3}$ = unit annual cost function of hydropower plant at i^{th} site,

$i_{i,3}^r$ = annual rate for calculating annual interest on capital cost of hydropower,

$i_{i,3}^d$ = annual rate for calculating annual depreciation on capital cost of hydropower, using sinking fund method,

$i_{i,3}^{om}$ = annual rate for calculating annual operation & maintenance on the capital cost of hydropower plant at i^{th} site,

H_i = power plant capacity in MW at i^{th} site,

$C'_{i,3}$ = unit annual capital cost of hydropower plant, and

$Om'_{i,3}$ = unit annual OM cost of hydropower plant.

Capital cost of the power plant is Rials $504882 * 10^6$ (based on price level of 1994), & total power plant capacity is 1000 MW. The values of $i_{4,3}^r$, $i_{4,3}^d$, and $i_{4,3}^{om}$ are 7%, 2%, and 5% respectively, hence

Unit capital cost of hydropower plant:

$$CC_{4,3} = \left(\frac{504882}{1000} \right) * 10^6 = 504.9 * 10^6 \text{ Rials/MW.}$$

(i) Unit annual interest on capital cost:

$$\left[(0.07) * (504.9 * 10^6) \right] = 35.3 * 10^6 \text{ Rials/MW.}$$

(ii) Unit annual depreciation cost:

$$\left[\frac{0.02}{(1 + 0.02)^{38} - 1} \right] * 504.9 * 10^6 = 9.0 * 10^6 \text{ Rials/MW.}$$

It is assumed that $n = 38$ years.

(iii) Unit annual operation and maintenance cost:

$$\left[(0.05) * (504.9 * 10^6) \right] = 25.2 * 10^6 \text{ Rials/MW.}$$

Therefore, unit annual cost of hydropower plant = $\left[(i) + (ii) \right] + (iii)$

$$5.3 * 10^6 + (9.0 * 10^6) + (25.2 * 10^6) = (44.3 * 10^6 + 25.2 * 10^6)$$

$$= 79.5 * 10^6 \text{ Rials/MW.}$$

or $C'_{4,3} = 44.3 * 10^6 \text{ Rials/MW.}$

and $Om'_{4,3} = 25.2 * 10^6 \text{ Rials/MW.}$

7.2.2.4 Values of cost, benefit and loss functions of LP Model

Based on the above methodology, the values of economical parameters of different projects, are calculated and the result are presented in Table 7.1.

Table 7.1: Values of economical parameters for Linear Programming Model
Rials * 10^6

Reservoir i	K-4 1	K-3 2	K-2 3	K-1 4	R-O-R 5	DEZ 6
$C'_{i,1}$	147.40	148.00	80.70	17.85	-	16.80
$Om'_{i,1}$	16.00	16.10	8.80	1.95	-	1.80
$C'_{i,2}$	-	-	-	4.31	-	19.30
$Om'_{i,2}$	-	-	-	0.93	-	4.10
a_2	-	-	-	10.00	-	10.00
$C'_{i,3}$	122.50	57.30	233.50	46.30	416.90	72.00
$Om'_{i,3}$	66.70	31.50	127.20	25.20	237.00	39.20
a_3	0.30	0.25	0.25	0.25	0.30	0.15
a_4	10.00	10.00	10.00	5.00	-	5.00

7.2.3 Cost, Benefit and Loss Functions for Simulation Model

The design values for cost and benefit for each project were available at least for a certain size of each facility. The project design cross section of each dam and the cost of each item, involved are given. Based on these, calculations are done for estimation of the costs, for different capacities of reservoirs, irrigation works and power plants. In this regard estimation for different possible ranges for each project is considered on the basis of appropriate engineering approaches. The cost of auxiliary works for reservoir were developed on a unit basis. The cost of the hydropower plant and equipment and auxiliary works and the cost of irrigation and

diversion works were also developed on a unit basis. These were estimated for 1994 prices. Although they involved considerable work, it must be understood that the estimates are for a methodological study rather than for detailed design. On the basis of calculation of costs for different capacities of reservoirs, irrigation works and power plants suitable curves were developed, (Table 7.2), and also Figures (7.1 to 7.26) show the functional relationships of the data used in this study.

In simulation the present value of the net annual benefits extending over the period of study for the system is calculated by applying the formula for the present value of annuity given below:

$$P = A \frac{[(1 + i_f)^n - 1]}{i (1 + i_f)^n}$$

where,

P = the present value of annuity (the present value of net annual benefits),

A = the value of annuity (the value of net annual benefit),

i_f = the discount rate, and

n = the economic life of the system.

In simulation the present value of net benefits extending over the economic life of the system at a given rate of discount was calculated as given in Chapter 4.

7.2.4 Reservoir Volume vs Reservoir Elevation and Reservoir Volume vs Reservoir Area Curves for Simulation

Relationship of volume vs elevation and area of each reservoir are developed and for the five reservoir storage projects these are shown in Tables 7.3 and 7.4 respectively.

Table 7.2: Functional Relationship Developed for Different Dam Sites

Site	Independent Variable	Dependent Variable	Coefficients
K-4	Reservoir Capacity	Capital Cost of Reservoir	a0 = 545.579 a1 = 1.8589822 a2 = -0.000285568 a3 = 1.74605E-008
K-4	Reservoir Capacity	OM Cost of Reservoir	a0 = 5.20432 a1 = 0.0197592 a2 = -3.55671E-006 a3 = 2.76598E-010
K-4	Power Plant Capacity	Capital Cost of Power Plant	a0 = 303.091 a1 = 1.45891 a2 = -0.000339648 a3 = 8.12214E-008
K-4	Power Plant Capacity	OM Cost of Power Plant	a0 = 15.1867 a1 = 0.0727399 a2 = -1.66151E-005 a3 = 3.86844E-009
K-3	Reservoir Capacity	Capital Cost of Reservoir	a0 = 757.406 a1 = 1.42838 a2 = -7.81206E-005 a3 = 3.08513E-009
K-3	Reservoir Capacity	OM Cost of Reservoir	a0 = 7.47569 a1 = 0.0143747 a2 = -8.0495E-007 a3 = 3.2714E-011

Where a_0 , a_1 , a_2 and a_3 are the coefficients of polynomial equations. All volumetric values are in m.c.m.; all costs are in Rials 10^6 ; all plant capacities are in MW.

Table 7.2: continued

Site	Independent Variable	Dependent Variable	Coefficients
K-3	Power Plant Capacity	Capital Cost of Power Plant	$a_0 = 545.884$ $a_1 = 1.65424$ $a_2 = 0.000207173$ $a_3 = -2.45782E-008$
K-3	Power Plant Capacity	OM Cost of Power Plant	$a_0 = 27.055$ $a_1 = 0.0834022$ $a_2 = 9.94212E-006$ $a_3 = -1.159E-009$
K-2	Reservoir Capacity	Capital Cost of Reservoir	$a_0 = 412.472$ $a_1 = 1.4467$ $a_2 = -0.000238202$ $a_3 = 2.10304E-008$
K-2	Reservoir Capacity	OM Cost of Reservoir	$a_0 = 4.03859$ $a_1 = 0.0148571$ $a_2 = -2.73661E-006$ $a_3 = 2.68544E-010$
K-2	Power Plant Capacity	Capital Cost of Power Plant	$a_0 = 105.373$ $a_1 = 2.93729$ $a_2 = -0.000462186$ $a_3 = -3.72211E-008$
K-2	Power Plant Capacity	OM Cost of Power Plant	$a_0 = 5.26863$ $a_1 = 0.146865$ $a_2 = -2.3193E-005$ $a_3 = -1.86108E-009$

Table 7.2: continued

Site	Independent Variable	Dependent Variable	Coefficients
K-1	Reservoir Capacity	Capital Cost of Reservoir	a0 = 34.0132 a1 = 0.211825 a2 = -2.77768E-005 a3 = 1.7701E-009
K-1	Reservoir Capacity	OM Cost of Reservoir	a0 = 0.0336752 a1 = 0.000212637 a2 = -2.77013E-008 a3 = 1.66186E-012
K-1	Annual Irrigation	Capital Cost of Irrigation	a0 = 16.4243 a1 = 0.0693478 a2 = -5.37352E-006 a3 = 2.71958E-10
K-1	Annual Irrigation	OM Cost of Irrigation	a0 = 0.408289 a1 = 0.00124764 a2 = -5.46823E-008 a3 = -1.07415E-014
K-1	Power Plant Capacity	Capital Cost of Power Plant	a0 = 30.7688 a1 = 0.652351 a2 = -0.000160429 a3 = -1.83026E-008
K-1	Power Plant Capacity	OM Cost of Power Plant	a0 = 1.74987 a1 = 0.0363192 a2 = -2.21688E-005 a3 = 9.3499E-009

Table 7.2: continued

Site	Independent Variable	Dependent Variable	Coefficients
Dez	Reservoir Capacity	Capital Cost of Reservoir	$a_0 = 31.8654$ $a_1 = 0.247984$ $a_2 = -3.24945E-005$ $a_3 = 3.11586E-009$
Dez	Reservoir Capacity	OM Cost of Reservoir	$a_0 = 0.19404$ $a_1 = 0.00263214$ $a_2 = -3.6957E-007$ $a_3 = 3.41304E-011$
Dez	Annual Irrigation	Capital Cost of Irrigation	$a_0 = 28.4295$ $a_1 = 0.218481$ $a_2 = -2.07183E-005$ $a_3 = 2.2782E-009$
Dez	Annual Irrigation	OM Cost of Irrigation	$a_0 = 0.556525$ $a_1 = 0.00443552$ $a_2 = -4.93582E-007$ $a_3 = 7.00355E-011$
Dez	Power Plant Capacity	Capital Cost of Power Plant	$a_0 = 23.4717$ $a_1 = 0.899987$ $a_2 = -0.000343172$ $a_3 = 6.98417E-008$
Dez	Power Plant Capacity	OM Cost of Power Plant	$a_0 = 1.21212$ $a_1 = 0.0443957$ $a_2 = -1.52875E-005$ $a_3 = 2.16895E-009$

Table 7.3: Functional Relationship of Volume vs Elevation at Dam Sites

Site	Independent Variable	Dependent Variable	Coefficients
K-4	Reservoir Capacity	Reservoir Elevation	$a_0 = 861.4277$ $a_1 = 0.1761322$ $a_2 = -0.7791817 \times 10^{-4}$ $a_3 = 0.1678200 \times 10^{-7}$ $a_4 = -0.1273204 \times 10^{-11}$
K-3	Reservoir Capacity	Reservoir Elevation	$a_0 = 685.6182$ $a_1 = 0.1804962$ $a_2 = -0.8368492 \times 10^{-4}$ $a_3 = 0.1710941 \times 10^{-7}$ $a_4 = -0.11897115 \times 10^{-11}$
K-2	Reservoir Capacity	Reservoir Elevation	$a_0 = 529.2402$ $a_1 = 0.09342957$ $a_2 = -0.4109740 \times 10^{-4}$ $a_3 = 0.9647920 \times 10^{-8}$ $a_4 = -0.7922552 \times 10^{-12}$
K-1	Reservoir Capacity	Reservoir Elevation	$a_0 = 387.0791$ $a_1 = 0.1695938$ $a_2 = -0.9513646 \times 10^{-4}$ $a_3 = 0.2450179 \times 10^{-7}$ $a_4 = -0.2180034 \times 10^{-11}$
Dez	Reservoir Capacity	Reservoir Elevation	$a_0 = 199.4976$ $a_1 = 0.1985207$ $a_2 = -0.1305118 \times 10^{-3}$ $a_3 = 0.3885361 \times 10^{-7}$ $a_4 = -0.4029221 \times 10^{-11}$

Where $a_0, a_1, a_2, a_3,$ and a_4 are the coefficients of polynomial equations. All volumes, and elevation are in m.c.m. & meters respectively

Table 7.4: Functional Relationship of Volume vs Area at Dam Stes

Site	Independent Variable	Dependent Variable	Coefficients
K-4	Reservoir Capacity	Reservoir Area	$a_0 = 2.085449$ $a_1 = 0.02111959$ $a_2 = -0.5795620 \times 10^{-5}$ $a_3 = 0.1116177 \times 10^{-8}$ $a_4 = -0.7725764 \times 10^{-13}$
K-3	Reservoir Capacity	Reservoir Area	$a_0 = 1.007202$ $a_1 = 0.03124523$ $a_2 = -0.9516254 \times 10^{-5}$ $a_3 = 0.1811031 \times 10^{-8}$ $a_4 = -0.1214723 \times 10^{-12}$
K-2	Reservoir Capacity	Reservoir Area	$a_0 = 3.111938$ $a_1 = 0.05115986$ $a_2 = -0.2834853 \times 10^{-4}$ $a_3 = 0.7146809 \times 10^{-8}$ $a_4 = -0.1214723 \times 10^{-12}$
K-1	Reservoir Capacity	Reservoir Area	$a_0 = 1.5744341$ $a_1 = 0.03354454$ $a_2 = -0.1277495 \times 10^{-4}$ $a_3 = 0.3388323 \times 10^{-8}$ $a_4 = -0.3120559 \times 10^{-12}$
Dez	Reservoir Capacity	Reservoir Area	$a_0 = 1.189636$ $a_1 = 0.03252220$ $a_2 = -0.8011586 \times 10^{-5}$ $a_3 = 0.1158014 \times 10^{-8}$

Where, a_0 , a_1 , a_2 , a_3 , and a_4 are the coefficients of polynomial equations. All volumes, and areas are in m.c.m. & Km^2 respectively.

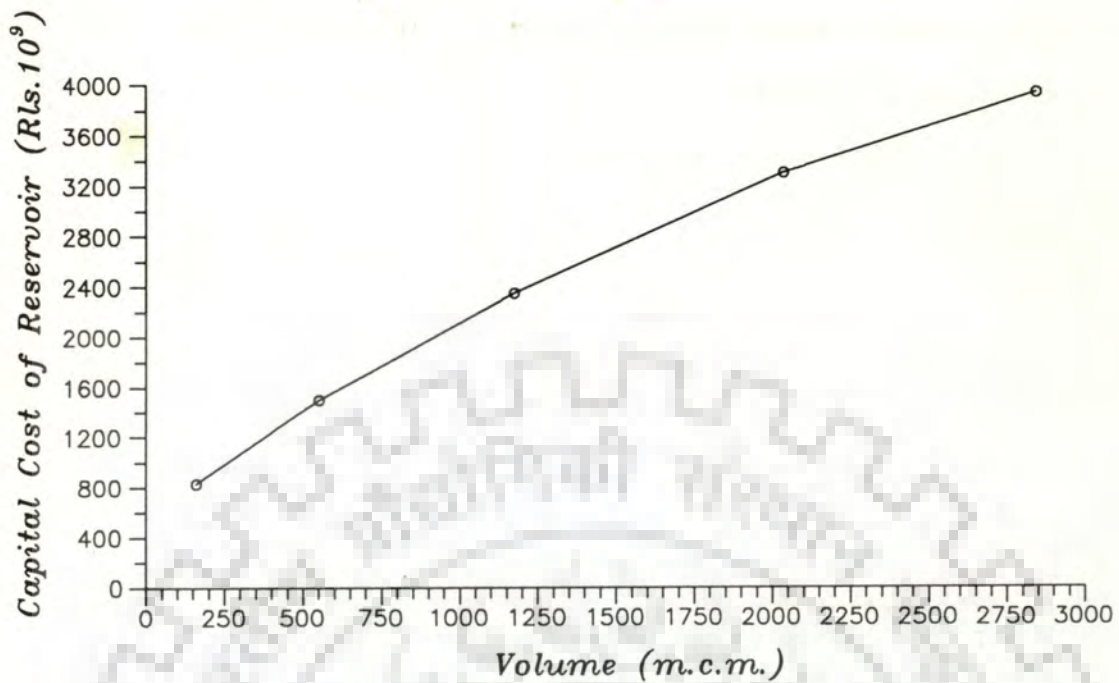


Fig.7.1:Reservoir Volume vs Capital Cost of Reservoir for Karun-4 Dam Site

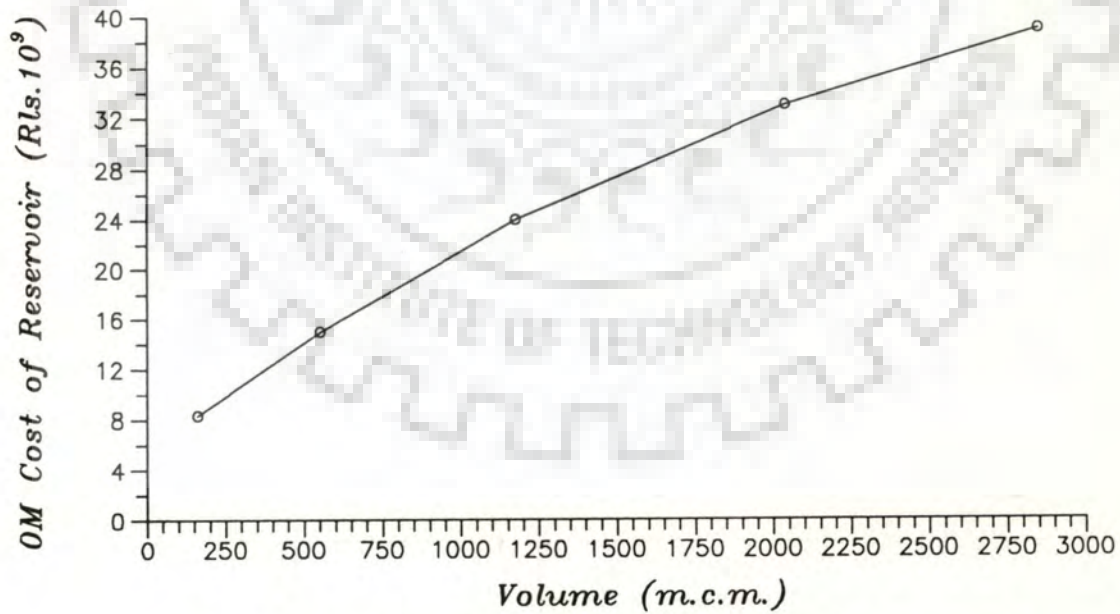


Fig.7.2:Reservoir Volume vs OM Cost of Reservoir for Karun-4 Dam Site

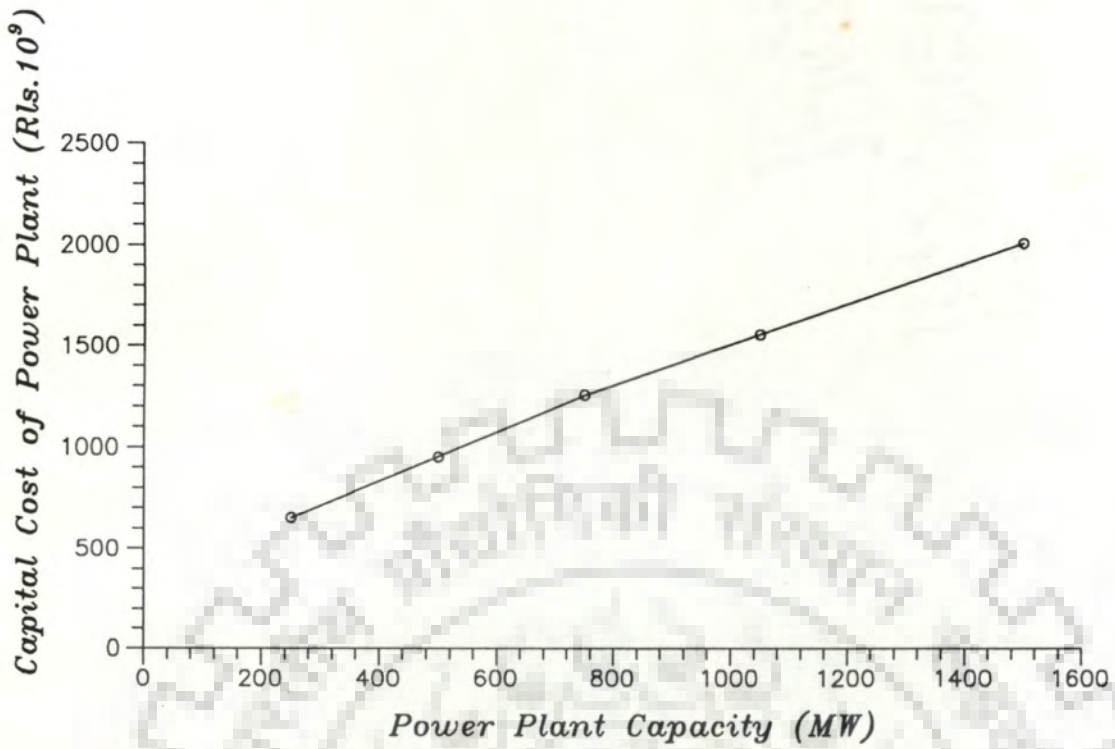


Fig.7.3:Power Plant Capacity vs Capital Cost for Karun-4 Dam Site

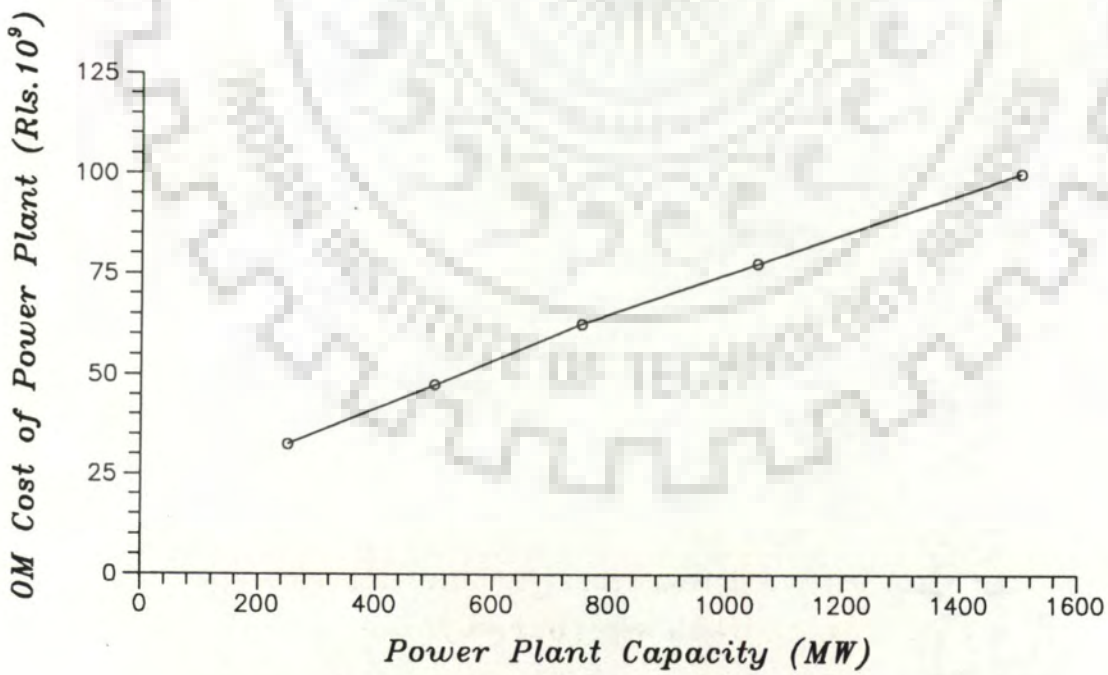


Fig.7.4:Power Plant Capacity vs OM Cost for Karun-4 Dam Site

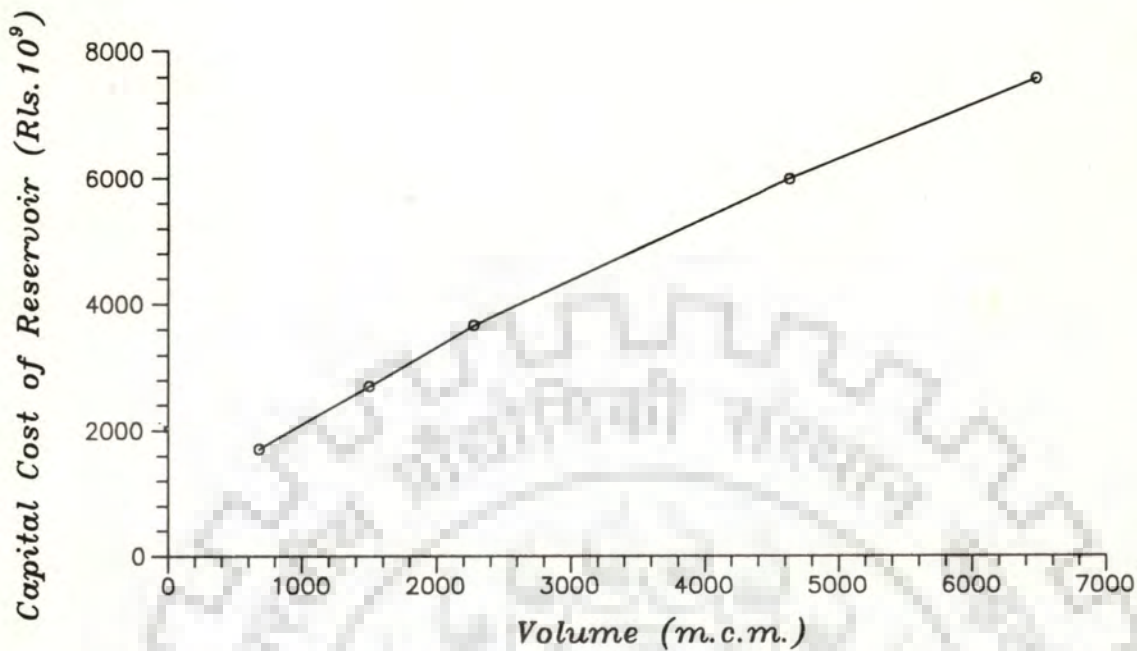


Fig.7.5:Reservoir Volume vs Capital Cost of Reservoir for Karun-3 Dam Site

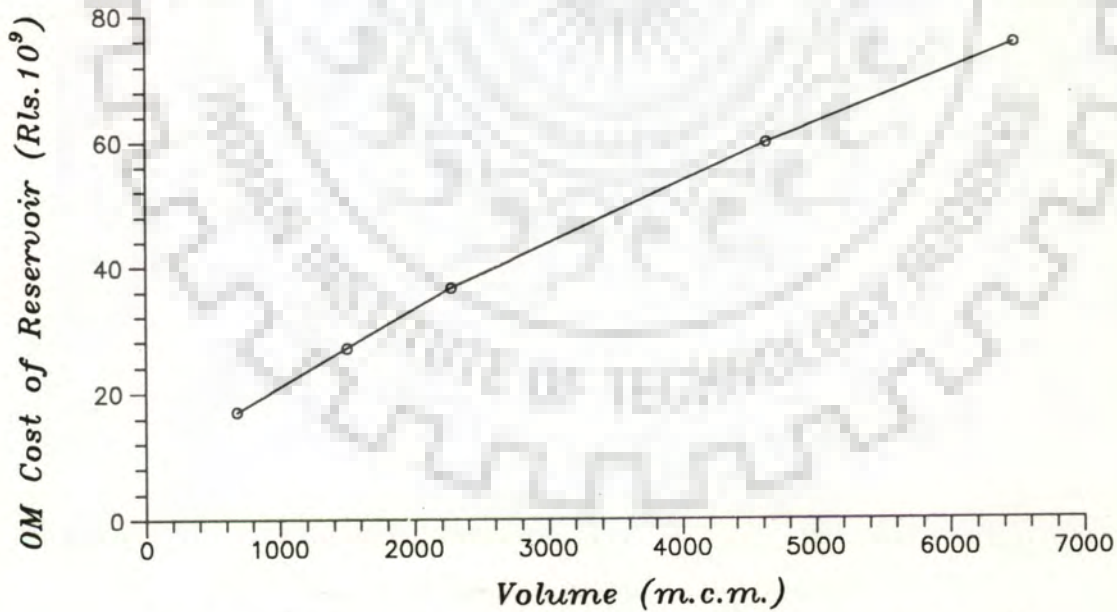


Fig.7.6:Reservoir Volume vs OM Cost of Reservoir for Karun-3 Dam Site

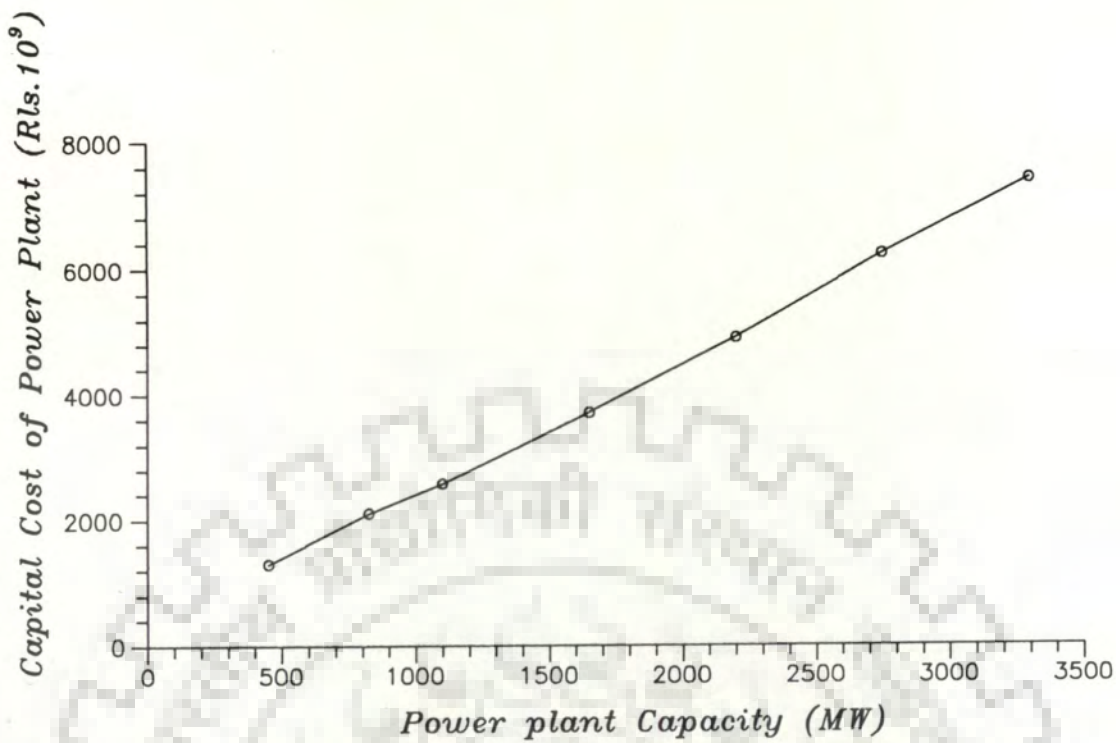


Fig.7.7:Power Plant Capacity vs Capital Cost for Karun-3 Dam Site

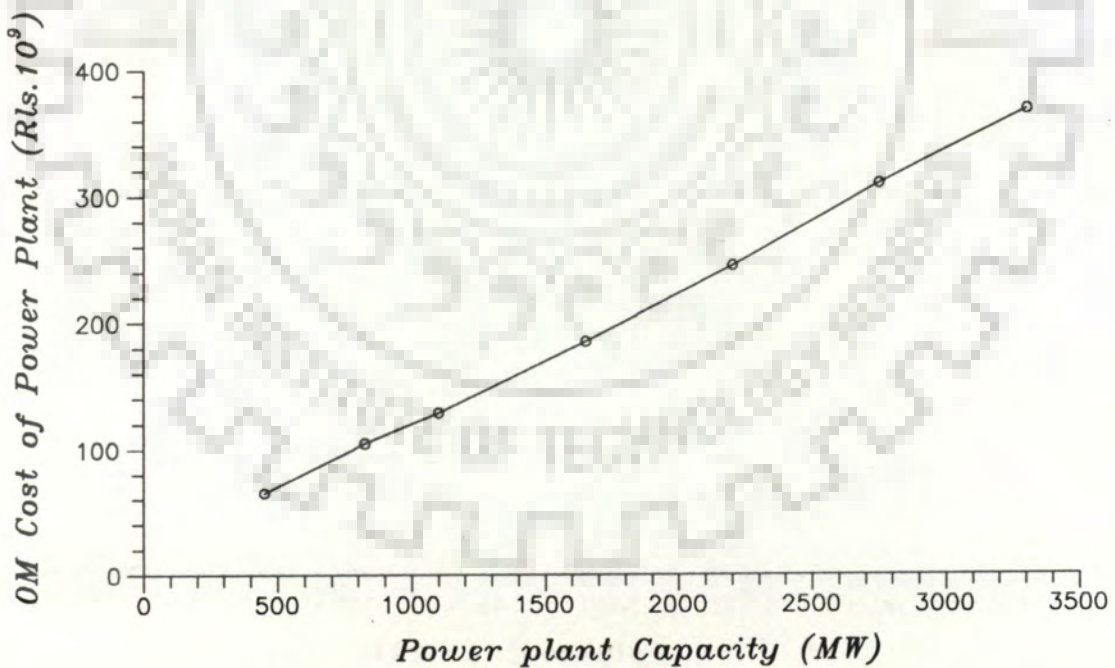


Fig.7.8:Power Plant Capacity vs OM Cost for Karun-3 Dam Site

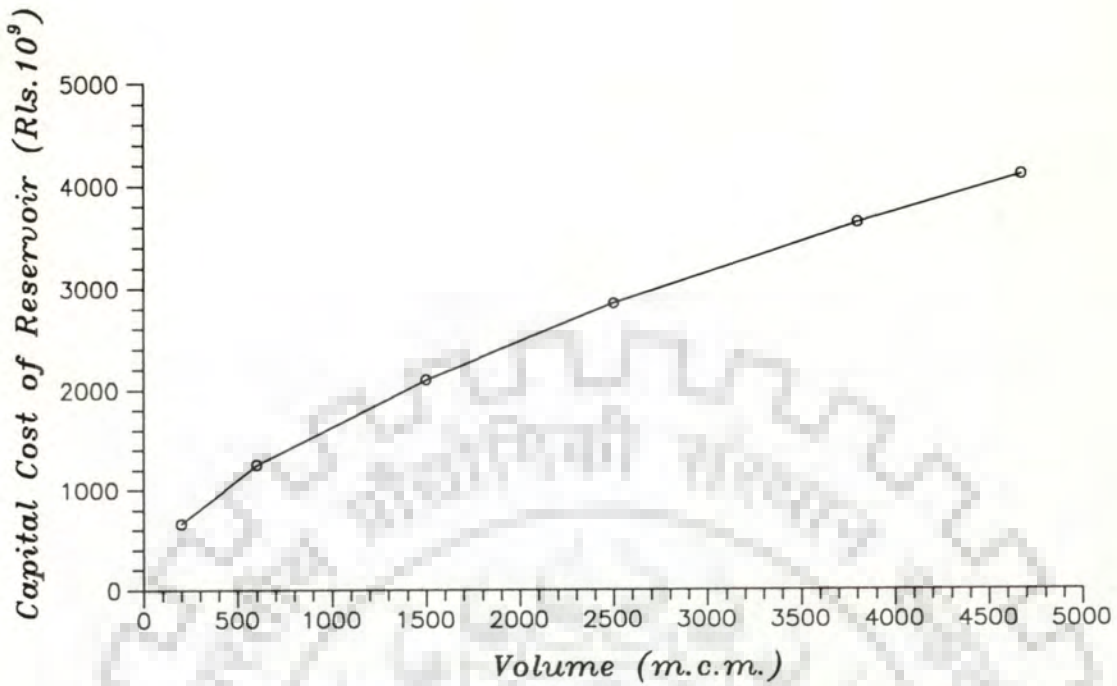


Fig.7.9:Reservoir Volume vs Capital Cost of Reservoir for Karun-2 Dam Site

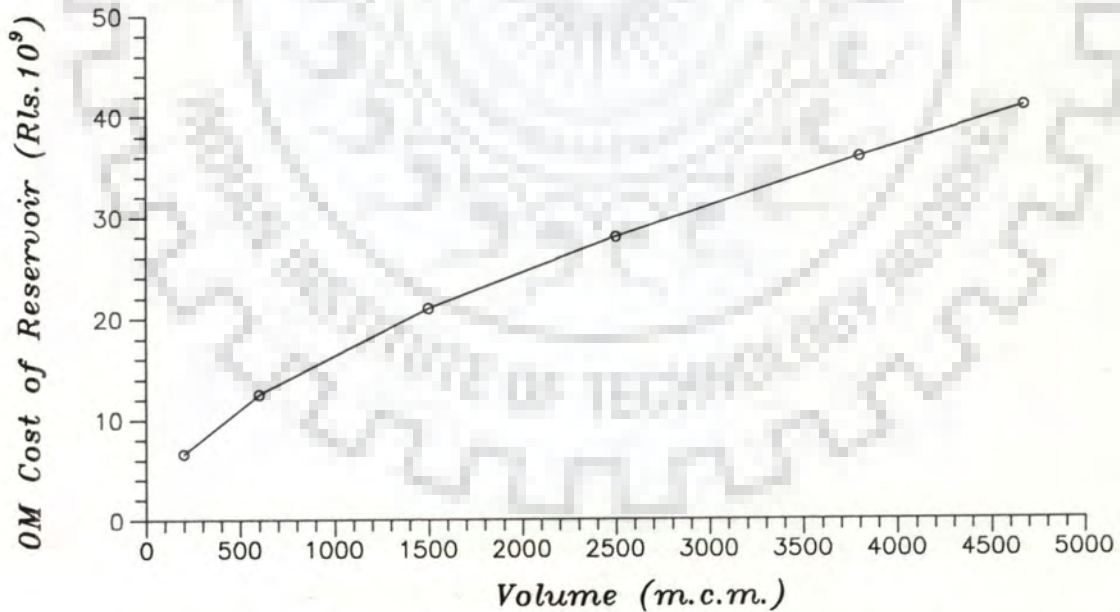


Fig.7.10:Reservoir Volume vs OM Cost of Reservoir for Karun-2 Dam Site

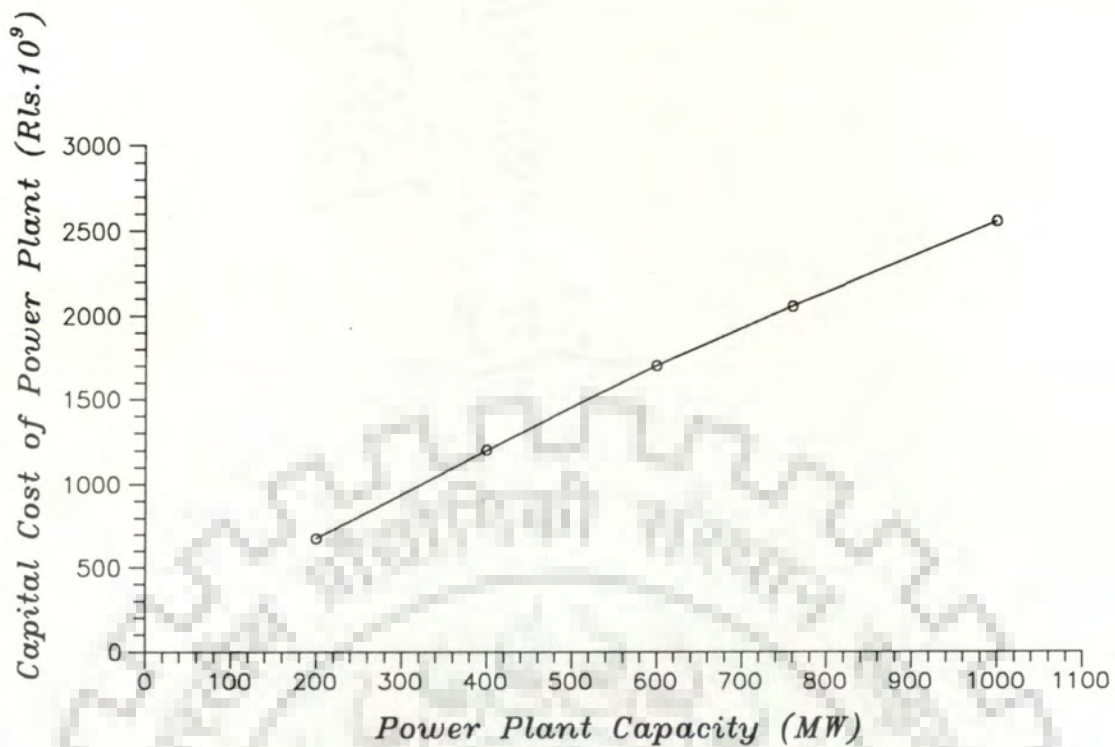


Fig.7.11:Power Plant Capacity vs Capital Cost for Karun-2 Dam Site

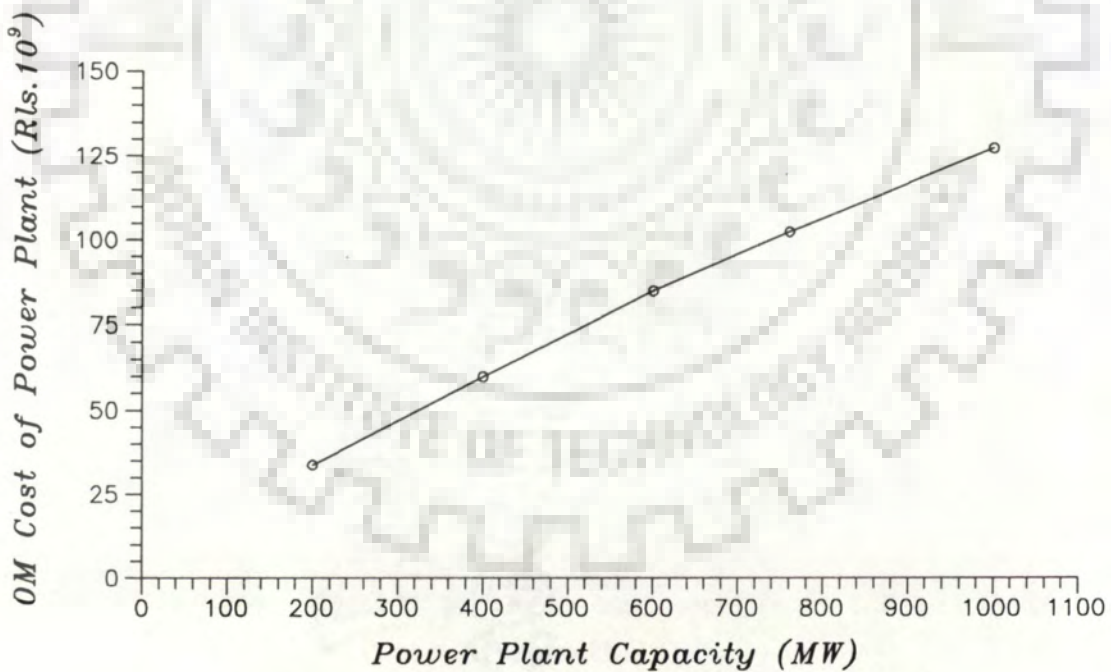


Fig.7.12:Power Plant Capacity vs OM Cost for Karun-2 Dam Site

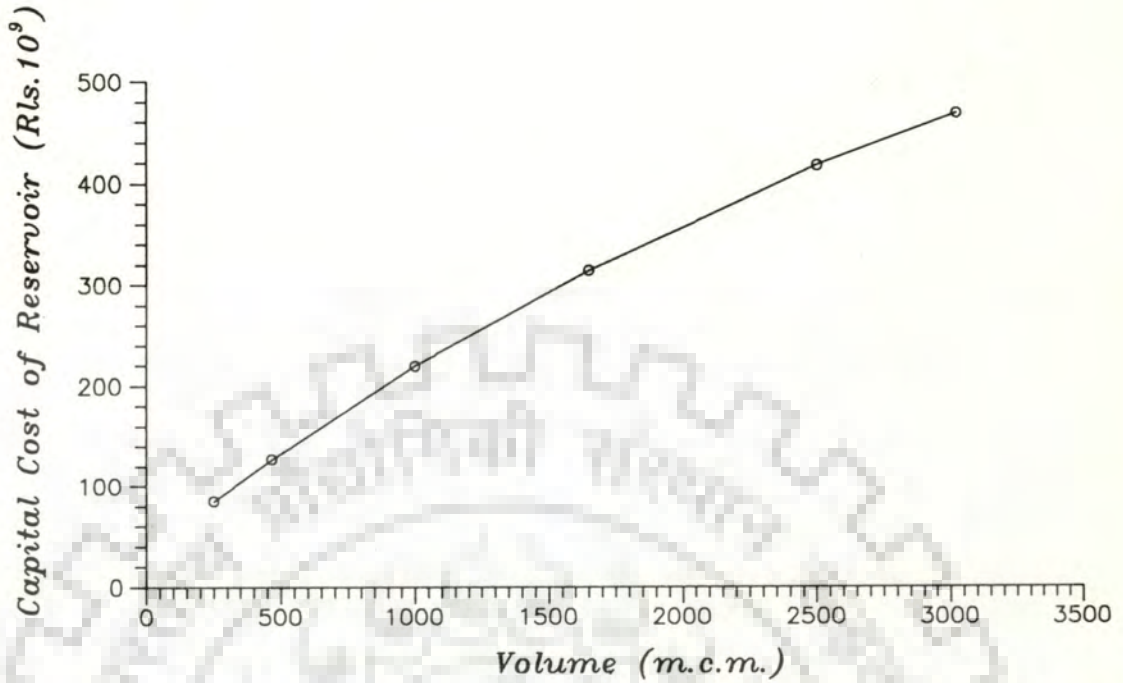


Fig.7.13:Reservoir Volume vs Capital Cost of Reservoir for Karun-1 Dam Site

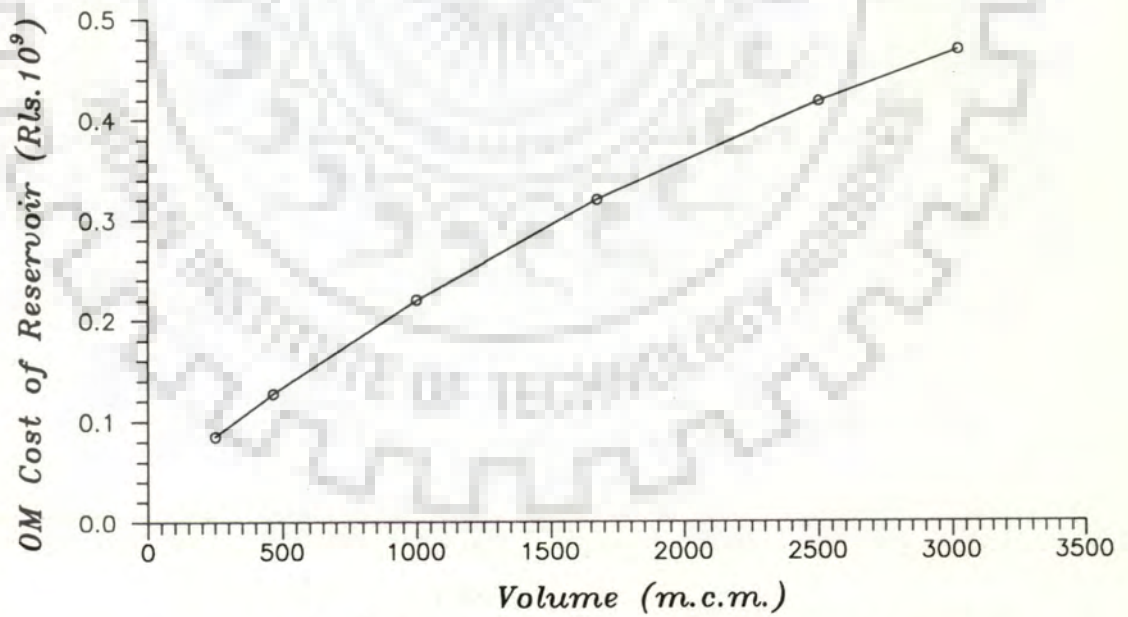


Fig.7.14:Reservoir Volume vs OM Cost of Reservoir for Karun-1 Dam Site

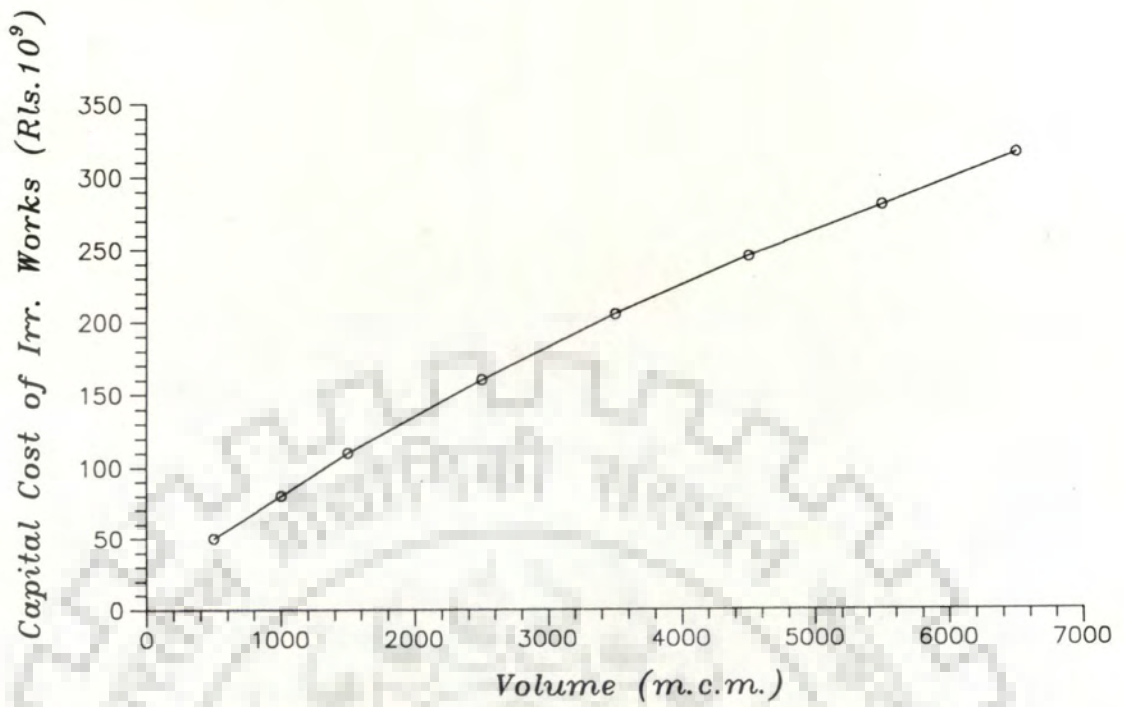


Fig.7.15: Annual Irrigation vs Capital Cost for Karun-1 Dam Site

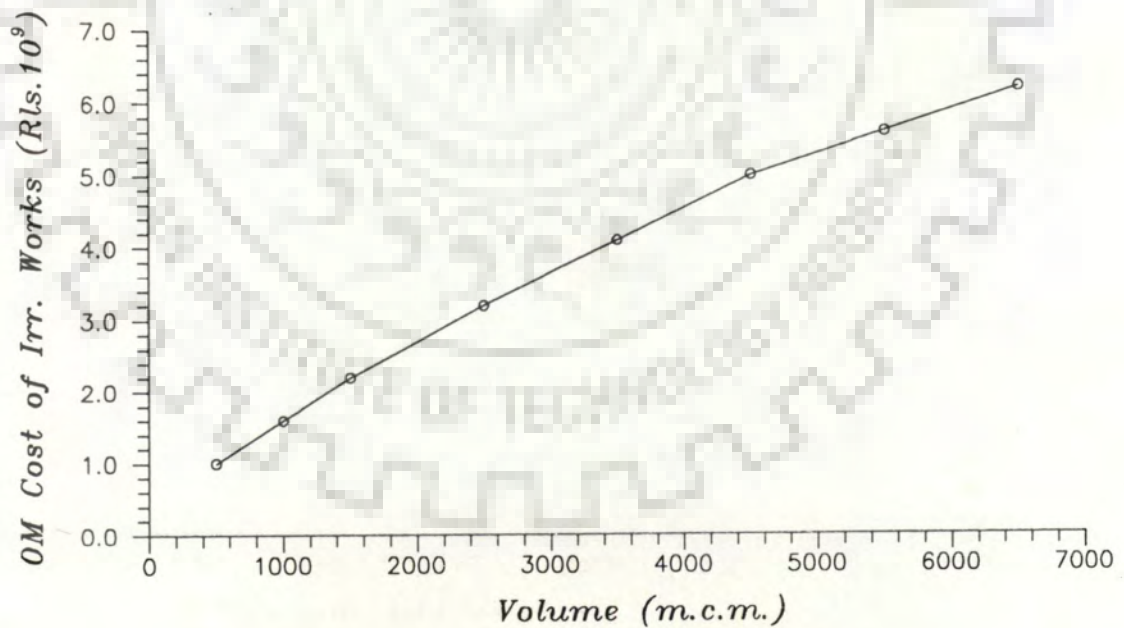


Fig.7.16: Annual Irrigation vs OM Cost for Karun-1 Dam Site

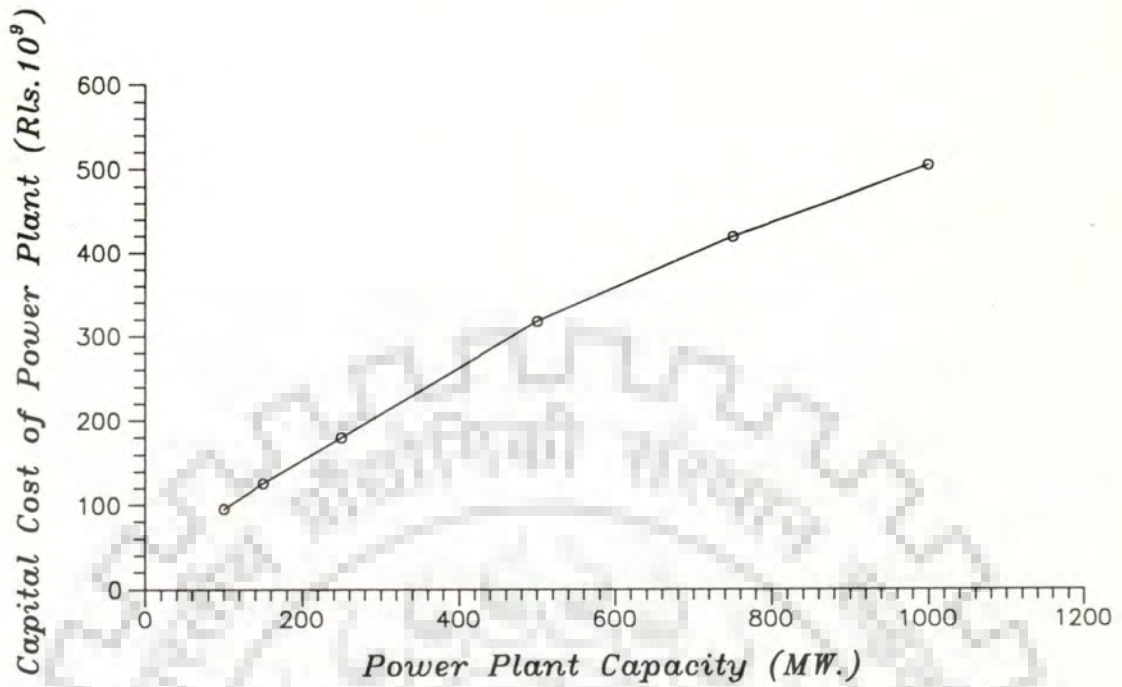


Fig.7.17:Power Plant Capacity vs Capital Cost for Karun-1 Dam Site

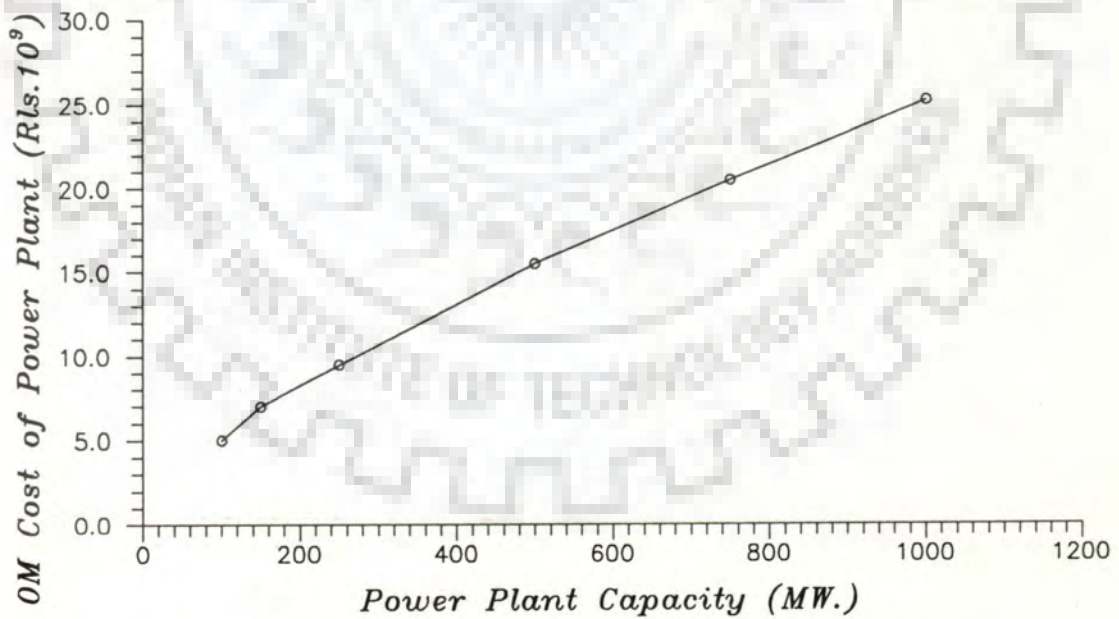


Fig.7.18:Power Plant Capacity vs OM Cost for Karun-1 Dam Site

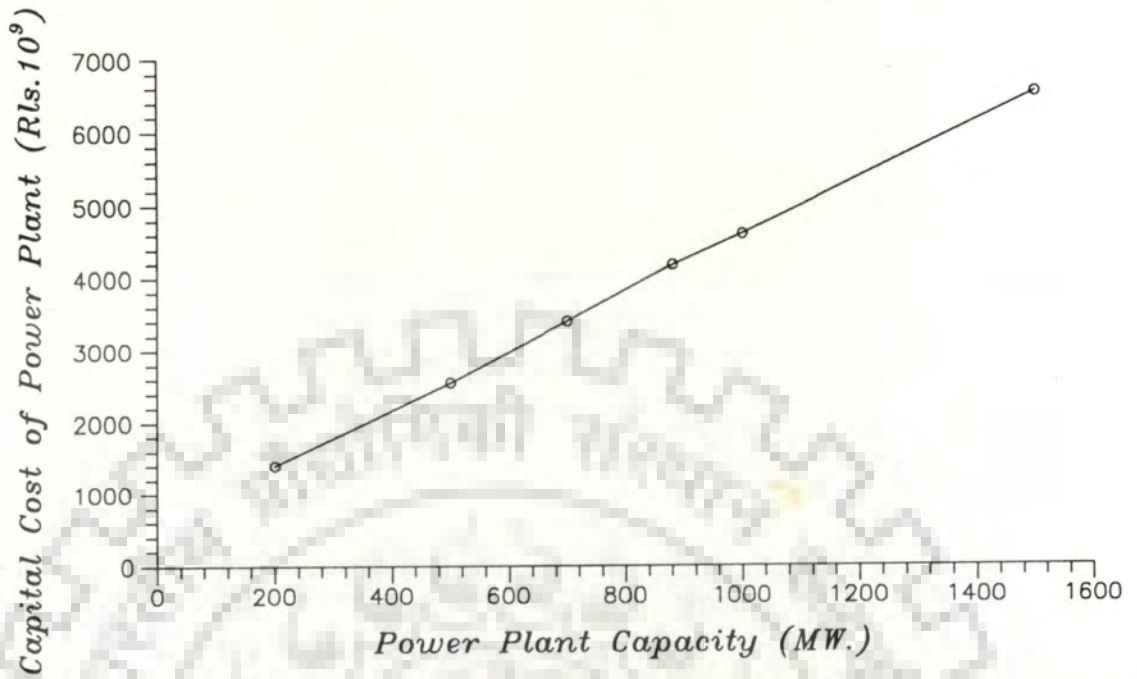


Fig.7.19: Power Plant Capacity vs Capital Cost for Godar-e-Landar (Run-of-River)

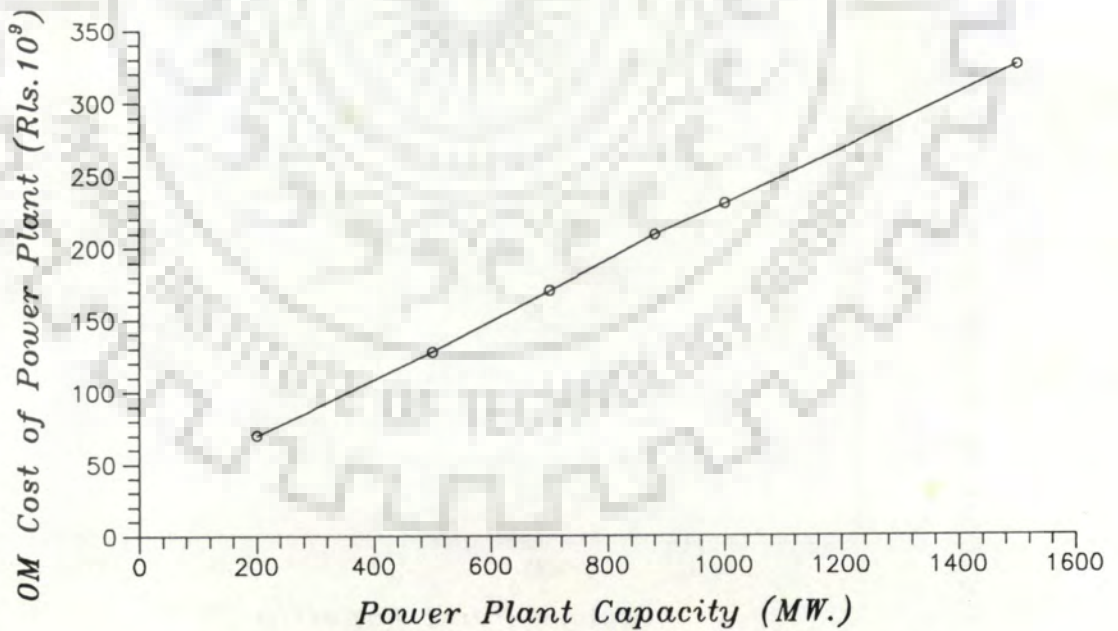


Fig.7.20: Power Plant Capacity vs OM Cost for Godar-e-Landar (Run-of-River)

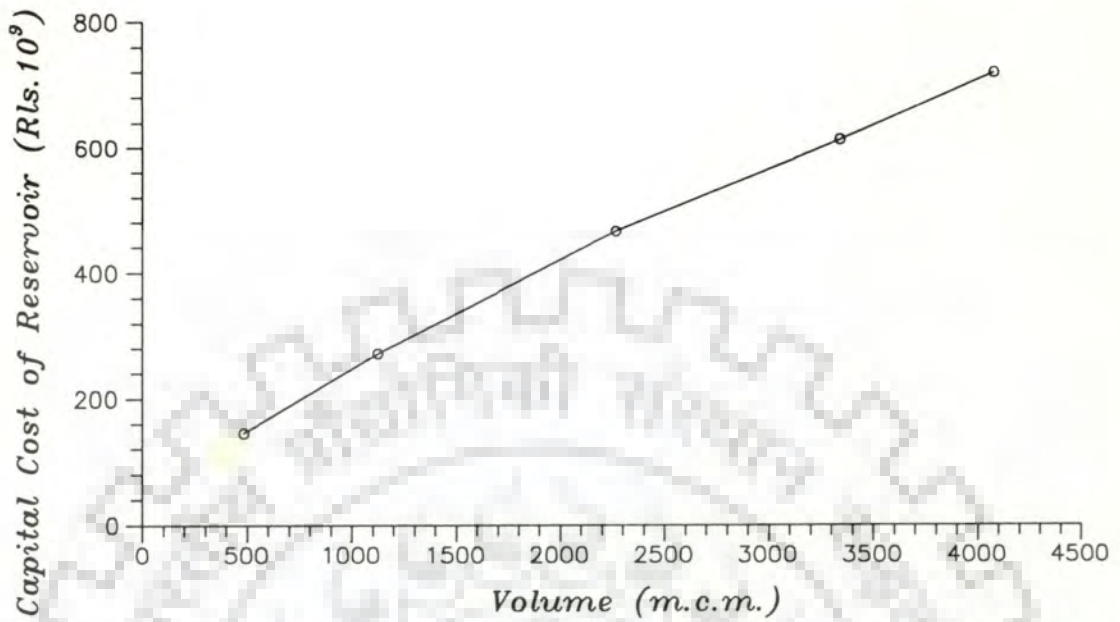


Fig.7.21:Reservoir Volume vs Capital Cost of Reservoir for Dez Dam Site

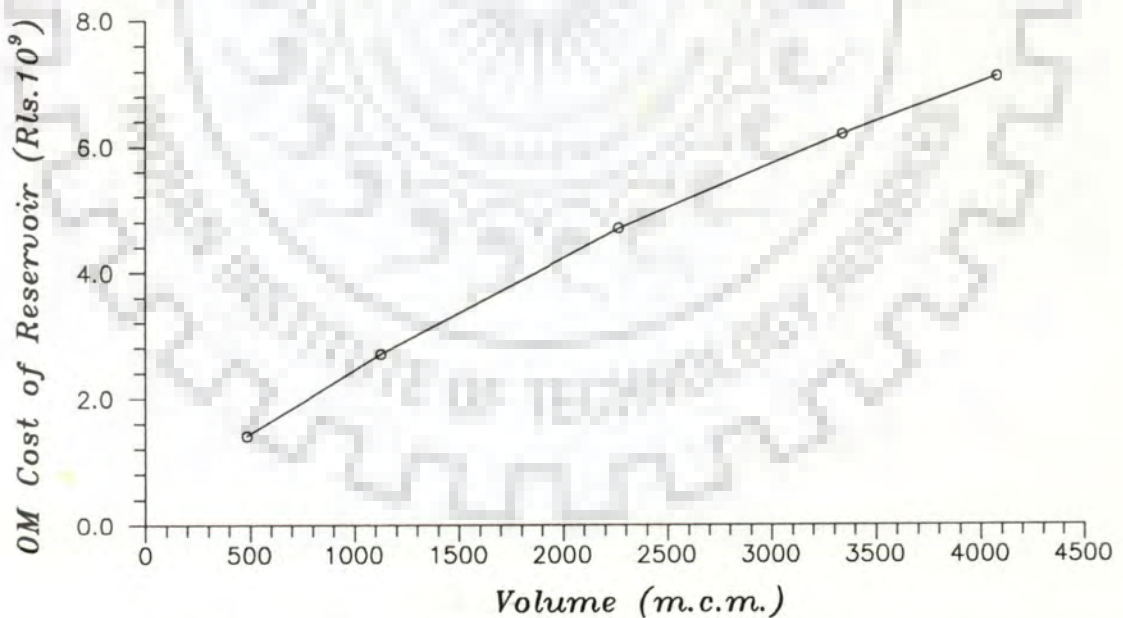


Fig.7.22:Reservoir Volume vs OM Cost of Reservoir for Dez Dam Site

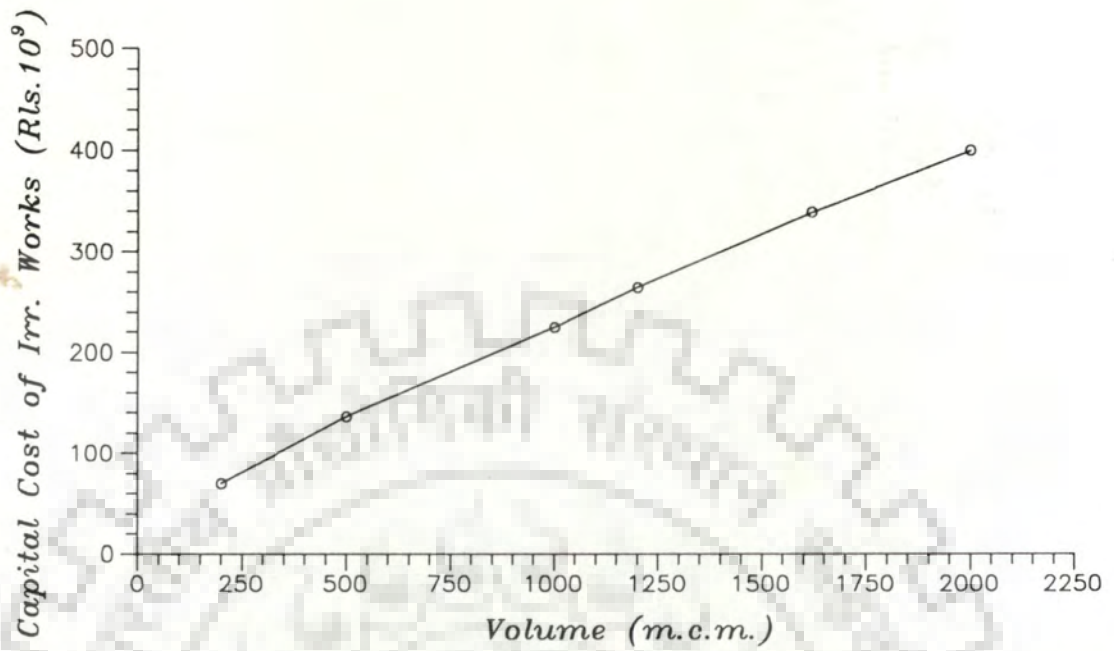


Fig.7.23:Annual Irrigation vs Capital Cost for Dez Dam Site

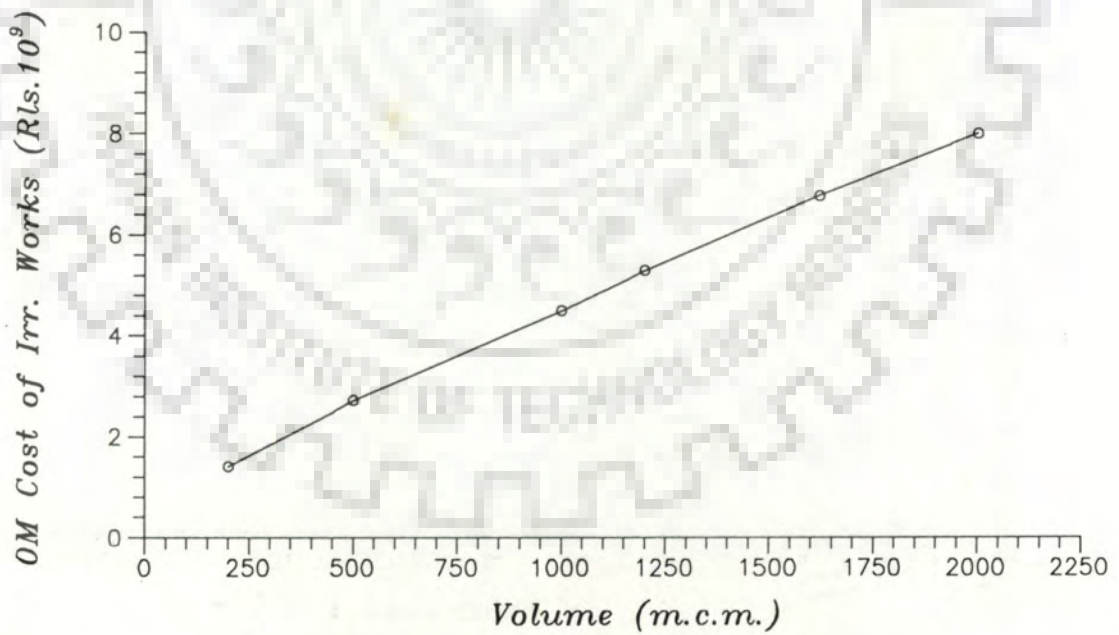


Fig.7.24:Annual Irrigation vs OM Cost for Dez Dam Site

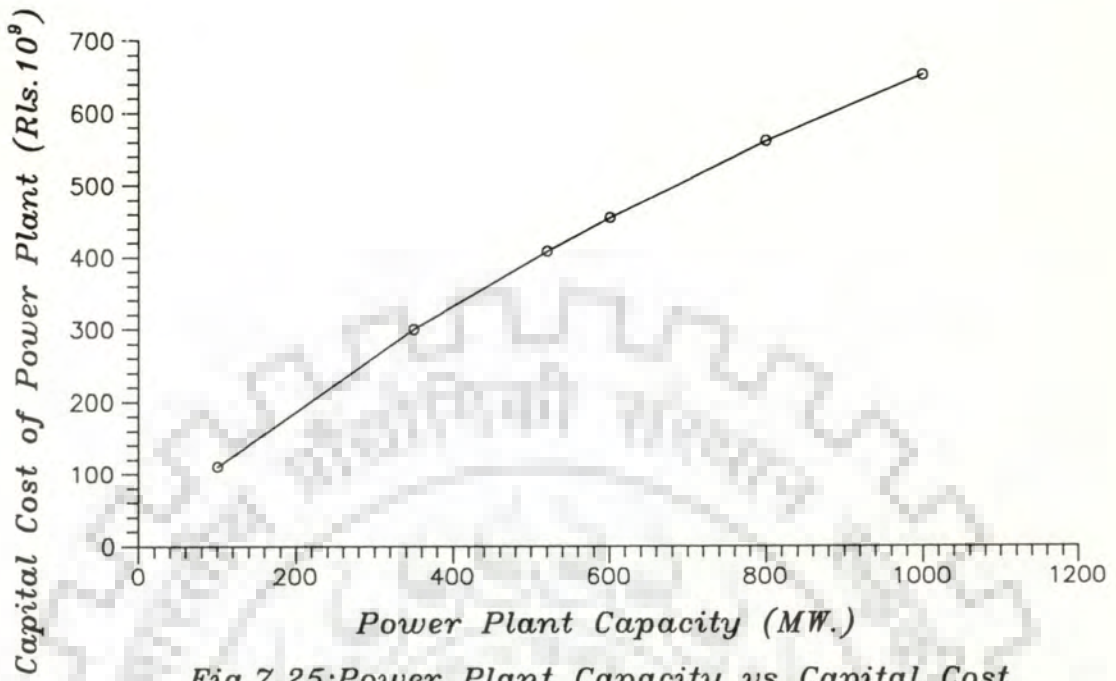


Fig.7.25: Power Plant Capacity vs Capital Cost for Dez Dam Site

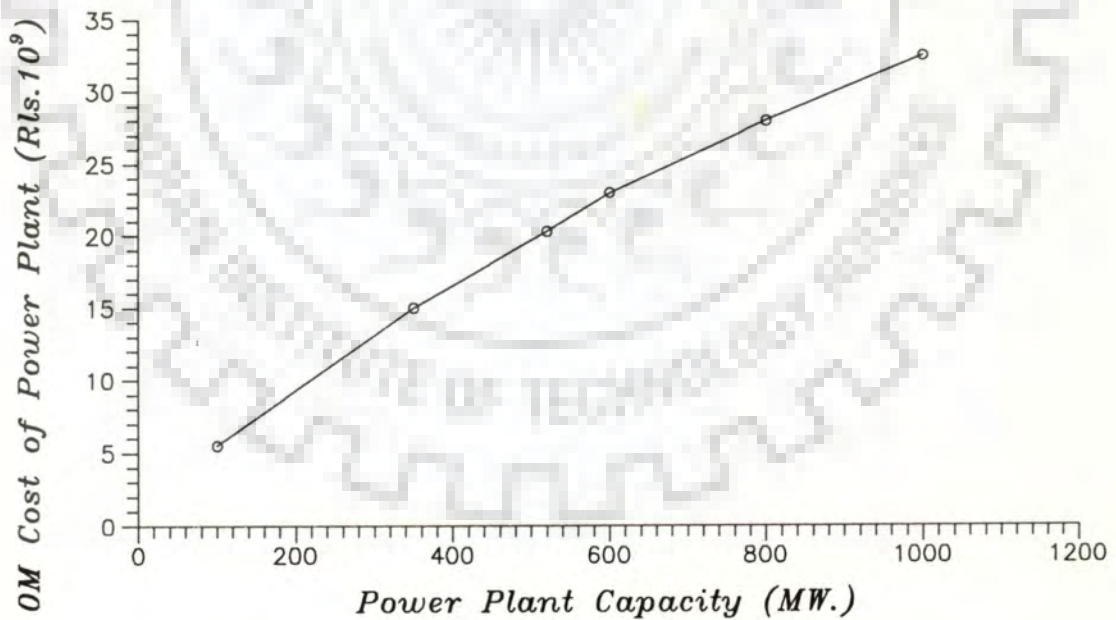


Fig.7.26: Power Plant Capacity vs OM Cost for Dez Dam Site

7.3 SOLUTION METHODOLOGY

The Linear Programming Model (LP Model), Chapter 3, was used to analyze all possible alternative configurations of the reservoir system for preliminary screening and design of projects with respect to the economical considerations. Simulation model (Chapter 4) was then used to screen and eliminate clearly inferior alternatives based on economical, project dependability and other considerations. Therefore, a combined model is developed to analyze the physical and economic efficiencies of a large number of alternative development options as follows:

7.3.1 Deciding Configuration and Sizing of Reservoirs For Future Development

In the first instance the multi irrigation areas at Karun-1 and Dez have been clubbed individually for deciding the reservoir configuration and the project sizes and targets for future development scenario.

7.3.2 Sizing of Irrigation Including Multi-Irrigation Areas

Thereafter, the self and the multi-irrigation areas are unclubbed and both the existing and the future development scenarios have been considered and analyzed for sizing the various irrigation areas.

Ultimately, the results of the optimization - simulation screening models were used to develop appropriate methodology for decision making purposes for a large complex water resources system.

7.4 COMPUTATION FOR DECIDING CONFIGURATION AND SIZING OF RESERVOIRS FOR FUTURE DEVELOPMENT

The optimization and simulation screening models are proposed to be applied using the following methodology.

7.4.1 Strategy For LP Computation

The linear programming model was used as a preliminary screening model. In this model, constraints were written only for one year. The decision variables were namely $O_{i,t}$; $S_{i,t}$; Y_i ; I_r ; H_i ; and E_i . Average monthly flows and monthly flows of 70% or 90% dependable flow year were used as the input, as shown in Table 7.5, 7.6, and 7.7. The values of $K_{i,t}$ for 12 time period are given in Table 7.8 and 7.9 for the existing and the future development respectively. The reservoir storage at the end of the year is same as at the beginning of the same year, i.e., $S_{12} = S_0$.

A few more constraints were added on the basis of some design criterias:

(i) Based on agreement between neighbor province (Esfahan) and neighbor basin (Karkheh irrigation project) water has to be transfered from the Karun river to above mentioned province and basin as follow:

- 25 m³/sec from the source point of Karun river by Kouhrang tunnel towards Esfahan province. It is noted that, these diversions remained constant for two development scenarios. Table 7.10 shows the pattern of monthly distribution of these diversion requirements.

(ii) It also recommended that total power plant capacity of Karun river system should not exceed 8000 MW.

The load factors are given in Table 7.11. The number of hours h_t , on an average, in a month are taken at 720.

Table 7.5: Mean Flows at Dam Sites

Unit:In (m.c.m.)

Mean monhly flows at Dam sites						
Time period	K - 4	K - 3	K - 2	K - 1	R-O-R	Dez
t	i = 1	i = 2	i = 3	i = 4	i = 5	i = 6
1	1022.4	1687.3	1777.3	1981.0	1968.9	1610.2
2	985.3	1533.0	1614.8	1927.0	1757.1	1417.7
3	622.4	981.4	1033.8	1175.4	1152.1	797.0
4	381.0	623.6	656.8	811.4	787.6	473.5
5	277.0	449.8	473.8	623.2	654.4	316.8
6	208.9	349.9	368.6	518.2	608.8	232.6
7	187.9	316.2	333.0	440.7	433.9	195.9
8	223.1	366.7	386.2	479.2	492.3	267.4
9	301.1	493.0	519.8	592.5	598.9	441.8
10	345.7	584.6	615.8	842.3	849.2	553.4
11	408.8	730.9	769.9	1055.3	1025.2	770.1
12	682.5	1177.4	1240.3	1442.5	1362.2	1119.6
Total	5646.0	9294.0	9789.6	11888.4	1691.6	8196.0

Table 7.6: Flows of Different Dependabilities at Karun River Dam Sites Unit:In (m.c.m.)

	Apr.	May	Jun.	Jul.	Aug.	Sep.	Oct.	Nov.	Dec.	Jan.	Feb.	Mar.
Karun-4 Dam Site												
AVE. =	1022.4	985.3	622.4	381.0	277.0	208.3	187.9	223.1	301.1	345.7	408.8	682.6
%90 =	543.2	649.2	415.9	239.1	223.1	181.3	140.0	128.3	146.7	140.7	175.0	387.8
Karun-3 Dam Site												
AVE. =	1687.3	1533.0	981.4	623.6	449.8	349.9	316.2	366.7	493.0	584.6	730.9	1177.4
%90 =	972.0	681.4	480.2	295.4	232.2	211.3	199.3	197.5	250.6	289.5	713.4	1078.5
Karun-2 Dam Site												
AVE. =	1777.3	1614.8	1033.8	656.8	473.8	368.6	333.0	386.2	519.3	615.8	769.9	1240.3
%90 =	1024.0	717.8	505.9	311.2	244.5	222.6	210.0	208.1	264.1	305.1	756.7	1136.1
Karun-1 Dam Site												
AVE. =	1981.0	1927.0	1175.4	811.4	623.1	518.2	440.7	479.2	592.5	842.3	1055.3	1442.5
%70 =	1938.1	1201.8	803.5	554.7	458.5	441.4	347.1	374.8	547.5	720.1	825.8	1349.4
%90 =	1210.9	914.7	593.9	368.5	379.8	388.4	290.6	310.5	473.0	479.3	794.6	1285.4
Godar-e-Landar Run of River (Tunnel Scheme)												
AVE. =	1968.9	1757.1	1152.1	787.6	654.4	608.8	433.9	492.7	598.9	849.2	1025.2	1362.2
%90 =	811.3	867.5	803.5	594.3	594.6	606.4	423.5	416.5	406.9	609.4	636.3	615.9

Table 7.7: Flows of Dez Dam Site With different dependabilities Unit:In (m.c.m.)

	Apr.	May	Jun.	Jul.	Aug.	Sep.	Oct.	Nov.	Dec.	Jan.	Feb.	Mar.
Dez Dam Site												
AVE. =	1610.2	1417.7	797.0	473.5	316.8	232.6	195.9	267.4	441.8	553.4	770.1	1119.6
%70 =	1588.1	909.9	645.8	327.3	210.3	182.1	153.2	175.7	426.2	416.8	658.1	698.5
%90 =	628.1	866.5	588.7	355.4	225.8	180.2	147.9	166.9	256.1	298.3	559.1	510.4

Table 7.8: Values of $K_{i,t}$ at Different Sites (Existing Development)

Time period t	Percentage of total annual irrigation requirement $K_{i,t}$													
	SK i=1	SD i=2	1K i=3	2K i=4	3K i=5	4K i=6	5K i=7	1D i=8	2D i=9	3D i=10	4D i=11	1KD i=12	2KD i=13	3KD i=14
1*	8.7	12.8	20.0	20.6	20.9	21.3	17.0	21.3	13.4	17.2	17.7	20.4	19.8	13.1
2	12.2	13.4	20.0	18.1	19.5	18.8	17.8	18.5	14.8	15.5	17.2	16.8	17.5	13.1
3	15.2	11.1	20.0	9.8	10.9	9.3	13.3	9.5	13.5	10.3	10.3	8.3	9.4	13.1
4	16.3	11.1	20.0	5.5	5.7	4.5	8.9	5.2	12.2	7.0	6.3	4.3	5.2	13.1
5	14.9	12.0	20.0	4.5	4.3	4.0	6.7	4.5	10.3	7.2	5.2	3.6	4.3	11.4
6	10.8	11.3	0.0	4.0	3.3	4.0	5.2	4.1	7.9	7.5	5.7	3.7	3.9	7.6
7	5.9	7.1	0.0	3.8	2.7	3.6	4.4	3.3	5.6	6.2	5.1	3.6	3.3	5.5
8	3.6	4.8	0.0	6.0	5.5	6.0	4.4	5.1	4.4	6.2	5.7	5.8	5.1	3.7
9	2.5	3.1	0.0	5.2	5.2	5.3	3.7	5.2	3.5	4.5	5.7	6.7	6.0	3.1
10	2.0	2.0	0.0	3.5	3.5	3.6	3.0	3.4	2.2	2.9	3.4	4.5	4.3	3.1
11	2.3	2.9	0.0	4.5	4.3	4.6	3.7	4.7	3.0	3.6	5.1	6.9	6.3	3.1
12	5.6	8.4	0.0	14.5	14.2	15.0	11.9	15.2	9.2	11.9	12.6	15.4	14.9	10.0
Total	100	100	100	100	100	100	100	100	100	100	100	100	100	100

* Month of April

Table 7.9: Values of $K_{i,t}$ at Different Sites (Full Development)

Time period	Percentage of total annual irrigation requirement $K_{i,t}$													
	SK i=4	SD i=5	1K i=6	2K i=7	3K i=8	4K i=9	5K i=10	6K i=11	7K i=12	1D i=13	2D i=14	3D i=15	1KD i=16	2KD i=17
1	8.7	12.8	14.3	20.6	20.1	20.9	12.3	17.1	19.0	11.2	16.7	17.5	10.8	19.4
2	12.2	13.4	14.3	19.2	17.8	18.7	14.2	17.1	16.8	13.8	15.2	16.7	12.4	17.3
3	15.2	11.1	20.4	10.7	9.8	8.8	13.2	13.0	9.3	14.2	10.3	10.1	12.6	9.4
4	16.3	11.1	14.3	5.8	5.6	4.4	12.9	9.1	5.2	14.0	7.2	6.0	13.6	5.1
5	14.9	12.0	7.1	4.3	4.6	4.4	12.2	7.2	3.8	12.4	7.3	5.4	12.8	4.0
6	10.8	11.3	7.1	3.4	4.0	4.3	9.0	5.6	3.5	9.1	7.6	5.8	9.5	4.0
7	5.9	7.1	7.1	2.9	4.0	3.3	5.5	4.7	3.8	6.3	6.4	5.0	5.7	3.3
8	3.6	4.8	7.1	5.8	6.3	6.6	4.7	4.7	6.0	4.4	6.4	5.9	4.8	5.4
9	2.5	3.1	0.0	5.8	5.8	6.6	3.1	3.5	6.8	2.4	5.0	5.7	3.7	6.7
10	2.0	2.0	0.0	3.4	3.3	3.3	1.9	2.4	4.6	1.7	2.8	3.8	2.5	4.5
11	2.3	2.9	0.0	4.5	4.7	4.4	2.7	3.8	6.5	2.7	3.8	5.4	3.7	6.4
12	5.6	8.4	7.1	13.6	14.0	14.3	8.2	11.5	14.7	7.8	11.3	12.7	7.9	14.5
Total	100	100	100	100	100	100	100	100	100	100	100	100	100	100

Note : Sites i = 1 to 3 are hydropower site.

Table 7.10: Monthly Pattern of Diversion Out of The Basin Unit:In (m.c.m.)

Apr.	May	Jun.	Jul.	Aug.	Sep.	Oct.	Nov.	Dec.	Jan.	Feb.	Mar.	Ave.
67.0	67.0	67.0	67.0	67.0	67.0	65.0	65.0	65.0	65.0	65.0	65.0	66.0
53.5	-	-	-	-	-	-	-	52.0	52.0	52.0	52.0	21.8
120.5	67.0	67.0	67.0	67.0	67.0	65.0	65.0	117.0	117.0	117.0	117.0	87.8

Table 7.11: Monthly Pattern of Load Factors

Apr.	May.	Jun.	Jul.	Aug.	Sep.	Oct.	Nov.	Dec.	Jan.	Feb.	Mar.
0.58	0.60	0.64	0.67	0.70	0.66	0.59	0.58	0.61	0.62	0.63	0.62

With respect to above consideration, strategy of LP computation is follows:

First of all the reservoirs in the system are to be sequenced in ascending order from the upper most reservoir towards the down stream. To achieve ^{a preliminary} the rough design of reservoirs, each reservoir is approximately dimensioned by LP model iterations in the following steps.

- (i) LP model was applied individually to each reservoir by using average, 90% or 70% dependable flow years inflows depending upon the type of project, to find the values of reservoir capacity and other design variables like hydropower plant capacity, annual firm energy which is generated by the plant, and annual firm irrigation capability of each reservoir, for fixing the ranges of design variables at each site.
- (ii) Again LP model has to be applied individually for each reservoir by using the above mentioned dependabilities using intermediate catchment inflows, to fix the ranges of design variables at each site.
- (iii) Since in this system, reservoirs are in series and parallel form, therefore, LP Model has been applied to the reservoir system according to the various alternative configurations which could be formed by different combinations of reservoirs also refer Table 5.25.

7.4.2 Strategy For Simulation Computation

Based on the preliminary design LP screening model, simulation model was used to refine and test the feasibility of the results of LP model, by fixing the ranges of the variables in terms of upper and lower bounds, and selecting various

combinations of variables between these bounds of design variables and applying simulation for entire period (38 years), accordingly, many alternatives are simulated and ultimately the picking up of better alternatives is made based on the comparison of the following criterias.

- Present value of net benefits, PW_{nb} , calculated for the period of simulation (38 years).
- The annual firm target is defined in terms of number and amount of annual deficits of each use, i.e, 100%, 90% and 75% successes or project dependabilities for water supply, hydropower and irrigation respectively during entire period for single purpose reservoir and about 100% and 70% success or project dependabilities for water supply and irrigation in a multi-purpose reservoir.
- Number of times that reservoir is full during entire period.
- Number of times that reservoir is empty in the critical months of the year (during entire period).
- Amount and number of average annual spill.

7.4.3 Computation

7.4.3.1 Computation For Reservoir-1

According to the above methodology the computations of LP model were carried out as follows:

Computation for reservoir-1 as an individual project.

- (i) LP model was applied to the reservoir-1 (Karun-4) as an individual project with average monthly inflows, and 90% dependable years flow (as it is a hydropower reservoir), to find the values of design variables. In this case, there is no upstream reservoir, so the natural inflow to the reservoir is taken as the total natural catchment inflow up to the dam site. The Table

7.12.1 shows the values of variables which have been obtained from the model results.

Table 7.12.1: Results of LP Model for Individual Project (Reservoir-1)

Reservoir Under Consideration	Inflow	Design Variable				Total annual net benefit in Rials 10^9
		Y	Ir	H	E	
Res. -1 (K-4)	Average	2633	-	356	1832	177.6
	90%	2077	-	217	1121	33.5

Where,

Y = Reservoir capacity (m.c.m.)

Ir = Annual irrigation water (m.c.m.)

H = Hydropower plant capacity (MW)

E = Annual energy generation (Gwhr)

(ii) On the basis of the results of preliminary screening by LP model the ranges on design variables were put in terms of upper and lower bounds. The first set of values of the upper and lower bounds on the variables are fixed on the basis of following criterias:

- It is evident that the results of LP model using average inflows give higher estimates of design variables, which may put upper bounds on these variables for further simulation.
- On the other hand results of LP model using 90% dependable year's flow (as it is hydropower site), may put lower bounds on the values of the design variables.

Therefore, on the basis of the above mentioned criterias, the upper and lower bounds on the values of design variables were fixed and are presented in Table 7.12.2. Then the selection of a number of design alternatives were made between the intervals

of the above bounds using systematic sampling. The increments for Y and H were 100 m.c.m. and 50 MW respectively. Then simulation model was applied to each of the mentioned alternatives and the model was run on the monthly basis for thirty eight years of data. In every alternative the value of E was varied till 90% project dependability was obtained (i.e., 4 number of failure years or 34 years success out 38 years simulation). A successful year means that the annual demand is met without any shortfall. According to the comparison criterias mentioned earlier out of 35 simulated design alternatives a few number of better alternatives were selected and are given in Table 7.12.3. From the results it is found that for a large value of Y the increase in the present value of net benefit is not much, and hence higher reservoir capacity is not advisable. Again by selecting a second set of ranges for variables as given in Table 7.12.4 on the basis of above results, a number of 5 more alternative designs were simulated. The increments for Y, were 50 m.c.m.. The value of H was fixed equal to 350 MW, because with smaller values of H, the annual firm energy, E, decreases and with higher values there is no much change in E values. The best possible alternative which is satisfying the feasibility criterias was picked up, the results are presented in Table 7.12.5. It is found from the results that the value of E is close to the value of E obtained from LP model with 90% dependable year's flow, see Table 7.12.1.

Table 7.12.2: First Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-1)

Reservoir Under Consideration	Design Variable		
	Y	Ir	H
Res.-1 (K-4)	2600*	-	400*
	2000**	-	200**

* Upper bound ** Lower bound

Table 7.12.3: A Few Selected Alternatives from Simulation from First Sample for Individual Project (Reservoir-1)

Reservoir Under Consideration	Design Variables For Better Selected Alternatives				Total present value of net benefits in Rials 10^9 (PW_{nb})
	Y	Ir	H	E	
Res.-1 (K-4)	2400	-	350	1520	65 62.3
	2200	-	350	1435	64 99.4
	2100	-	350	1379	64 66.3
	2000	-	350	1311	64 24.5

Table 7.12.4: Second Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-1)

Reservoir Under Consideration	Design Variable		
	Y	Ir	H
Res.-1 (K-4)	2200	-	350
	2000	-	350

Table 7.12.5: Results of Simulation from Second Sample for Individual Project (Reservoir-1)

Reservoir Under Consideration	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Spill	PW_{nb} Rials 10^9
	Y	Ir	H	E	\bar{E}				
Res.-1 (K-4)	2050	-	350	1343	573	9.5	4	2341	64 49

E = Annual secondary energy generation (GWhr)

7.4.3.2 Computation For Reservoir-2

For reservoir-2, all possible alternative configurations of reservoirs which it can form with U/S reservoir-1 were tested with LP and simulation models as follows:

1. Computation for reservoir-2 as an individual project

Following the process of individual project computation for reservoir-1, computations were also carried out for reservoir-2 (Karun-3) in two steps:

- (i) Initially, it is assumed that there is no reservoir upstream of reservoir-2, so the entire natural catchment inflow contribution up to this site is taken as the natural inflow for analysis for reservoir-2. This is done because U/S reservoir-1 has only hydropower. Results of LP model are presented in Table 7.13.1.

Table 7.13.1: Results of LP Model for Individual Project (Reservoir-2)

Reservoir Under Consideration	Inflow	Design Variable				Total annual net benefit in Rials 10^9
		Y	Ir	H	E	
Res.-2 (K-3)	Average	3281	-	642	3308	283.7
	90%	2578	-	384	1980	61.6

- (ii) In an another effort made by LP model using intermediate catchment flow between reservoir-1 and reservoir-2 (Karun-4 and Karun-3) the capability as well as contribution of the intermediate catchment flow in estimation of the values of design variables at reservoir-2 was determined as shown in Table 7.13.2.
- (iii) Based on the results at this site and considering the procedure which was used for fixing the ranges of design variables at reservoir-1, the ranges on design variables for reservoir-2 are fixed and are given in Table 7.13.3.

Then, by choosing certain increments a number of design alternatives were formed between the ranges of the above bounds using systematic sampling, and the increments for Y, H were selected as 100 m.c.m., 50 MW, respectively for further investigation by simulation as follows:

Simulation model was applied to each of the selected alternatives. Out of 54 simulated design alternatives a few number of better alternatives were selected on the basis of the comparison criterias mentioned earlier, and the result are given in Table 7.13.4. Based on the results as given in this table it may be seen that the competition of better alternatives are in the ranges of 2200 m.c.m. and 2400 m.c.m. for the value of Y. Therefore, by selecting a new set of ranges for variables (Table 7.13.5), a 5 number of alternative designs were simulated. The increments for Y was 50 m.c.m. The best attractive alternative design among all alternatives is selected, and the final results are given in Table 7.13.6.

Table 7.13.2: Results of LP Model for Individual Project Reservoir-2) (With Intermediate Catchment Flows)

Reservoir Under Consideration	Inflow	Design Variable				Total annual net benefit in Rials 10 ⁹
		Y	Ir	H	E	
Res.-2 (K-3)	Average	1831	-	260	1339	29.9
	90%	1332	-	149	766	6.7

2. Computation for integration of reservoir-2 with U/S reservoir-1

Following the process of integrated reservoirs studies, computation were done as follows:

- (i) Again LP model was used for integrated reservoir-2 and reservoir-1 (Karun-3 and 4). In this case the natural inflow to the second reservoir is taken as the contribution of the intermediate catchment natural inflow. Tables

7.13.7, and 7.13.8 show the results of LP model in integrated case of reservoir-2 and reservoir-1 with average and 90% results of dependable inflows respectively.

- (ii) Simulation was applied to these integrated reservoirs by keeping the features of the U/S reservoir same, i.e., reservoir-1 (Karun-4) as finalised earlier by simulation (Table 7.12.5). The results of integrated studies are given in Table 7.13.9. It is seen from this table that reservoir capacity of Karun-3 (reservoir-2) has reduced to 2200 m.c.m. from 2250 m.c.m. of Table 7.13.6, which may be expected sometimes in integrated system.

Table 7.13.3 : First Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-2)

Reservoir Under Consideration	Design Variable		
	Y	Ir	H
Res.-2 (K-3)	2500	-	650
	2000	-	200

Table 7.13.4: A Few Selected Alternatives from Simulation for Individual Project (Reservoir-2)

Reservoir Under Consideration	Design Variables for better Selected Alternatives				Total present value of net benefits in Rials 10^9 (PW_{nb})
	Y	Ir	H	E	
Res.-2 (K-3)	2500	-	650	2072	93 57.1
	2400	-	650	2015	92 80.6
	2300	-	650	1946	91 95.3
	2200	-	650	1886	91 11.9
	2100	-	650	1819	90 29.7
	2000	-	650	1760	89 42.1

Table 7.13.5: Second Set of Upper & Lower Bounds on Design Variables for individual Project (Reservoir-2)

Reservoir Under Consideration	Design Variable		
	Y	Ir	H
Res.-2	2400	-	650
(K-3)	2200	-	650

Table 7.13.6: Results of Simulation From Second Sample for Individual Project (Reservoir-2)

Reservoir Under Consideration	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Spill	PW _{nb} Rials 10 ⁹
	Y	Ir	H	E	\bar{E}				
Res.-2 (K-3)	2250	-	650	1916	1172	24.0	4	4223	9152

Table 7.13.7: Results of LP Model for Integrated Reservoirs for Average Flows (Reservoirs-2 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10 ⁹
			Y	Ir	H	E	
Res.-2 (K-3)	2,1 (K-3,4)	1	2633	-	356	1832	662.3
		2	1831	-	639	3294	

Table 7.13.8: Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Reservoirs-2 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10 ⁹
			Y	Ir	H	E	
Res.-2 (K-3)	2,1 (K-3,4)	1	2077	-	217	1121	162.1
		2	1332	-	381	1962	

Table 7.13.9: Results of Simulation (Reservoirs-2 & 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Spill	PW _{nb} Rials 10 ⁹
			Y	Ir	H	E	\bar{E}				
Res.-2 (K-3)	2,1 (K-3,4)	1	2050	-	350	1343	573	9.5	4	2341	15746
		2	2200	-	650	2154	963	45.6	4	3590	

7.4.3.3 Computation For Reservoir-3

For reservoir-3 also, all possible alternative configurations of reservoirs which it can form with U/S reservoirs 2 and 1 are tested, the similar types of computations were carried out as done for reservoir-2 earlier, in the following steps:

1. Computation for reservoir-3 as an individual project

Since, both the U/S reservoirs 2 and 1 are only hydropower projects, it can be initially designed assuming that U/S reservoirs 2 and 1 do not exist. The results of the computations are given in Tables from 7.14.1 to 7.14.6.

Table 7.14.1: Results of LP Model for Individual Project (Reservoir-3)

Reservoir Under Consideration	Inflow	Design Variable				Total annual net benefit in Rials 10 ⁹
		Y	Ir	H	E	
Res.-3 (K-2)	Average	4784	-	589	3034	172.9
	90%	4214	-	369	1903	12.8

Table 7.14.2: Results of LP Model for Individual Project (Reservoir-3) (With Intermediate Catchment Flows)

Reservoir Under Consideration	Inflow	Design Variable				Total annual net benefit in Rials 10 ⁹
		Y	Ir	H	E	
Res.-3 (K-2)	Average	2436	-	21	106	0.6
	90%	2412	-	9	46	0.2

Table 7.14.3 : First Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-3)

Reservoir Under Consideration	Design Variable		
	Y	Ir	H
Res.-3 (K-2)	4800	-	600
	4200	-	350

Table 7.14.4: A Few Selected Alternatives from Simulation from First Sample for Individual Project (Reservoir-3)

Reservoir Under Consideration	Design Variables for better Selected Alternatives				Total present value of net benefits in Rials 10^9 (PW_{nb})
	Y	Ir	H	E	
Res.-3 (K-2)	4800	-	600	2003	85 27.1
	4700	-	600	1966	84 27.0
	4600	-	600	1928	94 15.0
	4500	-	600	1898	83 26.6
	4400	-	600	1851	82 16.7
	4300	-	600	1816	81 25.0
	4200	-	600	1767	80 14.8

Table 7.14.5: Second Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-3)

Reservoir Under Consideration	Design Variable		
	Y	Ir	H
Res.-3 (K-2)	4800	-	650
	4400	-	650

Table 7.14.6: Results of Simulation from Second Sample for Individual Project (Reservoir-3)

Reservoir Under Consideration	Design Variable					Ave. Ann. Ener. Def.	No. of ann. Ener. Def.	Ave. Ann. Spill	PW_{nb} Rials 10^9
	Y	Ir	H	E	\bar{E}				
Res.-3 (K-2)	4600	-	600	1938	881	40.3	4	3783	8 424

2. Study of integration of reservoir-3 with U/S reservoirs 2 and 1

2(a) Computation for integrated reservoirs 3 and 2

The reservoir-3 is integrated with U/S reservoir-2 assuming that the next U/S reservoir-1 does not exist. In LP model computations no bounds were kept on design variables. Where as in simulation computations, the project features (design variables) of U/S reservoir-2 were kept same as obtained earlier in Table 7.13.6. The results of computations are given in Tables from 7.14.7 to 7.14.9. It is seen that the size of reservoir-3 has reduced to 4500 m.c.m. from 4600 m.c.m. of Table 7.14.6.

Table 7.14.7: Results of LP Model for Integrated Reservoirs for Average Inflows (Reservoirs-3 and 2)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10^9
			Y	Ir	H	E	
Res.-3 (K-2)	3,2 (K-2,3)	2	3281	-	642	3308	608.9
		3	2436	-	583	3003	

Table 7.14.8: Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Reservoirs-3 and 2)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10^9
			Y	Ir	H	E	
Res.-3 (K-2)	3,2 (K-2,3)	2	2578	-	384	1980	167.3
		3	2412	-	345	1778	

Table 7.14.9: Results of Simulation (Reservoirs-3 and 2)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Spill	PW _{nb} Rials 10 ⁹
			Y	Ir	H	E	\bar{E}				
Res.-3 (K-2)	3,2 (K-2,3)	2	2250	-	650	1916	1172	24.0	4	4223	17911
		3	4500	-	600	2042	874	18.4	4	3737	

2(b) Computation for integrated reservoirs 3, 2 and 1

For this integrated study no bounds were kept on design variables in LP model as done earlier. For simulation the features (design variables) of reservoirs 2 and 1 were kept same as obtained earlier in Table 7.13.9. The results are given in Tables from 7.14.10 to 7.14.12. It is seen that the size of reservoir-3 has again increased to 4600 m.c.m.

Table 7.14.10: Results of LP Model for Integrated Reservoirs for Average Inflows (Reservoirs-3, 2 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10 ⁹
			Y	Ir	H	E	
Res.-3 (K-2)	3,2,1 (K-2,3,4)	1	2633	-	356	1832	985.0
		2	1831	-	639	3294	
		3	2436	-	580	2989	

Table 7.14.11: Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Reservoirs-3, 2 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10^9
			Y	Ir	H	E	
Res.-3 (K-2)	3,2,1 (K-2,3,4)	1	2077	-	217	1121	264.9
		2	1332	-	381	1962	
		3	2412	-	342	1778	

Table 7.14.12: Results of Simulation (Reservoirs-3, 2 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Spill	PW _{nb} Rials 10^9
			Y	Ir	H	E	\bar{E}				
Res.-3 (K-2)	3,2,1 (K-2,3,4)	1	2050	-	350	1343	573	9.5	4	2341	24480
		2	2200	-	650	2154	963	45.6	4	3590	
		3	4600	-	600	1951	1007	43.8	4	4011	

2(c) Computation for integrated reservoir 3 and 1

The LP model calculations were done as earlier. For simulation the design variables were fixed as given in Table 7.12.5. The results are given in Tables from 7.14.13 to 7.14.15. It is found that the size of reservoir-3 could be reduced to 4550 m.c.m.

Table 7.14.13: Results of LP Model for Integrated Reservoirs for Average Flows (Reservoirs-3 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10^9
			Y	Ir	H	E	
Res.-3 (K-2)	3,1 (K-2,4)	1	2633	-	356	1832	444.6
		3	3228	-	586	3019	

Table 7.14.14: Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Reservoirs-3 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10^9
			Y	Ir	H	E	
Res.-3 (K-2)	3,1 (K-2,4)	1	2077	-	217	1120	52.7
		3	3518	-	348	1973	

Table 7.14.15: Results of Simulation (Reservoirs 3 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable					Ave. Ann. Ener. Def.	No. of ann. Ener. Def.	Ave. Ann. Spill	PW _{nb} Rials 10^9
			Y	Ir	H	E	\bar{E}				
Res.-3 (K-2)	3,1 (K-2,4)	1	2050	-	350	1343	573	9.5	4	2341	15061
		3	4550	-	600	1942	976	58.3	4	4003	

7.4.3.4 Computation For Reservoir-4

1. Computation for reservoir-4 as an individual project

Since all the reservoirs U/S of reservoir-4 (Karun-1) are hydropower projects, it can also be initially designed assuming that the U/S reservoirs are not present. For this multi-purpose reservoir LP model was run for average and 70% dependable year's flows. For reservoir capacity and hydropower capacity the earlier criteria was used for fixing ranges for simulation, However, for annual irrigation target wider range was selected. For irrigation a success of 70% project dependability (11 years out of 38 years) and for hydropower as high as 85% project dependability were achieved. The results of the models are given in Tables 7.15.1 and 7.15.2.

Table 7.15.1: Results of LP Model for Individual Project (Reservoir-4)

Reservoir Under Consideration	Inflow	Design Variable				Total annual net benefit in Rials 10^9
		Y	Ir	H	E	
Res.-4 (K-1)	Average	4012	6668	787	4055	540.3
	70%	3516	5223	624	3218	419.0

Table 7.15.2: Results of Simulation for Individual Project (Reservoirs-4)

Reservoir Under Consideration	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Irr. Def.	No. of Ann. Irr. Def.	Ave. Ann. Spill	PW _{nb} Rials 10^9
	Y	Ir	H	E	\bar{E}						
Res.-4 (K-1)	3050	6400	800	1838	195	31.8	4	118	10	3904	7394

2. Computation for integration of reservoir-4 with U/S reservoirs

For LP model 3 sets of runs were made. In Table 7.15.3 average flows were considered and in Table 7.15.4 the 90% dependable year's flows were taken. In another

case, Table 7.15.5, 90% dependable year's flows for hydropower projects and 70% dependable year's flows for multipurpose project were taken. The results of integrated reservoirs studies are given in Tables 7.15.3 to 7.15.6.

Table 7.15.3: Results of LP Model for Integrated Reservoirs for Average Inflows (Various Combinations of Reservoirs 4, 3, 2 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res No	Design Variable				Total annual net benefit in Rials 10 ⁹
			Y	Ir	H	E	
Res.-4 (K-1)	4,3 (K-1,2)	3	4784	-	589	3034	718.0
		4	1680	6551	776	4001	
Res.-4 (K-1)	4,3,2 (K-1,2,3)	2	3281	-	642	3308	1149.0
		3	2436		583	3003	
		4	1680	6494	769	3966	
Res.-4 (K-1)	4,3,2,1 (K-1,2,3,4)	1	2633	-	356	1832	1522.8
		2	1831	-	639	3294	
		3	2436	-	580	2989	
		4	1680	6466	766	3949	
Res.-4 (K-1)	4,3,1 (K-1,2,4)	1	2633	-	356	1832	745.6
		3	3228		586	3019	
		4	1680	4095	483	2488	
Res.-4 (K-1)	4,2 (K-1,3)	2	3281	-	642	3308	831.0
		4	1784	6585	780	4022	
Res.-4 (k-1)	4,2,1 (K-1,3,4)	1	2633	-	356	1832	1207.4
		2	1831	-	639	3294	
		4	1784	6558	777	4006	
Res.-4 (K-1)	4,1 (K-1,4)	1	2633	-	356	1832	721.0
		4	2611	6623	785	4046	

Table 7.15.4: Results of LP Model for Integrated Reservoirs for 90% Dependable Inflows (Various Combinations of Reservoirs- 4, 3, 2 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10 ⁹
			Y	Ir	H	E	
Res.-4 (K-1)	4,3 (K-1,2)	3	4047	-	351	1809	309.0
		4	1488	4011	469	2417	
Res.-4 (K-1)	4,3,2 (K-1,2,3)	2	2578	-	384	1980	482.6
		3	2412	-	345	1778	
		4	1488	3955	462	2364	
Res.-4 (K-1)	4,3,2,1 (K-1,2,3,4)	1	2077	-	217	1121	577.6
		2	1332	-	381	1962	
		3	2412	-	342	1778	
		4	1488	3925	459	2364	
Res.-4 (K-1)	4,3,1 (K-1,2,4)	1	2077	-	217	1121	219.0
		3	3519	-	348	1793	
		4	1188	2595	300	1544	
Res.-4 (K-1)	4,2 (K-1,3)	2	2578	-	384	1980	384.3
		4	1558	4046	473	2438	
Res.-4 (K-1)	4,2,1 (K-1,3,4)	1	2077	-	217	1121	482.2
		2	1332	-	381	1962	
		4	1558	4018	470	2921	
Res.-4 (K-1)	4,1 (K-1,4)	1	2077	-	217	1121	344.9
		4	2489	4082	477	2460	

Table 7.15.5: Results of LP Model for Integrated Reservoirs for Dependable Inflows* (Various Combinations of Reservoirs- 4, 3, 2 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10 ⁹
			Y	Ir	H	E	
Res.-4 (K-1)	4,3 (K-1,2)	3	4214	-	369	1903	321.0
		4	1757	4174	488	2517	
Res.-4 (K-1)	4,3,2 (K-1,2,3)	2	2578	-	384	1980	494.2
		3	2412	-	345	1778	
		4	1757	4117	482	2482	
Res.-4 (K-1)	4,3,2,1 (K-1,2,3,4)	1	2077	-	217	1121	589.2
		2	1332	-	381	1962	
		3	2412	-	342	1778	
		4	1757	4087	478	2464	
Res.-4 (K-1)	4,3,1 (K-1,2,4)	1	2077	-	217	1121	231.0
		3	3519	-	348	1793	
		4	1757	2758	319	1645	
Res.-4 (K-1)	4,2 (K-1,3)	2	2578	-	384	1980	400.0
		4	1832	4249	497	2563	
Res.-4 (K-1)	4,2,1 (K-1,3,4)	1	2077	-	217	1121	482.2
		2	1332	-	381	1962	
		4	1831	4221	494	2546	
Res.-4 (K-1)	4,1 (K-1,4)	1	2077	-	217	1121	405.4
		4	2520	4705	552	2844	

(*) 70% for Karun-1 and 90% for others.

Table 7.15.6: Results of Simulation for Integrated Reservoirs (Various Combinations of Reservoirs-4, 3, 2 and 1)

Reservoir Under Consideration	Other possible Alternative Reservoir Configurations	Res. No.	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Irr. Def.	No. of Ann. Irr. Def.	Ave. Ann. Spill	PW _{nb} Rials 10 ⁹
			Y	Ir	H	E	\bar{E}						
Res.-4 (K-1)	4,3 (K-1,2)	3	4600	-	600	1937	880	40.0	4	-	-	3738	1 6 029
		4	2800	7200	800	2335	1534	15.3	4	340	11	2904	
Res.-4 (K-1)	4,3,2 (K-1,2,3)	2	2250	-	650	1916	1172	24.0	4	-	-	4223	2 5 687
		3	4500	-	600	2042	874	18.4	4	-	-	3737	
		4	3050	8000	800	2164	1684	15.8	8	525	11	2484	
Res.-4 (K-1)	4,3,2,1 (K-1,2,3,4)	1	2050	-	350	1343	573	9.5	4	-	-	2341	3 2 471
		2	2200	-	650	2154	963	45.6	4	-	-	3590	
		3	4600	-	600	1951	1007	43.8	4	-	-	4011	
		4	3050	8400	800	2273	1750	26.9	8	564	11	2420	
Res.-4 (K-1)	4,3,1 (K-1,2,4)	1	2050	-	350	1342	573	9.5	4	-	-	2341	2 3 059
		3	2000	-	650	2041	1046	33.5	4	-	-	3837	
		4	3050	8600	800	2147	1813	33.3	8	564	11	2280	
Res.-4 (K-1)	4,2 (K-1,3)	2	2250	-	650	1916	1172	24.0	4	-	-	4223	1 2 934
		4	3050	3200	800	677	1382	23.2	8	191	10	3080	
Res.-4 (K-1)	4,2,1 (K-1,3,4)	1	2050	-	350	1343	573	9.5	4	-	-	2341	2 3 659
		2	4550	-	600	1942	976	58.3	4	-	-	4003	
		4	3050	8580	800	2178	1812	22.0	8	561	11	2334	
Res.-4 (K-1)	4,1 (K-1,4)	1	2050	-	350	1343	573	9.5	4	-	-	2341	1 4 176
		4	3050	7500	800	1870	2013	19.3	8	332	11	2916	

7.4.3.5 Computation For Site-5 (Run-of-River Hydro power Site)

In computation for LP model two sets of flows were taken. In Table 7.16.1 average flows were used. In Table 7.16.2, 90% dependable year's flows for hydropower and 70% dependable year's flows for multipurpose reservoir were used. The results of LP model and simulation model are given in Tables 7.16.1 to 7.16.3.

Table 7.16.1: Results of LP Model for Integrated Reservoirs for Average Inflows (Site-5 and Reservoirs 4, 3, 2 and 1)

Reservoir Under Consideration	Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10 ⁹
			Y	Ir	H	E	
Site-5 Run-of-River Hydro-power (G)	5, 4, 3, 2, 1 (G, K-1, 2, 3, 4)	1	2633	-	356	1832	1927.0
		2	1831	-	639	3294	
		3	2436	-	580	2989	
		4	1680	6466	766	3949	
		G	-	-	637	3283	

(G) = Godar-e-Landar Run-of-River Hydro Power Site

Table 7.16.2: Results of LP Model for Integrated Reservoirs for Dependable Inflows* (Site-5 and Reservoirs-4, 3, 2 and 1)

Reservoir Under Consideration	Reservoir Configurations	Res. No.	Design Variable				Total annual net benefit in Rials 10 ⁹
			Y	Ir	H	E	
Site-5 Run-of-River Hydro-power (G)	5, 4, 3, 2, 1 (G, K-1, 2, 3, 4)	1	2077	-	217	1121	841.4
		2	1332	-	381	1962	
		3	2412	-	342	1778	
		4	1757	4087	478	2464	
		G	-	-	397	2048	

(*) 90% for hydropower and 70% for multipurpose reservoir.

Table 7.16.3: Results of Simulation (Site-5 and Reservoirs-4, 3, 2, 1)

Reservoir Under Consideration	Reservoir Configurations	Res. No.	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Irr. Def.	No. of Ann. Irr. Def.	Ave. Ann. Spill	PW _{nb} Rials 10 ⁹
			Y	Ir	H	E	\bar{E}						
Site-5 (G)	5, 4, 3, 2, 1 (K-1, 2, 3, 4, G)	1	2050	-	350	1343	573	9.5	4	-	-	2341	3 2 471
		2	2200	-	650	2154	963	45.6	4	-	-	3590	
		3	4600	-	600	1951	1007	43.8	4	-	-	4011	
		4	3050	8400	800	2273	1750	26.9	8	564	11	2420	
		G	-	-	650	1593	2345	7.5	4	-	-	9138	

7.4.3.6 Computation For Reservoir-6

1. Computation for reservoir-6 as an individual project

LP model and simulation models were applied to the reservoir-6 (Dez Dam) as an individual project. For LP model average monthly flows, and 70% dependable years flow (as it is a multi-purpose reservoir) were used. The results of LP model are given in Table 7.17.1. For simulation the ranges on design variables were fixed as given in Table 7.17.2. The results of simulation are given in Table 7.17.3. Based on these results a second set of ranges were selected as given in Table 7.17.4. The results of simulation are given in Table 7.17.5.

Table 7.17.1: Results of LP Model for Individual Project (Reservoir-6)

Reservoir Under Consideration	Inflow	Design Variable				Total annual net benefit in Rials 10 ⁹
		Y	Ir	H	E	
Res. -6 (Dez dam)	Average	3170	4312	580	2989	344.2
	70%	2716	3467	466	2403	273.3

Table 7.17.2: First Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-6)

Reservoir Under Consideration	Design Variable		
	Y	Ir	H
Res.-6	3400	5800	600
(Dez Dam)	2600	2600	450

Table 7.17.3: A Few Selected Alternatives from Simulation from First Sample for Individual Project (Reservoir-6)

Reservoir Under Consideration	Design Variables For Better Selected Alternatives				Total present value of net benefits in Rials 10^9 (PW_{nb})
	Y	Ir	H	E	
Res.-6 (Dez Dam)	3400	5800	600	1076	5 5 56
	3200	5600	600	1077	5 4 74
	3000	5400	600	1037	5 3 60
	2800	5200	600	984	5 2 46
	2600	5000	600	936	5 1 44

Table 7.17.4: Second Set of Upper & Lower Bounds on Design Variables for Individual Project (Reservoir-6)

Reservoir Under Consideration	Design Variable		
	Y	Ir	H
Res.-6	3400	5800	600
(Dez Dam)	3200	5000	600

Table 7.17.5: Results of Simulation from Second Sample for Individual Project (Reservoir-6)

Reservoir Under Consideration	Design Variabl					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Irr. Def.	No. of Ann. Irr. Def.	Ave. Ann. Spill	PW _{nb} Ri als 10 ⁹
	Y	Ir	H	E	\bar{E}						
Res. - 6 (Dez-Dam)	3200	5300	600	1414	1641	35.7	8	152	8	2100	5971

7.5 SIZING OF IRRIGATION INCLUDING MULTI-IRRIGATION AREAS

From the above results it is found that the configuration of reservoirs consisting of all the five reservoirs and the run-of-river hydropower scheme is optimal. Hence, this configuration was chosen for further analysis. For sizing of irrigation including multi-irrigation areas the computations were done for the existing and the future development scenarios.

1. In LP model average flows were used. On multi-irrigation areas limits were put (refer Figures 5.12, 5.13 and Tables 5.23, 5.24). The results of existing and future developments are given in Tables 7.18.1 and 7.18.2 respectively.
2. Based on the results of LP model, simulation was applied to both the developmental cases. The results of simulation are given in Tables 7.18.3 and 7.18.4. The results show that there are no irrigation deficits and hopefully there may be surplus water available. Hence, the annual firm energy targets based on 90% project dependability were revised at Karun-1 and Dez.

Table 7.18.1: Results of LP Model for Integrated Reservoirs for Average Inflows (Reservoirs 4 and 6 with Multi-irrigation areas) Existing Development

Res. No.	Design Variable				Total annual net benefit in Rials 10 ⁹
	Y	Ir	H	E	
4	4012	(SK*) 252	779	4017	821.3
6	3196	(SD*) 1802	598	3080	
1K	-	1.5	-	-	
2k	-	376	-	-	
3K	-	124	-	-	
4K	-	257	-	-	
5K	-	32	-	-	
1D	-	288	-	-	
2D	-	292	-	-	
3D	-	290	-	-	
4D	-	32	-	-	
1KD	-	786	-	-	
2KD	-	1597	-	-	
3KD	-	676	-	-	

Note: Refer Figure 5.12 and Table 5.23.

* (SK) & (SD) are self irrigation areas for Karun-1 and Dez respectively.

Table 7.18.2: Results of LP Model for Integrated Reservoirs for Average Inflows (Reservoirs 1, 2, 3, 4, 5 and 6 With Multi-irrigation areas) Future Development

Res. No.	Design Variable				Total annual net benefit in Rials 10 ⁹
	Y	Ir	H	E	
1	2633	-	356	1832	1888.4
2	1831	-	639	3294	
3	2436	-	580	2989	
4	1680 (SK*)	720	766	3953	
5	-	-	637	3283	
6	3196 (SD*)	1903	605	3116	
1K	-	3	-	-	
2k	-	124	-	-	
3K	-	465	-	-	
4K	-	27	-	-	
5K	-	607	-	-	
6K	-	85	-	-	
7K	-	306	-	-	
1D	-	368	-	-	
2D	-	319	-	-	
3D	-	282	-	-	
1KD	-	673	-	-	
2KD	-	2398	-	-	
3KD	-	1079	-	-	

Note: Refer Figure 5.13 and Table 5.24.

* (SK) & (SD) are self irrigation areas for Karun-1 and Dez respectively.

Table 7.18.3: Results of Simulation (Reservoirs 4, and 6 With Multi-irrigation areas) Existing Development.

Res. No.	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Irr. Def.	No. of Ann. Irr. Def.	Ave. Ann. Spill	PW _{nb} Rials 10 ⁹
	Y	Ir	H	E	\bar{E}						
4	3050	(SK) * 252	800	2310	1304	32.1	4	-	0	3990	1 2 133
6	3200	(SD) * 1802	600	2117	711	33.3	4	3.3	1	2639	
1K	-	1.5	-	-	-	-	-	0.0	0	-	
2K	-	376	-	-	-	-	-	0.0	0	-	
3K	-	124	-	-	-	-	-	0.0	0	-	
4K	-	257	-	-	-	-	-	0.0	0	-	
5K	-	32	-	-	-	-	-	0.0	0	-	
1D	-	288	-	-	-	-	-	0.6	1	-	
2D	-	292	-	-	-	-	-	1.0	1	-	
3D	-	290	-	-	-	-	-	1.4	2	-	
4D	-	32	-	-	-	-	-	0.1	2	-	
1KD	-	786	-	-	-	-	-	0.0	0	-	
2KD	-	1597	-	-	-	-	-	0.0	0	-	
3KD	-	676	-	-	-	-	-	0.2	1	-	

* (SK) & (SD) are self irrigation areas for Karun-1 and Dez respectively.

Note : Diversion to the neighbouring basins from upstream of Karun-1 and downstream of Dez basin are equal to 792 m.c.m. and 260 m.c.m. respectively were considered in the model, refer Table 7.10.

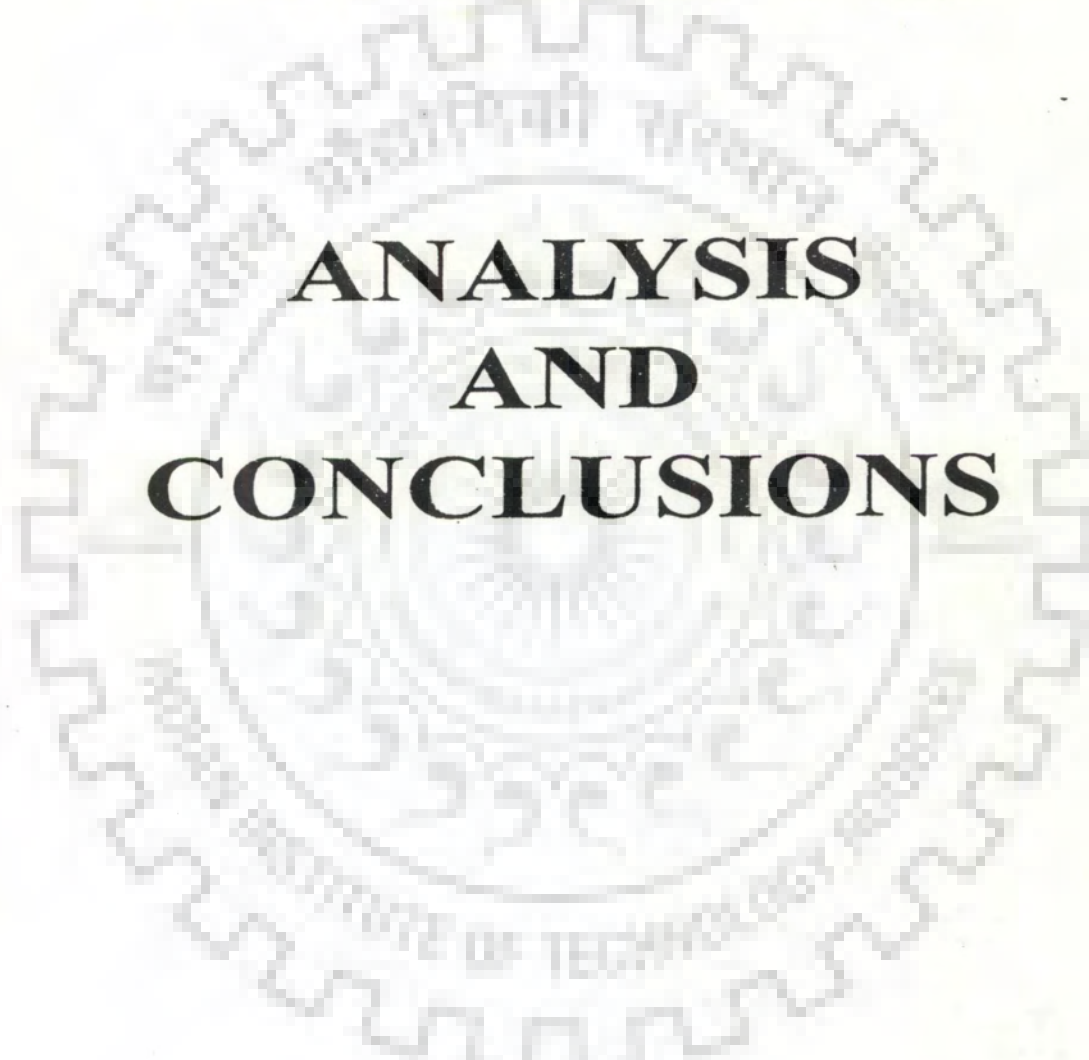
Table 7.18.4: Results of Simulation (Reservoirs 1, 2, 3, 4, 5, and 6 with Multi-irrigation areas) Future Development.

Res. No.	Design Variable					Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Ener. Def.	No. of Ann. Ener. Def.	Ave. Ann. Spill	PW _{nb} Rials 10 ⁹	
	Y	Ir	H	E	\bar{E}							
1	2050	-	350	1343	573	9.5	4	-	-	2341	5 1 137	
2	2200	-	650	2154	963	45.6	4	-	-	3590		
3	4600	-	600	1951	1007	43.8	4	-	-	4011		
4	3050	(SK)*	720	800	1826	2001	9.8	4	0	0		3239
5	-	-	650	1593	2345	7.5	4	-	-	9136		
6	3200	(SD)*	1903	600	2090	735	29.8	4	4.7	1		2655
1K	-	-	3	-	-	-	-	0	0	-		
2K	-	-	124	-	-	-	-	1.2	2	-		
3K	-	-	465	-	-	-	-	4.3	2	-		
4K	-	-	27	-	-	-	-	0.2	2	-		
5K	-	-	607	-	-	-	-	4.5	3	-		
6K	-	-	85	-	-	-	-	1.0	3	-		
7K	-	-	306	-	-	-	-	6.0	4	-		
1D	-	-	368	-	-	-	-	1.6	2	-		
2D	-	-	319	-	-	-	-	1.8	2	-		
3D	-	-	282	-	-	-	-	1.7	2	-		
1KD	-	-	673	-	-	-	-	15.5	4	-		
2KD	-	-	2398	-	-	-	-	76.7	7	-		
3KD	-	-	1079	-	-	-	-	73.0	8	-		

* (SK) & (SD) are self irrigation areas for Karun-1 and Dez respectively.

Note : Diversion to the neighbouring basins from upstream of Karun-1 and downstream of Dez basin are equal to 792 m.c.m. and 260 m.c.m. respectively were considered in the model, refer Table 7.10.

CHAPTER-VIII



ANALYSIS AND CONCLUSIONS

ANALYSIS AND CONCLUSION

8.1 GENERAL

The analysis in this chapter is based on the models given in Chapters 3 and 4. These models were applied to the Karun River System in Iran described in Chapter 5. The Chapter 7 gives the computational procedure and the cost and benefit-loss functions needed. The computed values of cost and benefits are tabulated in Table^S Nos. ~~from~~ 7.1 and 7.2.

The proposed and existing reservoirs were numbered sequentially from upstream to downstream. The computations were done basically in the following manner:

Phase I : Project by project analysis. In the first step the deterministic linear programming optimization model was applied individually to one reservoir at a time, proceeding from upstream to downstream. In the second step a finer search by a detailed simulation model was carried out to study individual development alternatives.

Phase II : Integrated developmental strategy analysis. Again the above models were used to study and analyze the integrated developmental strategies of the system consisting of five reservoirs and one run-of-river scheme in two steps as mentioned above.

The computer software (INDMAG PACKAGE) for generation of Input Data Matrix coupled with simplex package were used for linear programming preliminary screening. A flexible simulation package was used for finer screening. The average monthly flows and the monthly flows of a representative dependable flow year were used independently in LP preliminary screening model, where as 38 years monthly inflows were used in

screening by simulation. For screening, the economic and water use dependability criteria were used.

The sizing and selection of configuration of reservoirs started from the uppermost reservoir using linear programming and simulation models. In turn the next numbered downstream reservoir was added and all possible alternative configurations with these two reservoirs were analyzed. One by one each and every downstream reservoir was added and before adding a downstream reservoir, the reservoir just upstream was already earlier sized. For every set of reservoirs all the possible alternative configurations were analyzed by optimization-simulation screening models.

8.2 ANALYSIS OF LP SCREENING MODEL AND RESULTS

8.2.1 Important Features Different from Earlier Studies

The important features of LP screening model in this work which are different from earlier studies carried out by other workers are presented below:

- (1) For preparation of Input Data Matrix for computation of linear programming by computer for all potentially feasible alternatives of a complex water resources system, are data intensive and Herculean task (Razavian et al. , 1990). Keeping this in mind a generalized computer algorithm has been prepared in this work to generate the Input Data Matrix of the non-zero elements for the set of constraint equations of the LP model presented in Chapter 3. This algorithm (computer programme INDMAG PACKAGE and its subroutine sub-programme MATRIX, see Appendix 6) is attached to the main computer programme on linear programming.

The main features of INDMAG PACKAGE are :

- (i) It can be applied to any single/multipurpose reservoirs and single/multi-reservoirs consisting of any given configuration.

- (ii) Any number of new system constraints and system variables can be added and the computer programme be suitably modified.
- (iii) Individual input data files can be prepared for each reservoir and after testing, can be appended together easily for any reservoir system configurations.
- (iv) The above package is feasible, efficient, flexible, convenient and fool proof as any omission /error can be easily rectified and correction incorporated as compared to other available packages like MPS, LINGO etc. Also, it can be used repetitively without hesitation as input data is very small and its feeding is less time consuming.

(2) "There is no standardized method whose structure conforms to the real world of water resources well enough that it can be taken as a general mathematical model for its optimization. There is not now, and there probably will never be a "library" of computer programmes for the generalized optimization of water resources systems or subsystems (Hall and Dracup, 1970)". However, the approach used in INDMAG PACKAGE is one such step towards preparing a generalized algorithm (computer programme) very well fitting to the basic multi-reservoir multi-purpose design and planning problem in water resources.

- (3) Generally as found from earlier studies, the optimization screening model is applied directly only to a few selected integrated developmental strategies and then the optimal configuration is chosen among them.

Where as in this study project by project analysis is coupled with the integrated developmental strategy analysis. The first one to investigate and formulate the whole range of individual development alternatives, and to find the ranges of the design variables to size a reservoir. The later approach to develop the design

criteria for the whole system by which the best configuration of the system could be drawn.

- (4) In the optimization screening models used by earlier workers, only average monthly river flows were regulated, where as in this study apart from average flows, monthly flows of various representative dependable year's flows were regulated. For example, 90% and 70% dependable year's flows for a hydroelectric project and multi-purpose project respectively as per the project dependabilities of each project.

Not really

8.2.2 Discussion on LP Model Results

The LP model was applied to various alternative configurations of Table 5.25. The results of LP model are given in Tables 7.12.1 and 7.12.2 for reservoir-1, in Tables 7.13.1, 7.13.2, 7.13.6 to 7.13.8 for reservoir-2, in Tables 7.14.1, 7.14.2, 7.14.7, 7.14.8, 7.14.10, 7.14.11, 7.14.13 to 7.14.14 for reservoir-3, in Tables 7.15.1 and 7.15.3 to 7.15.5 for reservoir-4, in Tables 7.16.1 and 7.16.2 for site-5, and in Table 7.17.1 for reservoir-6. For multi-irrigation areas the results were given in Tables 7.18.1 and 7.18.2 for existing and future development respectively.

The constraint Equation 3.23 was non linear and was linearized by assuming an effective head and comparing it with the head specified in the model solution. Fortunately, the solutions were relatively insensitive to changes in assumed heads.

The cost functions in the objective function were assumed to be linear in above model. These assumptions were fairly good because the values of design variables obtained were within the assumed linear segments.

The linear programming model was made more realistic and practicable by introducing some constraints depicting a few policy and practical aspects, as mentioned in section 7.4.1.

The hydroplant capacity H and the annual firm targets I_r and E for downstream reservoir were increased where as the reservoir capacity Y , of a downstream reservoir was not much affected while using the intermediate catchment inflows in the integrated reservoir study as compared to the values obtained for downstream reservoir using intermediate flows in project by project study as was expected. The variation in the values of Y , H and E with different flows are graphically shown in figure 8.1.

8.3 ANALYSIS OF SIMULATION RESULTS

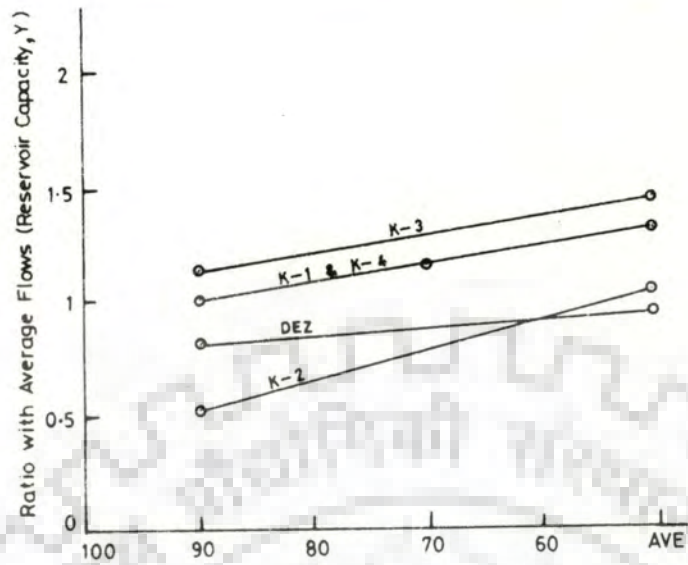
The simulation was applied to all the alternative configurations for further exploring various design alternatives, using systematic sampling. The systematic sampling was done in two steps.

Based on the LP model results, it was possible to select the upper and lower bounds (ranges) of variables for further screening by simulation. The lower and upper ranges on the variables were fixed on the basis of 90% (or 70% as the case may be) annual dependable flows and average flows respectively. These were fixed using the following reasoning:

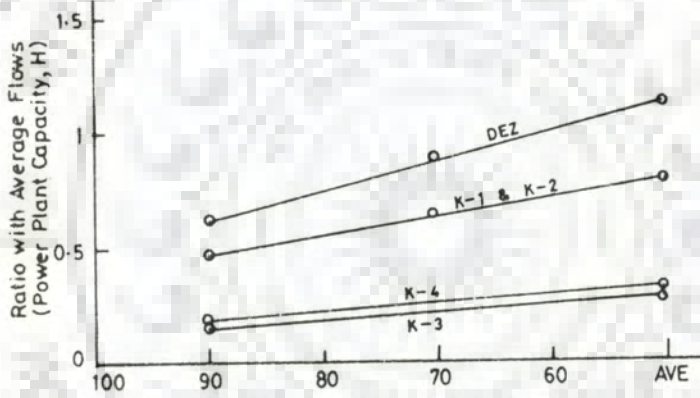
(1) **Ranges for reservoir capacity:**

The quantity of regulated flows reaching a D/S reservoir will depend upon the type of water uses in the U/S reservoir/reservoirs, i.e.,

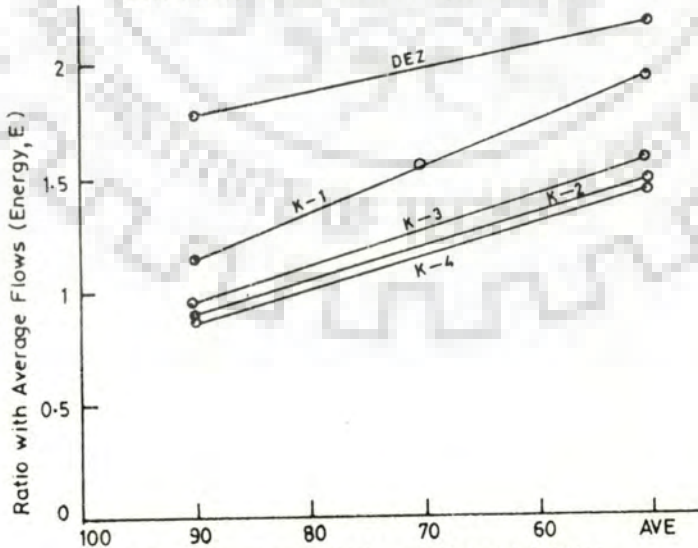
- (i) In a set of series of reservoirs with only hydropower, say 3 in numbers, the last reservoir (reservoir-3) will receive natural flows from its own intermediate catchment plus the regulated flows of a quantity comparable to the combined natural flow contributions from the individual catchment of its U/S reservoirs-2 and 1, as there is no U/S consumptive water uses. Likewise reservoir-2 will receive natural flows from its own individual catchment



River Flows with Different Dependabilities



River Flows with Different Dependabilities



River Flows with Different Dependabilities

Fig. 8-1-Variations in Y, H and E Values in LP Model

plus the regulated flows of a quantity comparable to the natural flows contribution from the individual catchment of its U/S reservoir-1.

In such cases each reservoir may be sized by an individual project analysis, considering that there are no U/S reservoirs and the natural flows from the whole U/S catchment is reaching to the reservoir under consideration. Hence,

- (a) The upper bound on reservoir capacity for simulation may be fixed from the LP model results of individual project analysis using the above said average inflows, and
 - (b) However, the lower bound on reservoir capacity for simulation may be fixed from the LP results of individual project analysis using its only individual catchment average inflows.
- (ii) In case if just immediate U/S reservoir in series has consumptive use the upper and lower bounds for simulation on reservoir capacity may be fixed from the LP model results of integrated reservoir analysis using average flows and 90% dependable year's inflows respectively.

(2) **Ranges for hydropower plant capacity:**

The ranges on hydropower plant capacity may be fixed using the results of integrated reservoir studies. The upper bound from integrated study using average flows and lower bound from integrated study using 90% dependable year's flows.

(3) **Ranges for annual firm energy:**

The ranges on annual firm energy target can be fixed on the basis of the results of integrated reservoir study using 90% dependable year's flows.

(4) Ranges for annual firm irrigation:

In case of annual firm irrigation target, the upper bound may be fixed from integrated reservoir study using average flows and lower bound from integrated reservoir study using 70% dependable year's flows.

The values of variables selected from systematic sampling for various alternative designs for a reservoir were simulated to see if these were reasonable. Some of the alternative designs with higher reservoir capacities were inefficient, and some of them were inadmissible due to higher annual targets. Hence, for each design the annual targets were varied, keeping the reservoir and plant capacities fixed, and simulation was carried out till the desired project success was obtained. For a single purpose hydropower project the desired project success was 90%. For a multipurpose project this was 70%. The simulation results are given in Tables 7.12.2 to 7.12.5 for reservoir-1, in Tables 7.13.3 to 7.13.6 and 7.13.9 for reservoir-2, in Tables 7.14.3 to 7.14.6, 7.14.9, 7.14.12 and 7.14.15 for reservoir-3, in Tables 7.15.2 and 7.15.6 for reservoir-4, in Table 7.16.3 for site-5 and ultimately in Tables 7.17.2 and 7.17.5 for reservoir-6. For multi-irrigation areas the results were given in Tables 7.18.3 and 7.18.4 for existing and future development respectively

8.4 A PROPOSED SUITABLE SCHEME OF SCREENING

To explain the proposed scheme of screening all possible alternative configurations, which can be formed (15 in numbers) with 4 reservoirs are given along with the results of LP model without the sizing through simulation in Tables 8.1 and 8.2. Lastly, the simulated results of these combinations are given in Table 8.3.

Further, for simplicity only 3 reservoirs are considered for discussion. The calculations started from the uppermost reservoir, i.e., reservoir number -1 (Karun-4) under consideration. With only one reservoir, there is only single alternative configuration, hence the single one will be the best configuration, as

there is no other choice. Next is the case with 2 reservoirs, i.e., adding the next down-stream reservoir in turn for integrated study. Here, now the reservoir number-2 (Karun-3) is under consideration. With these two reservoirs there are only two possible alternative configurations, i.e., having solely reservoir 2 only, or having a combination of reservoirs 2 and 1. Here both the possibilities have to be tried for the selection of the best reservoir configuration and for their sizing.

With 3 reservoirs, i.e., reservoir number-3 under consideration, there are on the whole four possible alternative configurations. These are solely reservoir 3, various combinations of reservoir number-3 with all possible alternative configurations of reservoir number-2 (i.e., combination 3-2, and 3-2-1, totalling two in numbers), and various combinations of reservoir number-3 with all possible alternative configurations of reservoir number-1 (i.e., combination 3-1, totalling one in number). It is found from the computations that instead of analyzing all the four alternative configurations by linear programming-simulation models, it may be worthwhile to analyze only selected (reduced numbers) ones, i.e., only three in numbers in place of all possible ones (here four in numbers).

These three best trial alternative configurations are (i) reservoir number-3 solely (ii) combination of reservoir number-3 and the best configuration out of all possible cases of reservoir number-2, and (iii) combination of reservoir number-3 and the best configuration out of all possible cases of reservoir number-1.

Therefore, if we start from the uppermost reservoir, i.e., reservoir number-1 and add a downstream reservoir one by one and come to reservoir number-3, there are in all $1+2+4=7$ possible configurations with three reservoirs. But with the scheme above mentioned there are only $1+2+3=6$ best trial alternative configurations. This reduces the number of trial computations for 3 reservoirs from 100% to 86%, i.e., a reduction of 14%. The proposed screening scheme is given in Table 8.4. With 4

reservoirs this reduction is from 100% to 66%. With large number of reservoirs this reduction is considerable.

The advantages of the above proposed scheme are:

- (i) None of the attractive alternative configurations may be left out without consideration and analysis, as it is ascertained by simulation here.
- (ii) The best upstream configuration is made available before adding a downstream reservoir.
- (iii) The sizing of reservoir capacity, hydroplant capacity and annual project targets are also done simultaneously by simulation.
- (iv) In case, if firstly the optimal configuration is selected by LP model alone on the basis of maximizing the annual net benefits and then finally the simulation is applied to this optimal configuration only, as done earlier by other workers (Jacoby and Loucks, 1972 ;Chaturvedi and Srivastava, 1981;Karamouz et al., 1992), the selection of the ranges of variables would have been a difficult task due to a large number of variables involved in it. If proper selection of the ranges is not made, the final selection of the design will lead to exhaustive calculations and is likely to converge into a local optimum.
- (v) The project by project analysis and the integrated reservoir analysis may guarantee a configuration of reservoirs and project sizes very near to a global optimum.

8.5 COMPARISON OF RESULTS WITH PROJECT PROVISIONS

The results of the optimal configuration consisting of all the five reservoirs and the run-of-river hydropower (Tables 7.16.3 and 7.17.5) are compared with the project provisions for reservoir capacities and hydropower, in Table 8.5. It is seen that both the values are very close to each other for reservoir capacities and

for annual firm energy targets. In the current study it was assumed that each hydroplant would run for entire duration ($h_t = 720$ hours in a month), whereas in project provisions they would run as peak load plants (h_t varying from 180 hours to 720 hours in a month), hence the hydroplant capacities obtained have smaller values in the current study. Although, they are equivalent and would match with the project provisions for h_t values similar to those as considered in the project provisions.

In case of irrigation the values of annual firm irrigation targets obtained for self and multi-irrigation areas were same as given in the project provisions (Tables 5.23 and 5.24) for present and future development cases. These values are again reproduced in Table 8.6 (also refer tables 7.18.3 and 7.18.4). The total annual firm irrigation water required for both the developments (i.e., 4101.5 m.c.m. and 6487 m.c.m. for Karun-1 and 2872 m.c.m and 2704 m.c.m. for Dez respectively) are smaller than those given in Tables 7.16.3 and 7.17.5 (i.e., 8400 m.c.m. and 5300 m.c.m. for Karun-1 and Dez respectively). It shows that surplus water is available at Karun-1 and Dez, which is true. This can be explained as there is a proposal by project authorities to utilize this excess water to protect the movement of salt water from the sea towards the land for present development. At least a net discharge of $81 \text{ m}^3/\text{sec}$ (2554 m.c.m.) is considered in the lower Karun to prevent saltwater intrusion upstream of Mared as a minimum mandatory discharge from reservoirs for this purpose (Table 8.7). However, this excess water can be utilized for enhanced firm energy generation at Karun-1 and Dez for future development.

8.6 CONCLUSION

In this study an attempt was made to combine the major advances of systems analysis by optimization- simulation screening models, which are to be used for analyzing a complex water resources system.

The specific decision problem under consideration was screening of a multiple reservoir system (multi purpose, multi reservoir, and multi irrigation areas system) on the Karun river in Iran, to meet the current and forecast growth in demand of water, for irrigation, hydropower, flood control, and municipal and industrial water supply. The system consisted of 5 major dams, one run-of -river hydropower scheme and a number of multi-irrigation areas. The various alternative configurations of the above system were studied, based on various project proposals and engineering considerations for deciding the optimal configuration and the optimal project targets.

The approach was to develop a suitable methodology to identify the combination of multi-reservoir alternative to MAXIMIZE the economic benefits as well as to obtain desired project dependabilities, subjected to continuity constrains, technological constraints, and policy constraints.

In this context, it was profitable to investigate the value of mathematical programming in preliminary screening and how it should be coupled with a finer screening simulation study. In view of the large number of reservoirs being involved and the preliminary planning nature of the study a deterministic linear programming (LP) technique which is a suitable methodology for modeling in the initial phases of the investigation in such a large rive basin system development was adopted.

The computer software (INDMAG PACKAGE) developed for generation of Input Data Matrix coupled with simplex algorithm for linear programming, and a flexible simulation package were used for screenings in two phases. The Phase-I was project by project analysis, and the Phase-II was analysis of integrated developmental

strategies. The average monthly flows and the monthly flows of a representative dependable flow year were used independently in preliminary screening optimization model, where as 38 years historical monthly flows were used in simulation model. For screening, the economic, and water use dependability criterias were used.

For the Karun River Basin development the final recommended optimal configuration of reservoirs and their sizes and project targets are given in Table 8.5 and the following conclusions are arrived at :

1. The existence of significant hydroelectric power and water storage potential on the Karun river system is confirmed and which can be developed on the Karun river above existing irrigation diversion dam at Gotvand up to the source of the river. As well as there is a promising potential for further development for irrigation .
2. Initial screening of various identified run-of-river sites below Karun-1 showed that Tunnel scheme proposal preferably is the best one considering the amount of energy generation, economic reasons, and longer useful life.
3. It was shown that sufficient water exist in the Karun basin to satisfy water supply needs for the existing development to a high degree of reliability.
4. For the full development case no irrigation failures were indicated. The average percentage draw downs were calculated as 36% and 33% of available live storage for the Karun-1 and Dez reservoirs respectively. This indicates that for the full development case, the ratio of separate demands on the two reservoirs to the available storage is close to being equal. This suggests that there is no strong preference in the use of the two reservoirs to meet common demands downstream of the confluence.
5. The waters of the Karun and Dez rivers are ultimately to be used for hydroelectric power generation in the mountains; for irrigation, industrial

and domestic water supply in the plains;and for salinity control and navigation at the tail end near the Persian Gulf.Any surplus water can be diverted to other river basins.

At last to summarize the outcomes of this study, the following conclusions may be drawn:

- (i) The optimization-simulation screening models have been applied to a real life water resources system which is under development stages.
- (ii) A large number of individual potential areas (multi-irrigation areas/under the command of project/projects were also considered, whereas in the mathematical screening models, used in earlier studies, the scope of irrigation was as single irrigation area (self irrigation) per project. This made the linear programming (LP) screening model more realistic.
- (iii) The development of INDMAG software package to create the Input Data Matrix for LP model made the construction of the optimization model for all potential feasible alternatives a less data-intensive and non-Herculean task.
- (iv) The approach used in INDMAG software algorithm is one such step towards preparing a generalized algorithm (computer programme)very well fitting to the basic multi reservoir design and planning problems.
- (v) Due to the introduction of some design and practical aspects as constraints in the LP model, the results obtained were more realistic.
- (vi) The results of linear programming model were helpful in simulation as they could select the upper and lower ranges of the design variables by regulating the average and the annual flow of a given dependability based on the desired project success respectively.

- (vii) The combined use of linear programming and simulation screening models results were comparable in terms of reasonableness with values determined by conventional design methods, but were definite improvements on them.
- (viii) The use of optimization-simulation models for screening and analysis by (a) project by project analysis and (b) integrated development strategy analysis, suggest a suitable scheme in the reduction in the number of alternatives of development to be examined and analyzed.
- (ix) The project by project analysis and the integrated developmental strategy analysis is likely to guarantee a configuration of reservoirs and project sizes very near to a global optimum.
- (x) Based on the above, it can be concluded that the approach used in this study is simple and can be easily used to analyze large and complex river basins planning problems.
- (xi) In most cases of the conventional practice of planning, projects are planned on an individual basis. Even integrated planning of water resources by conventional methods, the choice is limited to a few alternatives which the planner could conceive from his experience and judgment. Since exhaustive analysis of all the possible configurations of reservoirs sites involves voluminous computations, such an analysis can seldom be attempted without the use of modern techniques.

8.7 RECOMMENDATION

It is to be impressed that the results of this study are not recommended in totality for direct implementation because of following reasons:

- (i) The study is of conceptual nature, and
- (ii) The study is to be further supported by a number of studies as detailed under suggestion for future work.

8.8 SUGGESTION FOR FUTURE WORK:

- A number of further studies should be commenced:
- The research report is conceptual in nature and may provide scope for verification by means of other techniques like dynamic programming.
- The operation models needs to be studied extensively with regard to data description and their proposed utility.
- The multi objective criteria of evaluation should be incorporated.
- These techniques should be applied for pending real life planning and design problems.
- Full feasibility studies on each project needs further detailed investigations.
- No further consideration should be given to the 300 m high dam at Karun-2 and the recommended two-dam development at Karun-2 and 3 should be confirmed.
- Construction of more diversion barrage is recommended because, Khuzestan plain area is very large (326000 and 450000 ha. for existing and future development) and till now there is only two diversion dams in this area. Therefore, for better distribution of water among the users (Multi Irrigation Areas), it is recommended that further investigations to be carried out to locate some additional numbers of diversion barrages.
- Effective reservoir operation at Dez and Karun-1 can significantly alleviate flooding on the plains. Provision of flood storages in reservoirs at Karun-2 and/or Karun-3 and also at Karun-4 may further decrease the frequency of flooding. This requires further investigations.

Table 8.1: Results of LP Model for 15 possible Configurations, using Average Inflows

Reservoir Under Consideration	All possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefits Rls 10 ⁹
			Y	Ir	H	E	
Reservoir 1	1 (K-4)	1	2633	-	356	1832	177.6
Reservoir 2	2 (K-3)	2	3281	-	642	3308	283.7
	2,1 (K-3,4)	1	2633	-	356	1832	662.3
		2	1831	-	639	3294	
Reservoir 3	3 (K-2)	3	4784	-	589	3034	172.9
	3,2 (K-2,3)	2	3281	-	642	3306	608.9
		3	2436	-	583	3003	
	3,2,1 (K-2,3,4)	1	2633	-	356	1832	985.0
		2	1831	-	639	3294	
		3	2436	-	580	2989	
	3,1 (K-2,4)	1	2633	-	356	1832	444.6
3		3228	-	586	3019		
Reservoir 4	4 (K-1)	4	4012	6638	787	4055	540.3
	4,3 (K-1,2)	3	4784	-	589	3034	718.0
		4	1680	6551	776	4001	

P.T.O

Table 8.1: continued

Reservoir Under Consideration	All possible Alternative Reservoir Configurations	Res. No.	Design Variable				Total annual net benefits Rls 10 ⁹
			Y	Ir	H	E	
Reservoir 4	4, 3, 2 (K-1, 2, 3)	2	3281	-	642	3308	1149.0
		3	2436	-	583	3003	
		4	1680	6494	769	3966	
	4, 3, 2, 1 (K-1, 2, 3, 4)	1	2633	-	356	1832	1522.8
		2	1831	-	639	3294	
		3	2436	-	580	2989	
		4	1680	6466	766	3949	
	4, 3, 1 (K-1, 2, 4)	1	2633	-	356	1832	745.6
		3	3328	-	586	3019	
		4	1680	4095	483	2488	
	4, 2 (K-1, 3)	2	3281	-	642	3308	831.0
		4	1784	6585	780	4022	
	4, 2, 1 (K-1, 3, 4)	1	2633	-	356	1832	1207.4
		2	1831	-	639	3294	
		4	1784	6558	777	4006	
	4, 1 (K-1, 4)	1	2633	-	356	1832	721.0
		4	2611	6623	785	4046	

**Table 8.2: Results of LP Model for 15 possible configurations, using Dependable
year's Inflows***

Reservoirs Under Consideration	All possible Alternative Reservoir Configurations	Res No	Design Variable				Total annual net benefits Rls 10 ⁹
			Y	Ir	H	E	
Reservoir 1	1 (K-4)	1	2077	-	217	1121	33.5
Reservoir 2	2 (K-3)	2	2578	-	384	1980	61.6
	2,1 (K-3,4)	1	2077	-	217	1121	162.1
		2	1332	-	381	1962	
Reservoir 3	3 (K-2)	3	4214	-	369	1903	12.8
	3,2 (K-2,3)	2	2578	-	384	1980	167.3
		3	2412	-	345	1778	
	3,2,1 (K-2,3,4)	1	2077	-	217	1121	264.9
		2	1332	-	381	1962	
		3	2412	-	342	1778	
	3,1 (K-2,4)	1	2077	-	217	1121	52.7
3		3518	-	348	1973		
Reservoir 4	4 (K-1)	4	3516	5223	624	3218	419.0
	4,3 (K-1,2)	3	4214	-	369	1903	321.0
		4	1757	4174	488	2517	

P.T.O

Table 8.2: continued

Reservoir Under Consideration	All possible Alternatives Configurations	Site No.	Design Variabl				Total annual net benefits Rls 10 ⁹
			Y	Ir	H	E	
Reservoir 4	4, 3, 2 (K-1, 2, 3)	2	2578	-	384	1980	494.2
		3	2412	-	345	1778	
		4	1757	4117	482	2482	
	4, 3, 2, 1 (K-1, 2, 3, 4)	1	2077	-	217	1121	589.2
		2	1332	-	381	1962	
		3	2412	-	342	1778	
		4	1757	4087	478	2464	
	4, 3, 1 (K-1, 2, 4)	1	2077	-	217	1121	231.0
		3	3519	-	348	1793	
		4	1757	2758	319	1645	
	4, 2 (K-1, 3)	2	2578	-	384	1980	400.0
		4	1832	4249	479	2563	
	4, 2, 1 (K-1, 3, 4)	1	2077	-	217	1121	482.2
		2	1332	-	381	1962	
		4	1831	4221	494	2546	
	4, 1 (K-1, 4)	1	2077	-	217	1121	405.4
		4	2520	4705	552	2844	

(*) 90% for hydropower project and 70 % for multipurpose project

Table 8.3 : Results of Simulation Model for 15 possible configurations

Reservoir Under Consideration	All possible Alternatives Reservoir configuration	Res. No.	Design Variable					Ave. Ann. Ener. Def.	No. of Ener. Def.	Ave. Ann. Irr. Def.	No. of Irr. Def.	Ave. Ann. Spill	PW _{nb} Rials 10 ⁹
			Y	Ir	H	E	Ē						
Reservoir-1	1 (K-2)	1	2050	-	350	1343	573	9.5	4	-	-	2341	6449
Reservoir-2	2 (K-3)	2	2250	-	650	1916	1172	24.0	4	-	-	4223	9152
	2,1 (K-3,4)	1	2050	-	350*	1343	573	9.5	4	-	-	2341	15746
		2	2200	-	650	2154	963	45.6	4	-	-	3590	
Reservoir-3	3 (K-2)	3	4600	-	600	1938	881	40.3	4	-	-	3783	8424
	3,2 (K-2,3)	2	2250	-	650	1916	1172	24.0	4	-	-	4223	17911
		3	4500	-	600	2042	874	18.4	4	-	-	3737	
	3,2,1 (K-2,3,4)	1	2050	-	350	1343	573	9.5	4	-	-	2341	24480
		2	2200	-	650	2154	693	45.6	4	-	-	3590	
		3	4600	-	600	1951	1007	43.8	4	-	-	4011	
3,1 (K-2,4)	1	2050	-	350	1343	573	9.5	4	-	-	2341	15061	
	3	4550	-	600	1942	976	58.3	4	-	-	4003		
Reservoir-4	4 (K-1)	4	3050	6400	800	1838	1958	31.8	4	118	10	3904	7394
	4,3 (K-1,2)	3	4600	-	600	1937	880	40.0	4	-	-	3738	16029
		4	2800	7200	800	2335	1534	15.3	4	340	11	2904	
	4,3,2 (K-1,2,3)	2	2250	-	650	1916	1172	24.0	4	-	-	4223	2568
		3	4500	-	600	2042	874	18.4	4	-	-	3737	
		4	3050	8000	800	2164	1684	15.8	8	525	11	2484	
	4,3,2,1 (K-1,2,3,4)	1	2050	-	350	1343	573	9.6	4	-	-	2341	32471
		2	2200	-	650	2154	963	45.6	4	-	-	3590	
		3	4600	-	600	1951	1007	43.8	4	-	-	4011	
		4	3050	8400	800	2273	1750	26.9	8	564	11	2420	
	4,3,1 (K-1,2,4)	1	2050	-	350	1342	573	9.5	4	-	-	2341	23059
		3	2000	-	650	2041	1046	33.5	4	-	-	3837	
4		3050	8600	800	2147	1813	33.3	8	564	11	2280		
4,2 (K-1,3)	2	2250	-	650	1916	1172	24.0	4	-	-	4223	12934	
	4	3050	3200	800	677	1382	23.2	8	191	10	3080		
4,2,1 (K-1,3,4)	1	2050	-	350	1343	573	9.5	4	-	-	2341	23659	
	2	4550	-	600	1942	976	58.3	4	-	-	4003		
	4	3050	8580	800	2178	1812	22.0	8	561	11	2334		
4,1 (K-1,4)	1	2050	-	350	1343	573	9.5	4	-	-	2341	14176	
	4	3050	7500	800	1870	2013	19.3	8	332	11	2916		

Table 8.4 : A Proposed Scheme of Screening

Reservoir Under Consideration	All possible Alternative Reservoir Configurations		Possible best trial Alternative Reservoir Configurations		(3)	(5)	Percent No. of best trial alternative Reservoir configurations to be analysed out of total all possible alternative configurations $[\frac{(7)}{(6)} * 100]$
	Configurations	Total	Trials	Total			
(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
Reservoir 1	1	1	Res.1	1	1	1	100 %
Reservoir 2	2	2	Res.2	2	3	3	100 %
	2,1		Res.2 & best configuration out of all possible cases of res.1				
Reservoir 3	3	4	Res.3	3	7	6	86 %
	3,2		Res.3 & best configuration out of all possible cases of res.2				
	3,2,1		Res.3 & best configuration out of all possible cases of res.1				
Reservoir 4	4	8	Res.4	4	15	10	66 %
	4,3		Res.4 & best configuration out of all possible cases of res.3				
	4,3,2		Res.4 & best configuration out of all possible cases of res.2				
	4,3,2,1						
	4,3,1		Res.4 & best configuration out of all possible cases of res.1				
4,2							
4,2,1							
Reservoir 5	4,1	16	Res.5	5	31	15	52%
	5		Res.5 & best configuration out of all possible cases of res.4				
	5,4						
	5,4,3						
	5,4,3,2						
	5,4,3,2,1		Res.5 & best configuration out of all possible cases of res.3				
	5,4,3,1						
	5,4,2						
	5,4,2,1		Res.5 & best configuration out of all possible cases of res.2				
	5,4,1						
5,3	Res.5 & best configuration out of all possible cases of res.1						
5,3,2							
5,3,2,1							
5,3,1	Res.5 & best configuration out of all possible cases of res.1						
5,2							
5,2,1							
5,1							

Table 8.5: Comparison of Computed Reservoir Design Variables With Project Provisions

Site	Reservoir Capacity (m.c.m.)	Power plant capacity (MW)	Ann. firm energy (GWhr)	Ann. dump energy (GWhr)	Ave. ann. energy (GWhr)	Power Plant Factor	
K-4	Computed	2050	3 50 * (1 1 5 0)	1 3 4 3	5 7 3	1 9 1 6	1.00
	Project Provision	2036	1 0 5 0	1 2 8 0	8 6 7	2 1 4 7	0.30
K-3	Computed	2200	6 5 0 * (2 6 0 0)	2 1 5 4	9 6 3	3 1 1 7	1.00
	Project Provision	2275	2000 - 3 000	2 0 6 8	2 0 7 0	4 1 3 8	0.25
K-2	Computed	4600	6 0 0 * (8 4 0)	1 9 5 1	1 0 0 7	2 9 5 8	1.00
	Project Provision	4673	7 6 0	2 0 5 0	9 4 5	2 9 9 5	0.70
K-1	Computed	3050	8 0 0 * (1 2 0 0)	2 2 7 3	1 7 5 0	4 0 2 3	1.00
	Project Provision	3020	1 0 0 0	2 1 0 4	2 0 2 1	4 1 2 5	0.65
G	Computed	-	6 5 0 * (1 0 0 0)	1 5 9 3	2 3 4 5	3 9 3 8	1.00
	Project Provision	-	8 0 0	1 3 9 0	1 9 8 1	3 3 7 1	0.65
Dez	Computed	3200	6 0 0	1 4 1 4	1 6 4 1	3 0 5 2	1.00
	Project Provision	3340	5 2 0	1 3 5 0	1 6 2 2	2 9 7 2	1.00

* The values in the bracket are computed equivalent power plant capacity with the power plant factor considered in project provisions.

Table 8.6: Firm Irrigation Requirements for Self and Multi-irrigation Areas. Existing and Future Development Scenario.

Existing Development		Future Development	
Irrigation area	(m.c.m.)	Irrigation area	(m.c.m.)
SK	252.0	SK	720.0
1K	1.5	1K	3.0
2K	376.0	2K	124.0
3K	124.0	3K	465.0
4K	257.0	4K	27.0
5K	32.0	5K	607.0
SD	1802.0	6K	85.0
1D	288.0	7K	306.0
2D	292.0	SD	1903.0
3D	290.0	1D	368.0
4D	32.0	2D	319.0
1KD	786.0	3D	282.0
2KD	1597.0	1KD	673.0
3KD	676.0	2KD	2398.0
		3KD	1079.0

Table 7.18.1 for Karun-1 =4101.5

Table 7.18.2 for Karun-1 =6487

Table 7.18.1 for Dez =2704.0

Table 7.18.2 for Dez =2872

Table 8.7: Salinity Control requirement for Existing and Full Development Cases

At Bahmanshir (through the Mared canal)	35.3 m ³ /sec
At the end of Karun river (Hafar river) downstream of Mared	45.7 m ³ /sec
<hr/>	
Total	81.0



REFERENCES

REFERENCES

1. Afshar, A., Marino, M.A. and Abrishamchi, A. (1991), Reservoir planning for an irrigation district. *J. of Water Resour. Plng. & Mgmt.*, ASCE, 117(1), 74-85.
2. Bargur, J., (1972), Dynamic Multi sector Programming Approach to Regional water Resources Management, *Water Resour. Res.*, Vol.8, NO.4, August, pp. 801.
3. Benedito P.F. et al. (1991), Stochastic optimization of multiple reservoir-system operation, *J. of Water Resour. Plng. and Mgmt.*, ASCE, 117(4), 471.
4. Bhattacharya, T. (1987), A study of Optimal Utilization of Damadar Water Resources, M.E. Dissertation, International Hydrology Course, Deptt. of Hydrology, Uni. of Roorkee, Roorkee, India.
5. Blanchard, Bruce (1964), A first trial in the optimal design operation of water resources systems, S. M. thesis, M.I.T., Cambridge, Mass.
6. Boney, M. (1993), Tchno Economic and Management (TEAM) Approach to River Basin Planning, Ph.D. Thesis, WRDTC, University of Roorkee, India.
7. Bugliarello, George (1987), Computers and Water Resources Education: A Projection, *J. Water Resour. Plng. and Mgmt.*, ASCE, 113(4), 498-511.
8. Chaturvedi, M. C. (1987), *Water Resources Plng. and Mgmt.*, Tata McGraw Hill, New Delhi.
9. Chaturvedi, M. C. and Srivastava, D. K. (1981), Study of a complex water resources system with screening and simulation models, *Water Resour. Res.* 8 (3), 311-328.
10. Chavez-Morales, J., Marino, M.A. and Holzapfel, E.A. (1987), Planning model of irrigation district, *J. of Irr. & Drain. Engg.*, ASCE, 113(4), 549-564.
11. Chavez-Morales, J., Marino, M.A. and Holzapfel, E.A. (1992), Plaaning simulation model of irrigation district, *J. of Irr. & Drain. Engg.*, ASCE, 118(1), 74-87
12. Dayaratne, T. S. (1992), Simulation Study of Kirindi Oya Irrigation System, Sri Lanka, M.E. Dissertation, International Hydrology Course, Deptt. of Hydrlogy, Uni. of Roorkee, Roorkee, India.
13. Doorenbos, J., and Pruitt, W. Q. Guidelines for predicting Crop Water Requirements. FAO-24, Revised 1977.
14. Department of Water Resources, State of California (1985), The Department of Water Resources Planning Simulation Model for California.
15. Department of Water Resources, State of California (1986), Operation Criteria Applied in DWR Planning Simulation Model.

16. Dorfman, R. (1962), *Mathematical Models: The Multi-structure Approach in Design of Water Resources Systems*, Maass et al., Harvard Uni. Press, Cambridge, Massachusetts.
17. Dorfman, R. (1965), Formal models in the design of water resources systems, *Water Resour. Res.*, 1 (3), pp 329-336.
18. Flynn, L.E. and Marino, M.A. (1988), Joint reservoir and aqueduct design and operation, *J. of Water Resour. Plng. and Mgmt.*, ASCE, 114(2) 179-196.
19. Flynn, L.E. and Marino, M.A. (1989), Aqueduct and reservoir capacities for distribution systems, *J. of Water Resour. Plng. and Mgmt.*, ASCE, 115(5), 547.
20. Garudkar, A. S. (1992), *Simulation for Mula Irrigation Project in Maharashtra*, M.E. Dissertation, International Hydrology Course, Deptt. of Hydrology, Uni. of Roorkee, Roorkee, India.
21. Goodman, A. S. (1984), *Principles of Water Resources Planning*, Published by Prentice-Hall, Inc., Englewood Cliffs, New Jersey 07632.
22. Gunaa N., et al. (1990), Optimal hydropower system configuration based on operational analysis, *J. of Water Resour. Plng. and Mgmt.*, ASCE, 116(2), 233.
23. Haimes, Y.Y. (1977), *Hierarchical Analysis of Water Resources Systems*, McGraw-Hill, New York.
24. Hall, W. A. and Dracup, J. A. (1970), *Water Resources Systems Engineering*, McGraw-Hill, Inc., New York.
25. HEC-5 Simulation of flood control and conservation systems, User's manual, (1982). U. S. Army Corps of Engineers, Hydrologic Engineering Center, Davis, Calif.
26. Helweg, O. J., Hinks, R. W, and Ford, D. T., (1982), Reservoir Systems Optimization, *J. Water Resour. Plang. and Mgmt.*, 108(WR2), 169-179.
27. Hufschmidt, M. M. (1965), Field level planning of water resources system, *Water Resour. Res.*, 1(2) 147-163.
28. Hufschmidt, M.M., and Fiering, M.B.(1966), *Simulation Techniques for Design of Water Resources Systems*, Cambridge, Mass., Harvard University Press.
29. Hula, R. L. (1981), Southwestern Division reservoir regulation simulation model. Proc., Nat. Workshop on Reservoir System Operations, G. H. Toebes and A. A. Sheppard, ASCE, New York, N. Y.
30. Hydrologic Engineering Centre, US Army Corps of Engineers (1972), *System Simulation for Integrated use of Hydroelectric and Thermal Power*, Technical paper No. 33.
31. Hydrological Studies of Karun river basin (1990), Mahab Ghodss consulting Engineers company, Ministry of energy, Tehran, Iran.

32. Islam, N. (1991), Simulation of Multipurpose Reservoir-A Case Study, M.E. Special Problem, International Hydrology Course, Deptt. of Hydrology, Uni. of Roorkee, Roorkee, India.
33. Initial Karun River Project (1968), Harza Consulting Engineers Company, Associated with F.& H.R. Farman Farmaian Tehran, Iran.
34. Investigation of Karun river basin Potential (1988), Jamab Consulting Engineers Company, Tehran Iran.
35. Jacoby. H. D., and Loucks. D. P. (1972), Combined use of optimization and simulation models in river basin planning, *J. Water Resour. Res.*, 8(6), 1401-1414.
36. Jain, R.K. (1993), A Study of Kalisind-Chambal River Link by Simulation, M.E. Dissertation, International Hydrology Course, Deptt. of Hydrology, Uni. of Roorkee, Roorkee, India.
37. James, L. D., and Lee, R. R. (1971), *Economics of Water Resources Planning*, Mc Graw Hill Book Company, New York.
38. Jan-Tai Kuo et al. (1990), Real-time operation of Tanshui river reservoirs, *J. of Water Resour. Plng. and Mgmt.*, ASCE, 116(3), 349.
39. Karamouz, M., Houck, M. H., and Delleur, J. W. (1992), Optimization and Simulation of Multiple Reservoir, *J. Water Resour. Plng. and Mgmt.*, ASCE, 118 (1), 71.
40. Karun-2 and 3 Development Projects, Definition Report (1984), LWRD and ACRES, General Partnership of Land and Water Resources Development Engineering Company and Acres International Limited.
41. Karun-2 and 3 Development Projects, Power Studies (1986), Mahab Ghodss Consulting Engineers Company, Tehran-Iran, and Acres International Limited, Niagara Falls, Canada.
42. Lall, U. and Miller, C. W. (1988), An optimization model for screening multipurpose reservoir systems, *Water Resour. Res.* 24(7), 953.
43. Lenton, R. L., and Strzepek, K. M. (1979), Theoretical and Practical Characteristic of the MIT River Basin simulation Model, Tech. Report No. 225, Ralph M. Parsons Laboratory for Water Resources and Hydrodynamics, MIT.
44. Lewis, D.J., and Shoemaker, L.A. (1962), Hydropower System Analysis by Digital Computer, *ASCE, Journal of Hydraulics Division* 88 (HY-3).
45. Loaiciga, H.A., and Marino, M.A. (1986), Risk analysis for reservoir operation, *Water Res. Research*, 22(4), 483-488.
46. Loucks, D. P. (1968), Computer models for reservoir regulation, *J. Sanit. Engg. Div.*, ASCE 94(SA4), 657.

47. Loucks, D. P. (1969), Stochastic methods for analyzing river basin systems, Research Project, Tech. Completion Report, OWRR, Project No. 16, Cornell University Water Resources and Marine Science Centre, Ithaca, N. Y.
48. Loucks, D. P. (1992), Water Resource Systems Models: Their Role in Planning, *J. Water Resour. Plng. and Mgmt.* 118(3), 214-223.
49. Loucks, D. P. et al. (1981), Water Resources System Planning and Analysis, Prentice-Hall, EngleWood Cliffs, New Jersey.
50. Loucks, D. P. et al. (1989), IRIS; an interactive river system simulation model, General introduction and description, Cornell University, Ithaca, N. Y.
51. Loucks, D. P. et al. (1990), IRIS; an interactive river system simulation programme, User's manual, Cornell University, Ithaca, N. Y.
52. Maass, A. et al. (1962), Design of Water Resources Systems, Harvard University Press, Cambridge, Mass.
53. Major, D.C., and Lenton, R.L. (1979), Applied Water Resources Systems Planning, Prentice Hall Inc., EngleWood Cliffs, New Jersey.
54. Maji, C.C. and Heady, E.O. (1980), Optimal reservoir management and crop planning under deterministic and stochastic inflows, *Water Resour. Bull.*, 16(3), 438.
55. Marino, M.A. and Mohammadi, B. (1983a), Reservoir management, A reliability programming approach, *Water Resour. Res.*, 19(3), 613-620.
56. Marino, M.A. and Mohammadi, B. (1983b), Reservoir operation by linear & dynamic programming, *J. of Water Resour. Plng. and Mgmt.*, ASCE, 109(4), 303-319.
57. Marino, M.A. and Mohammadi, B. (1984), Multipurpose reservoir operation, 1 Monthly model for a single reservoir, *J. of Hydrology*, 69, 1-14.
58. Marino, M.A. and Loaiciga, H.A. (1985a), Dynamic model for multireservoir operation, *Water Resour. Res.*, 21(5), 619-630.
59. Marino, M.A. and Loaiciga, H.A. (1985b), Quadratic model for reservoir management, Application to the Central Valley Project, *Water Resour. Res.*, 21(5), 631-541.
60. Martin, Q.W. (1982), Multi Reservoir Simulation and Optimization Model- SIM V, Program Documentation and Users Manual, Texas Department of Water Resources, Austin, Texas.
61. Martin, Q. M. (1983), Optimal Operation of Multiple Reservoir Systems, *J. Water Resour. Plng. and Mgmt.*, ASCE, 109 (1), 58-74.
62. Martin, Q. W., (1984), Surface Water Resources Allocation Model AL V, Programme Documentation and Users Manual, Texas Department of Water Resources, Austin, Texas.

63. McBean, E.A., Lenton, R.L., Vicens, G., and Schaake, L.C. (1973), A general purpose simulation model for analysis of surface water allocation using large time increments, Tech. Report No. 160, Ralph M. Hydrodynamics, MIT.
64. Mohammadi, B. and Marino, M.A. (1984a), Reservoir Operation, Choice of objective functions, *J. of Water Resour. Plng. and Mgmt.*, ASCE, 110(1), 15-29.
65. Mohammadi, B. and Marino, M.A. (1984b), Multipurpose reservoir operation, 2. Daily operation of a multiple reservoir system, *J. of Hydrology*, 69, 15-28.
66. Morrice, H. A. W., (1958), The Use of Electronic Computing Machines to Plan the Nile Valley as a whole, International Association of Scientific Hydrology, Vol. 3 Pub No. 45, Belgium.
67. MPSX, Mathematical Programming System-Extended, Programme Description (1972), TNL SH-20-0968-1, International Business Machines Corp., White Plains, N. Y.
68. Nayak. S.C., and Arora, S.R. (1971), Optimal capacities for a multireservoir system using the linear decision rule, *J. Water Resour. Res.*, 7(3), 485-498.
69. Nayak. S. C., and Arora, S. R. (1973), Capacity decisions in a multipurpose multireservoir system, *J. Water Resour. Res.*, 9(5), 1166-1177.
70. Pereira M.V.F. and Pinto L.M.V.G., (1985), Stochastic Optimization of a Multireservoir Hydroelectric System: A Decomposition Approach, *Water Resour. Res.*, 21(6), 779.
71. Poblete, Jan Antonio, and Ronald T McLaughlin (1970), Time Periods and Parameters in Mathematical Programming for River Basin, Tech. Report no. 128, Ralph M. Parsons Laboratory for Water Resources and Hydrodynamics, Department of Civil Engineering, M.I.T., Cambridge, Mass.
72. Potter, K.W. (1977), Sequent peak procedure: Minimum reservoir capacity subject to constraint on final storage, *Water Resour. Bull.* 13(3), 521.
73. Proceedings of a Seminar on Reservoir System Analysis (1969), The Hydrologic Engineering Centre, Corps of Engineers, Davis, Calif.
74. Rath, S.N. (1991), Study of Icha Reservoir in Subernrekha River Basin System, M.E. Special Problem International Hydrology Course, Deptt. of Hydrology, Uni. of Roorkee, Roorkee, India.
75. Razavian. D. et al. (1990), Multistage screening process for river basin planning, *J. Water Resour. Plng. and Mgmt.*, ASCE, 116(3), 323-333.
76. Rippl, W. (1883), The Capacity of Storage Reservoir for Water Supply, Proceedings of the Institute of Civil Engineers (Brit.), Vol. 71.
77. Roefs, T. G. (1968), Reservoir management: the state-of-the-art, Report No. 320-350B, IBM, Washington Sci. Centre, Wheaton, Maryland, USA.

78. Roefs, T. G; and Bodin (1970) Multireservoir operation studies, *Water Resour. Res.*, 6(2), 410-420.
79. Rogers, Peter (1967), A Systems analysis of the Lower Ganges-Brahmaputra basin, International Symposium on Floods and their Computation, Leningrad, U.S.S.R.
80. Rogers, Peter (1968), The Role of Optimizing Models in Resources Planning, Seminar on Development of Water Resources, Maracaibo, Venezuela.
81. Sadeghian, M. S. (1991), Systems analysis of Taleghan multipurpose project Iran, M. E. Dissertation, International Hydrology Course, Deptt. of Hydrology, Uni. of Roorkee, Roorkee, India.
82. Sigvaldson, T (1967), A simulation model for operating multipurpose, multireservoir system, *J. Water Resour. Res.*, 12 (2), 263-278.
83. Simonovic, S.P. and Marino, M.A. (1982), Reliability programming in reservoir management, 3, System of multipurpose reservoirs, *Water Resour. Res.*, 18(4); 735-743.
84. Simonovic, S.P. and Marino, M.A. (1982), Reliability programming in reservoir management, 3, System of multipurpose reservoir, *Water Resour. Res.*, 18(4), 735-743.
85. Simonovic, S. (1987), The Implicit Model for reservoir Yield Optimization, *J. of Water Resour. Res.*, 23(12), 2159-2165.
86. Simonovic, S. P.(1992), Reservoir System Analysis: Closing gap between Theory and Practice, *Water Resour. Plng. and Mgmt.*, ASCE 118(3).
87. Smith, D. V. (1970), Stochastic Irrigation Planning Models, Centre for Population Studies, Harvard University, Cambridge, Mass.
88. Srivastava, D. K. (1976), Optimization of complex water resources systems by screening-simulation model, Ph. D. Dissertation, I. I. T. Delhi, India.
89. Srivastava, D. K. (1987), Preliminary Screening Simulation Models in Water Resources Project Evaluation, Proceedings First National Water convention, Central Board of Irr. and Power, Malcha Marg, Chanakyapuri, New Delhi, Vol.IV.
90. Srivastava, D. K. (1991), Generation of Input Data Matrix for Linear Programming Model in Water Resources System, Seminar Proc., National Seminar on Use of Computers in Hydrology and Water Resources, Indian Institute of Technology Delhi, New Delhi.
91. Srivastava, D.K. (1992), Multipurpose Reservoir Operation-An Algorithm for Computer Programme, Seminar on Applications in Assessment, Development & Management of Water Resources, Centre for Water Resources Development & Management, Kunnamangalam (MBR), Kozhikode, Kerala, India.

92. Srivastava, D. K., and Tiwari, V. K. (1978), Optimization model for optimal allocation of Narmada Waters, Forty-Seventh Research Session of the CBIP, Hubli-Dharwar, Karnataka, India, Vol.I.
93. Srivastava, D.K. & Uddihal, V.P.(1985), Linear programming as screening model in Karanja Irrigation Project Planning, 2nd Internat. Conf. on Computer Aided Analysis in Civil Engg., Civil Engg. Dept., Univ. of Roorkee, Roorkee, India.
94. Srivastava, D.K. and Sundar, P.V. (1985), Simulation and its importance in reservoir planning-a case study, Mausam-a Journal of India Meteorological Deptt., 36, 4, 435-440.
95. Srivastava, D.K. and Patel, I.A. (1992), Optimization-simulation models for the design of irrigation project, Water Resour. Mgmt., 6, 315.
96. Stedinger, J.R., Sule, B.F., and Pie, D. (1983), Multiple reservoir system screening models, J. Water Resour. Res., 19(6), 1383-1393.
97. Stephenson, D. (1970), Optimum Design of Complex Water Resources Projects, J. of Hyd. Div., HY-6, Vol. 96, June, pp. 1229-1246.
98. Strzepek, K. M., and Lenton, R. L. (1978), Analysis of Multipurpose River Basin Systems Guidelines for Simulation Modelling, Tech. Report No. 236, Ralph M. Hydrodynamics, MIT.
99. Strzepek, K. M. (1981), A User Manual for MITSIM- II : A Planning and Operational River Basin Simulation Model. Also paper under title MITSIM II A Simulation model for Planning and operational analysis of River Basin Systems by same author in Lecture Notes, International Workshop on Systems Analysis of Problems in Irrigation, Drainage & Flood Control, CBIP, New Delhi, India.
100. Strzepek, K. et al, (1989), MITSIM 2. 1 river basin simulation model, User manual. Centre for advanced Division Support for Water and Environmental Systems, University of Colorado, Boulder, Colo.
101. Suryanwanshi, R.K. (1987), Optimal Planning for reservoirs in Godavari Basin, M.E. Dissertation, International Hydrology Course, Deptt. of Hydrology, Uni. of Roorkee, Roorkee, India.
102. Systems Analysis in Water Resources Planning (1975), Water Information Centre, Meta Systems Inc., Port Washington, N. Y.
103. TAMS (Tippetts-Abbott-Mc Carthy-Stratton, New York, and Massachussets Institute of Tech., Cambridge, 1978), Integrated Development of the Vardar/Axios River Basin - Yugoslavia, Greece, United Nations.
104. Texas Water Borad, Austin, Texas (1972), Economic Optimisation and Simulation Techniques for Management of Regional Water Resources, River Basin Simulation Model SIMLYD II-Programme Description, Users manual.

105. Thomas, Harold A. and Revelle, Rogers (1966), On the efficient use of high Aswan Dam for Hydro power and Irrigation, *Management Science*, 12(8), pp B 296-B 311.
106. Uber, J.G. et al., (1992), Use of Mathematical Programming methods for Complex Systems, *J. Water Resour. Plang.Mgmt.*, 118(3), 281-294.
107. United Nations, Concise Report on the World Population situation, 1970-1975 and its Long Range implications, New York. 1973.
108. US Army Corps of Engineers (1957), Report on the Use of Electronic Computer for Integrated Reservoir Operations, Volume- 1, DATAmatic Cooperation, prepared in cooperation with the Raytheon Manufacturing Company.
109. US Army Corps of Engineers, CA (1974), Reservoir System Analysis for Conservation, HEC-3, Users manual.
110. US Army Corps of Engineers, Davis, CA (1985), Simulation of Flood Control and Conservation Systems, HEC-5C, Users Manual, March 1985.
111. US Army Corps of Engineers, Baltimore District (1976), Final Report-Susquehanna River Basin Flood Control, Review Study Reservoir Systems Analysis.
112. US Army Corps of Engineers, North Pacific Division (1986), Streamflow Synthesis and Reservoir Regulation, Users Manual, April 1986.
113. US Department of Interior, Bureau of Reclamation (1981), Colorado River Simulation Systems, An Executive Summary.
114. US Department of Interior, Bureau of Reclamation (1986), Colorado River-Alternate Operating Strategies for Distributing Surplus Water and Avoiding Spills.
115. Various Project Reports, (1968-1993), Mahab Ghodss Consulting Engineers Company, Ministry of Energy, Tahrn, Iran.
116. Wallace, James R., (1966), Linear Programming analysis of River Basin development, Sc. D. Thesis, M.I.T.
117. Windsor, J.S. and Chow, V.T., (1972), Multireservoir optimization model, *J. Of Hydraulic Div.*, ASCE, HY 10, 1827-1845.
118. Wurbs, R. A. (1993), Reservoir-System Simulation and Optimization Models, *J. of Water Resour. Plng. and Mgmt.*, ASCE, Vol. 119, No. 4.
119. Wurbs, R. A. et al., (1993), Water rights analysis programme (TAMUWRAP), model description and user manual, Tech. Rep. 146, Texas Water Resources Institute, College Station, Tex.

PUBLICATIONS

1. Srivastava D.K. and Sadeghian M.S., Development of a software for data matrix generation in linear programming model (INDMAG PACKAGE), under processing for publication in J. of Water Resources Planning and Management Division, ASCE (USA).
2. Srivastava D.K. and Sadeghian M.S., Optimization-simulation models for design of multiple, multi purpose reservoirs with multi irrigation areas, under processing for publication in J. of Water Resources Management, Netherlands.

APPENDICES



Appendix 2.1
Various Design Aspects, Techniques considered by Authors

Ref. No	Design.	Operation	LP	DP	Simulation	Others	Deterministic	Stochastic	Single Purpose	Multi-Purpose	Single Res.	Multi Res.	Irr.	Hydro Power	Flood Control	M & I	Others
1	+	+	+	+	-	-	+	-	-	+	-	+	+	+	+	+	-
2	+	-	+	-	+	-	+	-	-	+	-	+	+	+	+	+	+
3	+	+	+	-	+	-	+	+	-	+	-	+	+	+	-	-	-
4	+	+	+	+	+	-	+	+	-	+	-	+	+	-	-	+	-
7	+	-	+	-	+	-	+	-	-	+	-	+	+	+	-	+	-
8	-	+	-	-	+	-	+	-	+	-	-	-	+	-	-	-	-
10	+	+	-	-	+	-	+	-	-	+	-	+	+	+	+	+	-
11	+	+	-	-	+	-	+	-	-	+	-	+	+	+	+	+	-
13	+	-	+	-	+	-	+	-	-	+	-	+	+	+	+	+	-
14	-	+	-	-	+	-	+	-	+	-	+	-	+	-	-	-	-
18	+	+	-	-	+	-	+	+	-	+	+	+	+	+	+	+	-
20	+	-	+	+	+	-	+	-	-	+	-	+	+	+	+	+	-
21	+	-	-	-	+	-	+	-	-	+	-	+	+	+	-	-	-
22	-	+	-	-	+	-	+	-	-	+	-	+	+	+	-	+	-
23	-	+	-	-	+	-	+	-	-	+	-	+	-	+	-	-	-
25	-	+	-	-	+	-	+	+	-	+	+	-	-	+	+	+	-
28	+	-	+	+	+	-	+	-	-	+	-	+	+	+	+	+	-
29	-	+	-	-	+	-	+	-	-	+	-	+	+	+	+	-	-
31	-	+	-	+	+	-	+	+	-	+	-	+	+	+	+	+	-
34	+	-	-	-	+	-	+	-	-	+	-	+	-	+	+	-	-
35	-	+	-	-	+	-	+	-	-	+	-	+	+	+	+	+	+
37	-	+	+	+	+	+	+	-	-	+	-	+	+	+	+	-	-
38	+	-	-	+	-	-	-	+	-	+	-	+	+	+	+	-	+
39	+	-	+	+	+	+	+	+	+	+	+	-	+	+	+	-	-
45	-	+	-	-	+	-	+	-	-	+	-	+	+	+	+	-	-
46	-	+	-	-	+	-	+	-	-	+	-	+	+	+	-	-	-
47	-	+	-	-	+	-	+	-	-	+	-	+	+	+	+	+	+
48	+	+	-	-	+	-	+	-	-	+	-	+	+	+	+	+	+
49	-	+	-	-	+	-	+	-	+	+	-	+	+	+	-	-	-
50	-	+	-	-	+	-	+	-	-	+	+	-	+	+	-	-	+
52	+	+	+	-	-	-	-	+	-	+	-	+	+	+	-	-	-
53	+	-	+	-	-	-	-	-	-	+	-	+	-	-	+	+	-
54	+	-	+	-	-	-	+	-	-	+	+	-	+	+	-	-	-
55	+	-	-	-	-	+	+	+	+	-	+	-	-	-	-	+	-
56	+	-	-	-	-	+	-	+	+	-	+	-	-	+	-	-	+

Appendix 2.I

Ref. No	Design.	Operation	LP	DP	Simulation	Others	Deterministic	Stochastic	Single Purpose	Multi-Purpose	Single Res.	Multi Res.	Irr.	Hydro Power	Flood Control	M & I	Others
57	+	-	+	-	+	-	+	-	-	+	+	-	+	+	-	-	-
58	+	+	-	-	+	+	+	-	-	+	-	+	+	-	-	-	+
59	+	-	-	-	-	+	+	+	+	-	+	+	-	-	-	+	-
61	-	+	-	-	+	-	+	-	-	+	-	+	-	+	+	-	-
62	+	-	+	+	+	-	+	-	-	+	-	+	+	+	+	-	-
63	+	-	+	+	+	-	+	+	-	+	+	-	+	+	-	-	-
64	+	-	+	-	+	-	+	-	-	+	+	-	+	+	-	+	-
65	-	+	-	-	+	-	+	-	-	+	-	+	+	+	+	-	-
66	+	+	+	+	+	+	-	-	-	+	+	-	+	+	-	-	-
68	+	-	+	-	+	-	+	-	-	+	-	+	+	+	-	+	-
69	+	-	+	-	+	-	+	-	-	+	-	+	+	+	+	-	-
70	+	-	+	-	+	-	+	-	+	-	-	+	+	+	+	-	-
71	-	+	-	-	+	-	+	-	-	+	-	+	+	-	-	-	-
72	-	+	+	+	-	-	+	+	-	+	-	+	+	+	+	+	-
73	+	-	+	-	-	-	+	-	+	-	+	-	+	+	+	-	-
74	-	+	-	-	+	-	+	-	+	-	+	-	+	-	+	-	-
75	+	-	+	+	+	-	+	-	-	+	+	-	+	+	-	-	-
76	+	-	+	+	+	-	+	-	-	+	-	+	+	+	-	-	-
77	+	-	+	-	-	-	+	-	-	+	-	+	+	+	-	-	-
78	-	+	-	-	+	-	+	-	-	+	-	+	+	+	-	-	-
79	+	+	-	-	+	-	+	-	-	+	-	+	+	+	+	+	+
81	+	-	+	+	+	-	+	-	-	+	-	+	+	+	+	-	-
83	-	+	-	-	+	-	+	-	-	+	-	+	-	+	-	-	+
84	+	+	-	-	+	-	+	-	-	+	-	+	+	+	+	-	-
85	-	+	-	-	+	-	+	-	-	+	+	-	+	+	-	-	-
88	-	+	-	-	+	-	+	+	+	-	-	+	-	+	-	-	-
89	-	+	-	-	+	-	+	-	-	+	+	-	+	+	-	+	+
90	-	+	-	-	+	-	+	+	-	+	+	-	-	-	+	-	+
91	-	+	-	-	+	-	+	+	+	-	-	+	-	-	+	-	-
92	-	+	-	-	+	-	+	-	-	+	+	-	-	-	-	-	+
93	-	+	-	-	+	-	+	-	-	+	-	+	+	+	+	-	-
94	-	+	-	-	+	-	+	-	-	+	-	+	+	+	+	-	-
96	+	-	+	-	-	-	+	+	-	+	-	+	+	+	+	-	-
97	+	-	+	+	-	-	+	+	-	+	-	+	+	+	+	-	-
98	+	+	+	+	+	+	+	+	+	+	+	-	+	+	+	+	+

LP = Linear Programming
 DP = Dynamic Programming
 Irr. = Irrigation
 M & I = Municipal & Industrial

APPENDIX 4.I

C
C
C
C
C
C
C
C
C
C
C
C

RESERVOIR SIMULATION PROGRAMME

DEVELOPED BY: MOHAMMAD SADEGH SADEGHIAN

SUPERVISOR : PROFESSOR D.K.SRIVASTAVA

DIMENSION S(20, 12), FLOW(20, 50, 12), P(20, 50, 12)
DIMENSION YMIN(20, 12), YMAX(20, 12)
DIMENSION AREQ1(20, 20), NTREQ(20, 1)
DIMENSION REQD1(20, 12, 20)
DIMENSION PREQ1(20, 12, 20)
DIMENSION AREU1(20, 20), NTREU(20, 1)
DIMENSION PREU1(20, 12, 20)
DIMENSION REQU1(20, 12, 20)
DIMENSION SHARE(1, 20, 1), AVANS(1, 20, 1)
DIMENSION DUDT1(20, 12, 20), RLDT1(20, 12, 20), DDDT1(20, 12, 20)
DIMENSION SUPT1(20, 12, 20)
DIMENSION AWACS(20), AWWCS(20)
DIMENSION SPILL(20, 12)
DIMENSION NREMT(20, 12), NRFUT(20, 12), AVSPT(20, 12)
DIMENSION ANSPL(20, 50), AASPL(20), TUSUT(20, 12)
DIMENSION AVDD1(20, 12, 20), AVUD1(20, 12, 20)
DIMENSION CUSR1(20, 50, 20), CUUS1(20, 50, 20), AADD1(20, 20)
DIMENSION AAUD1(20, 20), ANDD1(20, 50, 20), ANUD1(20, 50, 20)
DIMENSION NADD1(20, 20), NAUD1(20, 20), NDDD1(20, 12, 20)
DIMENSION NDUD1(20, 12, 20)
DIMENSION O(20, 12), CUMEL(20), CUMF(20), CUMP(20)
DIMENSION NURCF(20), NTRCF(20, 20), DSRFL(20, 1, 20), UPRFL(20, 1, 20)
DIMENSION IUMRE(20), UPRFC(20), DSRFC(20), TFLOW(20, 12)
DIMENSION IWRT(6), EVAPO(20, 12)
DIMENSION NUSRE(20, 1), ARU1(20, 20), PRU1(20, 12, 20), REU1(20, 12, 20)
DIMENSION DUD1(20, 12, 20), SUP1(20, 12, 20)
DIMENSION NDSRE(20, 1), ARD1(20, 20), PRD1(20, 12, 20), RED1(20, 12, 20)
DIMENSION DDD1(20, 12, 20), RLD1(20, 12, 20)
DIMENSION AVD1(20, 12, 20), AVU1(20, 12, 20), CUR1(20, 50, 20)
DIMENSION CUS1(20, 50, 20), AAD1(20, 20), AAU1(20, 20), AND1(20, 50, 20)
DIMENSION ANU1(20, 50, 20), NAD1(20, 20), NAU1(20, 20), NDD1(20, 12, 20)
DIMENSION NDU1(20, 12, 20), NSTAT(20)
DIMENSION REQV1(20), QMAX(20), REQA1(20), ADNC1(20), REGE1(20)
DIMENSION ENER1(20), ADN1(20), ADND1(20), IREQ1(20, 20)
DIMENSION IENO1(20, 20), ELE(20, 12), PHMIN(20, 12), ENERG(20, 12)
DIMENSION HE(20), PPEFF(20), TWL(20), PPC(20)
DIMENSION FRATN(20, 20), ISPP0(20), REQE1(20, 12, 20), DEFE1(20, 12)
DIMENSION DUME1(20, 12), AMDE1(20, 12), NMDE1(20, 12), AADE1(20, 50)
DIMENSION AMDU1(20, 12), NMDU1(20, 12), AADU1(20, 50)


```

DIMENSION SUM4(20),SUM5(20),SUM6(20),ANLEN(20,50)
DIMENSION SPILC(20),HOUR(20,12)
DIMENSION SURF(20,1),SDRF(20,1)
DIMENSION NRDIR(20),NTRDR(20,20),NTRTD(20),IDIV1(20,10,20),
1 DIV(20,12)
DIMENSION NYDE1(20),Y(20)
DIMENSION PEALD(20,1,20),PEALU(20,1,20)
DIMENSION PEAUU(20,1,20),PEAUD(20,1,20)
DIMENSION ISITE(20),IUSE(20,20)
COMMON/BLK1/FLOW,TFLOW
COMMON/BLK2/NMONT
COMMON/BLK3/SHARE
COMMON/BLK5/NTREQ,NTREU
COMMON/BLK6/AVANS
COMMON/BLK8/NSTAT
COMMON/BLK9/AWACS,AWWCS
COMMON/BLK10/I,J,JJ,NSHRE,IT
COMMON/BLK11/SUM1,SUM2,SUM3
COMMON/BLK12/S,P,YMAX,YMIN
COMMON/BLK13/NUSRE,NDSRE
COMMON/BLK14/SURF,UPRFL,SDRF,DSRFL
COMMON/BLK24/IPRTW
COMMON/BLK27/PEALD,PEALU
COMMON/BLK28/PEAUD,PEAUU
COMMON/BLK29/ISITE,IUSE
COMMON/B11/DUDT1,RLDT1,DDDT1,SUPT1
COMMON/B12/AVDD1,AVUD1,CUSR1,CUUS1
COMMON/B121/AADD1,AAUD1,ANDD1,ANUD1
COMMON/B13/NDDD1,NDUD1,NADD1,NAUD1
COMMON/B14/AVD1,AVU1,CUR1,CUS1
COMMON/B141/AAD1,AAU1,ANU1
COMMON/B1411/AND1
COMMON/B15/NDD1,NDU1,NAD1,NAU1
COMMON/B16/DUD1,RLD1,DDD1,SUP1
COMMON/B17/RED1,REU1
COMMON/B18/PRU1,PREU1
COMMON/B19/PRD1,PREQ1
COMMON/B191/AREU1,REQU1
COMMON/B192/AREQ1,REQD1
COMMON/B194/ARU1
COMMON/B195/ARD1
COMMON/B20/REQV1,QMAX,REQA1,ADNC1,REGE1,ENER1,ADNV1,ADND1,
1 IENO1,ELE,PHMIN,FRATN
COMMON/B201/IREQ1
COMMON/B21/AADE1,AADU1,Y,PPC
CHARACTER*50 FILE1,FILE2,FILE4
C ,FILE4,FILES,FILE6
WRITE(*,*)'FILEINPUT='
READ(*,'(A)')FILE1
WRITE(*,*)'FILEOUTPUT='
READ(*,'(A)')FILE2
C WRITE(*,*)'FILEOUTPUT='
C READ(*,'(A)')FILE3
WRITE(*,*)'FILEOUTPUT='
READ(*,'(A)')FILE4

```



```

C      WRITE(*,*)' FILEOUTPUT='
C      READ(*,'(A)')FILES
C      WRITE(*,*)' FILEOUTPUT='
C      READ(*,'(A)')FILE6
      OPEN(UNIT=1,FILE=FILE1)
      OPEN(UNIT=2,FILE=FILE2)
C      OPEN(UNIT=3,FILE=FILE3)
      OPEN(UNIT=4,FILE=FILE4)
C      OPEN(UNIT=5,FILE=FILE5)
C      OPEN(UNIT=6,FILE=FILE6)
      READ(1,*)NSITE,NYEAR,KYEAR,NMONT
      READ(1,*)(NSTAT(I),I=1,NSITE)
      READ(1,*)CCF,RATE
      DO 1 I=1,NSITE
      READ(1,*)Y(I)
      READ(1,*)S(I,1)
200    FORMAT(/5X,' INITIAL STORAGE='F10.3)
      DO 2 JJ=1,NYEAR
      KK=JJ+KYEAR
      KKK=KK+1-1900
      READ(1,*)(FLOW(I,JJ,IT),IT=1,NMONT)
457    FORMAT(/5X,' MONTHLY FLOW DATA, YEAR:'I4,'-',I2,
1      //3X,6F10.3/3X,6F10.3)
2      CONTINUE
      DO 3 JJ=1,NYEAR
      KK=JJ+KYEAR
      KKK=KK+1-1900
      READ(1,*)(P(I,JJ,IT),IT=1,NMONT)
40    FORMAT(/5X,' MONTHLY PRECIPITATION , YEAR:'I4,'-',I2,
1      //3X,6F10.3/,3X,6F10.3)
3      CONTINUE
      READ(1,*)(YMIN(I,IT),IT=1,NMONT)
50    FORMAT(/5X,' MINIMUM CAPACITY:'
1      //,3X,6F10.3/3X,6F10.3)
      READ(1,*)(YMAX(I,IT),IT=1,NMONT)
60    FORMAT(/5X,' MAXIMUM CAPACITY:'
1      //3X,6F10.3/3X,6F10.3)
      READ(1,*)(NTREQ(I,J),J=1,NSTAT(I))
      DO 17 J=1,NSTAT(I)
      IF (J.NE.1)GO TO 17
      READ(1,*)(AREQ1(I,II),II=1,NTREQ(I,1))
      DO 4 II=1,NTREQ(I,1)
      READ(1,*)(PREQ1(I,IT,II),IT=1,NMONT)
      DO 4 IT=1,NMONT
      REQD1(I,IT,II)=AREQ1(I,II)*PREQ1(I,IT,II)/100.0
4      CONTINUE
17    CONTINUE
      READ(1,*)(NTREU(I,J),J=1,NSTAT(I))
      DO 14 J=1,NSTAT(I)
      IF(J.NE.1) GO TO 14
      READ(1,*)(AREU1(I,II),II=1,NTREU(I,1))
      DO 8 II=1,NTREU(I,1)
      READ(1,*)(PREU1(I,IT,II),IT=1,NMONT)
      DO 8 IT=1,NMONT
      REQU1(I,IT,II)=AREU1(I,II)*PREU1(I,IT,II)/100.0

```

```

8      CONTINUE
14     CONTINUE
      READ(1,*)(NUSRE(I, J), J=1, NSTAT(I))
      DO 710 J=1, NSTAT(I)
      IF(J.NE.1)GO TO 710
      READ(1,*)(ARU1(I, II), II=1, NUSRE(I, 1))
      DO 712 II=1, NUSRE(I, 1)
      READ(1,*)(PRU1(I, IT, II), IT=1, NMONT)
      DO 712 IT=1, NMONT
      REU1(I, IT, II)=ARU1(I, II)*PRU1(I, IT, II)/100.0
712   CONTINUE
710   CONTINUE
      READ(1,*)(NDSRE(I, J), J=1, NSTAT(I))
      DO 810 J=1, NSTAT(I)
      IF(J.NE.1)GO TO 810
      READ(1,*)(ARD1(I, II), II=1, NDSRE(I, 1))
      DO 812 II=1, NDSRE(I, 1)
      READ(1,*)(PRD1(I, IT, II), IT=1, NMONT)
      DO 812 IT=1, NMONT
      RED1(I, IT, II)=ARD1(I, II)*PRD1(I, IT, II)/100.0
812   CONTINUE
810   CONTINUE
      READ(1,*)IUMRE(I)
      IF(IUMRE(I).EQ.1)GO TO 603
      READ(1,*)NURCF(I)
      READ(1,*)(NTRCF(I, LL), LL=1, NURCF(I))
603   DO 601 J=1, NSTAT(I)
601   READ(1,*)(DSRFL(I, J, II), II=1, NTREQ(I, J))
      CONTINUE
      DO 602 J=1, NSTAT(I)
602   READ(1,*)(UPRFL(I, J, II), II=1, NTREU(I, J))
      CONTINUE
      READ(1,*)(EVAPO(I, IT), IT=1, NMONT)
      READ(1,*)(IWRT(LL), LL=1, 6)
      READ(1,*)IPRT, IPRTE, IPRTR, IPRTW, IPRTT
      READ(1,*)IWRT1, IBNFT, JBNFT, IPREE, IPRTS
      READ(1,*)PPEFF(I), PPC(I), TWL(I)
      READ(1,*)(PHMIN(I, IT), IT=1, NMONT)
      READ(1,*)(HOUR(I, IT), IT=1, NMONT)
      READ(1,*)ISPPO(I)
      READ(1,*)NRDIR(I)
      IF(NRDIR(I).NE.0)READ(1,*)(NTRDR(I, IU), IU=1, NRDIR(I))
      READ(1,*)NTRTD(I)
      IF(NTRTD(I).EQ.0)GO TO 9008
      DO 9004 II=1, NDSRE(I, 1)
      READ(1,*)(IDIV1(I, II, IU), IU=1, NSITE)
9004  CONTINUE
9008  CONTINUE
      DO 3000 J=1, NSTAT(I)
      IF(J.NE.1)GO TO 3000
      READ(1,*)(IREQ1(I, II), II=1, NTREQ(I, J))
      READ(1,*)(IENO1(I, II), II=1, NTREQ(I, J))
      READ(1,*)(FRATN(I, II), II=1, NTREQ(I, J))
3000  CONTINUE
      READ(1,*)((PEALD(I, J, II), II=1, NTREQ(I, J)), J=1, NSTAT(I))

```



```

READ(1,*)((PEALU(I,J,II),II=1,NTREU(I,J)),J=1,NSTAT(I))
READ(1,*)((PEAUU(I,J,II),II=1,NUSRE(I,J)),J=1,NSTAT(I))
READ(1,*)((PEAUD(I,J,II),II=1,NDSRE(I,J)),J=1,NSTAT(I))
READ(1,*) ISITE(I)
READ(1,*)(IUSE(I,II),II=1,NDSRE(I,1))

```

1
C
C
C

```

CONTINUE
*****

```

INITIALIZATION OF VARIABLE TO ZERO

```

*****

```

```

CALL INTI1(NSITE,NYEAR)
CALL INIL1(NSITE,NYEAR)
DO 401 I=1,NSITE
AASPL(I)=0.0
SUM4(I)=0.0
SUM5(I)=0.0
SUM6(I)=0.0
NYDE1(I)=0

```

```

DO 401 JJ=1,NYEAR
ANSPL(I, JJ)=0.0
AADE1(I, JJ)=0.0
AADU1(I, JJ)=0.0
ANLEN(I, JJ)=0.0

```

```

DO 401 IT=1,NMONT
NREMT(I, IT)=0
NRFUT(I, IT)=0
AVSPT(I, IT)=0
AMDE1(I, IT)=0.0
NMDE1(I, IT)=0.0
AMDU1(I, IT)=0.0
NMDU1(I, IT)=0.0

```

401

```

CONTINUE

```

```

DO 7 JJ=1,NYEAR
IF(IPRTS.EQ.1)WRITE(*,1500)JJ

```

1500

```

FORMAT(1X,'NYEAR=' I5)

```

```

DO 11 IT=1,NMONT
IF(IPRTS.EQ.1)WRITE(*,1501)IT

```

1501

```

FORMAT(1X,'NMONT=' I3)

```

```

IJ=1
DO 12 I=1,NSITE
DO 701 J=1,NSTAT(I)
SURF(I, J)=0.
SDRF(I, J)=0.

```

701

```

CONTINUE

```

C
C
C

```

*****

```

ENERGY COMPUTATION

```

*****

```

```

REQE1(I, IT, II)=0.
DEFE1(I, IT)=0.
DUME1(I, IT)=0.
REQV1(I)=0.
REQA1(I)=0.
ADNV1(I)=0.
ADNC1(I)=0.
ADND1(I)=0.

```

```

REGE1(I)=0.
ENER1(I)=0.
ELE(I, IT)=ELEVAT(I, S(I, IT))
HE(I)=ELE(I, IT)-TWL(I)
CF=3600. *HOUR(I, IT)*365/(12. *CCF)
FACTR=9. 8*HE(I)*PPEFF(I)*HOUR(I, IT)*30. 4
IF(PPC(I). EQ. 0)QMAX(I)=0.
IF(PPC(I). NE. 0)QMAX(I)=PPC(I)*1000. *CF/(9. 8*HE(I)*PPEFF(I))
LLLL=8000
IF(IPRTE. EQ. 1)WRITE(2, 700)LLLL, ELE(I, IT), TWL(I), CF, FACTR, QMAX(I)
700  FORMAT(2X, 'XXXX' 5F12.2)
IF(IPRTE. EQ. 1)WRITE(*, 1502)I
1502  FORMAT(1X, 'NSITE=' I3)
SPILL(I, IT)=0. 0
DO 1001 NSHRE=1, 4
DO 1001 J=1, NSTAT(I)
1001  SHARE(NSHRE, I, J)=0
DO 2000 J=1, NSTAT(I)
DO 2001 II=1, NTREQ(I, J)
IF(J. NE. 1)GO TO 2001
C *****
C                               OPTION FOR ENERGY
C *****
IF(IREQ1(I, II). EQ. 1)REQE1(I, IT, II)=CF*(REQD1(I, IT, II)*1000. )/
1  FACTR
IF(IREQ1(I, II). EQ. 1)DDDT1(I, IT, II)=REQE1(I, IT, II)
IF(IREQ1(I, II). NE. 1)DDDT1(I, IT, II)=REQD1(I, IT, II)
IF(IREQ1(I, II). EQ. 1)REQV1(I)=REQE1(I, IT, II)
2001  CONTINUE
DO 2002 II=1, NTREU(I, J)
IF(J. EQ. 1)DUDT1(I, IT, II)=REQV1(I, IT, II)
2002  CONTINUE
DO 2003 II=1, NDSRE(I, J)
IF(J. EQ. 1)DDD1(I, IT, II)=0.
2003  CONTINUE
DO 2004 II=1, NUSRE(I, J)
IF(J. EQ. 1) DUD1(I, IT, II)=0.
2004  CONTINUE
2000  CONTINUE
IF(NRDIR(I). EQ. 0)GO TO 9007
DO 9000 IU=1, NRDIR(I)
IUREN=NTRDR(I, IU)
DO 9001 II=1, NDSRE(IUREN, 1)
IF(IDIV1(IUREN, II, I). EQ. 1)DIV(I, IT)=DIV(I, IT)+
1  RED1(IUREN, IT, II)-DDD1(IUREN, IT, II)
9001  CONTINUE
9000  CONTINUE
9007  TFLOW(I, IT)=FLOW(I, JJ, IT)+DIV(I, IT)
IF(IUMRE(I). EQ. 1)TFLOW(I, IT)=TFLOW(I, IT)+UPRFC(I)
IF(IUMRE(I). NE. 1)TFLOW(I, IT)=TFLOW(I, IT)+SPILC(I)+UPRFC(I)+
1  DSRFC(I)
NSHRE=1
SHARE (1, I, 1)=TFLOW(I, IT)

```



```

C *****
C                                     USE WATER FROM SHARE1
C *****
DO 5002 J=1, NSTAT(I)
DO 5000 II=1, NTREU(I, J)
IF (J.EQ.1)SUPT1(I, IT, II)=0.0
5000 CONTINUE
DO 5001 II=1, NTREQ(I, J)
IF (J.EQ.1)RLDT1(I, IT, II)=0.0
5001 CONTINUE
5002 CONTINUE
DO 20 J=1, NSTAT(I)
IF(IPRTS.EQ.1)WRITE(*, 1503)
1503 FORMAT(1X, 'CALL STAT1 *1* ')
IF(J.EQ.1)CALL STAT1(I, JJ, IT, NSHRE)
IF(IPRT.EQ.1)CALL WRTM(IJ)
20 CONTINUE
SUMX=0
DO 13 J=1, NSTAT(I)
SUMX=SUMX+AVANS(NSHRE, I, J)
13 CONTINUE
XXX=0
YYY=0
PPP=0
QQQ=0
ICAL=1
IF(IPRTS.EQ.1)WRITE(*, 1504)ICAL
1504 FORMAT(1X, 'ICAL*2*=' I3)
J=1
CALL CAL1(XXX, YYY, ICAL, NYEAR)
IF(IPRTS.EQ.1)WRITE(*, 1505)
1505 FORMAT('CALL CAL11 *3* ')
CALL CAL11(PPP, QQQ, ICAL, NYEAR)
DO 5005 J=1, NSTAT(I)
DO 5006 II=1, NTREQ(I, J)
IF (J.EQ.1)RLDT1(I, IT, II)=0.0
5006 CONTINUE
5005 CONTINUE
ZZZ=AREA(I, S(I, IT))
EL=ZZZ*EVAPO(I, IT)
P(I, JJ, IT)=ZZZ*P(I, JJ, IT)
X=S(I, IT)+SUMX+P(I, JJ, IT)-EL-YMIN(I, IT)
IF(X.LE.0.0)GO TO 1002
YY=X-YMAX(I, IT)+YMIN(I, IT)
IF(YY.LE.0.0)AWACS(I)=0.
IF(YY.GT.0.0)AWACS(I)=YY
IF(AWACS(I).GT.0.0)AWWCS(I)=YMAX(I, IT)-YMIN(I, IT)
IF(X.LT.0.0)X=0.0
IF(YY.LT.0.0)AWWCS(I)=X
LLLL=9000
IF(IPRTR.EQ.1)WRITE(2, *)LLLL, EL, S(I, IT), SUMX, X, YY, AWACS(I),
1 AWWCS(I)

```

```

C *****
C                               USE WATER FROM SHARE 2
C *****
NSHRE=2
SHARE(2, I, 1)=AWCS(I)
DO 5003 J=1, NSTAT(I)
DO 5004 II=1, NTREQ(I, J)
IF (J.EQ.1)RLDT1(I, IT, II)=0.0
5004 CONTINUE
5003 CONTINUE
DO 28 J=1, NSTAT(I)
IF(IPRTS.EQ.1)WRITE(*, 1506)
1506 FORMAT(1X, 'CALL STAT1 *4*')
IF(J.EQ.1)CALL STAT1(I, JJ, IT, NSHRE)
IF(IPRT.EQ.1)CALL WRTM(IJ)
28 CONTINUE
IF(AWACS(I).GT.0.0)SPILL(I, IT)=AWACS(I)
IF(AWACS(I).LE.0)SPILL(I, IT)=0
SUMX=0.
DO 46 J=1, NSTAT(I)
SUMX=SUMX+AVANS(NSHRE, I, J)
46 CONTINUE
GO TO 405
1002 SPILL(I, IT)=0.0
SUMX=X
C *****
C                               CALCULATION FOR FINAL RESERVOIR BEHAVIOUR
C *****
405 IF(I.EQ.1)CALL DIST1(I, IT)
ICAL=2
IF(IPRTS.EQ.1)WRITE(*, 1507)
1507 FORMAT(1X, 'ICAL=2*5* ')
IF(IPRTS.EQ.1)WRITE(*, 1508)
1508 FORMAT(1X, 'CALL CAL1*6*')
J=1
CALL CAL1(XXX, YYY, ICAL, NYEAR)
IF(IPRTS.EQ.1)WRITE(*, 1509)
1509 FORMAT(1X, 'CALL CAL11 *7*')
CALL CAL11(PPP, QQQ, ICAL, NYEAR)
UPRFC(I)=0.
DO 7002 J=1, NSTAT(I)
UPRFC(I)=UPRFC(I)+SURF(I, J)
7002 CONTINUE
IF(IUMRE(I).EQ.1)GO TO 7001
SPILC(I)=0.
DSRFC(I)=0.
DO 7000 IU=1, NURCF(I)
IUREN=NTRCF(I, IU)
SPILC(I)=SPILC(I)+SPILL(IUREN, IT)
DO 7000 J=1, NSTAT(I)
DSRFC(I)=DSRFC(I)+SDRF(IUREN, J)
7000 CONTINUE
7001 DO 5007 J=1, NSTAT(I)
DO 5008 II=1, NTREQ(I, J)

```



```

C      *****
C      CALCULATE STATISTICS FOR RESERVOIR BEHAVIOUR
C      *****
IF(S(I, IT+1).LE. YMIN(I, IT))NREMT(I, IT)=NREMT(I, IT)+1
IF(S(I, IT+1).EQ. YMAX(I, IT))NRFUT(I, IT)=NRFUT(I, IT)+1
AVSPT(I, IT)=AVSPT(I, IT)+SPILL(I, IT)/FLOAT(NYEAR)
ANSPL(I, JJ)=ANSPL(I, JJ)+SPILL(I, IT)
IF(IT.EQ. 1)CUMF(I)=0
IF(IT.EQ. 1)CUMP(I)=0
IF(IT.EQ. 1)CUMEL(I)=0
IF(IT.EQ. 1.AND. JJ.EQ. 1)AASPL(I)=0
C      *****
C      CALCULATE TOTAL EVAPORATION
C      *****
CUMEL(I)=CUMEL(I)+EL
C      CALCULATE TOTAL RESERVOIR INPUT
CUMF(I)=CUMF(I)+TFLOW(I, IT)
CUMP(I)=CUMP(I)+P(I, JJ, IT)
12     CONTINUE
11     CONTINUE
DO 703 I=1, NSITE
IF(IPRTE.EQ. 1)WRITE(2, *)AADE1(I, JJ), AADU1(I, JJ)
IF(IPRTT.NE. 1)GO TO 1547
WRITE(2, 705)
DO 704 IT=1, NMONT
WRITE(2, 706)I, JJ, IT, S(I, IT), FLOW(I, JJ, IT), TFLOW(I, IT),
1     TUSUT(I, IT), O(I, IT), SPILL(I, IT), S(I, IT+1), ENERG(I, IT),
1     ELE(I, IT)
705     FORMAT(/1X, 'SITE', 2X, 'YEAR', 2X, 'TIME', 2X, 'INI. STORE', 4X,
1     'INFLOW', 2X, 'TOTAL FLOW', 2X, 'U/S SUB.', 2X, 'RES. REL.', 5X,
1     'SPILL', 2X, 'FINAL STORE', 11X, 'ENERGY', 2X, 'ELEVATION')
706     FORMAT(I5, I6, I6, F12.2, F10.2, F12.2, F10.2, F11.2, F10.2, F13.2, E17.5, F11.2/)
704     CONTINUE
1547    XX=CUMF(I)+CUMP(I)
        YY=XXX+YYY+CUMEL(I)+ANSPL(I, JJ)
C      CHECK WATER BALANCE OF RESERVOIR
T=S(I, NMONT+1)-S(I, 1)
B=XX-YY
IF((T-B).GE. (-0.00001).OR. (T-B).LE.0.00001)GO TO 400
WRITE(2, 96)
WRITE(*, 1510)
1510    FORMAT(1X, 'WATER BALANCE FOUND INCORRECT *8*')
96      FORMAT(/5X, 'WATER BALANCE FOUND INCORRECT')
STOP
400     IF(IPRTT.EQ. 1)WRITE(2, 91)
        IF(IPRTS.EQ. 1)WRITE(*, 1511)
1511    FORMAT(1X, 'WATER BALANCE FOUND OK *9*')
91      FORMAT(/5X, 'WATER BALANCE FOUND OK')
        S(I, 1)=S(I, NMONT+1)
        ICAL=3
        IF(IPRTS.EQ. 1)WRITE(*, 1512)
1512    FORMAT(1X, 'ICAL=3 *10*')
        IF(IPRTS.EQ. 1)WRITE(*, 1513)

```



```

1513  FORMAT(1X, 'CALL CAL1 *11* ')
      J=1
      CALL CAL1(XXX, YYY, ICAL, NYEAR)
      IF(IPRTS.EQ.1)WRITE(*, 1514)
1514  FORMAT(1X, 'CALL CAL11 *12* ')
      CALL CAL11(PPP, QQQ, ICAL, NYEAR)
      AASPL(I)=AASPL(I)+ANSPL(I, JJ)/FLOAT(NYEAR)
      SUM4(I)=SUM4(I)+AADE1(I, JJ)/FLOAT(NYEAR)
      SUM5(I)=SUM5(I)+AADU1(I, JJ)/FLOAT(NYEAR)
      SUM6(I)=SUM6(I)+ANLEN(I, JJ)/FLOAT(NYEAR)
      DO 1548 II=1, NTREQ(I, 1)
      IF(IREQ1(I, II).NE.1)GO TO 1548
      Z=(AADE1(I, JJ)/AREQ1(I, II))*100.0
      IF(INT(Z).GT.INT(PEALD (I, 1, II)))NYDE1(I)=NYDE1(I)+1
C     IF(Z.GT. PEALD(I, 1, II))NYDE1(I)=NYDE1(I)+1
1548  CONTINUE
      IF(IPRTE.EQ.1)WRITE(2, *)SUM4(I), SUM5(I), SUM6(I)
703   CONTINUE
7     CONTINUE
      DO 501 I=1, NSITE
      DO 500 J=1, NSTAT(I)
      IF(IPRTS.EQ.1)WRITE(*, 1515)
1515  FORMAT(1X, 'CALL WRT1 *13* ')
      IF(J.EQ.1.AND.IWRT1.EQ.1)CALL WRT1(NYEAR, NSITE, J, IWRT, NSHRE, I)
500   CONTINUE
501   CONTINUE
100   FORMAT(4F10.3)
      WRITE(2, 902)
      DO 901 I=1, NSITE
      DO 901 IT=1, NMONT
      WRITE(2, 903)I, IT, AVSPT(I, IT), NREMT(I, IT), NRFUT(I, IT)
902   FORMAT(1X, 'SITE', 2X, 'TIME', 2X, 'AVE. SPILL', 2X,
1     'NO. OF TIMES RES. EMPTY', 2X, 'NO. OF TIMES RES. FULL' /)
903   FORMAT(I5, I6, F12.3, I25, I24)
901   CONTINUE
      IF(IPRTS.EQ.0)GO TO 6008
      WRITE(2, 904)
      DO 905 I=1, NSITE
      DO 905 JJ=1, NYEAR
      IF(IPRTE.EQ.1)WRITE(2, 906)I, JJ, ANSPL(I, JJ)
904   FORMAT(1X, 'SITE', 2X, 'YEAR', 2X, 'ANNUAL SPILL' /)
906   FORMAT(I5, I6, F14.3/)
905   CONTINUE
6008  WRITE(2, 907)
      DO 908 I=1, NSITE
      WRITE(2, 909)I, AASPL(I)
907   FORMAT(1X, 'SITE', 2X, 'AVE. ANNUAL SPILL' )
909   FORMAT(I5, F19.3)
908   CONTINUE
      WRITE(2, 1543)
1543  FORMAT(2X, 'SITE', 2X, 'MONTH', 4X, 'AVE. ENERGY', 3X, 'NO. OF', 4X,
1     'AVE. ENERGY', 3X, 'NO. OF' )
      WRITE(2, 1544)
1544  FORMAT(21X, 'DEFICIT', 1X, 'DEFICIT', 11X, 'DUMP', 4X, 'DUMP' )
      DO 6004 I=1, NSITE

```



```

DO 6004 IT=1,NMONT
WRITE(2,1545)I,IT,AMDE1(I,IT),NMDE1(I,IT),AMDU1(I,IT),NMDU1(I,IT)
1545 FORMAT(I6,I7,F15.3,I8,F15.3,I8)
6004 CONTINUE
IF(IPREE.EQ.0)GO TO 6007
DO 6006 I=1,NSITE
WRITE(2,*)(AADE1(I,JJ),JJ=1,NYEAR)
WRITE(2,*)(AADU1(I,JJ),JJ=1,NYEAR)
WRITE(2,*)(ANLEN(I,JJ),JJ=1,NYEAR)
6006 CONTINUE
C *****
C CALCULATE STATISTICS OF AVERAGE ANNUAL ENERGY
C *****
6007 DO 1541 I=1,NSITE
WRITE(2,1542)I,SUM6(I),SUM5(I),SUM4(I)
1542 FORMAT(/1X,'SITE',I2,//2X,'AVERAGE ANNUAL GENERATED ENERGY=',
1 F10.2,1X,'MW.HR',//2X,'AVERAGE ANNUAL DUMP ENERGY=',F14.2,
2 'MW.HR',//2X,'AVERAGE ANNUAL ENERGY DEFICIT=',F10.2,'MW.HR')
C FORMAT(1X,'SITE',2X,'SUM4=',F10.5,5X,'SUM5=',F10.5,5X,'SUM6='
C 1 ,F10.5)
WRITE(2,1546)NYDE1(I)
1546 FORMAT(/2X,'NO. OF YEARLY DEFICITS IN ENERGY =',I4)
1541 CONTINUE
IF(IBNFT.EQ.1)CALL BENFT(RATE,NSITE,NYEAR,JBNFT)
STOP
END
C *****
C (1) STAT1
C *****
C SUBROUTINE STAT1(I,JJ,IT,NSHRE)
C DIMENSION DUDI1(20,12,20),DDDT1(20,12,20)
C DIMENSION NTREQ(20,1),NTREU(20,1),SHARE(1,20,1),AVANS(1,20,1)
C DIMENSION RLDT1(20,12,20),SUPT1(20,12,20)
C DIMENSION REQV1(20),QMAX(20),REQA1(20),ADNC1(20),REGE1(20)
C DIMENSION ENER1(20),ADNV1(20),ADND1(20),IREQ1(20,20)
C DIMENSION IENO1(20,20),ELE(20,12),PHMIN(20,12),ENERG(20,12)
C DIMENSION FRATN(20,20)
C COMMON/BLK3/SHARE
C COMMON/BLK5/NTREQ,NTREU
C COMMON/BLK6/AVANS
C COMMON/B11/DUDI1,RLDT1,DDDT1,SUPT1
C COMMON/B20/REQV1,QMAX,REQA1,ADNC1,REGE1,ENER1,ADNV1,ADND1,
1 IENO1,ELE,PHMIN,FRATN
C COMMON/B201/IREQ1
C GO TO(10,20)NSHRE
C *****
C U/S USE AND D/S RELEASES FROM SHARE1 AT SITE I IN TIME T FOR
C STATE 1
C *****
10 AVANS(1,I,1)=SHARE(1,I,1)
IF(IPRTS.EQ.1)WRITE(*,1516)
1516 FORMAT(1X,'STAT1*1.1*')
CALL WATER(AVANS(1,I,1),DUDI1,RLDT1,DDDT1,SUPT1,NTREQ(I,1),

```



```

1 NTREU(I, 1), I, IT, NSHRE, REQV1, QMAX, REQA1, ADNC1, REGE1, ENER1, ADNV1,
2 ADND1, IREQ1, IENO1, ELE, PHMIN, FRATN)
IF(IPRTS.EQ.1)WRITE(*,1517)
1517 FORMAT(1X,'CALL WATER 1*1.2*')
RETURN
C *****
C D/S RELEASES FROM SHARE2 AT SITE I IN TIME T FOR STATE 1
C *****
20 AVANS(2, I, 1)=SHARE(2, I, 1)
CALL WATER(AVANS(2, I, 1), DUDT1, RLDT1, DDDT1, SUPT1, NTREQ(I, 1),
1 NTREU(I, 1), I, IT, NSHRE, REQV1, QMAX, REQA1, ADNC1, REGE1, ENER1, ADNV1,
2 ADND1, IREQ1, IENO1, ELE, PHMIN, FRATN)
IF(IPRTS.EQ.1)WRITE(*,1518)
1518 FORMAT(1X,'CALL WATER 2 *1.3*')
DO 50 II=1,NTREQ(I,1)
IF(IREQ1(I,II).EQ.1.AND.ENER1(I).LT.DDDT1(I,IT,II))
1 DDDT1(I,IT,II)=DDDT1(I,IT,II)-ENER1(I)
IF(IREQ1(I,II).EQ.1.AND.ENER1(I).GE.DDDT1(I,IT,II))
1 DDDT1(I,IT,II)=0.
50 CONTINUE
RETURN
END
C *****
C (2) WATER
C *****
SUBROUTINE WATER(AVANW, DUDT, RLDT, DDDT, SUPT, NTREQ, NTREU, I, IT,
1 NSHRE, REQV, QMAX, REQA, ADNLC, REGEN, ENER, ADNLV, ADNLD,
2 IREQ, IENO, ELE, PHMIN, FRATN)
DIMENSION DUDT(20,12,20), RLDT(20,12,20), DDDT(20,12,20),
1 SUPT(20,12,20), REQV(20), QMAX(20), REQA(20), ADNLC(20),
2 REGEN(20), ENER(20), ADNLV(20), ADNLD(20), IENO(20,20),
3 ELE(20,12), PHMIN(20,12), IREQ(20,20), FRATN(20,20)
COMMON/BLK24/IPRTW
IF(NSHRE.NE.1)GO TO 3
DO 1 II=1,NTREU
IF(IPRTS.EQ.1)WRITE(*,1520)
1520 FORMAT(1X,'WATER *1.5*')
CALL RELES(AVANW,DUDT(I,IT,II),SUPT(I,IT,II))
IF(IPRTS.EQ.1)WRITE(*,1521)
1521 FORMAT(1X,'CALL RELES1 *1.6*')
LLLL=1111
IF(IPRTW.EQ.1)
1 WRITE(2,*)LLLL,AVANW,DUDT(I,IT,II),SUPT(I,IT,II),
2 ELE(I,IT),PHMIN(I,IT)
1 CONTINUE
3 DO 2 II=1,NTREQ
IF(IREQ(I,II).NE.1)CALL RELES(AVANW,DDDT(I,IT,II),RLDT(I,IT,II))
IF(IPRTS.EQ.1)WRITE(*,1522)
1522 FORMAT(1X,'CALL RELES 2 *1.7*')
LLLL=2222
IF(IPRTW.EQ.1)
1 WRITE(2,*)LLLL,AVANW,DDDT(I,IT,II),RLDT(I,IT,II),
2 ELE(I,IT),PHMIN(I,II)

```



```

C *****
C          CALCULATE ENERGY GENERATED FROM OTHER RELEASES
C *****
1 IF (IREQ(I, II).NE.1.AND.IENO(I, II).EQ.1) REGEN(I)=REGEN(I)+
  RLDT(I, IT, II)*FRATN(I, II)
1 IF (IREQ(I, II).NE.1.AND.IENO(I, II).EQ.1) ENERG(I)=REGEN(I)
  IF((IREQ(I, II).NE.1.AND.IENO(I, II).EQ.1).AND.(ENERG(I).GT.
1 QMAX(I))) ENERG(I)=QMAX(I)
  LLLL=4444
  IF (IPRTW.EQ.1)
1 WRITE(2, *) LLLL, REGEN(I), RLDT(I, IT, II),
2 FRATN(I, II), IREQ(I, II), IENO(I, II)
  IF (ELE(I, IT).LT.PHMIN(I, IT)) GO TO 2
  IF (IREQ(I, II).NE.1) GO TO 2
C *****
C          CALCULATE ADDITIONAL POWER RELEASES
C *****
1 CALL POWER(AVANW, REQV(I), QMAX(I), REQA(I), ADNLC(I), REGEN(I),
  ENERG(I), ADNLV(I), ADNLD(I), RLDT(I, IT, II))
1523 IF (IPRTS.EQ.1) WRITE(*, 1523)
  FORMAT(1X, 'CALL POWER *1.8*')
  LLLL=3333
  IF (IPRTW.EQ.1)
1 WRITE(2, *) LLLL, AVANW, REQV(I), QMAX(I), REQA(I), ADNLC(I), REGEN(I),
2 ENERG(I), ADNLV(I), ADNLD(I), RLDT(I, IT, II), ELE(I, IT),
3 PHMIN(I, IT)
2 CONTINUE
  RETURN
  END
C *****
C          (3)          RELES
C *****
SUBROUTINE RELES(AVANW, DEFCT, RLS)
  IF (AVANW.LT.DEFCT) RLS=AVANW
  IF (AVANW.GE.DEFCT) RLS=DEFCT
  AVANW=AVANW-RLS
  IF (RLS.LT.DEFCT) DEFCT=DEFCT-RLS
  IF (RLS.EQ.DEFCT) DEFCT=0
  RETURN
  END
C *****
C          (4)          POWER
C *****
1 SUBROUTINE POWER(AVANW, REQV, QMAX, REQA, ADNLC, REGEN, ENERG,
  ADNLV, ADNLD, RLDT)
  IF (REQV.GE.QMAX) REQA=QMAX
  IF (REQV.GE.QMAX) ADNLC=0
  IF (REQV.LT.QMAX) REQA=REQV
  IF (REQV.LT.QMAX) ADNLC=QMAX-REQV
  IF (REGEN.GE.REQA) ENERG=REQA
  IF (REGEN.GE.REQA) ADNLV=0
  IF (REGEN.LT.REQA) ENERG=REGEN
  IF (REGEN.LT.REQA) ADNLV=REQA-REGEN

```



```

IF(ADNLV.NE.0)GO TO 9007
IF(ADNLV.EQ.0.AND.ADNLC.NE.0.AND.(REGEN-REQA).LE.ADNLC)
1 GO TO 9001
ENERG=REQA+ADNLV
ADNLV=0
REGEN=ENERG
GO TO 2
9001 ENERG=REGEN
ADNLV=QMAX-REGEN
GO TO 2
9007 IF(AVANW.EQ.0)GO TO 2
IF(AVANW.LT.ADNLV)ADNLD=AVANW
IF(AVANW.GE.ADNLV)ADNLD=ADNLV
ADNLV=ADNLV-ADNLD
AVANW=AVANW-ADNLD
ENERG=ENERG+ADNLD
REGEN=ENERG
IF(ADNLV.NE.0.)ADNLC=0.0
RLDT=ADNLD
2 RETURN
END
*****
C (5) CAL1
C *****
C
SUBROUTINE CAL1(XXX,YYY,ICAL,NYEAR)
DIMENSION NTREQ(20,1),NTREU(20,1)
DIMENSION DUDT1(20,12,20),RLDT1(20,12,20),DDDT1(20,12,20)
DIMENSION SUPT1(20,12,20),AVDD1(20,12,20),AVUD1(20,12,20)
DIMENSION CUSR1(20,50,20),CUUS1(20,50,20),AADD1(20,20)
DIMENSION AAUD1(20,20),ANDD1(20,50,20),ANUD1(20,50,20)
DIMENSION NADD1(20,20),NAUD1(20,20),NDDD1(20,12,20)
DIMENSION NDUD1(20,12,20)
DIMENSION SURF(20,1),UPRFL(20,1,20),SDRF(20,1),DSRFL(20,1,20)
DIMENSION PEALD(20,1,20),PEALU(20,1,20)
DIMENSION AREQ1(20,20),AREU1(20,20)
DIMENSION REQD1(20,12,20),REQU1(20,12,20)
COMMON/BLK5/NTREQ,NTREU
COMMON/BLK10/I,J,JJ,NSHRE,IT
COMMON/BLK14/SURF,UPRFL,SDRF,DSRFL
COMMON/BLK27/PEALD,PEALU
COMMON/B11/DUDT1,RLDT1,DDDT1,SUPT1
COMMON/B12/AVDD1,AVUD1,CUSR1,CUUS1
COMMON/B121/AADD1,AAUD1,ANDD1,ANUD1
COMMON/B13/NDDD1,NDUD1,NADD1,NAUD1
COMMON/B191/AREU1,REQU1
COMMON/B192/AREQ1,REQD1
GO TO(10,20,30)ICAL
DO 100 II=1,NTREQ(I,1)
IF(IPRTS.EQ.1)WRITE(2,*)I,ICAL,II,IT,RLDT1(I,IT,II)
100 CONTINUE
C CALCULATE TOTAL D/S RELEASES DEMANDWISE
10 DO 3 II=1,NTREQ(I,1)
CUSR1(I,II,II)=CUSR1(I,II,II)+RLDT1(I,II,II)

```

```

SDRF(I, J)=SDRF(I, J)+DSRFL(I, J, II)*RLDT1(I, IT, II)
XXX=XXX+RLDT1(I, IT, II)
3 CONTINUE
RETURN
C CALCULATE STATISTICS FOR D/S DEMAND
20 DO 1 II=1, NTREQ(I, 1)
Z=(DDDT1(I, IT, II)/REQD1(I, IT, II))*100.0
IF(Z.GT. PEALD(I, J, II))NDDD1(I, IT, II)=NDDD1(I, IT, II)+1
AVDD1(I, IT, II)=AVDD1(I, IT, II)+DDDT1(I, IT, II)/FLOAT(NYEAR)
ANDD1(I, JJ, II)=ANDD1(I, JJ, II)+DDDT1(I, IT, II)
1 CONTINUE
C CALCULATE STATISTICS FOR U/S DEMAND
DO 2 II=1, NTREU(I, 1)
Z=(DUDT1(I, IT, II)/REQU1(I, IT, II))*100.0
IF(Z.GT. PEALU(I, J, II))NDUD1(I, IT, II)=NDUD1(I, IT, II)+1
AVUD1(I, IT, II)=AVUD1(I, IT, II)+DUDT1(I, IT, II)/FLOAT(NYEAR)
ANUD1(I, JJ, II)=ANUD1(I, JJ, II)+DUDT1(I, IT, II)
2 CONTINUE
C CALCULATE TOTAL D/S RELEASES DEMANDWISE
DO 7 II=1, NTREQ(I, 1)
CUSR1(I, JJ, II)=CUSR1(I, JJ, II)+RLDT1(I, IT, II)
SDRF(I, J)=SDRF(I, J)+DSRFL(I, J, II)*RLDT1(I, IT, II)
XXX=XXX+RLDT1(I, IT, II)
7 CONTINUE
C CALCULATE TOTAL U/S SUBTRATION DEMANDWISE
DO 4 II=1, NTREU(I, 1)
CUUS1(I, JJ, II)=CUUS1(I, JJ, II)+SUPT1(I, IT, II)
SURF(I, J)=SURF(I, J)+UPRFL(I, J, II)*SUPT1(I, IT, II)
YYY=YYY+SUPT1(I, IT, II)
4 CONTINUE
RETURN
30 DO 5 II=1, NTREQ(I, 1)
Z=(ANDD1(I, JJ, II)/AREQ1(I, II))*100.0
IF(Z.GT. PEALD(I, J, II))NADD1(I, II)=NADD1(I, II)+1
AADD1(I, II)=AADD1(I, II)+ANDD1(I, JJ, II)/FLOAT(NYEAR)
5 CONTINUE
DO 6 II=1, NTREU(I, 1)
Z=(ANUD1(I, JJ, II)/AREU1(I, II))*100.0
IF(Z.GT. PEALU(I, J, II))NAUD1(I, II)=NAUD1(I, II)+1
AAUD1(I, II)=AAUD1(I, II)+ANUD1(I, JJ, II)/FLOAT(NYEAR)
6 CONTINUE
RETURN
END
C *****
C (6) INTI1
C *****
SUBROUTINE INTI1(NSITE, NYEAR)
DIMENSION AVDD1(20, 12, 20), AVUD1(20, 12, 20)
DIMENSION CUSR1(20, 50, 20), CUUS1(20, 50, 20), AADD1(20, 20)
DIMENSION AAUD1(20, 20), ANDD1(20, 50, 20), ANUD1(20, 50, 20)
DIMENSION NADD1(20, 20), NAUD1(20, 20), NDDD1(20, 12, 20)
DIMENSION NDUD1(20, 12, 20)
DIMENSION NTREQ(20, 1), NTREU(20, 1)

```



```

COMMON/BLK2/NMONT
COMMON/BLK5/NTREQ, NTREU
COMMON/B12/AVDD1, AVUD1, CUSR1, CUUS1
COMMON/B121/AADD1, AAUD1, ANDD1, ANUD1
COMMON/B13/NDDD1, NDUD1, NADD1, NAUD1
DO 1 I=1, NSITE
DO 2 JJ=1, NYEAR
DO 3 IT=1, NMONT
DO 4 II=1, NTREQ(I, 1)
NDDD1(I, IT, II)=0
AVDD1(I, IT, II)=0.
ANDD1(I, JJ, II)=0.
CUSR1(I, JJ, II)=0.
NADD1(I, II)=0
AADD1(I, II)=0.
4 CONTINUE
DO 5 II=1, NTREU(I, 1)
NDUD1(I, IT, II)=0
AVUD1(I, IT, II)=0.
ANUD1(I, JJ, II)=0.
CUUS1(I, JJ, II)=0.
NAUD1(I, II)=0
AAUD1(I, II)=0.
5 CONTINUE
3 CONTINUE
2 CONTINUE
1 CONTINUE
RETURN
END
C *****
C (7) WRT1
C *****
SUBROUTINE WRT1(NYEAR, NSITE, J, IWRT, NSHRE, I)
DIMENSION S(20, 12), FLOW(20, 50, 12), P(20, 50, 12)
DIMENSION YMIN(20, 12), YMAX(20, 12)
DIMENSION AREQ1(20, 20), NTREQ(20, 1), REQ1(20, 12, 20)
DIMENSION PREQ1(20, 12, 20)
DIMENSION AREU1(20, 20), NTREU(20, 1)
DIMENSION PREU1(20, 12, 20), REQU1(20, 12, 20)
DIMENSION SHARE(1, 20, 1), AVANS(1, 20, 1)
DIMENSION DUDT1(20, 12, 20), RLDT1(20, 12, 20), DDDT1(20, 12, 20)
DIMENSION AWACS(20), AWWCS(20)
DIMENSION NSTAT(20), SUPT1(20, 12, 20)
DIMENSION AVDD1(20, 12, 20), AVUD1(20, 12, 20)
DIMENSION CUSR1(20, 50, 20), CUUS1(20, 50, 20), AADD1(20, 20)
DIMENSION AAUD1(20, 20), ANDD1(20, 50, 20), ANUD1(20, 50, 20)
DIMENSION NADD1(20, 20), NAUD1(20, 20), NDDD1(20, 12, 20)
DIMENSION NDUD1(20, 12, 20), TFLOW(20, 12), IWRT(6), SUM4(20), SUM5(20)
COMMON/BLK1/FLOW, TFLOW
COMMON/BLK2/NMONT
COMMON/BLK3/SHARE
COMMON/BLK5/NTREQ, NTREU
COMMON/BLK6/AVANS

```

```

COMMON/BLK8/NSTAT
COMMON/BLK9/AWACS, AWWCS
COMMON/BLK11/SUM1, SUM2, SUM3
COMMON/B11/DUDT1, RLDT1, DDDT1, SUPT1
COMMON/B12/AVDD1, AVUD1, CUSR1, CUUS1
COMMON/B121/AADD1, AAUD1, ANDD1, ANUD1
COMMON/B13/NDDD1, NDUD1, NADD1, NAUD1
100  FORMAT(1X, 30(' *'), /)
101  FORMAT(/, 10(' -'))
210  FORMAT(1X, 'SHARE NO. =', I4, 4X, 'WATER SHARE =', F10.3/)
50   IF(IWRT(1).NE.1)GO TO 51
      IF(IPRTS.EQ.1)WRITE(4, 213)
      DO 28 II=1, NTREU(I, 1)
      DO 29 IT=1, NMONT
      WRITE(4, 214) I, J, II, IT, AVUD1(I, IT, II), NDUD1(I, IT, II)
213  FORMAT(1X, 'SITE', 2X, 'STATE', 2X, 'U/S DEMAND', 3X, 'TIME', 2X,
1    'AVE. DEFICIT IN TIME', 2X, 'NO. OF DEFICITS' /)
214  FORMAT(I5, I7, I12, I7, F22.3, I17)
29   CONTINUE
28   CONTINUE
      WRITE(4, 101)
      WRITE(4, 100)
51   IF(IWRT(2).NE.1)GO TO 52
      WRITE(4, 215)
      DO 31 II=1, NTREU(I, 1)
      DO 32 JJ=1, NYEAR
      WRITE(4, 216) I, J, II, JJ, ANUD1(I, JJ, II)
215  FORMAT(1X, 'SITE', 2X, 'STATE', 2X, 'U/S DEMAND', 2X, 'YEAR', 2X,
1    'ANNUAL DEFICIT')
216  FORMAT(I5, I7, I12, I6, F16.3)
32   CONTINUE
31   CONTINUE
      WRITE(4, 101)
      WRITE(4, 100)
52   IF(IWRT(3).NE.1)GO TO 53
      WRITE(4, 217)
      DO 34 II=1, NTREU(I, 1)
      WRITE(4, 218) I, II, AAUD1(I, II), NAUD1(I, II)
217  FORMAT(1X, 'SITE', 2X, 'U/S DEMAND', 2X, 'AVE. ANNUAL DEFICIT',
1    2X, 'NO. OF ANNUAL DEFICIT' /)
218  FORMAT(I5, I12, F20.3, I22)
34   CONTINUE
      WRITE(4, 101)
      WRITE(4, 100)
53   IF(IWRT(4).NE.1)GO TO 55
      WRITE(4, 201)
      DO 14 II=1, NTREQ(I, 1)
      DO 15 IT=1, NMONT
      WRITE(4, 202) I, J, II, IT, AVDD1(I, IT, II), NDDD1(I, IT, II)
201  FORMAT(1X, 'SITE', 2X, 'STATE', 2X, 'D/S DEMAND', 3X, 'TIME', 2X,
1    'AVE. DEFICIT IN TIME', 2X, 'NO. OF DEFICITS' /)
202  FORMAT(I5, I7, I12, I7, F22.3, I17)
15   CONTINUE
14   CONTINUE

```



```

COMMON/BLK8/NSTAT
COMMON/BLK9/AWACS, AWWCS
COMMON/BLK11/SUM1, SUM2, SUM3
COMMON/B11/DUDT1, RLDT1, DDDT1, SUPT1
COMMON/B12/AVDD1, AVUD1, CUSR1, CUUS1
COMMON/B121/AADD1, AAUD1, ANDD1, ANUD1
COMMON/B13/NDDD1, NDUD1, NADD1, NAUD1
100  FORMAT(1X, 30(' * '), /)
101  FORMAT(/, 10(' - '))
210  FORMAT(1X, ' SHARE NO. =', I4, 4X, ' WATER SHARE =', F10.3/)
50   IF(IWRT(1).NE.1)GO TO 51
      IF(IPRTS.EQ.1)WRITE(4,213)
      DO 28 II=1,NTREU(I,1)
      DO 29 IT=1,NMONT
213  WRITE(4,214)I, J, II, IT, AVUD1(I, IT, II), NDUD1(I, IT, II)
      FORMAT(1X, ' SITE', 2X, ' STATE', 2X, ' U/S DEMAND', 3X, ' TIME', 2X,
1     ' AVE. DEFICIT IN TIME', 2X, ' NO. OF DEFICITS' /)
214  FORMAT(I5, I7, I12, I7, F22.3, I17)
29   CONTINUE
28   CONTINUE
      WRITE(4,101)
      WRITE(4,100)
51   IF(IWRT(2).NE.1)GO TO 52
      WRITE(4,215)
      DO 31 II=1,NTREU(I,1)
      DO 32 JJ=1,NYEAR
215  WRITE(4,216)I, J, II, JJ, ANUD1(I, JJ, II)
      FORMAT(1X, ' SITE', 2X, ' STATE', 2X, ' U/S DEMAND', 2X, ' YEAR', 2X,
1     ' ANNUAL DEFICIT' )
216  FORMAT(I5, I7, I12, I6, F16.3)
32   CONTINUE
31   CONTINUE
      WRITE(4,101)
      WRITE(4,100)
52   IF(IWRT(3).NE.1)GO TO 53
      WRITE(4,217)
      DO 34 II=1,NTREU(I,1)
      WRITE(4,218)I, II, AAUD1(I, II), NAUD1(I, II)
217  FORMAT(1X, ' SITE', 2X, ' U/S DEMAND', 2X, ' AVE. ANNUAL DEFICIT',
1     2X, ' NO. OF ANNUAL DEFICIT' /)
218  FORMAT(I5, I12, F20.3, I22)
34   CONTINUE
      WRITE(4,101)
      WRITE(4,100)
53   IF(IWRT(4).NE.1)GO TO 55
      WRITE(4,201)
      DO 14 II=1,NTREQ(I,1)
      DO 15 IT=1,NMONT
      WRITE(4,202)I, J, II, IT, AVDD1(I, IT, II), NDDD1(I, IT, II)
201  FORMAT(1X, ' SITE', 2X, ' STATE', 2X, ' D/S DEMAND', 3X, ' TIME', 2X,
1     ' AVE. DEFICIT IN TIME', 2X, ' NO. OF DEFICITS' /)
202  FORMAT(I5, I7, I12, I7, F22.3, I17)
15   CONTINUE
14   CONTINUE

```

```

WRITE(4,101)
WRITE(4,100)
55 IF(IWRT(5).NE.1)GO TO 56
WRITE(4,203)
DO 17 II=1,NTREQ(I,1)
DO 18 JJ=1,NYEAR
WRITE(4,204)I,J,II,JJ,ANDD1(I,JJ,II)
203 FORMAT(1X,'SITE',2X,'STATE',2X,'D/S DEMAND',2X,'YEAR',2X,
1 'ANNUAL DEFICIT')
204 FORMAT(I5,I7,I12,I6,F16.3)
18 CONTINUE
17 CONTINUE
WRITE(4,101)
WRITE(4,100)
56 IF(IWRT(6).NE.1)GO TO 57
WRITE(4,207)
DO 20 II=1,NTREQ(I,1)
WRITE(4,208)I,II,AADD1(I,II),NADD1(I,II)
207 FORMAT(1X,'SITE',2X,'D/S DEMAND',2X,'AVE.ANNUAL DEFICIT',
1 2X,'NO.OF ANNUAL DEFICIT'/)
208 FORMAT(I5,I12,F20.3,I22)
20 CONTINUE
57 RETURN
END
C *****
C (8) WRTM
C *****
SUBROUTINE WRTM(IJ)
DIMENSION S(20,12),FLOW(20,50,12),P(20,50,12)
DIMENSION YMIN(20,12),YMAX(20,12)
DIMENSION AREQ1(20,20),NTREQ(20,1)
DIMENSION REQD1(20,12,20)
DIMENSION PREQ1(20,12,20)
DIMENSION AREU1(20,20),NTREU(20,1)
DIMENSION PREU1(20,12,20)
DIMENSION REQU1(20,12,20)
DIMENSION SHARE(1,20,1),AVANS(1,20,1)
DIMENSION DUDT1(20,12,20),RLDT1(20,12,20),DDDT1(20,12,20)
DIMENSION SUPT1(20,12,20)
DIMENSION ANNLF(20,3),DFM75(20,12),AWACS(20),AWCS(20)
DIMENSION NSTAT(20),TFLOW(20,12),IWRT(6),SUM4(20),SUM5(20)
COMMON/BLK1/FLOW,TFLOW
COMMON/BLK2/NMONT
COMMON/BLK3/SHARE
COMMON/BLK5/NTREQ,NTREU
COMMON/BLK6/AVANS
COMMON/BLK8/NSTAT
COMMON/BLK9/AWACS,AWCS
COMMON/BLK10/I,J,JJ,NSHRE,IT
COMMON/BLK11/SUM1,SUM2,SUM3
COMMON/B11/DUDT1,RLDT1,DDDT1,SUPT1
IF(J.NE.1)GO TO 1

```



```

IF(NSHRE.NE.1)GO TO 10
DO 4 II=1,NTREU(I,1)
I1=1
CALL WRT(SHARE(NSHRE,I,1),DUDT1(I,IT,II),SUPT1(I,IT,II),
1 II,I1,IJ)
4 CONTINUE
10 DO 5 II=1,NTREQ(I,1)
I1=2
CALL WRT(SHARE(NSHRE,I,1),DDDT1(I,IT,II),RLDT1(I,IT,II),II,
1 I1,IJ)
5 CONTINUE
1 RETURN
END
C *****
C (9) WRT
C *****
SUBROUTINE WRT(SHARE,X1,X2,II,I1,IJ)
COMMON/BLK10/I,J,II,NSHRE,IT
IF(IJ.EQ.1)WRITE(3,100)
IJ=IJ+1
100 FORMAT(1X,'SITE',2X,'YEAR',2X,'TIME',2X,'SHARE NO.',2X,
1 'STATE',4X,'SHARE',2X,'USE NO.',5X,'DUDT',5X,'SUPT',5X,'DDDT',
1 5X,'RLDT'/)
101 FORMAT(I5,I6,I6,I11,I7,F9.2,I9,2F9.2)
102 FORMAT(I5,I6,I6,I11,I7,F9.2,I9,18X,2F9.2)
IF(I1.EQ.1)WRITE(3,101)I,II,IT,NSHRE,J,SHARE,II,X1,X2
IF(I1.EQ.2)WRITE(3,102)I,II,IT,NSHRE,J,SHARE,II,X1,X2
RETURN
END
C *****
C (10) FUNCTION AREA
C *****
FUNCTION AREA(I,X)
DIMENSION ISITE(20),IUSE(20,20)
COMMON/BLK29/ISITE,IUSE
GO TO(10,20,30,40,50,60)ISITE(I)
10 AREA=(2.085449)+(.02111959*(X))-(0.5795620*10.**(-5)*(X**2))
1 +(.1116177*10.**(-8)*(X**3))-(0.7725764*10.**(-13)*(X**4))
RETURN
20 AREA=(1.007202)+(0.03124523*(X))-(0.9516254*10.**(-5)*(X**2))+
1 (0.1811031*10.**(-8)*(X**3))-(0.1214723*10.**(-12)*(X**4))
RETURN
30 AREA=(3.111938)+(0.05115986*(X))-(0.2834853*10.**(-4)*(X**2))+
1 (0.7146809*10.**(-8)*(X**3))-(0.6021572*10.**(-12)*(X**4))
RETURN
40 AREA=(1.5744341)+(0.03354454*(X))-(0.1277495*10.**(-4)*(X**2))+
1 (0.3388323*10.**(-8)*(X**3))-(0.3120559*10.**(-12)*(X**4))
RETURN
50 AREA=1
RETURN
60 AREA=(1.189636)+(0.03252220*(X))-(0.8011586*10.**(-5)*(X**2))+
1 (0.1158014*10.**(-8)*(X**3))
RETURN
END

```



```

C *****
C (11) FUNCTION ELEVATION
C *****
FUNCTION ELEVAT(I, X)
DIMENSION ISITE(20), IUSE(20, 20)
COMMON/BLK29/ISITE, IUSE
GO TO(10, 20, 30, 40, 50, 60)ISITE(I)
10 ELEVAT=(861.4277)+(0.1761322*(X))-(0.7791817*10.**(-4)*(X**2))+
1 (0.1678200*10.**(-7)*(X**3))-(0.1273204*10.**(-11)*(X**4))
RETURN
20 ELEVAT=(685.6182)+(0.1804962*(X))-(0.8368492*10.**(-4)*(X**2))+
1 (0.1710941*10.**(-7)*(X**3))-(0.11897115*10.**(-11)*(X**4))
RETURN
30 ELEVAT=(529.2402)+(0.09342957*(X))-(0.4109740*10.**(-4)*(X**2))+
1 (0.9647920*10.**(-8)*(X**3))-(0.7922552*10.**(-12)*(X**4))
RETURN
40 ELEVAT=(387.0791)+(0.1695938*(X))-(0.9513646*10.**(-4)*(X**2))
1 +(0.2450179*10.**(-7)*(X**3))-(.2180034*10.**(-11)*(X**4))
RETURN
50 ELEVAT=368
RETURN
60 ELEVAT=(199.4976)+(.1985207*(X))-(.1305118*10.**(-3)*(X**2))
1 +(.3885361*10.**(-7)*(X**3))-(0.4029221*10.**(-11)*(X**4))
RETURN
END
C *****
C (12) CALL11
C *****
SUBROUTINE CAL11(PPP, QQQ, ICAL, NYEAR)
DIMENSION NDSRE(20, 1), NUSRE(20, 1)
DIMENSION DUD1(20, 12, 20), RLD1(20, 12, 20), DDD1(20, 12, 20)
DIMENSION SUP1(20, 12, 20), AVD1(20, 12, 20), AVU1(20, 12, 20)
DIMENSION CUR1(20, 50, 20), CUS1(20, 50, 20), AAD1(20, 20)
DIMENSION AAU1(20, 20), AND1(20, 50, 20), ANU1(20, 50, 20)
DIMENSION NAD1(20, 20), NAU1(20, 20), NDD1(20, 12, 20), NDU1(20, 12, 20)
DIMENSION PEAUD(20, 1, 20), PEAUU(20, 1, 20)
DIMENSION ARD1(20, 20), ARU1(20, 20)
DIMENSION RED1(20, 12, 20), REU1(20, 12, 20)
COMMON/BLK10/I, J, JJ, NSHRE, IT
COMMON/BLK13/NUSRE, NDSRE
COMMON/BLK28/PEAUD, PEAUU
COMMON/B14/AVD1, AVU1, CUR1, CUS1
COMMON/B141/AAD1, AAU1, ANU1
COMMON/B1411/AND1
COMMON/B15/NDD1, NDU1, NAD1, NAU1
COMMON/B16/DUD1, RLD1, DDD1, SUP1
COMMON/B17/RED1, REU1
COMMON/V194/ARU1
COMMON/B195/ARD1
GO TO(10, 20, 30)ICAL
C CALCULATE TOTAL D/S RELEASES DEMANDWISE
10 DO 3 II=1, NDSRE(I, 1)
CUR1(I, JJ, II)=CUR1(I, JJ, II)+RLD1(I, IT, II)
PPP=PPP+RLD1(I, IT, II)

```



```

3      CONTINUE
      RETURN
C      CALCULATE STATISTICS FOR U/S DEMAND
20     DO 1 II=1,NDSRE(I,1)
      Z=(DDD1(I,IT,II)/RED1(I,IT,II))*100.0
      IF(Z.GT.PEAUD(I,J,II))NDD1(I,IT,II)=NDD1(I,IT,II)+1
      AVD1(I,IT,II)=AVD1(I,IT,II)+DDD1(I,IT,II)/FLOAT(NYEAR)
      AND1(I,JJ,II)=AND1(I,JJ,II)+DDD1(I,IT,II)
1      CONTINUE
C      CALCULATE STATISTICS FOR U/S DEMAND
      DO 2 II=1,NUSRE(I,1)
      Z=(DUD1(I,IT,II)/REU1(I,IT,II))*100.0
      IF(Z.GT.PEAUJ(I,J,II))NDU1(I,IT,II)=NDU1(I,IT,II)+1
      AVU1(I,IT,II)=AVU1(I,IT,II)+DUD1(I,IT,II)/FLOAT(NYEAR)
      ANU1(I,JJ,II)=ANU1(I,JJ,II)+DUD1(I,IT,II)
2      CONTINUE
C      CALCULATE TOTAL D/S RELEASES DEMANDWISE
      DO 7 II=1,NDSRE(I,1)
      CUR1(I,JJ,II)=CUR1(I,JJ,II)+RLD1(I,IT,II)
      PPP=PPP+RLD1(I,IT,II)
7      CONTINUE
C      CALCULATE TOTAL U/S SUBTRATION DEMANDWISE
      DO 4 II=1,NUSRE(I,1)
      CUS1(I,JJ,II)=CUS1(I,JJ,II)+SUP1(I,IT,II)
      QQQ=QQQ+SUP1(I,IT,II)
4      CONTINUE
      RETURN
30     DO 5 II=1,NDSRE(I,1)
      Z=(AND1(I,JJ,II)/ARD1(I,II))*100.0
      IF(Z.GT.PEAUD(I,J,II))NAD1(I,II)=NAD1(I,II)+1
      AAD1(I,II)=AAD1(I,II)+AND1(I,JJ,II)/FLOAT(NYEAR)
5      CONTINUE
      DO 6 II=1,NUSRE(I,1)
      Z=(ANU1(I,JJ,II)/ARU1(I,II))*100.0
      IF(Z.GT.PEAUJ(I,J,II))NAU1(I,II)=NAU1(I,II)+1
      AAU1(I,II)=AAU1(I,II)+ANU1(I,JJ,II)/FLOAT(NYEAR)
6      CONTINUE
      RETURN
      END
C      *****
C      (13) INIL1
C      *****
SUBROUTINE INIL1(NSITE,NYEAR)
DIMENSION AVD1(20,12,20),AVU1(20,12,20)
DIMENSION CUR1(20,50,20),CUS1(20,50,20),AAD1(20,20)
DIMENSION AAU1(20,20),AND1(20,50,20),ANU1(20,50,20)
DIMENSION NAD1(20,20),NAU1(20,20),NDD1(20,12,20)
DIMENSION NDU1(20,12,20)
DIMENSION NUSRE(20,1),NDSRE(20,1)
COMMON/BLK2/NMONT
COMMON/BLK13/NUSRE,NDSRE
COMMON/B14/AVD1,AVU1,CUR1,CUS1
COMMON/B141/AAD1,AAU1,ANU1
COMMON/B1411/AND1
COMMON/B15/NDD1,NDU1,NAD1,NAU1

```

```

DO 1 I=1, NSITE
DO 2 JJ=1, NYEAR
DO 3 IT=1, NMONT
DO 4 II=1, NDSRE(I, 1)
NDD1(I, IT, II)=0
AVD1(I, IT, II)=0.
AND1(I, JJ, II)=0.
CUR1(I, JJ, II)=0.
NAD1(I, II)=0
AAD1(I, II)=0.
4 CONTINUE
DO 5 II=1, NUSRE(I, 1)
NDU1(I, IT, II)=0
AVU1(I, IT, II)=0.
ANU1(I, JJ, II)=0.
CUS1(I, JJ, II)=0.
NAU1(I, II)=0
AAU1(I, II)=0.
5 CONTINUE
3 CONTINUE
2 CONTINUE
1 CONTINUE
RETURN
END
C *****
C (14) WRT11
C *****
SUBROUTINE WRT11(NYEAR, NSITE, J, IWRT, NSHRE, I)
DIMENSION S(20, 12), FLOW(20, 50, 12), P(20, 50, 12)
DIMENSION YMIN(20, 12), YMAX(20, 12)
DIMENSION ARD1(20, 20), NDSRE(20, 1), RED1(20, 12, 20)
DIMENSION PRD1(20, 12, 20)
DIMENSION ARU1(20, 20), NUSRE(20, 1)
DIMENSION PRU1(20, 12, 20), REU1(20, 12, 20)
DIMENSION SHARE(1, 20, 1), AVANS(1, 20, 1)
DIMENSION DUD1(20, 12, 20), RLD1(20, 12, 20), DDD1(20, 12, 20)
DIMENSION AWACS(20), AWWCS(20)
DIMENSION NSTAT(20), SUP1(20, 12, 20)
DIMENSION AVD1(20, 12, 20), AVU1(20, 12, 20)
DIMENSION CUR1(20, 50, 20), CUS1(20, 50, 20), AAD1(20, 20)
DIMENSION AAU1(20, 20), AND1(20, 50, 20), ANU1(20, 50, 20)
DIMENSION NAD1(20, 20), NAU1(20, 20), NDD1(20, 12, 20)
DIMENSION NDU1(20, 12, 20), TFLOW(20, 12), IWRT(6), SUM4(20), SUM5(20)
COMMON/BLK1/FLOW, TFLOW
COMMON/BLK2/NMONT
COMMON/BLK3/SHARE
COMMON/BLK6/AVANS
COMMON/BLK8/NSTAT
COMMON/BLK9/AWACS, AWWCS
COMMON/BLK11/SUM1, SUM2, SUM3
COMMON/BLK12/S, P, YMAX, YMIN
COMMON/BLK13/NUSRE, NDSRE
COMMON/B14/AVD1, AVU1, CUR1, CUS1
COMMON/B141/AAD1, AAU1, ANU1
COMMON/B1411/AND1

```



```

COMMON/B15/NDD1,NDU1,NAD1,NAU1
COMMON/B16/DUD1,RLD1,DDD1,SUP1
100 FORMAT(1X,30('*'),/)
101 FORMAT(/,10('-'))
210 FORMAT(1X,'SHARE NO.=' ,I4,4X,'WATER SHARE =' ,F10.3/)
50 IF(IWRT(1).NE.1)GO TO 51
WRITE(5,213)
DO 28 II=1,NUSRE(I,1)
DO 29 IT=1,NMONT
WRITE(5,214)I,J,II,IT,AVU1(I,IT,II),NDU1(I,IT,II)
213 FORMAT(1X,'SITE',2X,'STATE',2X,'U/S REQUIR',3X,'TIME',2X,
1 'AVE. DEFICIT IN TIME',2X,'NO. OF DEFICITS'/)
214 FORMAT(I5,I7,I12,I7,F22.3,I17)
29 CONTINUE
28 CONTINUE
WRITE(5,101)
WRITE(5,100)
51 IF(IWRT(2).NE.1)GO TO 52
WRITE(5,215)
DO 31 II=1,NUSRE(I,1)
DO 32 JJ=1,NYEAR
WRITE(5,216)I,J,II,JJ,ANU1(I,JJ,II)
215 FORMAT(1X,'SITE',2X,'STATE',2X,'U/S REQUIR',2X,'YEAR',2X,
1 'ANNUAL DEFICIT')
216 FORMAT(I5,I7,I12,I6,F16.3)
32 CONTINUE
31 CONTINUE
WRITE(5,101)
WRITE(5,100)
52 IF(IWRT(3).NE.1)GO TO 53
WRITE(5,217)
DO 34 II=1,NUSRE(I,1)
WRITE(5,218)I,II,AAU1(I,II),NAU1(I,II)
217 FORMAT(1X,'SITE',2X,'U/S REQUIR',2X,'AVE. ANNUAL DEFICIT',
1 2X,'NO. OF ANNUAL DEFICIT'/)
218 FORMAT(I5,I12,F20.3,I22)
34 CONTINUE
WRITE(5,101)
WRITE(5,100)
53 IF(IWRT(4).NE.1)GO TO 55
WRITE(5,201)
DO 14 II=1,NDSRE(I,1)
DO 15 IT=1,NMONT
WRITE(5,202)I,J,II,IT,AVD1(I,IT,II),NDD1(I,IT,II)
201 FORMAT(1X,'SITE',2X,'STATE',2X,'D/S REQUIR',3X,'TIME',2X,
1 'AVE. DEFICIT IN TIME',2X,'NO. OF DEFICITS'/)
202 FORMAT(I5,I7,I12,I7,F22.3,I17)
15 CONTINUE
14 CONTINUE
WRITE(5,101)
WRITE(5,100)
55 IF(IWRT(5).NE.1)GO TO 56
WRITE(5,203)
DO 17 II=1,NDSRE(I,1)
DO 18 JJ=1,NYEAR

```

```

203 WRITE(5,204)I,J,II,JJ,AND1(I,JJ,II)
1   FORMAT(1X,'SITE',2X,'STATE',2X,'D/S REQUIR',2X,'YEAR',2X,
    'ANNUAL DEFICIT')
204 FORMAT(I5,I7,I12,I6,F16.3)
18  CONTINUE
17  CONTINUE
    WRITE(5,101)
    WRITE(5,100)
56  IF(IWRT(6).NE.1)GO TO 57
    WRITE(5,207)
    DO 20 II=1,NDSRE(I,1)
    WRITE(5,208)I,II,AAD1(I,II),NAD1(I,II)
207 FORMAT(1X,'SITE',2X,'D/S REQUIR',2X,'AVE.ANNUAL DEFICIT',
1   2X,'NO.OF ANNUAL DEFICIT'/)
208 FORMAT(I5,I12,F20.3,I22)
20  CONTINUE
    WRITE(5,101)
57  RETURN
    END
C   *****
C   (15)                               DIST1
C   *****
SUBROUTINE DIST1(I,IT)
DIMENSION RED1(20,12,20)
DIMENSION DDD1(20,12,20)
DIMENSION REU1(20,12,20)
DIMENSION DUD1(20,12,20)
DIMENSION DDDT1(20,12,20)
DIMENSION DUDT1(20,12,20)
DIMENSION SUPT1(20,12,20)
DIMENSION RLDT1(20,12,20)
DIMENSION RLD1(20,12,20)
DIMENSION SUP1(20,12,20)
COMMON/B11/DUDT1,RLDT1,DDDT1,SUPT1
COMMON/B16/DUD1,RLD1,DDD1,SUP1
COMMON/B17/RED1,REU1
DDD1(I,IT,1)=DDDT1(I,IT,1)
DDD1(I,IT,2)=DDDT1(I,IT,2)
DDD1(I,IT,3)=DDDT1(I,IT,3)
DDD1(I,IT,4)=DDDT1(I,IT,4)
DDD1(I,IT,5)=DDDT1(I,IT,5)
DDD1(I,IT,6)=DDDT1(I,IT,6)
DDD1(I,IT,7)=DDDT1(I,IT,7)
DUD1(I,IT,1)=DUDT1(I,IT,1)
DUD1(I,IT,2)=DUDT1(I,IT,2)
RETURN
END
C   *****
C   (16)                               WRT12
C   *****
SUBROUTINE WRT12(I,J)
DIMENSION NUSRE(20,1),NTREU(20,1),ARU1(20,20),PRU1(20,12,20)
DIMENSION REU1(20,12,20),PREU1(20,12,20),REQU1(20,12,20)
DIMENSION AREU1(20,20)
DIMENSION NDSRE(20,1),NTREQ(20,1),ARD1(20,20),PRD1(20,12,20)

```



```

DIMENSION RED1(20,12,20),PREQ1(20,12,20),REQD1(20,12,20)
DIMENSION AREQ1(20,20)
COMMON/BLK2/NMONT
COMMON/BLK5/NTREQ,NTREU
COMMON/BLK13/NUSRE,NDSRE
COMMON/B17/RED1,REU1
COMMON/B18/PRU1,PREU1
COMMON/B19/PRD1,PREQ1
COMMON/B191/AREU1,REQU1
COMMON/B192/AREQ1,REQD1
COMMON/B194/ARU1
COMMON/B195/ARD1
C COMMON/B191/ARD1
WRITE(6,1008)
DO 1005 II=1,NUSRE(I,1)
WRITE(6,1009)I,J,II,ARU1(I,II)
1005 CONTINUE
1008 FORMAT(1X,'SITE',2X,'STATE',2X,'U/S REQUIR ACTUAL',2X
1 ' , 'ANNUAL VALUE' /)
1009 FORMAT(I5,I7,I19,F14.3)
WRITE(6,1002)
DO 1000 II=1,NTREU(I,1)
WRITE(6,1001)I,J,II,AREU1(I,II)
1000 CONTINUE
1002 FORMAT(/,1X,'SITE',2X,'STATE',2X,'U/S DEMAND CLUBED',2X
1 ' , 'ANNUAL VALUE' /)
1001 FORMAT(I5,I7,I19,F14.3)
DO 1017 II=1,NUSRE(I,1)
WRITE(6,1015)
DO 1018 IT=1,NMONT
WRITE(6,1016)I,J,II,IT,PRU1(I,IT,II),REU1(I,IT,II)
1018 CONTINUE
1017 CONTINUE
1015 FORMAT(/,1X,'SITE',2X,'STATE',2X,'U/S REQUIR ACTUAL',2X,'TIME',
1 2X,'PERCENT REQUIR',6X,'REQUIR' /)
1016 FORMAT(I5,I7,I19,I6,F16.3,F12.3)
DO 1021 II=1,NTREU(I,1)
WRITE(6,1020)
DO 1022 IT=1,NMONT
WRITE(6,1023)I,J,II,IT,PREU1(I,IT,II),REQU1(I,IT,II)
1022 CONTINUE
1021 CONTINUE
1020 FORMAT(/,1X,'SITE',2X,'STATE',2X,'U/S DEMAND CLUBED',2X,
1 ' TIME',2X,'PERCENT DEMAND',6X,'DEMAND' /)
1023 FORMAT(I5,I7,I19,I6,F16.3,F12.3)
WRITE(6,2008)
DO 2005 II=1,NDSRE(I,1)
WRITE(6,2009)I,J,II,ARD1(I,II)
2005 CONTINUE
2008 FORMAT(1X,'SITE',2X,'STATE',2X,'D/S REQUIR ACTUAL',2X
1 ' , 'ANNUAL VALUE' /)
2009 FORMAT(I5,I7,I19,F14.3)
WRITE(6,2002)
DO 2000 II=1,NTREQ(I,1)
WRITE(6,2001)I,J,II,AREQ1(I,II)

```

```

2000 CONTINUE
2002 FORMAT(//, 1X, 'SITE', 2X, 'STATE', 2X, 'D/S DEMAND CLUBED', 2X
1 , 'ANNUAL VALUE' /)
2001 FORMAT(I5, I7, I19, F14.3)
DO 2017 II=1, NDSRE(I, 1)
WRITE(6, 2015)
DO 2018 IT=1, NMONT
WRITE(6, 2016) I, J, II, IT, PRD1(I, IT, II), RED1(I, IT, II)
2018 CONTINUE
2017 CONTINUE
2015 FORMAT(//, 1X, 'SITE', 2X, 'STATE', 2X, 'D/S REQUIR ACTUAL', 2X,
1 'TIME', 2X, 'PERCENT REQUIR', 6X, 'REQUIR' /)
2016 FORMAT(I5, I7, I19, I6, F16.3, F12.3)
DO 2021 II=1, NTREQ(I, 1)
WRITE(6, 2020)
DO 2022 IT=1, NMONT
WRITE(6, 2023) I, J, II, IT, PREQ1(I, IT, II), REQD1(I, IT, II)
2022 CONTINUE
2021 CONTINUE
2020 FORMAT(//, 1X, 'SITE', 2X, 'STATE', 2X, 'D/S DEMAND CLUBED', 2X,
1 'TIME', 2X, 'PERCENT DEMAND', 6X, 'DEMAND' /)
2023 FORMAT(I5, I7, I19, I6, F16.3, F12.3)
RETURN
END
C *****
C (17) BENFT
C *****
SUBROUTINE BENFT(RATE, NSITE, NYEAR, JBNFT)
DIMENSION NUSRE(20, 1), NDSRE(20, 1), ARD1(20, 20), IREQ1(20, 20),
1 AADE1(20, 50), AND1(20, 50, 20), AADU1(20, 50), Y(20), PPC(20)
DIMENSION CCRE1(20), CCPP1(20), AORE1(20), AOPP1(20), VORE1(20),
1 VOPP1(20), TVCC1(20), TVBD1(20), TVOD1(20), AFBD1(20, 20),
1 AOWD1(20, 20), CCWD1(20, 20), VPBD1(20, 20),
1 VDBD1(20, 20), VOWD1(20, 20), APBD1(20, 20, 50), ALBD1(20, 20, 50),
1 ADBD1(12, 20, 50), ISITE(20), IUSE(20, 20)
COMMON/BLK13/NUSRE, NDSRE
COMMON/BLK29/ISITE, IUSE
COMMON/B1411/AND1
COMMON/B195/ARD1
COMMON/B201/IREQ1
COMMON/B21/AADE1, AADU1, Y, PPC
TVC1=0
TVB1=0
TVO1=0
PVNB1=0
DO 16 I=1, NSITE
CCRE1(I)=0
CCPP1(I)=0
AORE1(I)=0
AOPP1(I)=0
VORE1(I)=0
VOPP1(I)=0
TVCC1(I)=0
TVBD1(I)=0
TVOD1(I)=0

```



```

DO 16 II=1,NDSRE(I,1)
AFBD1(I,II)=0
AOWD1(I,II)=0
CCWD1(I,II)=0
AOWD1(I,II)=0
VPBD1(I,II)=0
VDBD1(I,II)=0
VOWD1(I,II)=0
DO 16 JJ=1,NYEAR
APBD1(I,II,JJ)=0
ALBD1(I,II,JJ)=0
ADBD1(I,II,JJ)=0
16 CONTINUE
DO 1 I=1,NSITE
DO 2 II=1,NDSRE(I,1)
AFBD1(I,II)=ABFD1(ARD1(I,II),I,II)
IF(JBNFT.EQ.1)WRITE(2,100)AFBD1(I,II)
100 FORMAT(1X,'AFBD1',F12.3)
2 CONTINUE
DO 3 JJ=1,NYEAR
DO 4 II=1,NDSRE(I,1)
IF(IREQ1(I,II).EQ.1)ALBD1(I,II,JJ)=ALFD1(AADE1(I,JJ),I,II)
IF(IREQ1(I,II).EQ.0)ALBD1(I,II,JJ)=ALFD1(AND1(I,JJ,II),I,II)
IF(JBNFT.EQ.1)WRITE(2,99)ALBD1(I,II,JJ)
99 FORMAT(1X,'ALBD1',F12.3)
4 CONTINUE
3 CONTINUE
DO 5 JJ=1,NYEAR
DO 6 II=1,NDSRE(I,1)
APBD1(I,II,JJ)=AFBD1(I,II)-ALBD1(I,II,JJ)
IF(JBNFT.EQ.1)WRITE(2,101)APBD1(I,II,JJ)
101 FORMAT(1X,'APBD1',F12.3)
IF(IREQ1(I,II).EQ.1)ADBD1(I,II,JJ)=ADFD1(AADU1(I,JJ),I,II)
IF(JBNFT.EQ.1)WRITE(2,130)ADBD1(I,II,JJ)
130 FORMAT(1X,'ADBD1',F12.3)
6 CONTINUE
5 CONTINUE
CCRE1(I)=CFRE1(Y(I),I)
IF(JBNFT.EQ.1)WRITE(2,102)CCRE1(I)
102 FORMAT(1X,'CCRE1',F12.3)
CCPP1(I)=CFPP1(PPC(I),I)
IF(JBNFT.EQ.1)WRITE(2,103)CCPP1(I)
103 FORMAT(1X,'CCPP1',F12.3)
DO 7 II=1,NDSRE(I,1)
CCWD1(I,II)=CFWD1(ARD1(I,II),I,II)
IF(JBNFT.EQ.1)WRITE(2,104)CCWD1(I,II)
104 FORMAT(1X,'CCWD1',F12.3)
7 CONTINUE
AORE1(I)=AOFR1(Y(I),I)
IF(JBNFT.EQ.1)WRITE(2,105)AORE1(I)
105 FORMAT(1X,'AORE1',F12.3)
AOPP1(I)=AOPP1(PPC(I),I)
IF(JBNFT.EQ.1)WRITE(2,106)AOPP1(I)
106 FORMAT(1X,'AOPP1',F12.3)
DO 8 II=1,NDSRE(I,1)

```

```

AOWD1(I, II)=AOFD1(ARD1(I, II), I, II)
IF(JBNFT.EQ. 1)WRITE(2, 107)AOWD1(I, II)
107
8   FORMAT(1X, 'AOWD1', F12.3)
    CONTINUE
    DO 9 JJ=1, NYEAR
    DO 10 II=1, NDSRE(I, 1)
    PWF=1.0/((1.0+RATE)**JJ)
    IF(JBNFT.EQ. 1)WRITE(2, 108)PWF
108   FORMAT(1X, 'PWF', F12.3)
    VPBD1(I, II)=VPBD1(I, II)+PWF*APBD1(I, II, JJ)
    IF(JBNFT.EQ. 1)WRITE(2, 109)VPBD1(I, II)
109   FORMAT(1X, 'VPBD1', F12.3)
    IF(IREQ1(I, II).EQ. 1)VDBD1(I, II)=VDBD1(I, II)+PWF*ADBD1(I, II, JJ)
    IF(JBNFT.EQ. 1)WRITE(2, 98)VDBD1(I, II)
98   FORMAT(1X, 'VDBD1', F12.3)
10   CONTINUE
9    CONTINUE
    PWFA=(( (1.0+RATE)**NYEAR)-1.0)/RATE/((1.0+RATE)**NYEAR)
    IF(JBNFT.EQ. 1)WRITE(2, 110)PWFA
110   FORMAT(1X, 'PWFA', E15.5)
    VORE1(I)=PWFA*AORE1(I)
    IF(JBNFT.EQ. 1)WRITE(2, 111)VORE1(I)
111   FORMAT(1X, 'VORE1', E15.5)
    VOPP1(I)=PWFA*AOPP1(I)
    IF(JBNFT.EQ. 1)WRITE(2, 112)VOPP1(I)
112   FORMAT(1X, 'VOPP1', E15.5)
    DO 11 II=1, NDSRE(I, 1)
    VOWD1(I, II)=PWFA*AOWD1(I, II)
    IF(JBNFT.EQ. 1)WRITE(2, 113)VOWD1(I, II)
113   FORMAT(1X, 'VOWD1', F12.3)
11   CONTINUE
    TVCC1(I)=CCRE1(I)+CCPP1(I)
    IF(JBNFT.EQ. 1)WRITE(2, 114)TVCC1(I)
114   FORMAT(1X, 'TVCC1', F12.3)
    DO 12 II=1, NDSRE(I, 1)
    TVCC1(I)=TVCC1(I)+CCWD1(I, II)
    IF(JBNFT.EQ. 1)WRITE(2, 115)TVCC1(I)
115   FORMAT(1X, 'TVCC1', F12.3)
12   CONTINUE
    DO 13 II=1, NDSRE(I, 1)
    TVBD1(I)=TVBD1(I)+VPBD1(I, II)
    IF(JBNFT.EQ. 1)WRITE(2, 116)TVBD1(I)
116   FORMAT(1X, 'TVBD1', F12.3)
    IF(IREQ1(I, II).EQ. 1)TVBD1(I)=TVBD1(I)+VDBD1(I, II)
    IF(JBNFT.EQ. 1)WRITE(2, 97)TVBD1(I)
97   FORMAT(1X, 'TVBD1', F12.3)
13   CONTINUE
    TVOD1(I)=VORE1(I)+VOPP1(I)
    IF(JBNFT.EQ. 1)WRITE(2, 117)TVOD1(I)
117   FORMAT(1X, 'TVOD1', E17.5)
    DO 14 II=1, NDSRE(I, 1)
    TVOD1(I)=TVOD1(I)+VOWD1(I, II)
    IF(JBNFT.EQ. 1)WRITE(2, 118)TVOD1(I)
118   FORMAT(1X, 'TVOD1', E15.5)
14   CONTINUE

```



```

1      CONTINUE
      DO 15 I=1, NSITE
      TVC1=TVCC1+TVCC1(I)
      IF(JBNFT.EQ.1)WRITE(2,119)TVC1
119    FORMAT(1X,'TVC1',F12.3)
      TVB1=TVB1+TVBD1(I)
      IF(JBNFT.EQ.1)WRITE(2,120)TVB1
120    FORMAT(1X,'TVB1',F12.3)
      TVO1=TVO1+TVOD1(I)
      IF(JBNFT.EQ.1)WRITE(2,121)TVO1
121    FORMAT(1X,'TVO1',E15.5)
15     CONTINUE
      PVNB1=-TVC1+TVB1-TVO1
      WRITE(2,122)PVNB1
122    FORMAT(1X,'PVNB1',F16.3)
      RETURN
      END

```

C*****

C

FUNCTION

C*****

C ABFD1: ANNUAL BENEFIT FUNCTION (D/S USES) FOR USE II AT SITE I (A3)

```

      FUNCTION ABFD1(X,I,II)
      DIMENSION ISITE(20),IUSE(20,20)
      COMMON/BLK29/ISITE,IUSE
      GO TO (1,2,3,4,5,6) ISITE(I)
1      GO TO (11) IUSE(I,II)
11     ABFD1=.35*X
      RETURN
2      GO TO (21) IUSE(I,II)
21     ABFD1=.25*X
      RETURN
3      GO TO (31) IUSE(I,II)
31     ABFD1=.25*X
      RETURN
4      GO TO (70,71,72,73,74,75,76,77,78,79,80,81,82) IUSE(I,II)
70     ABFD1=0
      RETURN
71     ABFD1=5*X
      RETURN
72     ABFD1=5*X
      RETURN
73     ABFD1=5*X
      RETURN
74     ABFD1=5*X
      RETURN
75     ABFD1=5*X
      RETURN
76     ABFD1=5*X
      RETURN
77     ABFD1=5*X
      RETURN
78     ABFD1=5*X
      RETURN
79     ABFD1=5*X
      RETURN

```

```

80     ABFD1=5*X
      RETURN
81     ABFD1=5*X
      RETURN
82     ABFD1=.15*X
      RETURN
5      GO TO (51)IUSE(I, II)
51     ABFD1=.3*X
      RETURN
6      GO TO (83,84,85,86,87,88)IUSE (I, II)
83     ABFD1=0
      RETURN
84     ABFD1=5*X
      RETURN
85     ABFD1=5*X
      RETURN
86     ABFD1=5*X
      RETURN
87     ABFD1=5*X
      RETURN
88     ABFD1=.15*X
      RETURN
      END
C      *****
C AAFP1: ANNUAL OM COST FUNCTION OF HYDROPOWER AT SITE I- (OM 31)
      FUNCTION AAFP1(X, I)
      DIMENSION ISITE (20), IUSE(20, 20)
      COMMON/BLK 29 /ISITE, IUSE
      GO TO(1,2,3,4,5,6)ISITE(I)
C
1      AAFP1=(15.1867)+(0.0727399*(X))-(1.66151*10.**(-5)*(X**2))
2      +(3.86844*10.**(-9)*(X**3))
      RETURN
C
2      AAFP1=(27.055)+(0.0834022*(X))+(9.94212*10.**(-6)*(X**2))
1      -(1.159*10.**(-9)*(X**3))
      RETURN
C
3      AAFP1=(5.26863)+(0.146865*(X))-(2.31093*10.**(-5)*(X**2))
1      -(1.86108*10.**(-9)*(X**3))
      RETURN
C
4      AAFP1=(1.74987)+(0.0363192*(X))-(2.21688*10.**(-5)*(X**2))
1      +(9.34995*10.**(-9)*(X**3))
      RETURN
C
5      AAFP1=(34.6491)+(0.165153*(X))+(5.76373*10.**(-5)*(X**2))
1      -(2.5827*10.**(-8)*(X**3))
      RETURN
C
6      AAFP1=(1.21212)+(0.0443957*(X))-(1.52875*10.**(-5)*(X**2))
1      +(2.16895*10.**(-9)*(X**3))
      RETURN
      END

```



```

C      *****
C      MORE THAN A3
      FUNCTION ALFD1(X, I, II)
      DIMENSION ISITE (20), IUSE(20,20)
      COMMON/BLK 29 /ISITE, IUSE
      GO TO (1,2,3,4,5,6) ISITE (I)
1      GO TO (11)IUSE(I, II)
11     ALFD1=.42*X
      RETURN
2      GO TO (21) IUSE(I, II)
21     ALFD1=.30*X
      RETURN
3      GO TO (31)IUSE(I, II)
31     ALFD1=.30*X
      RETURN
4      GO TO (70,71,72,73,74,75,76,77,78,79,80,81,82)IUSE (I, II)
70     ALFD1=0
      RETURN
71     ALFD1=6*X
      RETURN
72     ALFD1=6*X
      RETURN
73     ALFD1=6*X
      RETURN
74     ALFD1=6*X
      RETURN
75     ALFD1=6*X
      RETURN
76     ALFD1=6*X
      RETURN
77     ALFD1=6*X
      RETURN
78     ALFD1=6*X
      RETURN
79     ALFD1=6*X
      RETURN
80     ALFD1=6*X
      RETURN
81     ALFD1=6*X
      RETURN
82     ALFD1=.18*X
      RETURN
5      GO TO (51)IUSE(I, II)
51     ALFD1=.36*X
      RETURN
6      GO TO (83,84,85,86,87,88)IUSE (I, II)
83     ALFD1=0
      RETURN
84     ALFD1=6*X
      RETURN
85     ALFD1=6*X
      RETURN
86     ALFD1=6*X
      RETURN

```

```

87     ALFD1=6*X
      RETURN
88     ALFD1=.18*X
      RETURN
      END
C     *****
C AOFR1: ANNUAL OM COST FUNCTION OF RESERVOIR AT SITE I- (OM 11)
      FUNCTION AOFR1(X, I)
      DIMENSION ISITE (20), IUSE(20,20)
      COMMON/BLK 29 /ISITE, IUSE
      GO TO(1,2,3,4,5,6) ISITE(I)
1     AOFR1=(5.20432)+(0.0197592*(X))-(3.355671*10.**(-6)*(X**2))
      1 +(2.76598*10.**(-10)*(X**3))
      RETURN
2     AOFR1=(7.47569)+(0.0143747*(X))-(8.0495*10.**(-7)*(X**2))
      1 +(3.2714*10.**(-11)*(X**3))
      RETURN
C
3     AOFR1=(4.03859)+(0.0148571*(X))-(2.73661*10.**(-6)*(X**2))
      1 +(2.68544*10.**(-10)*(X**3))
      RETURN
C
4     AOFR1=(0.0336752)+(0.000212637*(X))-(2.77013*10.**(-8)*(X**2))
      1 +(1.66186*10.**(-12)*(X**3))
      RETURN
C
5     AOFR1=0
      RETURN
C
6     AOFR1=(0.19404)+(0.00263214*(X))-(3.6957*10.**(-7)*(X**2))
      1 +(3.41304*10.**(-11)*(X**3))
      RETURN
      END
C     *****
C     LESSER THAN A3
      FUNCTION ADFD1(X, I, II)
      DIMENSION ISITE (20), IUSE(20,20)
      COMMON/BLK 29 /ISITE, IUSE
      GO TO (1,2,3,4,5,6) ISITE (I)
1     GO TO (11) IUSE(I, II)
11    ADFD1=.28*X
      RETURN
2     GO TO (21) IUSE(I, II)
21    ADFD1=.20*X
      RETURN
3     GO TO (31) IUSE(I, II)
31    ADFD1=.20*X
      RETURN
4     GO TO (70,71,72,73,74,75,76,77,78,79,80,81,82) IUSE (I, II)
70    ADFD1=0
      RETURN
71    ADFD1=4*X
      RETURN
72    ADFD1=4*X
      RETURN

```



```
73  AFD1=4*X  
    RETURN  
74  AFD1=4*X  
    RETURN  
75  AFD1=4*X  
    RETURN  
76  AFD1=4*X  
    RETURN  
77  AFD1=4*X  
    RETURN  
78  AFD1=4*X  
    RETURN  
79  AFD1=4*X  
    RETURN  
80  AFD1=4*X  
    RETURN  
81  AFD1=4*X  
    RETURN  
82  AFD1=.12*X  
    RETURN  
5   GO TO (51)IUSE(I,II)  
51  AFD1=.24*X  
    RETURN  
6   GO TO (83,84,85,86,87,88)IUSE (I,II)  
83  AFD1=0  
    RETURN  
84  AFD1=4*X  
    RETURN  
85  AFD1=4*X  
    RETURN  
86  AFD1=4*X  
    RETURN  
87  AFD1=4*X  
    RETURN  
88  AFD1=.12*X  
    RETURN  
    END  
C   *****
```

APPENDIX 6J

```

C *****
C *****
C *****
C
C (LINEAR PROGRAMMING SCREENING MODEL)
C
C *****
C *****
C *****
C
C LINEAR PROGRAMME SIMPLEX
C M= NOS. OF CONSTRAINTS
C K= NOS. OF VARIABLE
C NLET=NOS. OF LT OR =CONSTRAINTS
C NGET=NOS. OF GT OR= CONSTRAINTS
C NET=NOS. OF = CONSTRAINTS
C NTYPE= TYPE OF PROBLEM, USE 0 IF MINIMIZATION, 1 IF MAXIMIZATION
C NOPT= 0 IF ONLY OPTIMAL SOLUTIONS REQUIRED, =1 IF ALL SOLU.REQD.
C CODE=0 FOR <OR=CONS., 1 FOR >OR=CONS., 2 FOR=CONS.
C CONSTANT= NUMERICAL VALUE IN CONSTRAINTS
C IMPLICIT REAL*8 (A-H,O-Z)
C INTEGER CODE, XB, BASICS, OPTSOL
C COMMON KP1, MP1, N, K, M, NGET, NLET, NET, NTYPE, NP1,
1 NC, NC1, INDEXG, INDEXL, INDEXE, NFLAG, BASICS, OPTSOL
C COMMON SUM
C COMMON NOPT
C CHARACTER*12 FILI, FILO
C DIMENSION A(500,950), B(500), C(950), XB(500), CODE(500), ARTV(950)
1 DIMENSION A(1000,2000), B(1000), C(2000), XB(1000), CODE(1000),
1 ARTV(2000)
C COMMON/BLK1/A
C COMMON/BLK2/B
C COMMON/BLK3/C
C COMMON/BLK4/CODE
C WRITE(*,*)'ENTER INPUT FILENAME>>'
C READ(*, '(A)')FILI
C WRITE(*,*)'ENTER OUTPUT FILENAME>>'
C READ(*, '(A)')FILO
C OPEN(UNIT=1, FILE=FILI, STATUS='OLD')
C OPEN(UNIT=2, FILE=FILO, STATUS='UNKNOWN')
C READ(1,*)IGEN
C WRITE(2,700)IGEN
C READ(1,*)IPRNT1
C WRITE (2,*)IPRNT1
700 FORMAT(5I5)
50 READ(1,*)NTYPE, NOPT
C WRITE(2,700)NTYPE, NOPT
C WRITE(*, 1000)
1000 FORMAT(2X, 'CALL MATRIX ')
C IF(IGEN.EQ.1)CALL MATRIX
C IF(IGEN.EQ.1)GO TO 701
C READ(1,*)M, K, NLET, NGET, NET
C DO 25 I=1, M

```



```

      READ(1,*)CODE(I),B(I)
      READ(1,*)(A(I,J),J=1,K)
25      CONTINUE
      READ(1,*)(C(J),J=1,K)
701     WRITE(2,700)M,K,NLET,NGET,NET
      WRITE(2,40)
40      FORMAT(1X,'THE ORIGINAL COEFFICIENTS OF THE CONSTRAINTS',//
1       15X,'CODE=0 LT OR= CONSTRAINTS',/15X,'CODE1=GT OR= CONSTRAINTS',
2       /15X,'CODE 2=CONSTRAINTS',//)
      WRITE(2,55)
55      FORMAT(' I CODE CONSTANT A(I,1) A(I,2) A(I,3) A(I,4) A(I,5),A(I,6)
1       A(I,7)',//16X,'A(I,8) A(I,9) A(I,10) A(I,11) A(I,12) A(I,13)',//
2       16X,'A(I,14)', //)
      DO 45 I=1,M
      WRITE(2,51)I,CODE(I),B(I)
51      FORMAT(I3,I4,F9.3)
      IF(IPRNT1.NE.0.) WRITE(2,52)(A(I,J),J=1,K)
52      FORMAT(15X,7F8.2,/(15X,7F8.2))
45      CONTINUE
      IF(NTYPE.NE.0)GO TO 35
      WRITE(2,36)
36      FORMAT(/5X,'THE COEFFICIENT IN THE ORIGINAL OBJECTIVE FUNCTION
1       TO BE MINIMIZED',/5X,'ARE:',/)
      GO TO 37
35      WRITE(2,38)
38      FORMAT(/5X,'THE COEFFICIENTS IN THE ORIGINAL OBJECTIVE'
1       , 'FUNCTIONS ARE TO BE MINIMIZED',/5X,'ARE:',/)
37      WRITE(2,39)(C(J),J=1,K)
39      FORMAT(1X,7F10.2/1X,7F10.2)
C      READ(1,*)NOPT
150     WRITE(*,1001)
1001    FORMAT(2X,'CALL SSARTV')
      CALL SSARTV(XB)
      WRITE(*,1003)
1003    FORMAT(2X,'RETURN')
C      IF(IFLAG.EQ.1) GO TO 50
      BASICS=0.0
      OPTSOL=0.0
      WRITE(2,160)
160     FORMAT(/)
      WRITE(*,1002)
1002    FORMAT(2X,'SIMPLX')
      CALL SIMPLX(XB)
      WRITE(2,*)NFLAG
      IF(NFLAG.EQ.1.OR.NFLAG.EQ.2)GO TO 333
      IF(NTYPE.EQ.1)GO TO 220
      SUM=-SUM
220     WRITE(2,230)SUM
230     FORMAT(4X'OPTIMAL VALUE OF THE ORIGINAL OBJECTIVE FUNCTION IS',
1F12.2/)
C      CLOSE(UNIT=1)
333     STOP
      END

```

```

C *****
SUBROUTINE SSARTV(XB)
IMPLICIT REAL*8 (A-H,O-Z)
COMMON KP1,MP1,N,K,M,NGET,NLET,NET,NTYPE,NP1,
1 NC,NC1,INDEXG,INDEXL,INDEXE,NFLAG,BASICS,OPTSOL
COMMON SUM
COMMON NOPT
INTEGER CODE, XB, BASICS, OPTSOL
C DIMENSION A(500,950),B(500),C(950),XB(500),CODE(500),ARTV(950)
DIMENSION A(1000,2000),B(1000),C(2000),XB(1000),CODE(1000),
1 ARTV(2000)
COMMON/BLK1/A
COMMON/BLK2/B
COMMON/BLK3/C
COMMON/BLK4/CODE
C INITIALIZE VARIABLE
IFLAG=0
IA=1
KP1=K+1
MP1=M+1
N=K+2*NGET+NLET+NET
NP1=N+1
NC=K+NGET+1
NC1=NC+NLET
INDEXG=K+1
INDEXL=K+NGET+1
INDEXE=K+NGET+NLET+1
DO 69 I=1,MP1
DO 69 J=KP1,NP1
69 A(I,J)=0.
150 DO 5 I=1,M
5 A(I,NP1)=B(I)
DO 4 I=1,M
IF(CODE(I).EQ.0)GO TO 6
IF(CODE(I).EQ.1)GO TO 8
ARTV(IA)=I
IA=IA+1
XB(I)=INDEXE
A(I,INDEXE)=1.
INDEXE=INDEXE+1
GO TO 4
8 XB(I)=INDEXE
ARTV(IA)=I
IA=IA+1
INDEXE=INDEXE+1
A(I,INDEXG)=-1
INDEXG=INDEXG+1
GO TO 4
6 XB(I)=INDEXL
A(I,INDEXL)=1
INDEXL=INDEXL+1
4 CONTINUE
GO TO 151
C CHECK FOR MAXIMIZATION

```



```

151  CONTINUE
      IF(NTYPE.EQ.0)GO TO 12
      DO 60 J=1,K
60    A(MP1,J)=-C(J)
      GO TO 50
12    DO 55 J=1,K
55    A(MP1,J)=C(J)
50    DO 61 J=KP1,NP1
      A(MP1,J)=0.
61    C(J)=0.
      DO 62 J=1,K
62    C(J)=-A(MP1,J)
      DO 63 J=NC1,N
63    C(J)=-10.E2
      IF(NGET+NET.EQ.0)RETURN
      IA=IA-1
      KPGTE=K+NGET
      DO 64 J=1,KPGTE
      SUM=0.0
      DO 65 I=1,IA
      IJL=ARTV(I)
65    SUM=SUM+A(IJL,J)
64    A(MP1,J)=A(MP1,J)-10.E2*SUM
      SUM=0.0
      DO 66 I=1,IA
      IJL1=ARTV(I)
66    SUM=SUM+A(IJL1,NP1)
      A(MP1,NP1)=A(MP1,NP1)-10.E2*SUM
      RETURN
      END
C    *****
      SUBROUTINE SIMPLX(XB)
      IMPLICIT REAL*8 (A-H,O-Z)
      COMMON KP1,MP1,N,K,M,NGET,NLET,NET,NTYPE,NP1,
1     NC,NC1,INDEXG,INDEXL,INDEXE,NFLAG,BASICS,OPTSOL
      COMMON SUM
      COMMON NOPT
      INTEGER CODE,XB,BASICS,OPTSOL
C     DIMENSION A(500,950),B(500),C(950),XB(500),CODE(500),ARTV(950)
      DIMENSION A(1000,2000),B(1000),C(2000),XB(1000),CODE(1000),
1     ARTV(2000)
      COMMON/BLK1/A
      COMMON/BLK2/B
      COMMON/BLK3/C
      COMMON/BLK4/CODE
      NFLAG=0
100    BASICS=BASICS+1
      WRITE(*,*)BASICS
      IF(NOPT.EQ.0)GO TO 200
105    WRITE(2,104)BASICS
C     WRITE(*,*)BASICS
104    FORMAT(5X,'BASICS SOLUTION',I4,/)
      MR=(M+3)/4
      DO 110 I=1,MR
110    WRITE(2,106)I,XB(I),A(I,NP1),I+MR,XB(I+MR),A(I+MR,NP1),I+2*MR,

```

```

1 XB(I+2*MR), A(I+2*MR, NP1), I+3*MR, XB(I+3*MR), A(I+3*MR, NP1)
106 FORMAT(2X, 4(' | XB(' , I3, ')=X(' , I3, ')=' , F12.1))
WRITE(2, '(//)')
DO 1011 I=1, M-1
DO 1011 J=I, M
IF(XB(I).GT. XB(J))THEN
IPI=XB(I)
XB(I)=XB(J)
XB(J)=IPI
APOP=A(I, NP1)
A(I, NP1)=A(J, NP1)
A(J, NP1)=APOP
ENDIF
1011 CONTINUE
DO 1012 I=1, MR
1012 WRITE(2, 1106)XB(I), A(I, NP1), XB(I+MR), A(I+MR, NP1),
1 XB(I+2*MR), A(I+2*MR, NP1), XB(I+3*MR), A(I+3*MR, NP1)
1106 FORMAT(2X, 4(' | XB(' , I3, ')=' , F12.1))
SUM=0.0
DO 111 I=1, M
111 SUM=SUM+C(XB(I))*A(I, NP1)
WRITE(2, 130)SUM
130 FORMAT(/4X, 'CURRENT VALUE OF OBJECTIVE FUNCTION IS', E 14.8/)
IF(OPTSOL. EQ. 1)GO TO 920
200 NEG=0
GNEG=0
DO 21 J=1, N
IF(A(MP1, J).GE. GNEG)GO TO 21
GNEG=A(MP1, J)
NEG=J
21 CONTINUE
IF(NEG. EQ. 0)GO TO 900
400 SPR=10. E10
DO 410 I=1, M
IF(A(I, NEG). LE. .00001)GO TO 410
IF(A(I, NP1)/A(I, NEG). GE. SPR)GO TO 410
SPR=A(I, NP1)/A(I, NEG)
NSPR=I
410 CONTINUE
IF(SPR. LE. 10. E8)GO TO 510
WRITE(2, 420)
420 FORMAT(///'OBJECTIVE FUNCTION IS NOT BOUNDED BY CONSTRAINTS')
NFLAG=1
RETURN
510 PELE=A(NSPR, NEG)
DO 500 J=1, NP1
500 A(NSPR, J)=A(NSPR, J)/PELE
XB(NSPR)=NEG
600 DO 610 I=1, MP1
IF(I. EQ. NSPR)GO TO 610
HOLD=A(I, NEG)
DO 620 J=1, NP1
620 A(I, J)=A(I, J)-HOLD*A(NSPR, J)
610 CONTINUE

```



```
GO TO 100
900 OPTSOL=1
    IF(NOPT.EQ.1)GO TO 920
    GO TO 105
920 DO 930 I=1,M
    IF(XB(I).LT.NC1)GO TO 930
    IF(A(I, NP1).LE.0)GO TO 930
    WRITE(2,940)
940 FORMAT(////'A FEASIBLE SOLUTION DOES NOT EXIST')
    NFLAG=2
    RETURN
930 CONTINUE
    WRITE(2,950)
950 FORMAT(4X,'THE LAST BASIC FEASIBLE SOLUTION IS OPTIMAL')
    RETURN
END
```



APPENDIX 6.I.A

GENERATION OF INPUT DATA MATRIX FOR LINEAR PROGRAMMING MODEL FOR MULTIPLE RESERVOIR , MULTI PURPOSE AND MULTI-IRRIGATION SYSTEMS (INDMAG PACKAGE)

DEVELOPED BY: MOHAMMAD SADEGH SADEGHIAN

SUPERVISOR : PROFESSOR D.K. SRIVASTAVA


```
SUBROUTINE MATRIX
IMPLICIT REAL * 8 (A-H,O-Z)
INTEGER Q,QSFMI,PTH,G,W
REAL LM
CHARACTER * 80 TITLE
DIMENSION A(1000,2000),B(1000),C(2000),XB(1000),CODE(1000),
1 ARTV(2000),
1 WS(20,12),FLOW(20,12),FLOW1(20,12),FLOW2(20,12),ET(20,12),
1 A1(20),C11(20),ITHMI(20)
DIMENSION ICOLR(20,20),ICOLI(20,20),ICOLP(20,20),NCOLR(20),
1 NCOLI(20)
DIMENSION XK1(20,12),YD(20),MMFS(20),NCOLP(20),P(20,12),
1 MMFL(20)
DIMENSION XNETA(20,12),ALPHA(20,12),HEAD(20,12),TIME(12),
1 OM11(20)
DIMENSION IAL(20,2000),IUP(20,2000),ILO(20,2000),
1 UL(20,2000),IEQ(20,2000),ISAL(20),NVAAL(20,2000)
DIMENSION EQU(20,2000),A2(20),C21(20),OM21(20),C31(20),
1 OM31(20),A3(20),A0(20),AA(20),NVAR(20),LM(20,2000),
1 EQ(20,7),NFLM(20),IFLM(20,12),F(20,12)
DIMENSION NSURC(20,20),NOS(20),XK3(20,12)
DIMENSION IRFMI(20),LRFMI(20),QSFMI(20),
1 IRP(20),IRJP(20,20),IQ2(20),IQ3(20),G(20),IBAR(20),A4(20)
COMMON KP1,MP1,N,K,M,NGET,NLET,NET,NTYPE,NP1,
1 NC,NC1,INDEXG,INDEXL,INDEXE,NFLAG,BASICS,OPTSOL
COMMON SUM
COMMON NOPT
INTEGER CODE,XB,BASICS,OPTSOL
COMMON/BLK1/A
COMMON/BLK2/B
COMMON/BLK3/C
COMMON/BLK4/CODE
COMMON/BLK5/ICOLI,ICOLP,NCOLP,NVAR
COMMON IPRNT1
READ(1,*)NRE
```



```

IF(IPRNT1.NE.0.) WRITE(2,*)NRE
READ(1,*)MM
IF(IPRNT1.NE.0.) WRITE(2,*)MM
DO 700 ITH=1,NRE
READ (1,91)TITLE
WRITE (2,91)TITLE
91  FORMAT(1A)
READ(1,*)IRENO
READ(1,*)NOS(IRENO)
IF(NOS(IRENO).NE.0)READ(1,*)(NSURC(IRENO,K1),K1=1,NOS(IRENO))
READ(1,*)NFLM(ITH)
IF(NFLM(ITH).EQ.0.)GOTO 112
READ(1,*)(IFLM(ITH,I),I=1,MM)
READ(1,*)MMFS(ITH),MMFL(ITH)
112 READ(1,*)(FLOW(ITH,I),I=1,MM)
READ(1,*)(FLOW1(ITH,I),I=1,MM)
READ(1,*)(FLOW2(ITH,I),I=1,MM)
READ(1,*)(P(ITH,I),I=1,MM)
READ(1,*)(WS(ITH,I),I=1,MM)
READ(1,*)NVAR(ITH)
READ(1,*) ITHMI(ITH)
READ(1,*)NCOLR(ITH),NCOLI(ITH),NCOLP(ITH)
IF(NCOLR(ITH).NE.0)READ(1,*)(ICOLR(ITH,I),I=1,NCOLR(ITH))
IF(NCOLI(ITH).NE.0)READ(1,*)(ICOLI(ITH,I),I=1,NCOLI(ITH))
IF(NCOLP(ITH).NE.0)READ(1,*)(ICOLP(ITH,I),I=1,NCOLP(ITH))
IF(NCOLI(ITH).NE.0)READ(1,*)(XK1(ITH,I),I=1,MM)
IF(NCOLI(ITH).NE.0)READ(1,*)(XK3(ITH,I),I=1,MM)
READ(1,*)IRP(ITH)
READ(1,*)IRFMI(ITH)
READ(1,*)LRFMI(ITH)
READ(1,*)QSFMI(ITH)
READ(1,*)(IRJP(PTH,JTH),JTH=ITH+L+1,ITH+L+Q)
READ(1,*)YD(ITH)
IF(NCOLP(ITH).EQ.0)GOTO 100
READ(1,*)(XNETA(ITH,I),I=1,MM)
READ(1,*)COEFF,EFFCI
READ(1,*)(ALPHA(ITH,I),I=1,MM)
READ(1,*)(HEAD(ITH,I),I=1,MM)
READ(1,*)(TIME(I),I=1,MM)
100 IF(NCOLR(ITH).NE.0)READ(1,*)C11(ITH),OM11(ITH)
IF(NCOLI(ITH).NE.0)READ(1,*)A2(ITH),C21(ITH),OM21(ITH)
IF(NCOLP(ITH).NE.0)READ(1,*)A3(ITH),C31(ITH),OM31(ITH)
IF(NFLM(ITH).NE.0)READ(1,*)A4(ITH)
READ(1,*)AO(ITH),AA(ITH)
READ(1,*)(ET(ITH,I),I=1,MM)
READ(1,*)ISAL(ITH)
READ(1,*)(NVAAL(ITH,J1),J1=1,ISAL(ITH))
IF(ITH.EQ.1) IST=1
IF(ITH.NE.1) IST=NVAR(ITH-1)+1
DO 13 J1=IST,NVAR(ITH)
IF(IAL(ITH,J1).EQ.0) GO TO 13
READ(1,*)IUP(ITH,J1),ILO(ITH,J1),IEQ(ITH,J1)
READ(1,*)UL(ITH,J1),LM(ITH,J1),EQU(ITH,J1)
13  CONTINUE
READ(1,*)G(ITH)

```



```

READ(1,*)IBAR(ITH)
IF(IPRNT1.NE.0.)WRITE(2,*)IRENO
IF(IPRNT1.NE.0.)WRITE(2,*)NOS(IRENO)
IF(NOS(IRENO).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)(NSURC(IRENO,K1),
1 K1=1,NOS(IRENO))
IF(IPRNT1.NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)NFLM(ITH)
IF(NFLM(ITH).EQ.0)GO TO 113
IF(IPRNT1.NE.0.)WRITE(2,*)(IFLM(ITH,I),I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)MMFS(ITH),MMFL(ITH)
113 IF(IPRNT1.NE.0.)WRITE(2,*)(FLOW(ITH,I),I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)(FLOW1(ITH,I),I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)(FLOW2(ITH,I),I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)(P(ITH,I),I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)(WS(ITH,I),I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)NVAR(ITH)
IF(NCOLR(ITH).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)NCOLR(ITH),
1 NCOLI(ITH),NCOLP(ITH)
IF(NCOLI(ITH).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)(ICOLR(ITH,I),
1 I=1,NCOLR(ITH))
IF(NCOLP(ITH).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)(ICOLI(ITH,I),
1 I=1,NCOLI(ITH))
IF(IPRNT1.NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)(ICOLP(ITH,I),
1 I=1,NCOLP(ITH))
IF(NCOLI(ITH).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)(XK1(ITH,I),
1 I=1,MM)
IF(NCOLI(ITH).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)(XK3(ITH,I),
1 I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)YD(ITH)
IF(NCOLP(ITH).EQ.0)GO TO 101
IF(IPRNT1.NE.0.)WRITE(2,*)(XNETA(ITH,I),I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)COEFF,EFFCI
IF(IPRNT1.NE.0.)WRITE(2,*)(ALPHA(ITH,I),I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)(HEAD(ITH,I),I=1,MM)
IF(IPRNT1.NE.0.)WRITE(2,*)(TIME(I),I=1,MM)
101 IF(NCOLR(ITH).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)C11(ITH),OM11(ITH)
IF(NCOLI(ITH).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)A2(ITH),
1 C21(ITH),OM21(ITH)
IF(NCOLP(ITH).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)A3(ITH),
1 C31(ITH),OM31(ITH)
IF(NFLM(ITH).NE.0.AND.IPRNT1.NE.0.)WRITE(2,*)A4(ITH)
IF(IPRNT1.NE.0.)WRITE(2,*)AO(ITH),AA(ITH)
IF(IPRNT1.NE.0.)WRITE(2,*)(ET(ITH,I),I=1,MM)
IF(ITH.EQ.1)IST=1
IF(ITH.NE.1)IST=NVAR(ITH-1)+1
DO 20 J1=IST,NVAR(ITH)
IF(IAL(ITH,J1).EQ.0)GO TO 20
IF(IPRNT1.NE.0.)WRITE(2,*)IUP(ITH,J1),ILO(ITH,J1),IEQ(ITH,J1)
IF(IPRNT1.NE.0.)WRITE(2,*)UL(ITH,J1),LM(ITH,J1),EQU(ITH,J1)
20 CONTINUE
IF(IPRNT1.NE.0.)WRITE(2,*)G(ITH)
IF(IPRNT1.NE.0.)WRITE(2,*)IBAR(ITH)
700 CONTINUE
READ(1,*)IPRNT
READ(1,*)IDSCO
IF(IPRNT1.NE.0.)WRITE(2,*)IPRNT

```



```

IF(IPRNT1.NE.0.) WRITE(2,*)IDSCO
DO 79 ITH=1,NRE
KL=0
IF(ITH.EQ.1)IROW=0
IF(ITHMI(ITH).EQ.1)GO TO 57
IF(IRFMI(ITH).EQ.-1)GO TO 3014
C *****
C IRRIGATION CONSTRAINT FOR PTH RESERVOIR FOR ITS OWN COMMAND AREA
C *****
JCOL=0
JROW=0
3004 JROW=JROW+1
DO 3003 PTH=ITH, ITH+L
IF(IRP(PTH).NE.1)GO TO 3003
IROW=IROW+1
B(IROW)=FLOW1(PTH, JCOL+1)+FLOW2(PTH, JCOL+1)
CODE(IROW)=0
A(IROW, ICOLR(PTH, 6)+JCOL)=-1
A(IROW, ICOLI(PTH, 1))=XK1(PTH, JCOL+1)
IF(IPRNT.NE.0)WRITE(2,*)(A(IROW, K), K=1, NVAR(ITH+L+Q)),
1 CODE(IROW), B(IROW)
3003 CONTINUE
JCOL=JCOL+1
IF(JROW.LT.MM)GO TO 3004
C *****
C IRRIGATION CONSTRAINTS FOR JTH MULTI-IRRIGATION AREA
C *****
IF(QSFMI(ITH).EQ.0)GO TO 6001
JCOL=0
JROW=0
3007 JROW=JROW+1
DO 3017 PTH=ITH, ITH+L
IQ2(PTH)=7
IQ3(PTH)=2
3017 CONTINUE
DO 3005 JTH=ITH+L+1, ITH+L+Q
IROW=IROW+1
B(IROW)=FLOW(JTH, JCOL+1)+FLOW2(JTH, JCOL+1)
CODE(IROW)=0
DO 3006 PTH=ITH, ITH+L
IF(IRJP(PTH, JTH).EQ.-1)GO TO 3006
IF(IRJP(PTH, JTH).EQ.1)A(IROW, ICOLR(PTH, IQ2(PTH))+JCOL)=-1
IF(IRJP(PTH, JTH).EQ.1)A(IROW, ICOLI(PTH, IQ3(PTH)))=
1 XK1(JTH, JCOL+1)
IQ2(PTH)=IQ2(PTH)+1
IQ3(PTH)=IQ3(PTH)+1
3006 CONTINUE
IF(IPRNT.NE.0)WRITE(2,*)(A(IROW, K), K=1, NVAR(ITH+L+Q)),
1 CODE(IROW), B(IROW)
3005 CONTINUE
JCOL=JCOL+1
IF(JROW.LT.MM)GO TO 3007

```

```

C *****
C TOTAL RELEASE CONSTRAINT FOR PTH RESERVOIR
C *****
6001 JCOL=0
      JROW=0
3008 JROW=JROW+1
      DO 3009 PTH=ITH, ITH+L
      IF(QSFMI(ITH).EQ.0.AND.IRP(ITH).NE.1)GO TO 3009
      IROW=IROW+1
      IQ=7
      B(IROW)=0
      CODE(IROW)=2
      A(IROW,ICOLR(PTH,1)+JCOL)=1
      A(IROW,ICOLR(PTH,4)+JCOL)=-1
      IF(IRP(PTH).EQ.1)A(IROW,ICOLR(PTH,6)+JCOL)=-1
      IF(QSFMI(ITH).EQ.0)GO TO 6002
      DO 3010 JTH=ITH+L+1, ITH+L+Q
      IF(IRJP(PTH,JTH).EQ.-1)GO TO 3010
      IF(IRJP(PTH,JTH).EQ.1)A(IROW,ICOLR(PTH,IQ)+JCOL)=-1
      IQ=IQ+1
3010 CONTINUE
6002 IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH+L+Q)),
1 CODE(IROW),B(IROW)
3009 CONTINUE
      JCOL=JCOL+1
      IF(JROW.LT.MM)GO TO 3008
C *****
C ANNUAL IRRIGATION TARGET AT JTH MULTI - IRRIGATION AREA
C *****
      IF(QSFMI(ITH).EQ.0)GO TO 3014
      DO 3018 PTH=ITH, ITH+L
      IQ3(PTH)=2
3018 CONTINUE
      DO 3015 JTH=ITH+L+1, ITH+L+Q
      IROW=IROW+1
      B(IROW)=0
      CODE(IROW)=2
      A(IROW,ICOLI(JTH,1))=1
      DO 3016 PTH= ITH, ITH+L
      IF(IRJP(PTH,JTH).EQ.-1) GO TO 3016
      IF(IRJP(PTH,JTH).EQ.1)A(IROW,ICOLI(PTH,IQ3(PTH)))=-1
      IQ3(PTH)=IQ3(PTH)+1
3016 CONTINUE
      IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH+L+Q)),
1 CODE(IROW),B(IROW)
3015 CONTINUE
3014 IF(EQ(ITH,1).EQ.0.)GO TO 51
C *****
C CONTINUITY EQUATION
C *****
      JCOL=0
      JROW=0
4003 IROW=IROW+1
      JROW=JROW+1
      AT=0.5*AA(ITH)*ET(ITH,JCOL+1)

```



```

B(IROW)=FLOW(ITH, JCOL+1)+P(ITH, JCOL+1)-
1 (WS(ITH, JCOL+1))-AO(ITH)*(ET(ITH, JCOL+1))
IF(IBAR(ITH).EQ.1)CODE(IROW)=0
IF(IBAR(ITH).EQ.0) CODE(IROW)=2
XMULT=1.0
IF(B(IROW).LT.0.0)XMULT=-1.0
B(IROW)=B(IROW)*XMULT
IF(IBAR(ITH).EQ.1)A(IROW, ICOLR(ITH, 1)+JCOL)=1.*XMULT
IF(IBAR(ITH).EQ.1)GO TO 5000
A(IROW, ICOLR(ITH, 2)+JCOL)=- (1-AT)*XMULT
A(IROW, ICOLR(ITH, 1)+JCOL)=1.0*XMULT
5000 IF(NOS(ITH).EQ.0)GO TO 4002
DO 4000 IW=1, G(ITH)
W=NSURC(ITH, IW)
IF(NCOLI(W), EQ.0. OR. ITHMI(W).EQ.-1) GO TO 4001
A(IROW, ICOLR(W, 1)+JCOL)=-1*XMULT
A(IROW, ICOLI(W, 1))=(XK1(W, JCOL+1)-XK3(W, JCOL+1))*XMULT
GO TO 4000
4001 A(IROW, ICOLR(W, 1)+JCOL)=-1*XMULT
4000 CONTINUE
4002 IF(IBAR(ITH).EQ.1)GO TO 5001
IF(JCOL.LT.(MM-1))A(IROW, ICOLR(ITH, 2)+JCOL+1)=(1+AT)*XMULT
IF(JCOL.EQ.(MM-1))A(IROW, ICOLR(ITH, 2))=(1+AT)*XMULT
5001 IF(IPRNT.NE.0)WRITE(2, *) (A(IROW, K), K=1, NVAR(ITH)), CODE(IROW),
1 B(IROW)
JCOL=JCOL+1
IF(JROW.LT.MM)GO TO 4003
51 IF(EQ(ITH, 2).EQ.0.) GO TO 52
C *****
C CONTENTS OF RESERVOIR CAN NOT EXCEED CAPACITY OF THE RESERVOIR
C *****
JCOL=0
JROW=0
3 IROW=IROW+1
JROW=JROW+1
B(IROW)=0
CODE(IROW)=0
A(IROW, ICOLR(ITH, 2)+JCOL)=1
A(IROW, ICOLR(ITH, 3))=-1
IF(IPRNT.NE.0)WRITE(2, *) (A(IROW, K), K=1, NVAR(ITH)), CODE(IROW),
1 B(IROW)
JCOL=JCOL+1
IF(JROW.LT.MM) GO TO 3
52 IF(EQ(ITH, 3).EQ.0.) GO TO 53
C *****
C STORAGE AT ANY TIME MUST EXCEED OR EQUAL TO DEAD STORAGE
C *****
JCOL=0
JROW=0
4 IROW=IROW+1
JROW=JROW+1
B(IROW)=YD(ITH)
CODE(IROW)=1
A(IROW, ICOLR(ITH, 2)+JCOL)=1.

```

```

IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH)),CODE(IROW),
1 B(IROW)
JCOL=JCOL+1
IF(JROW.LT.MM)GO TO 4
53 IF(EQ(ITH,4).EQ.0.) GO TO 54
C *****
C STORAGE CAPACITY FOR FLOOD-CONSERVATION PURPOSE
C *****
JCOL=0
JROW=MMFS(ITH)-1
5 JROW=JROW+1
IF(IFLM(ITH,JROW).EQ.-1)GO TO 111
IROW=IROW+1
B(IROW)=0
CODE(IROW)=0
A(IROW,ICOLR(ITH,2)+JROW-1)=1
A(IROW,ICOLR(ITH,5)+JCOL)=-1
IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH)),CODE(IROW),
1 B(IROW)
JCOL=JCOL+1
111 IF(JROW.LT.MMFL(ITH))GO TO 5
54 IF(EQ(ITH,5).EQ.0.) GO TO 55
C *****
C ENERGY GENERATION LIMITED TO TURBINE DISCHARGE
C *****
JCOL=0
JROW=0
6 IROW=IROW+1
JROW=JROW+1
B(IROW)=0
CODE(IROW)=2
A(IROW,ICOLR(ITH,1)+JCOL)=-COEFF*HEAD(ITH,JCOL+1)*EFFCI
A(IROW,ICOLP(ITH,3)+JCOL)=1
IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH)),CODE(IROW),
1 B(IROW)
JCOL=JCOL+1
IF(JROW.LT.MM)GO TO 6
55 IF(EQ(ITH,6).EQ.0.) GO TO 56
C *****
C ENERGY GENERATION LIMITED TO LOAD FACTOR
C *****
JCOL=0
JROW=0
7 IROW=IROW+1
JROW=JROW+1
B(IROW)=0
CODE(IROW)=2
A(IROW,ICOLP(ITH,1))=-ALPHA(ITH,JCOL+1)*TIME(JCOL+1)
A(IROW,ICOLP(ITH,3)+JCOL)=1
IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH)),CODE(IROW),
1 B(IROW)
JCOL=JCOL+1
IF(JROW.LT.MM)GO TO 7
56 IF(EQ(ITH,7).EQ.0.) GO TO 57

```



```

C      *****
C      ADDITIONAL ENERGY
C      *****
      JCOL=0
      JROW=0
8     IROW=IROW+1
      JROW=JROW+1
      B(IROW)=0
      CODE(IROW)=2
      A(IROW,ICOLP(ITH,2))=-XNETA(ITH,JCOL+1)
      A(IROW,ICOLP(ITH,3)+JCOL)=1
      A(IROW,ICOLP(ITH,4)+JCOL)=-1
      IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH)),CODE(IROW),
1     B(IROW)
      JCOL=JCOL+1
      IF(JROW.LT.MM)GO TO 8
C      *****
C      LIMIT ON Q(T),S(T),A(J),Y,DS,I,ETC.
C      *****
57    I3=IROW+1
      IF(ITH.EQ.1)IST=1
      IF(ITH.NE.1)IST=NVAR(ITH-1)+1
      DO 10 J1=IST,NVAR(ITH)
      IF (IAL(ITH,J1).EQ.0) GO TO 10
      IF(IUP(ITH,J1).NE.0) GO TO 14
      IROW=IROW+1
      A(IROW,J1)=1
      B(IROW)=UL(ITH,J1)
      CODE(IROW)=IUP(ITH,J1)
      IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH)),CODE(IROW),
1     B(IROW)
14    IF(ILO(ITH,J1).NE.1) GO TO 15
      IROW=IROW+1
      A(IROW,J1)=1
      B(IROW)=LM(ITH,J1)
      CODE(IROW)=ILO(ITH,J1)
      IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH)),CODE(IROW),
1     B(IROW)
15    IF(IEQ(ITH,J1).NE.2) GO TO 10
      IROW=IROW+1
      A(IROW,J1)=1
      B(IROW)=EQU(ITH,J1)
      CODE(IROW)=IEQ(ITH,J1)
      IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(ITH)),CODE(IROW),
1     B(IROW)
10    CONTINUE
      M=IROW
C      *****
C      DEVELOPMENT OF OBJECTIVE FUNCTION
C      *****
80    IF(ICOLR(ITH,3).NE.0)C(ICOLR(ITH,3))=-(C11(ITH)+OM11(ITH))
      IF(ICOLI(ITH,1).NE.0)C(ICOLI(ITH,1))=A2(ITH)-(C21(ITH)+
1     OM21(ITH))
      IF(NCOLP(ITH).NE.0)C(ICOLP(ITH,1))=-(C31(ITH)+OM31(ITH))

```

```

IF(NCOLP(ITH).NE.0)C(ICOLP(ITH,2))=A3(ITH)
IF(NFLM(ITH).NE.0)C(ICOLR(ITH,3))=C(ICOLR(ITH,3))+(NFLM(ITH)*
1 A4(ITH))
IF(MMFS(ITH).EQ.0)GO TO 102
JCOL=0
DO 21 I=MMFS(ITH),MMFL(ITH)
IF(IFLM(ITH,I).EQ.-1)GO TO 21
C(ICOLR(ITH,5)+JCOL)=-A4(ITH)
JCOL=JCOL+1
21 CONTINUE
102 IF(IPRNT.NE.0)WRITE(2,*)(C(K),K=1,NVAR(ITH))
79 CONTINUE
C *****
C DEFINING M,K,NLET,NGET,NET
C *****
K=NVAR(NRE)
IF(IDSCO.EQ.1)CALL DGNCO(IROW,NRE,IPRNT)
M=IROW
NLET=0
NGET=0
NET=0
DO 40 I1=1,M
IF(CODE(I1).EQ.0)NLET=NLET+1
IF(CODE(I1).EQ.1)NGET=NGET+1
IF(CODE(I1).EQ.2)NET=NET+1
40 CONTINUE
RETURN
END
C *****
C SUBROUTINE DGNCO(IROW,NRE,IPRNT)
C *****
SUBROUTINE DGNCO(IROW,NRE,IPRNT)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION A(1000,2000),B(1000),C(2000),CODE(1000),
1 ICOLI(20,20),ICOLP(20,20),NVAR(20),NCOLP(20)
INTEGER CODE
COMMON/BLK1/A
COMMON/BLK2/B
COMMON/BLK3/C
COMMON/BLK4/CODE
COMMON/BLK5/ICOLI,ICOLP,NCOLP,NVAR
READ(1,*)IRDC,IPDC
IF(IPRNT1.NE.0.)WRITE(2,*)IRDC,IPDC
IF(IRDC.EQ.1)READ(1,*)TIRRI
IF(IRDC.EQ.1.AND.IPRNT.NE.0.)WRITE(2,*)TIRRI
IF(IPDC.EQ.1)READ(1,*)THPRE
IF(IPDC.EQ.1.AND.IPRNT.NE.0.)WRITE(2,*)THPRE
IF(IRDC.NE.1)GO TO 3
IROW=IROW+1
CODE(IROW)=1
B(IROW)=TIRRI
DO 1 ITH=1,NRE
IF(ICOLI(ITH,1).EQ.0)GO TO 1
A(IROW,ICOLI(ITH,1))=1
1 CONTINUE

```



```

IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(NRE)),CODE(IROW),
1 B(IROW)
3 IF(IPDC.NE.1)GO TO 4
IROW=IROW+1
CODE(IROW)=1
B(IROW)=THPRE
DO 2 ITH=1,NRE
IF(NCOLP(ITH).EQ.0)GO TO 2
A(IROW,ICOLP(ITH,1))=1
2 CONTINUE
IF(IPRNT.NE.0)WRITE(2,*)(A(IROW,K),K=1,NVAR(NRE)),CODE(IROW),
1 B(IROW)
4 RETURN
C END
*****

```



APPENDIX 6.II**Sample Input Data for INDMAG Package for
Single Purpose Irrigation Reservoir**

In order to explain the flexibility in the input data for **INDMAG** computer package on linear programming, a sample input data for single purpose irrigation reservoir is given below.

6.II.1 Matrices [A], [B], and [C] in Detached coefficient Form:

The coefficients of the matrices [A], [B], and [C] for a single purpose irrigation reservoir are given in Table 6.II.1

6.II.2 A Sample Input Data for INDMAG PACKAGE:

The sample input data for the computer package, INDMAG, on linear programming for the problem in para 6.II.1 are given in Annexure 6.II.A.

Table 6.II.1 Coefficient of the Matrices [A], [B], and [C] for Irrigation Reservoir With two Time Periods.

COL. NO.	1	2	3	4	5	6	7	8	9	10		
VAR.	$O_{1,1}$	$O_{1,2}$	$S_{1,0}$	$S_{1,1}$	Y_1	$Sp_{1,1}$	$Sp_{1,2}$	$O_{1,1}^0$	$O_{1,2}^0$	I_{r1}	SIGN [CODE]	RHS [B]
CIN	$C_{1,1}^R$		$C_{1,2}^R$		$C_{1,3}^R$	$C_{1,4}^R$		$C_{1,6}^R$		$C_{1,1}^I$		
VCIN	1		3		5	6		8		10		
Equations	Coefficient Matrix [A]											
6-4-1-1	1	0	$-b_{1,1}$	$d_{1,1}$	0	0	0	0	0	0	=	$X_{1,1}$
6-4-1-2	0	1	$d_{1,2}$	$-b_{1,2}$	0	0	0	0	0	0	=	$X_{1,2}$
6-7-1-1	0	0	1	0	-1	0	0	0	0	0	<	0
6-7-1-2	0	0	0	1	-1	0	0	0	0	0	<	0
6-8-1-1	0	0	1	0	0	0	0	0	0	0	>	Y_{d1}
6-8-1-2	0	0	0	1	0	0	0	0	0	0	>	Y_{d1}
6-19-1-1	0	0	0	0	0	0	0	-1	0	$K_{1,1}$	<	$I_{1,1}$
6-19-1-2	0	0	0	0	0	0	0	0	-1	$K_{1,2}$	<	$I_{1,2}$
6-21-1-1	1	0	0	0	0	-1	0	-1	0	0	=	0
6-21-1-2	0	1	0	0	0	0	-1	0	-1	0	=	0
	Coefficient Matrix [C]											
6-26	0	0	0	0	M_1	0	0	0	0	V_1		

CIN = Column Index Number, VCIN = Value of CIN, SIGN represents CODE, M = Number of constraint equations in Matrix [A], and K = Total of Variables. Here, M = 10 and K = 10.

Note : All the parameters, $b_{1,t}$, $d_{1,t}$, $X_{1,t}$, M_1 and V_1 in the Matrices [A], [B] and [C] are known quantities and are computed from the Basic Input Data by the Computer Program, INDMAG PACKAGE.

ANNEXURE 6.II.A

Sample Input Data File for Single Purpose Irrigation Reservoir for INDMAG PACKAGE.

Input Parameter/Variable Read Statment	Input Parameter/Variable Data to be Given
IGEN	1
IPRNT1	0
NTYPE NOPT	1 0
NRE	1
MM	2
SITNA	KARUN-1
SITNO	SITE-4
IRENO	1
NOS	0
NSURC	-
NFLM	0
IFLM	-
MMFS	-
FLOW	1530 533
FLOW1	2*0
FLOW2	2*0
P	2*0
WS	2*0
NVAR	10
ITIMI	1
NCOLR NCOLI NCOLP	6 1 0
ICOLR	1 3 5 6 0 8
ICOLI	10
ICOLP	-
XK1	0.78 0.22
XK3	.156 .044
IRP	1
IRFMI	1
LRFMI	0
QSFMI	0
IRJP	-
YD	1280
XNETA	-
COEFF EFFCI	-
ALPHA	-
HEAD	-
TIME	-
C11 OM11	17.85 1.95
A2 C21 OM21	10 4.31 0.93
A3 C31 OM31	-
A4	-
A0 AA	30 0.01
ET	0.3 .013
ISAL	-1
NVAAL	-
IUP ILO IEQ	-
UL LM EQU	-
EQ	1 1 1 0 0 0 0
G	0
IBAR	0
IPRNT	0
IDSCO	-
RDC IPDC	-
TIRRI	-
THRE	-

APPENDIX 6. III**Sample Input Data for (INDMAG, MPS, and LINGO)
Packages for Single Purpose Hydropower Reservoir**

In order to explain the flexibility in the input data for INDMAG computer package and its comparison with other standard computer packages on linear programming, i.e., MPS, LINGO a sample input data for each of the above techniques for a single purpose hydropower reservoir are given below.

6.III.1 Matrices [A], [B], and [C] in Detached Coefficient Form :

The coefficients of the matrices [A], [B], and [C] for a single purpose hydropower reservoir are given in Table 6.III.1.

6.III.2 A Sample Input Data for INDMAG PACKAGE :

The sample input data for the computer package, INDMAG, on linear programming for the problem in para 6.III.1 are given in Annexure 6.III.A.

6.III.3 A Sample Input Data for MPS :

The sample input data for the computer package, MPS, on linear programming for the problem in para 6.III.1 are given in Annexure 6.III.B.

6.III.4 A Sample Input Data for LINGO :

The sample input data for the computer package, LINGO, on linear programming for the problem in para 6.III.1 are given in Annexure 6.III.C.

Table B.III.1 Coefficients of the Matrices [A],[B],and [C] for Hydropower Reservoir With Two Time Periods

COL. NO.	1	2	3	4	5	6	7	8	9	10	11		
VAR.	$O_{1,1}$	$O_{1,2}$	$S_{1,0}$	$S_{1,1}$	Y_1	H_1	E_1	$E_{1,1}^T$	$E_{1,2}^T$	$\bar{E}_{1,1}$	$\bar{E}_{1,2}$	SIGN	RHS [B]
COLUMNS	O11	O12	S10	S11	Y1	H1	E1	ET11	ET12	EB11	EB12		
CIN	$C_{1,1}^R$		$C_{1,2}^R$		$C_{1,3}^R$	$C_{1,1}^P$	$C_{1,2}^P$	$C_{1,3}^P$		$C_{1,4}^P$			
VCIN	1		3		5	6	7	8		10			

ROWS	Equations	Coefficient Matrix [A]													
RC6411	6-4-1-1	1	0	$-b_{1,1}$	$d_{1,1}$	0	0	0	0	0	0	0	0	=	$X_{1,1}$
RC6412	6-4-1-2	0	1	$d_{1,2}$	$b_{1,2}$	0	0	0	0	0	0	0	0	=	$X_{1,2}$
RC7111	6-7-1-1	0	0	1	0	-1	0	0	0	0	0	0	0	<	0
RC6712	6-7-1-2	0	0	0	1	-1	0	0	0	0	0	0	0	<	0
RC6811	6-8-1-1	0	0	1	0	0	0	0	0	0	0	0	0	>	Yd_1
RC6812	6-8-1-2	0	0	0	1	0	0	0	0	0	0	0	0	>	Yd_1
HC62311	6-23-1-1	$-R_{1,1}$	0	0	0	0	0	0	1	0	0	0	0	=	0
HC62312	6-23-1-2	0	$-R_{1,2}$	0	0	0	0	0	0	1	0	0	0	=	0
HC62411	6-24-1-1	0	0	0	0	0	$-T_{1,1}$	0	1	0	0	0	0	=	0
HC62412	6-24-1-2	0	0	0	0	0	$-T_{1,2}$	0	0	1	0	0	0	=	0
HC62511	6-25-1-1	0	0	0	0	0	0	$-n_{1,1}$	1	0	-1	0	0	=	0
HC62512	6-25-1-2	0	0	0	0	0	0	$-n_{1,2}$	0	1	0	-1	0	=	0
		Coefficient Matrix [C]													
OBJ626	6-26	0	0	0	0	M_1	$-Z_1$	$a_{3,1}$	0	0	0	0	0		

CIN = Column Index Number , VCIN = Value of CIN,RHS represents CODE,
M=Number of constraint equations in Matrix[A],and K=total Number of Variables.
Here ,M =12 , & K =11
Note : All the parameters , $b_{1,t}$, $d_{1,t}$, $X_{1,t}$, $R_{1,t}$, $T_{1,t}$, M_1 ,and Z_1 in the Matrices [A],[B],and [C] are known quantities and are computed from the Basic Input Data by the computer programme,INDMAG.
[Also put, $R11=R_{1,1}$, $R12 =R_{1,2}$, $b11 =b_{1,1}$, $b12 =,d11=d_{1,1}$, $d12 = d_{1,2}$, , $T11=T_{1,1}$, $T12 =T_{1,2}$,
 $n11 = n_{1,1}$, $n12 = n_{1,2}$, $X11 = X_{1,1}$, $X12=X_{1,2}$, $Yd1=Yd_1$, $M1=M_1$, $Z1=Z_1$,and , $A31=A_{3,1}$]

ANNEXURE 6.III.A

Sample Input Data File for Single Purpose Hydropower Reservoir for INDMAG PACKAGE.

Input Parameter/Variable Read Statement	Input Parameter/Variable Data to be Given
IGEN	1
IPRNT1	0
NTYPE NOPT	1 0
NRE	1
MM	2
SITNA	KARUN-3
SITNO	SITE-2
IRENO	1
NOS	0
NSURC	-
NFLM	0
IFLM	-
MMFS	-
FLOW1	1152.2 393.4
FLOW1	2*0
FLOW2	2*0
P	2*0
WS	2*0
NVAR	11
ITIMI	-1
NCOLR NCOLI NCOLP	3 0 4
ICOLR	1 3 5
ICOLI	-
ICOLP	6 7 8 10
XK1	-
XK3	-
IRP	-1
IRFMI	-1
LRFMI	-
QSFMI	-
IRJP	-
YD	1280
XNETA	0.506 0.494
COEFF EFFCI	2.6 0.885
ALPHA	0.64 0.61
HEAD	2*160
TIME	2*720
C11 OM11	148 16.1
A2 C21 OM21	-
A3 C31 OM31	0.25 57.3 31.5
A4	-
A0 AA	30 0.01
ET	0.21 0.09
ISAL	-1
NVAAL	-
IUP ILO IEQ	-
UL LM EQU	-
EQ	1 1 1 0 1 1 1
G	0
IBAR	0
IPRNT	0
IDSCO	-
IRDC IPDC	-
TIRRI	-
THRE	-

ANNEXURE 6.III.B

Sample Input Data File for MPS computer Package on Linear Programming

The input data feeding for the linear programming model for a single purpose hydropower reservoir, using standard programme called MPS (Mathematical Programming System) available with IBM 360 computer is described below:

Each data of the non-zero coefficients of the constraint equations should start from the columns specified for it. These columns fields specified are 1-2, 5-14, 15-24, 25-39, 40-49, and 50-64 on the computer terminal screen.

6.III.B.1 Input Data for Rows (Constraint Equation Row Name)

 1-2 5-14

ROWS

N OBJ626
 E RC6411
 E RC6412
 L RC6711
 L RC6712
 G RC6811
 G RC6812
 L RC61811
 L RC61812
 E HC62311
 E HC62312
 E HC62411
 E HC62412
 E HC62511
 E HC62512

Note:

- N is for objective function
- G is for \geq sign constraint equation
- L is for \leq sign constraint equation
- E is for $=$ sign constraint equation

6.III.B.2 Input Data for COLUMNS-Only Nonzero Coefficients of Matrices [A] & [C] are to be Given as Data

1-2	5-14	15-24	25-39	40-49	50-64
-----	------	-------	-------	-------	-------

COLUMNS

O11	RC6411	1.0		HC62311	-R11
O12	RC6412	1.0		HC62312	-R12
S10	RC6411	-b11		RC6412	d11
S10	RC6711	1.0		RC6811	1.0
S10	RC61812	1.0			
S11	RC6411	d11		RC6412	-b12
S11	RC6712	1.0		RC6812	1.0
Y1	RC6711	-1.0		OBJ626	M1
YMAX11	RC61811	-1.0		OBJ626	-A41
H1	HC62411	-T11		HC62412	-T12
H1	OBJ626	-Z1			
E1	HC62511	- η 11		HC62512	- η 12
E1	OBJ626	A31			
ET11	HC62311	1.0		HC62411	1.0
ET11	HC62511	1.0			
ET12	HC62312	1.0		HC62412	1.0
ET12	HC62512	1.0			
EB11	HC62511	-1.0			
EB12	HC62512	-1.0			

6.III.B.3 Input Data for RHS -Only Nonzero Coefficients of Matrix [B] are to be Given as Data

1-2	5-14	15-24	25-39
-----	------	-------	-------

RHS

RHS1	RC6411	X11
RHS1	RC6412	X12
RHS1	RC6811	Yd1
RHS1	RC6812	Yd1

ENDATA

ANNEXURE 6.III.C

Sample Input Data File for LINGO Computer Package on Linear Programming

MODEL :

$$1] \text{ MAX} = M1 * Y1 - A41 * YMAX11 - Z * H1 + A31 * E1$$

$$2] O11 - b11 * S10 + d11 * S11 = X11;$$

$$3] O12 + d12 * S10 - b12 * S11 = X12;$$

$$4] S10 - Y1 < 0. ;$$

$$5] S11 - Y1 < 0. ;$$

$$6] S10 > Yd1 ;$$

$$7] S11 > Yd1 ;$$

$$8] -R11 * O11 + ET11 = 0. ;$$

$$9] -R12 * O12 + ET12 = 0. ;$$

$$10] -T11 * H1 + ET11 = 0. ;$$

$$11] -T12 * H1 + ET12 = 0. ;$$

$$12] -\eta_{11} * E1 + ET11 - EB11 = 0. ;$$

$$13] -\eta_{12} * E1 + ET12 - EB12 = 0. ;$$

END

APPENDIX 6.IV**Sample Input Data for INDMAG PACKAGE for
Two Hydropower Reservoirs in Series**

In order to explain the flexibility in the input data for INDMAG computer package on linear programming, a sample input data for two reservoirs in series is given below.

6.IV.1 Matrices [A], [B], and [C] in Detached Coefficient Form:

The coefficients of the matrices [A], [B], and [C] for two hydropower reservoirs in series is given in Table 6.IV.1.

6.II.2 A Sample Input Data for INDMAG PACKAGE:

The sample input data for the computer package, INDMAG, on linear programming for the problem in para 6.IV.1 are given in Annexure 6.IV.A.

Table 6.IV.1: Coefficients of the Matrices [A], [B], and [C] for Two Hydropower Reservoirs In Series With Two Time Periods

CO NO.	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22			
VAR.	$O_{1,1}$	$O_{1,2}$	$S_{1,0}$	$S_{1,1}$	Y_1	H_1	E_1	$E_{1,1}^T$	$E_{1,2}^T$	$E_{1,1}$	$E_{1,2}$	$O_{2,1}$	$O_{2,2}$	$S_{2,0}$	$S_{2,1}$	Y_2	H_2	E_2	$E_{2,1}^T$	$E_{2,2}^T$	$E_{2,1}$	$E_{2,2}$	SIGN RHS [B]		
CIN	$C_{1,1}^R$	$C_{1,2}^R$	$C_{1,3}^R$	$C_{1,1}^P$	$C_{1,2}^P$	$C_{1,3}^P$	$C_{1,4}^P$					$C_{2,1}^R$	$C_{2,2}^R$	$C_{2,3}^R$	$C_{2,1}^P$	$C_{2,2}^P$	$C_{2,3}^P$				$C_{2,4}^P$				
VCIN	1	3	5	6	7	8	10	12	14	16	17	18	19	21											
Eq'	Coefficient Matrix [A]																								
6-4-1-1	1	0	$-b_{1,1}$	$d_{1,1}$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	$X_{1,1}$	
6-4-1-2	0	1	$d_{1,2}$	$b_{1,2}$	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	$X_{1,2}$
6-7-1-1	0	0	1	0	-1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	$X_{1,2}$
6-7-1-2	0	0	0	1	-1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	0
6-8-1-1	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	0
6-8-1-2	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	Y_{d1}
6-23-1-1	$-R_{1,1}$	0	0	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	Y_{d1}
6-23-1-2	0	$-R_{1,2}$	0	0	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	0
6-24-1-1	0	0	0	0	0	$-T_{1,1}$	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	0
6-24-1-2	0	0	0	0	0	$-T_{1,2}$	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	=	0
6-25-1-1	0	0	0	0	0	0	$-n_{1,1}$	1	0	-1	0	0	0	0	0	0	0	0	0	0	0	0	0	=	0
6-25-1-2	0	0	0	0	0	0	$-n_{1,2}$	0	1	0	-1	0	0	0	0	0	0	0	0	0	0	0	0	=	0
6-4-2-1	-1	0	0	0	0	0	0	0	0	0	0	1	0	$-b_{2,1}$	$d_{2,1}$	0	0	0	0	0	0	0	0	=	0
6-4-2-2	0	-1	0	0	0	0	0	0	0	0	0	0	1	$d_{2,2}$	$b_{2,2}$	0	0	0	0	0	0	0	0	=	$X_{2,1}$
6-7-2-1	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	-1	0	0	0	0	0	0	0	=	$X_{2,2}$
6-7-2-2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	-1	0	0	0	0	0	0	0	=	0
6-8-2-1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0	0	0	0	0	0	0	=	0
6-8-2-2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0	0	0	0	0	0	=	Y_{d2}
6-23-2-1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0	0	0	0	0	0	0	=	Y_{d2}
6-23-2-2	0	0	0	0	0	0	0	0	0	0	0	0	0	$-R_{2,1}$	0	0	0	0	0	1	0	0	0	=	0
6-24-2-1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0	=	0
6-24-2-2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	$-T_{2,1}$	0	1	0	0	0	0	=	0
6-25-2-1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	$-T_{2,2}$	0	0	1	0	0	0	=	0
6-25-2-2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	$-n_{2,1}$	1	0	-1	0	0	=	0
																		$-n_{2,2}$	0	1	0	-1	0	=	0
6-26	0	0	0	0	M_1	$-Z_1$	$a_{3,1}$	0	0	0	0	0	0	0	0	M_2	$-Z_2$	$a_{3,2}$	0	0	0	0	0		
	Coefficient Matrix [C]																								

CIN = Column Index Number, VCIN = Value of CIN, RHS represents CODE, M=Number of constraint equations in Matrix[A], and K=total Number of Variables. Here, M =24, & K =22

Note: All the parameters, $b_{1,t}, b_{2,t}, d_{1,t}, d_{2,t}, X_{1,t}, X_{2,t}, T_{1,t}, T_{2,t}, M_1, M_2, Z_1,$ and Z_2 in the Matrices [A], [B], and [C] are known quantities and are computed from the Basic Input Data by the computer programme, INDMAG PACKAGE.

ANNEXURE 6.IV.A

Sample Input Data File for Two Hydropower Reservoirs in Series for INDMAG PACKAGE.

Input Parameter/Variable Read Statement	Input Parameter/Variable Data to be Given
IGEN	1
IPRNT1	0
NTYPE NOPT	1 0
NRE	1
MM	2
SITNA	KARUN-4
SITNO	SITE-1
IRENO	1
NOS	0
NSURC	-
NFLM	0
IFLM	-
MMFS	-
FLOW	571 342
FLOW1	2*0
FLOW2	2*0
P	2*0
WS	2*0
NVAR	11
ITHMI	-1
NCOLR NCOLI NCOLP	3 0 4
ICOLR	1 3 5
ICOLI	-
ICOLP	6 7 8 10
XK1	-
XK3	-
IRP	-1
IRFMI	-1
LRFMI	-
QSFMI	-
IRJP	-
YD	1176
XNETA	0.506 0.494
COEFF EFFCI	2.6 0.885
ALPHA	0.64 0.61
HEAD	2*150
TIME	2*720
C11 OM11	147.4 16
A2 C21 OM21	-
A3 C31 OM31	.55 122.5 66.7
A4	-
A0 AA	10 0.009
ET	0.30 0.09
ISAL	-1
NVAAL	-
IUP ILO IEQ	-
UL LM EQU	-
EQ	1 1 1 0 1 1 1
G	0
IBAR	0
SITNA	KARUN-3
SITNO	SITE-2

IRENO	2
NOS	1
NSURC	1
NFLM	0
IFLM	-
MMFS	-
FLOW	366 270
FLOW1	2*0
FLOW2	2*0
P	2*0
WS	2*0
NVAR	22
ITHMI	-1
NCOLR NCOLI NCOLP	3 0 4
ICOLR	12 14 16
ICOLI	-
ICOLP	17 18 19 21
XK1	-
XK3	-
IRP	-1
IRFMI	-1
LRFMI	-
QSFMI	-
IRJP	-
YD	930
XNETA	.506 .494
COEFF EFFCI	2.6 0.885
ALPHA	0.64 0.61
HEAD	2*160
TIME	2*720
C11 OM11	148 16.1
A2 C21 OM21	-
A3 C31 OM31	.45 57.8 31.5
A4	-
A0 AA	30 0.103
ET	0.25 0.07
ISAL	-1
NVAAL	-
IUP ILO IEQ	-
UL LM EQU	-
EQ	1 1 1 0 1 1 1
G	0
IBAR	0
IPRNT	0
IDSCO	-
IRDC IPDC	-
TIRRI	-
THRE	-