DYNAMIC SIMULATION OF POWER SYSTEM

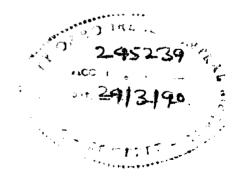
A DISSERTATION

submitted in partial fulfilment of the requirements for the award of the degree of MASTER OF ENGINEERING in ELECTRICAL ENGINEERING

By

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CANDIDATE'S DECLARATION

I, hereby declare that the work which is being presented in the dissertation entitled, <u>Dynamic simulation</u> of power system, in partial fulfilment of the requirements for the award of the degree of Master of Engineering in Electrical Engineering with specialisation in SYSTEM ENGINEERING AND OPERATIONS RESEARCH, submitted in the Department of Electrical Engineering, University of Roorkee, Roorkee, is a record of my own work carried out for a period of eight months from September 1988 to April 1989, under the supervision of Dr. J.D. SHARMA, Professor, Department of Electrical Engineering, University of Roorkee.

The matter embodied in this dissertation has not been submitted by me for the award of any other degree or diploma.

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DATED:15/6/89

This is to certify that the above statement made by the candidate is correct to the best of my knowledge.

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ACKNOWLEDGEMENT

Before proceeding any further, I wish to express my indebtedness and obligation to Dr. J.D.SHARMA. Without his guidance, it would have been impossible to bring this thesis work to fruition. I am deeply thankful to him for the immense help and cooperation that he extended towards completion of this work.

like so many others, I get by with a little help from my friends. They, as always, were there whenever I needed them.

This thesis report was typed so well by Mr. D.C. Bhardwaj. I thank him for doing it in such a short period.

NILADRI CHOWDHURY

ABS TRAC T

A power system simulator is a simulation package for electrical generation, transmission and distri bution systems. The software provides an environment for the development and testing of on-line analysis and control algorithms, and also has potential for application in operator training. Dynamic and alge braic models of power system elements are described. Numerical techniques are used which helps in obtai ning solutions with acceptable accuracy for medium sized networks using micro computer hardware.

The stability of the system under emergency conditions are observed and recorded. A power system example taken comprising of 93 buses has been considered for this purpose. The software has been written in the FORTRAN language.

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CHAPTER - 1

IN TRODUC TION

The study of power system dynamics forms one of the oldest and most important applications of simulation. Power systems cannot be designed or operated without the help of some kind of simulation and the simulation problem itself is challenging. The power system components are too expensive to allow any experimentation on the system which could conceivably cause damage. Any experiment which causes a generator or a transmission line to be taken out of service even temporarily can be very expensive. Since it is not feasible to experiment on the system, the most practical alternative is to simulate, even though the system is nonlinear and involves differential equation of higher order.

Initially hand calculations were performed to obtain the numerical solutions of the power system dynamic equations. Later an elaborate form of Analog computer called a network analyzer was developed. But all these proved to be tedious and difficult to maintain and handle. Then with the advent of digital computer, simulation of power systems were conducted on it. This proved to be very helpful and was highly successful.

A real time power system simulation can be used to provide a test bed for energy management software, and to provide a realistic operator training environment. If sufficient computational resources are available a simulation may also be initiated as part of an online security assessment facility. Interest in on line simulation has increased in recent years and has attempted to consider the complete power system rather than individual elements. Two fundamental approaches to the problem have been adopted.

- (a) Using a low flow technique to solve the network equations and to evaluate the nodal voltages which in turn are used in solving the network dynamic equations.
- (b) Solving the network dynamic equations simultaneously and in conjunction with the network algebraic equations.

The former method can be faster, but it is less accurate especially for the allocation of power demands to generators. It also introduces problems if network Islanding is to be considered because the load flow algorithm is not independent of the network reference node. The latter method is numerically more stable, robust and inherently capable of handling islanding and fault analysis. The simulation technique incorporated in the thesis is based on the second approach for a number of reasons.

(i) the simulator is numerically more stable and accurate,
(ii) there is a tight time coupling between the network algebraic and dynamic equations.

The thesis presents the detailed mathematical modelling of the system components together with a suitable numerical technique for the solution of the equations.

1.1 OVERVIEW OF POWER SYSTEM DYNAMICS

A power system never operates at a point of true steady state and thus is always characterized by dynamic behaviour. Whenever a disturbing event occurs on a power system, there is nearly instantaneous change in the state of the electric and magnetic fields of the system followed in seconds and minutes by the longer term electromechanical response of the rotating elements of the generator source and loads. But here short term responses are the subject of interests.

1.2 CLASSES OF POWER SYSTEM SIMULATION

There are three primary types of power system simulations: long term simulation, medium - term and short term simulations. These types of simulations are distinguished by the time frames of interest. For example, the models used for short term simulation are assembled using the following assumptions.

 (i) Any variable which does not noticeably respond to simulation within 100 seconds is considered to be constant.

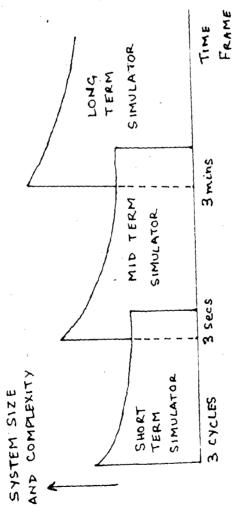


FIG.1 THE DOMAIN OF APPLICATION OF POWER SYSTEM SIMULATION METHODS

(ii) The duration of the simulation is limited to about 100 secs or less. Short term simulators are used to study high speed transients, and long term simulators are used to study slower phenomena. The cost of operation of a simulation program imposes some practical limits on the complexity of the system which can be simulated. Fig. [1] exhibits the limitations of complexity and duration of the simulation which are imposed on these three types of simulations by limiting the computer cost to about \$ 500 per run. The complexity is measured in terms of the number of buses (nodes) in the network.

There are of course, many other factors which influence complexity such as the number of generators, the level of detail used in modelling of subsystem etc.

Long term power system simulations are used to study the slowest phenomena of power systems. The devices which contribute significantly to the dynamic response of the system during this long time frame are the automatic control of the generation system, the boilers and the boiler controls. During the long-term simulations the oscillations of the rotor are not included in detail. Consequently the step by step integration of the differential equations of the rotors is not used to determine the level of electric power delivered at any time instant. The power level for

each generator is established by the governor set point and the state of the boiler. This allows the time step between network solutions to be as long as one second.

Short term power system simulations are the most highly developed and the most frequently used class of of power system simulations. The boiler or other prime energy source for the generators is assumed to have enough stored energy available so that long time constants (such as thermal time constants of steam boilers) do not have time to play a role in the dynamics. The dominant dynamic phenomena being simulated involve the mechanical dynamics of the combined generator and turbine rotor and the dynamics of the field or excitation control system of the generator. The rotor dynamics include the effect of the governor and the dynamics of the turbine. The excitation controls are designed for high speed regulation of voltage magnitude, but they frequently have auxilliary inputs (such as rotor velocity) which are used to produce variations that will damper rotor oscillations.

1.3 SCOPE OF WORK

In this thesis out of the three classes of Power System Simulation, short term power system simulation has been developed. The designed power system simulator consists

of the models of the power system components like generating units, loads, lines, transformers and protective relays. The generating unit consists of the generator, exciter and turbine governor system. Three types of generator models has been considered. Analog computer representation has been used to write suitable programs of the generator models, exciter models and governor turbine models. All these models along with their block diagrams has been described in the later chapters. Five classes of exciter models and three types of turbine governor system has been considered. All these model types can be brought into use in the program whenever required. An effective numerical technique for the solution of the various algebraic and differential equations has been used.

A distance, 19ss of excitation, under voltage protective relay schemes has been incorporated. A detailed relay representation has been given in the next chapter. The effect of the various faults, loss of excitation and loss of generation on the system is studied by the help of this simulator.

1.4 <u>II TERATURE REVIEW</u>

In IEEE committee report [1], the nomenclature and control system representation of the various excitation systems now available have been described. It has defined input data requirements for computer programs and provides a consistent format in which manufacturers can respond to requests for excitation system data to be used for system studies.

In IEEE committee report [2] the basic models for speed governing systems and turbines in power system stability studies have been described. Here the steam turbine and the hydro turbine models have been described in great detail keeping in view of their importance in power system simulation for stability studies.

D.D.Gel@pulos and G.Iddings's paper [3] on the major simulation errors of on line simulations emphasizes the importance of interface errors in power system simulations. These tend to dominate the other solution errors. They do not recommend the deletion of many sub-systems for on-line simulation. They triedto find out the areas where the computational task may be reduced without sacrificing accuracy of power system simulation. In one of their other paper [4] they described the several types of simulations used in power system. The mathematical recuirements for carrying out simplified short term power system

simulation are described in detail. The paper also suggests several techniques for improving the efficiency of digital programs for this kind of simulation. Some of the techniques for the improvement of computational efficiency of simulation programs described in this paper are network reduction and parallel processing.

M.Rafian's treatise [5] on real time power system simulation describes the theoretical basis and application of a simulation package for electric generation, transmission and distribution systems. The result obtained by him shows that the simulator can be used to provide a test bed for energy management software. The simulator is also useful for operator training.

G.Z.Ben Yaacov in his paper [6] describes the data base approach to power system analysis studies. The practical use of a central data base management system, together with a library of application programs and an interactive computing environment contributed significantly to the power system planning process in which individual engineers can work effeciently and interact among themselves using common data and analysis tools.

R.D.Dunlop and D.N.Ewart in their paper [7] describes the uses of a digital computer program developed to simulate the long term dynamics of bulk power systems. The paper describes the simulation of an evolving disturbance of a

hypothetical power system using both a conventional short term simulation and new long term simulation program.

A Keyhani's paper [8] describes a power system simulator based on modular structure. The simulator modules are defined as mathematical operators which permit it to perform computation much like a calculator does. Applications of the simulator in identification of low frequency rotor oscillations and solution of fast decoupled load flow problems are presented.

R.Podmore and J.P.Britton's paper [9] describes a dispatcher training simulator which provides a realistic environment for system dispatchers to practice operating tasks and experience emergency operating conditions. Normal operating activities such as load following, voltage control and transmission dispatch can be practised easily. Apart from all this the simulator allows the operator to practice and observe procedures for abnormal conditions.

D.L.Elder in his paper [10] describes a method capable of simulating, interactively and in real time the dynamic behaviour of power system under emergency conditions. The modelling approach adopted is characterized by an interfacing scheme in which each unit is connected to the transmission network via an explicit generator model, with its own rotor angle and speed. Execution time has been minimised by simplifying the model in ways which are expected to be acceptable in the content of interactive training.

D.Gelopulos and G.Idding's paper [14] discusses a novel point of view from which a qualitative comparative analysis of integration algorithms may be performed. In addition to comparing the effectiveness of integration algorithms, the manner in which the structure of the simulafed system is deformed by the various integration procedures is also discussed. This has two advantages, one advantage is that improved integration procedures may be synthesized and tailored for specific systems by the evaluation of counterfeit systems. A second advantage is that errors due to the integration algorithm are exhibited in the form of modified parameters which facilitates a comparison of the algorithm errors with the uncertainity concerning model parameter values.

CHAPTER - 2

MATHEMATICAL MODELLING

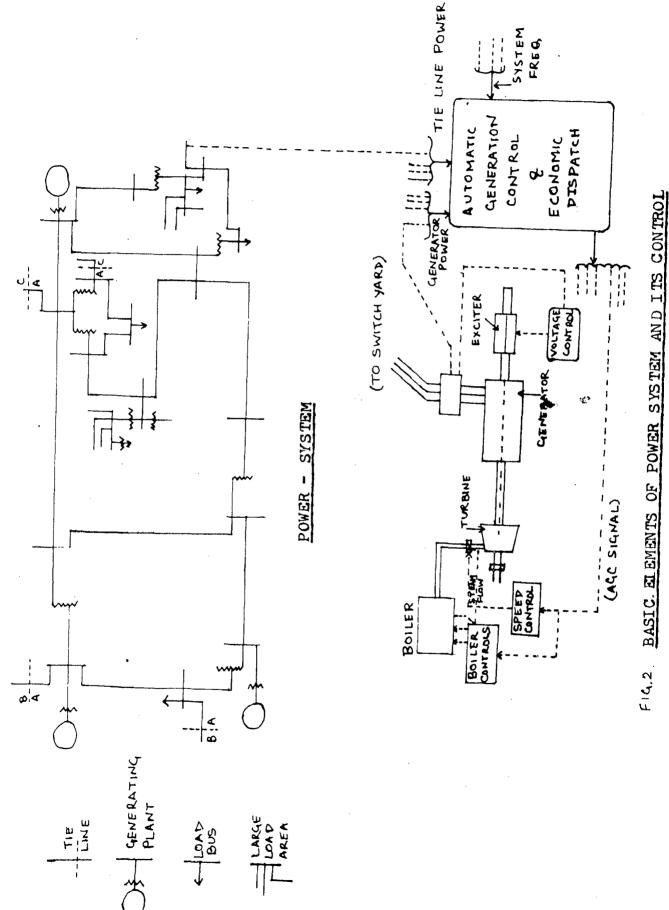
For modelling purpose a control system block diagram is considered. This block diagram representation is converted into analog computer representation for developing mathematical model to be used in the simulation.

There are several advantages of this model over the mathematical approach such as the state space one. They are as follows -

- (i) The analog computer formulation requires a minimal amount of manipulation on the original model.
- (ii) Solution is obtained as a function of variableswith a physical meaning.
- (iii) The model variables are easily available for operations such as saturations, and data output.
- (iv) Changes are isolated in an analog computer model hence this can be very easily incorporated in the program.
- (v) Complex operations such as non linear function generation, time delays and variable differentiation can be easily included.
- (vi) The program development becomes very easy due to the simplicity of the approach.

On the analog model of machine and controller units, the integrator outputs correspond to the state variables and the inputs are the time derivatives of the state variables. The time derivative of the state variables are calculated from the known values of the state variables. The proce dure for modelling is described below -

- (i) An analog model is drawn.
- (11) The variables at integrator outputs are named. The variables should be named systematically so that the relationship between the variables are obvious.
- (iii) Expression for the initial values of the integrator outputs are obtained by taking the integrator inputs zero, during the steady state.
- (iv) The subroutine for the machine and controller models consists of two sections. One calculates the initial conditions of the state variables and controller set points prior to the simulation and the other calculates the time derivatives of the state variables at each integration step. The statements for calculating the time derivatives of the state variables are generated to execute the following steps.
 - I. Definition of variables at integrator outputs.
 - II. Calculation of variables at intermediate points in analog diagram.
 - III. Calculation of net integrator inputs.



2.1 ELEMENTS OF SYSTEM DYNAMIC BEHAVIOUR

The power system which relate to system dynamic performance are illustrated in the functional block diagram of Fig. (2). The generation control area may be either a single system or a pool consisting of several power systems operating under mutually beneficial contractual arrangements. The control area consists of geographical area with boundaries usually along corporate lines within which generation is continuously controlled to meet loads plus or minus any scheduled net interchange across the boundaries. The major elements of the power system are the generation sources, the loads, and the transmission network which interconnects them.

The generation sources consists of few large synchronous generators, are driven by hydro, gas, or steam prime movers and are closely coupled electrically through the transmission network.

The total system load is made up of elements of varying size and widely dispersed throughout the network. The individual loads are not under the direct control of the service utility, but follow seasonal, weekly and daily cycles as influenced by weather and other factors. The manner in which loads respond to changes in system voltage and frequency is important in gaining an understanding of

power system dynamic behaviour. The influence of the loads on system dynamic performance is very dependent on the nature and location of the disturbance. In many cases the behaviour of the apparant composite load as supplied by the high voltage network is the most im portant consideration in viewing power system dynamics.

In providing the connection between the generating sources and the loads the transmission system determines the character of system dynamic performance. Since all generating sources are electrically coupled together through the common transmission network, dynamic interaction between individual generators and between the generators and the loads is very dependent on the nature of the transmission network and its control.

Since most power system loads are composed of equipment which is designed to utilize the energy at a given voltage and frequency, the power system is designed to supply the energy subject to constraints on the variation of voltage and frequency. Feedback control is important in meeting this objective. The effectiveness of the various control system in bringing about the desired performance is subject to such factors as limits on the maximum change or rate of change which the controlled units can tolerate and the inherent dynamic characteristics of the controlled units.

The feedback control function can be divided into primary and secondary control. Primary controls are feedback control loops which initiate action at the local generating unit based on local measurements. The most important of these in system dynamic consideration are the voltage control. the speed control and the boiler control.

System voltage control at the generator sources, at the loads is achieved through power factor correction, and at the intermediate points in the supply system by means such as fixed and switched capacitors, synchronous conden sers, shunt reactors and transformers with variable voltage ratio (tap changing) under load. The coupling of synchronous machines through the transmission network creates many lightly damped resonant modes where frequency ranges from about 0.2 Hz to 3 Hz. The ability of a generator to ride through network disturbance, such as short circuits and line switching is dependent to a degree on voltage regulator and exciter response characteristics.

The speed control system adjusts flow into the turbine in response to changes is shuft speed. Since operation on a large interconnected network maintains all gene rating units at the same average electrical speed, the individual speed control systems do not actually control speed, but rather the power with which turbine generator contributes to the network. This control is of importance

for large system disturbances but is too slow to have a significant effect for short lasting network disturbances such as short circuits, Considerable interest exists however for speed controls to initiate fast closures and reopening of intercept values on large steam turbines following short circuits near the unit to aid in main taining synchronism.

In response to changes in demand for steam energy, boiler controls and auxiliaries maintain the flow of fuel, air and water into the boiler. These elements should not be limiting factors in overall plant response during normal or emergency conditions.

Secondary control on the other hand act to initiate control at a local level based on remote measurements. The automatic generation control and economic dispatch function is important for successful operation of interconnected systems. Automatic generation control acts to regulate the power output of the electric generators within the control areas in response to changes in system frequency etc.

2.2 ABNORMAL OPERATIONS

There are two classes of disturbances identified for convenience. One will result in loss of transmission system elements and/or significant loads or load areas and those very unlikely events which leads to islanding of a portion of the system where significant load generation unbalances

may exist within the island. The first will be referred to here as network disturbances and the latter as load/ generation unbalance or islanding.

<u>Network disturbances</u> - Network disturbances are commonly caused by short circuits on the transmission system. The magnitude and duration of the resultant dynamic response of the system is dependent on the type and location of the fault, on the time required for normal protective apparatus to respond and isolate the faulty element, and on the manner in which the system and its controls respond to the initial disturbance and its subsequent removal.

Short circuits or faults which occur on the trans mission system close to the generator bus have the most severe effect on the performance of the generator. Three phase faults, although much less likely to occur, have a far greater impact than the more common occurrence of a single line to ground fault. The fault is generally removed within 0.1 secs. However, during this time system voltage on the faulted phases is very low in the general vicinity of the fault, and voltage measured at the terminals of nearby generators is also affected significantly. After the fault is cleared, system voltage returns to near normal levels. If automatic reclosing is employed, then reclosing into a permanent fault further perturbs the system.

The electromechanical response of generators in the vicinity of the fault is characterized by a rotor angle transient. The angle is oscillatory about the normal unit speed corresponding to the normal system frequency (50Hz). Usually this deviation does not exceed a value of ± 2 % unless the disturbance is severe. In this case the affected generators could become unstable (lose synchronism with the rest of the generators).

The impact of network disturbances may be summarized as follows -

- 1. The duration of the resulting transients are of the order of 10 secs or less and are characterized by oscillations in the rotor angle and speed about the normal operating point.
- 2. The mechanical torque developed by the prime mover does not change appreciably because the speed devia tionsare oscillatory in nature and occur too rapidly for the speed control system to follow.
- 3. The abrupt transient torques may be magnified by the torsional response of the turbine generator shaft and must be taken into account in the design of rotor shaft and turbines.
- 4. The voltage regulator be applied in a way so as not to cause negative damping of the rotor oscillations. In fact, it is possible to utilize dynamic variables in addition to voltage error to cause positive damping of the rotor angle oscillations and thereby improve

stability of the generating unit and system.

5. The rather large temporary voltage dip which occurs during such disturbances must be taken into account in the design of the auxiliary supply so that critical motors and support systems are not tripped during the transient and thus lead to unit shutdown.

Since network disturbances cause only a temporary unbalance between total prime mover input and total electrical load on all generators in the system, the system automatic generation control is not affected. If however, the disturbance leads to the loss of a generator or of a large load or a load area the automatic generation control and the genetors on control are affected. Here, only network disturbances has been incorporated in the system condition so the second kind of abnormality i.e. major load/generation unbalance (islanding) is not discussed.

2.3 SYNCHRONOUS GENERATOR MODELS

Three types of synchronous generator models has been considered here. These models have been described in great detail in this section. They are as follows

(i) The two-axis model -neglecting λ_d and λ_q for a cylindrical rotor machine

In the two axis model the transient effects are accounted for, while the substransient effects are neglected. The transient effects are dominated by the rotor circuits, which are the field circuit in the

d-axis and an equivalent circuit in the q-axis formed by the solid rotor. An additional assumption made in this model is that in the stator vol tage equations the terms λ_d and λ_q are negligible compared to the speed voltage terms and that $\omega \cong \omega_R^{-1}$ l pu

The machine will thus have two stator circuits and two rotor circuits. However, the number of differential equations described these circuits are reduced by two since λ_d and λ_q are neglected in the stator voltage equations (the stator voltage equations are now algebraic eqns).

The stator transient flux linkages are defined by

 $\lambda'_{d} \triangleq \lambda_{d} - \mathbf{L}'_{d} \mathbf{i}_{d}$ and $\lambda'_{q} \triangleq \lambda_{q} - \mathbf{L}'_{q} \mathbf{i}_{q}$ (2.1) and the corresponding stator voltages are defined by

 $e'_{d} = \omega_{R} \lambda'_{q} = -\omega_{R} \lambda'_{q}$ and $e'_{q} = \omega_{R} \lambda'_{d} = \omega_{R} \lambda'_{d}$ (22) -It can be derived that

 $\mathbf{v}_{\mathbf{d}} = -\mathbf{r}_{\mathbf{d}} - \boldsymbol{\omega}_{\mathbf{R}} \mathbf{I}_{\mathbf{q}} + \mathbf{e}_{\mathbf{d}}$ (2.3)

and $\mathbf{v}_{q} = -\mathbf{r}\mathbf{i}_{q} + \omega_{R} \mathbf{L}_{d} \mathbf{i}_{d} + \mathbf{e}_{q}^{\prime}$ (2.4) or $\mathbf{e}_{d}^{\prime} = \mathbf{v}_{d} + \mathbf{r}\mathbf{i}_{d} + \mathbf{x}_{d}^{\prime}\mathbf{i}_{a} + (\mathbf{x}_{d}^{\prime} - \mathbf{x}_{d}^{\prime})\mathbf{i}$ (2.5)

$$\mathbf{e}_{q} = \mathbf{v}_{q} + \mathbf{r}_{q} - \mathbf{x}_{q}' \mathbf{i}_{d}$$

$$(2.5)$$

Since the term $(x'_q - x'_d) i_q$ is usually small, we can write approximately

 $e'_d \cong v_d + ri_d + x'_d i_q$ (2.7)

(27)

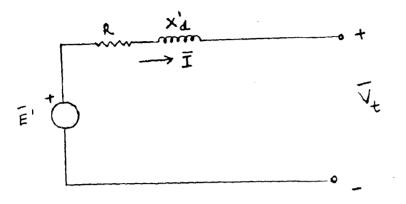
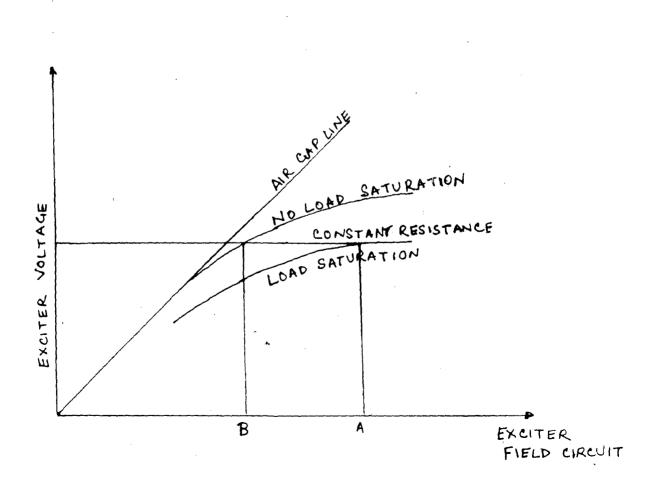


FIG.3. TRANSIENT EQUIVALENT CIRCUIT OF A GENERATOR



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FIG.4. EXCITER

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The voltage e'_q and e'_d are the q and d components of a voltage e'behind transient reactance. The above two equation indicate that during the transient the machine can be represented by the circuit diag shown in the Figure [3] It is interesting to note that since e'_d and e'_q are d and q axis stator voltages. They represent $\sqrt{3}$ times the equivalent stator rms voltages. It can be verified that $e'_q = \sqrt{3}E'_q$. The voltage e' is not a constant it will change with change in flux linkage in the d and q axis rotor circuits. The differential equation for the voltages e'_d and e'_q are written below. The d-axis flux linkage equations for this model are

$$\lambda_{d} = \mathbf{I}_{d} \mathbf{i}_{d} + \mathbf{I}_{AD} \mathbf{i}_{F}^{pu}$$
(2.8)
and $\lambda_{F} = \mathbf{I}_{AD} \mathbf{i}_{d} + \mathbf{I}_{F} \mathbf{i}_{F}^{pu}$ (2.9)

From the above equation, if i_F is eliminated than the following equation can be derived

$$\lambda_{d} - \sqrt{3} E_{q} = I_{d} i_{d} pu \qquad (2.10)$$

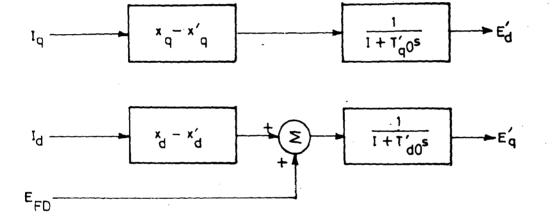
Similarly, for the q-axis

$$\lambda_{\mathbf{q}} = \mathbf{L}_{\mathbf{q}} \mathbf{i}_{\mathbf{q}} + \mathbf{L}_{\mathbf{A}\mathbf{Q}} \mathbf{i}_{\mathbf{Q}} \mathbf{p} \mathbf{u} \qquad (2.11)$$

$$AQ = LAQ + LQ Q pu$$
eliminating i_Q we compute
(2.12)

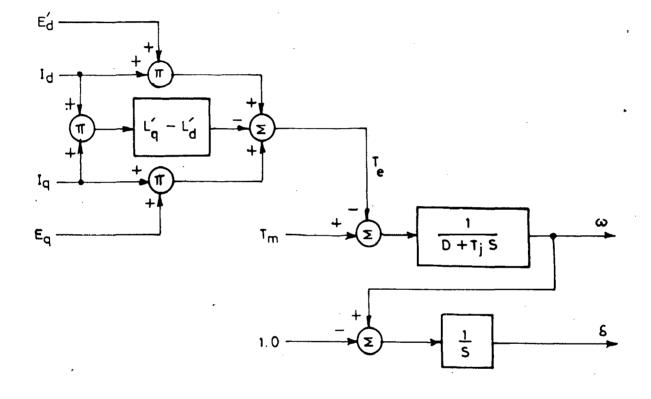
$$\lambda_{q} - (\mathbf{L}_{AQ} / \mathbf{L}_{Q}) \lambda_{q} = (\mathbf{L}_{q} - \mathbf{L}_{AQ}^{2} / \mathbf{L}_{Q}) \mathbf{i}_{q} \mathbf{p} \mathbf{u}$$
 (2.13)

by defining



BLOCK DIAGRAM REPRESENTATION OF THE TWO AXIS MODEL

FIG.5.



BLOCK DIAGRAM REPRESENTATION OF (2.23)

FIG.6.

$$L'_q = L_q - L^2_{AQ} / L_Q$$
 pu

We also define

 $\sqrt{3}E_q = e_q = I_{AD} i_F pu$ (2.15) $\sqrt{3}E_d = e_d = I_{AQ} i_Q pu$ (2.16)

We can show that

$$E + x_{d} I_{d} = E'_{q} + x'_{d} I_{d}$$
and
$$E_{d} + x_{q} I_{q} = E'_{d} + x''_{d} I_{q}$$
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From the Q circuit voltage eqn. $r_Q i_Q + \frac{d}{\lambda}Q/dt = 0$ and by using (2.8) with (2.15) we get

$$I_{qo} \dot{E}_{d} = -E_{d} - (x_{q} - x_{q}) I_{q}$$
 (2.19)

where for uniformity, we adopt the notation

$$\tau'_{qo} = \tau''_{qo} = L_Q / r_Q$$
 (2.20)

Similarly, from the field voltage equation we get

$$\vec{E}_{q} = \frac{1}{\tau'_{do}} (\vec{E}_{FD} - \vec{E})$$
 (1)

To complete the description of the system, the electrical torque is obtained from $T_{e,e} = \lambda_d i_q - \lambda_q i_d$ which is used in two more earlier equips. to get $T_e = E'_d I_d + E'_q I_q - (L'_q - L'_d) I_d I_q$ (2.2.2)

The remaining system equations are given by

(2.14)

$$\tau_{j} \dot{\omega} = T_{m} - D_{\omega} - [E_{d}I_{d} + E_{q}I_{q} - (I_{q} - I_{d})I_{d}I_{q}]$$

$$\delta = \omega - 1$$
(2.23)

By combining the Figs. (586) the complete block diagram for the model is obtained. Again saturation can be accounted by taking

$$\mathbf{E} = \mathbf{E}_{q} - (\mathbf{x}_{d} - \mathbf{x}_{d}') \mathbf{I}_{d} + \mathbf{E}_{\Delta}$$
 (2)

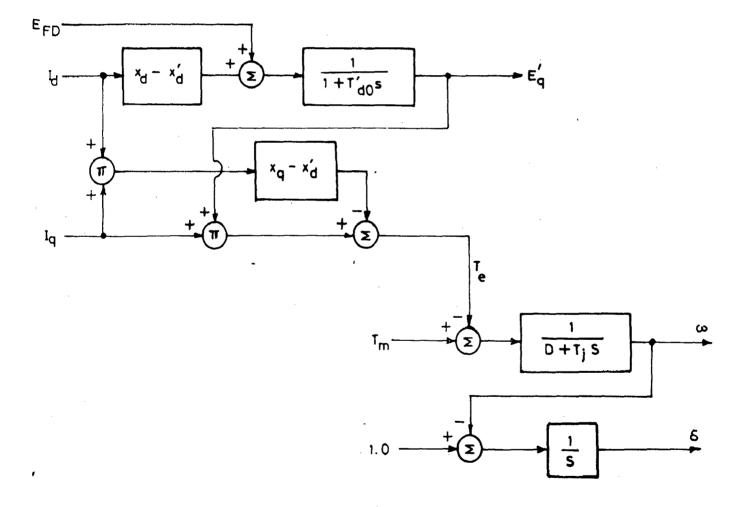
where E_{Δ} is a voltage increment that corresponds to increase in field current due to saturation. This change can be incorporated in the block diagram.

(ii) The one axis model - neglecting amortisseer effects

This model is similar to the model described for the two axis model. But there is one exception and that is the absence of Q circuit. This eliminates the differential equation for E_d' and e_d' (which is a function of current i_Q). The voltage behind transient reactance e has only the component e_q' changing by field effects according to equations (2.24) and (2.24). The com ponent e_d' is completely determined from the currents and v_d . Thus the system equations are

$$\tau_{do}' = E_{FD} - E \quad pu$$

and $E = E_q' - (x_d - x_d') I_d \quad pu$ (2.25)
The voltage E_d' is obtained with $\lambda_d = 0$ and we get
 $E_d' = v_d + x_0' I_0 + rI_d \quad pu$ (2.26)



BLOCK DIAGRAM REPRESENTATION OF THE ONE AXIS MODEL

F14.7.

The torque is derived from $T_{e\phi} = \lambda_d i_q - \lambda_q i_d$. (2.27) In the absence of the Q - circuit $\lambda_q = L_q i_q$.

$$T_e = E_q I_q - (I_q - I_d) I_d I_q$$
, pu (2.28)

Thus the remaining system equations are

$$\tau_{j} \dot{\omega} = T_{m} - D\omega - [E_{q} I_{q} - (L_{q} - L_{d}) I_{d} I_{q}] pu$$
 (2.29)
 $\dot{\delta} = \omega - 1 pu$ (2.30)

The block diagram representation is shown in the Fig. [7].

(iii) Infinite bus model

and

From the equation $\tau'_{do} E'_q = E_{FD} - E$ we note that the voltage E'_q which corresponds to the d-axis field flux linkage changes at a rate that depends upon τ'_{do} . This time constant is of the order of several seconds. The voltage E_{FD} depends on the excitation system charac teristics. If the E_{FD} does not change very fast and if the disturbance causing the transient is short, in some cases the assumption that the voltage $(E'_q or e'_q)$ remains constant during the transient can be justified. Under this assumption the voltage behind transient reactance E or e has a q-axis component E'_q or e'_q which is always constant. The system equation to be solved is given below -

$$\mathbf{I}_{e} = \mathbf{E}'_{q} \mathbf{I}_{q} - (\mathbf{I}_{q} - \mathbf{I}'_{d}) \mathbf{I}_{d} \mathbf{I}_{q} \mathbf{p} \qquad (2.31)$$

Allis Chalmers	Regulex regulator
General Electric	Amplidyne regulator
	Al temex
	Altemex - thyristor
Westinghouse	Mag - A - stat regulator
	Brushless (1967 on)
	TRA regulator.

The Fig. [8]. shows the significant transfer functions which should be included for satisfactory representation in computer studies. Many other system types may be represented if it is assumed that the excitation system ceiling voltage is independent of the Generator terminal conditions. Vm is the terminal vol tage applied to the regulator input. The first transfer function is a simple time constant T_R representating regulator input filtering. For most systems, Tp is very small and may be considered to be zero. The first summing point compares the regulator reference to the output of the input filter to determine the voltage error input to the regulator amplifier. Most computer programs do not require an input of $V_{\rm REF}$ but rather internally calculate the proper value by assuming V_{T} at t = 0 at the proper value. The second summing point combines voltage error with the excitation damping error signal. The main regulator transfer function consists of gain K_A and a time constant T_A . Following

With the network constraints (to determine the currents) and the condition that E'_q is constant. The next step in simplifying the mathematical model of the machine is to assume that E'_q and E' are approximately equal in magnitude and that these angles with respect to reference voltage are approximately equal (or differ by a small angle that is constant). Under these assumptions E' is considered constant. This is the constant voltage behind transient reactance representation used in the classical model of the synchronous machine.

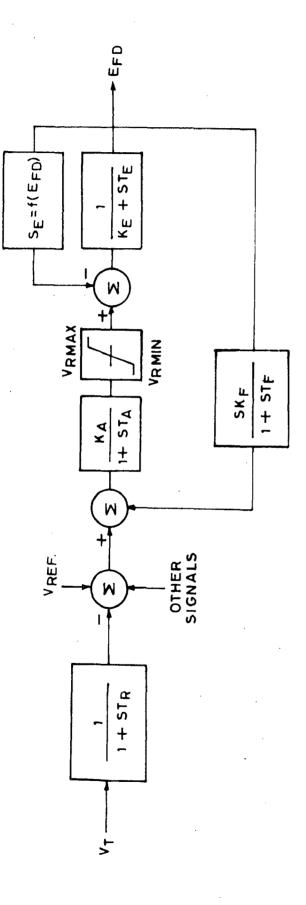
2.4 EXCITATION SYSTEM MODELS

The program allows following excitation system representations.

In the development of the excitation system block diagrams, it has been necessary to establish a per unit voltage base. One per unit generator voltage is defined as rated voltage. One p.u. exciter output voltage is that voltage required to produce rated generator voltage on the generator air gap line.

i. Type 1- Continuously acting Regulator and Exciter

The type 1 excitation system is representative of the majority of modern systems now in service and presently being supplied. This includes most continuously acting systems with rotating exciters such as



IEEE TYPE-1 EXCITATION SYSTEM FIG. &

this the maximum and minimum limits of the regulator are imposed so that large input error signal cannot produce a regulator output which exceeds practical limits. The next summing point subtracts a signal which represents the saturation function $S_{g} = f(E_{FD})$ of the exciter. That is the exciter output voltage (or generator field voltage E_{FD}) is multiplied by a non-linear saturation function and subtracted from the regulator output signal. The resultant is applied to the exciter transfer function $1/(K_E + ST_E)$. When a self-excited shunt field is used, $K^{}_{\rm E}$ represents the setting of the shunt field rheostat and provides a positive feed back of exciter output. To esta blish initial conditions, K_R is often chosen that it is equal to the saturation function at the initial value of E_{rD} . At this value, the shunt field exactly compensates for exciter saturation and no regulator output is required to establish the initial value of E_{FD} . For those systems with a seperately excited exciter, regulator output is required to establish imitial value of E_{FD} . The following expression must be satisfied during s.s. condition.

 $v_R - (K_E + S_E) E_{FD} = 0,$ (2.32) $E_{FD_{min}} \leq E_{FD} \leq E_{FD_{max}}$ (2.33) The sign of K_E is negative for a self - excited shunt field. At ceiling, or $E_{FD} = E_{FD_{max}}$

$$V_{R_{max}} - (K_E + S_{E_{max}}) E_{FD_{max}} = 0 \qquad (2.34)$$

 K_E is always specified as input data or program logic, to permit automatic calculation. If any two of the following three constants V_{Rmax} , S_{Emax} , and E_{FD} max are known then the third constant is also calculated. The minimum value of E_{FD} is zero and cannot be negative.

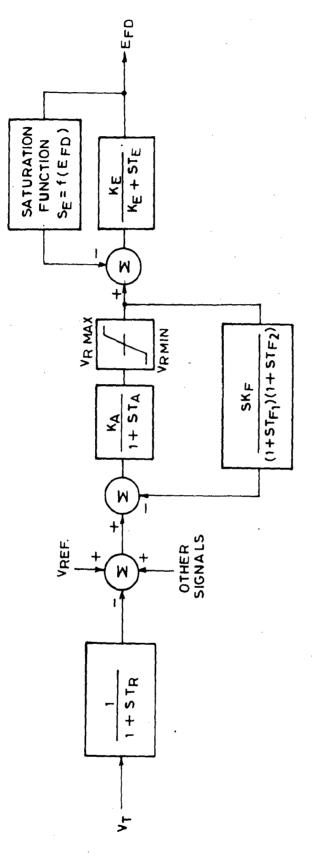
Saturation function

The exciter saturation function S_E is defined as a multiplier of exciter output E_{FD} to represent the increase in exciter excitation requirements because of saturation. The Fig. $\begin{bmatrix} r_{4} \end{bmatrix}$ illustrates the calculation of a particular value of S_E . At a given exciter voltage, the quantities A and B are defined as the exciter excitation to produce the output voltage on the constant resistance load saturation curve and air gap line, respectively.

$$S_{E} = \frac{A \cdot B}{A}$$
(2.35)

ii.IEEE Type1S Excitation System - Controlled rectifier systems with Terminal potential supply only

The excitation source is the terminal voltage with controlled rectifiersonly. If the ceiling voltage is proportional to the gen terminal voltage than this kind of sys - tem responds quickly. Here $V_{Rmax} = K_P V_T$. In general, the constants of this type of system are such that $K_E = 1$, $T_E = 0$, and $S_T = 0$.



IEEE TYPE-2 EXCITATION SYSTEM

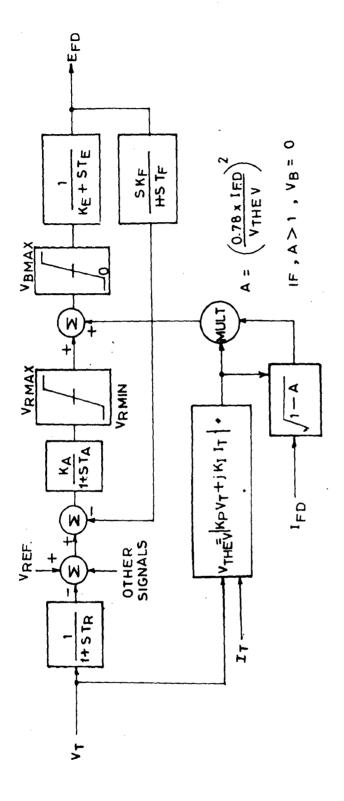
FIG. 9

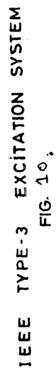
iii · IEEE type 2-Rotating rectifier system exc sys

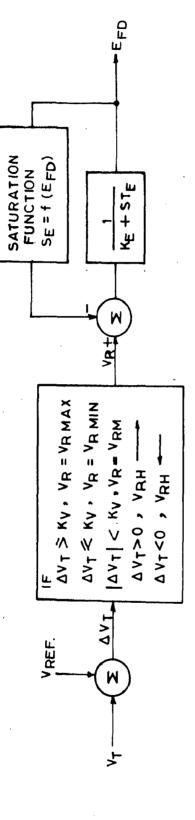
In this kind of system the major damping loop input is from the regulator output. An example is the Westinghouse brushless system. The transfer function has one additional time constant to compensate for the exciter which is not included within the loop. Other characteristics are similar to type 1.

iv. <u>IEEE Type 3 static</u> with terminal potential and current supplies

Here gen terminal current is used with potential as the excitation source. An example of such a system is the General Electric SCPT. The type 3 system has been developed to represent this particular static system. The regulator transfer functions are similar to type 1, up to and including the regulator output limiter (V_{Rmax} - V_{Rmin}). The following summing point combines the regulator output with the signal representing the self excitation from the generator terminals. Kp is the coeff of shunt excitation supply proportional to terminal voltage. Similarly K_T is the coeff of the supply obtained from the terminal current transformers. The multiplier (MULT) accounts for the variation of self -excitation with change in the angular relation of field current I_{FD} and self excitation voltage V_{THEV} . The V_{B} max sets the excitation system output to zero when A > 1 i.e. when field current exceeds the excitation output current.







IEEE TYPE-4 EXCITATION SYSTEM FIG. 11

v. IEEE Type 4- Non continuously acting

The systems described above are representatives of modern high-gain, fast acting excitation sources. The type 4 system is used to represent other systems, in particular those that were used immediately before the development of the continuously acting excitation systems. Examples are

General Electric GFA4 regulator

Westing house BJ 30 regulator

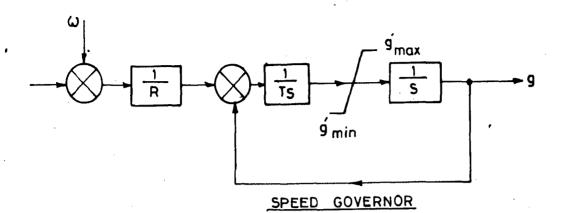
Exciter representation is similar with the exception that there is no major damping loop. Depending upon the magnitude of voltage error ΔV_{T} , different regulator modes are specified. If voltage error is larger than the fast raise/lower contact setting Kv (typically five percent), $V_{\rm Rmax}$ or $V_{\rm Rmin}$ is applied to the exciter depending upon the sign of the voltage error. For a voltage error less than Kv, the exciter input equals the rheostat setting $V_{\rm RH}$. The rheostat setting is adjusted up or down depending upon the sign of the voltage error. The time constant representing the slow adjustment of exciter field voltage is $T_{\rm RH}$.

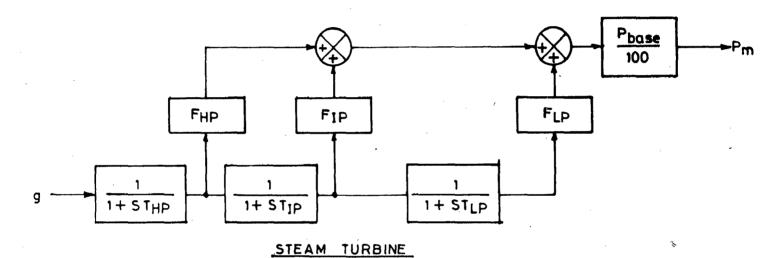
2.5 TURBINE AND GOVERNER MODELS

The program allows for the following turbine governor models.

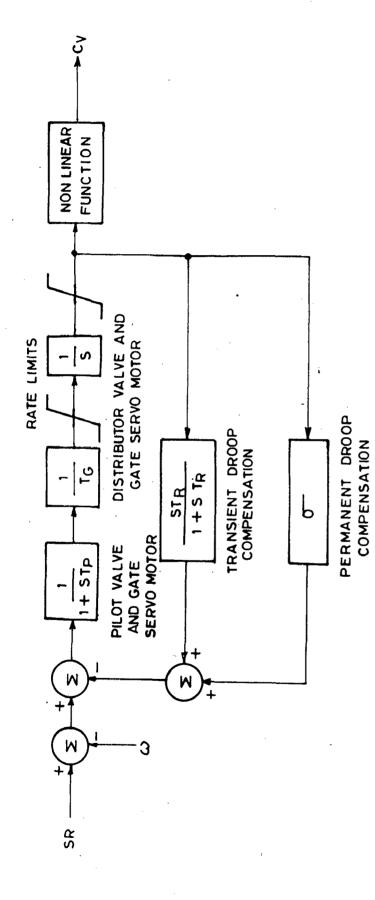
(i) <u>Steam turbines</u>

All compound steam turbine utilize governor controlled valves at the inlet to the high pressure (or very high pressure) turbine to control steam flow. The steam





STEAM TURBINE AND GOVERNOR MODEL FIG. 12



MECH - HYDRAULIC SPEED GOVERNING SYSTEM FOR HYDRO TURBINES

FIG. 13.

chest and inlet piping to the first turbine cylinder and reheaters and cross over piping down stream all introduce delays between valve movement and change in steam flow. The principal objective in modelling the steam system for stability studies is to account for these delays. Flows into and out of any steam vessel are related by a simple time constant. Pressure changes at the entrance to the governor controlled valves may also be important in some stability studies. Boiler controls are designed to regulate valve pressure, but the controlled boiler response is not fast enough to compensate for pressure variations due to the movement of the governor-controlled valves.

Between the governor controlled valves and the high pressure turbine is a steam bowl or chest. This introduces a time delay between changes in a valVe steam flow and steam flow in the high pressure turbine. Let T_{CH} be this time constant. The block diagram shows a method of accounting for boilet tube drop. The pressure $P_{S\cdot G}$ is an internal boiler pressure assumed constant over the study interval and P_T is the variable pressure at the entrance to the governor controlled valves. The parameter K_{PD} is a pipe-drop coefficient. The flow into the steam chest is

 $mCV = P_{GV} (P_{SG} - K_{PD} m CV^2)$ (2.36) where appropriate per unit variables are assumed.

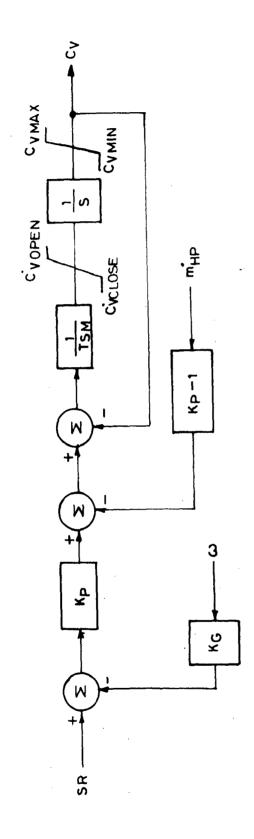
The effect of boiler tube drop can be approximated by reducing the effective gain of the governer controlled valves to the fraction F. If boiler tube drop is ignored, F is unity, Extraction steam taken at various turbine stages to heat feed water usually do not have significance for stability studies. T_{CH} , T_{RH} and T_{CO} are delays due to steam chest and inlet piping, reheaters and cross over piping respectively. The fraction F_{VHP} , F_{HP} , F_{IP} and F_{IP} represent portions of the total turbine power developed in the various cylinders.

Hydraulic Turbine

The transient characteristics of hydro turbines are determined by the dynamics of water flow in the penstock. The most precise models of water pressure and flow in the penstock are those which treat the travelling wave phenomena though the travelling wave models are not nece ssary for stability studies. The time constant T_{W} is called the water starting time or water time constant.

(ii) Mechanical hydraulic governing unit

The mech-hydro speed - governing system for a hydro-turbine consists of a speed governer, a pilot value and servometer, a distributor value and gate servometer and governer controlled gates which are functionally related. The speed governing requirements for hydroturbines are strongly influenced by the effects of water inertia and the dashpot feedback is required to achieve stable



ELECTRO-HYDRAULIC GOVERNING SYSTEM FOR HYDRO TURBINES

FIG. 24.

performance. The droop feedback reduces the likelihood rate limiting in stability analysis. Position limit exist corresponding to the extremes of gate opening.

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(111) <u>Electric Hydro Unit</u>

Modern speed governing systems for Hydro turbines may involve electrical apparatus to perform the low-power functions associated with speed sensing and dreepcompensation. This apparatus provides greater flexibility and improved performance in both dead band and dead time. For inter connected system operation, the dynamic performance of the electric governer is necessarily adjusted to be essentially the same as that for mechanical governer so that a seperate model is not needed.

2.6 RELAY REPRESENTATION

The three relay types considered in the program has been discussed in great detail below:

(1) Distance Relays

The impedance type distance relay has been considered here. Here the torque produced by a current element is balanced against the torque of a voltage element. The current element produces positive torque while the voltage element produces negative torque. The operating characteristic in terms of voltage and current is shown in Fig. [15]

Hence from this diagram we see that the relay operates only when the value of Z(line impedance) is less than the constant value of Z. By adjustment the slope of the operating characteristic is changed, so that the relay will respond to all values of impedance less than any desired upper limit. The operating characteristic of the impedance relay on the R-X axis neglecting the control spring effect is shown in fig. [16]

The circle is defined by its radius (Z) and center (in the above case 0.0). The value to which the relay is set is taken as an input data. The user also specifies as part of input the total line tripping time (relay plus breaker time) and the dead time between the tripping point and the time when line reclosing is done. Single- shot reclosure is allowed. It is a practice to adjust the first zone of distance relay to reach 80 percent to 90 percent of the length of a two- ended line or to 80 percent to 90 percent of the distance to the nearest terminal of a multi terminal line. There is no time delay adjustment for this type of unit. The principal purpose of the second zone unit of a distance relay is to provide protection for the rest of the line beyond the reach of the first zone unit. It should be adjusted so that it will be able to operate even for arcing faults at the end of the line. To do this the unit must reach beyond the end of the line. Even if arcing is not to be

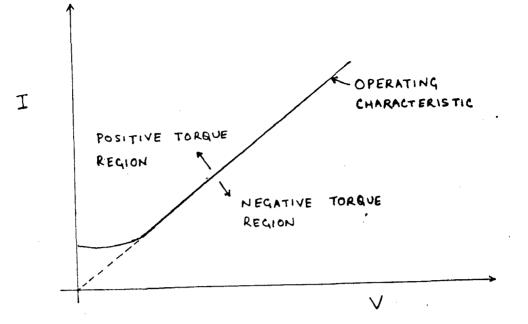
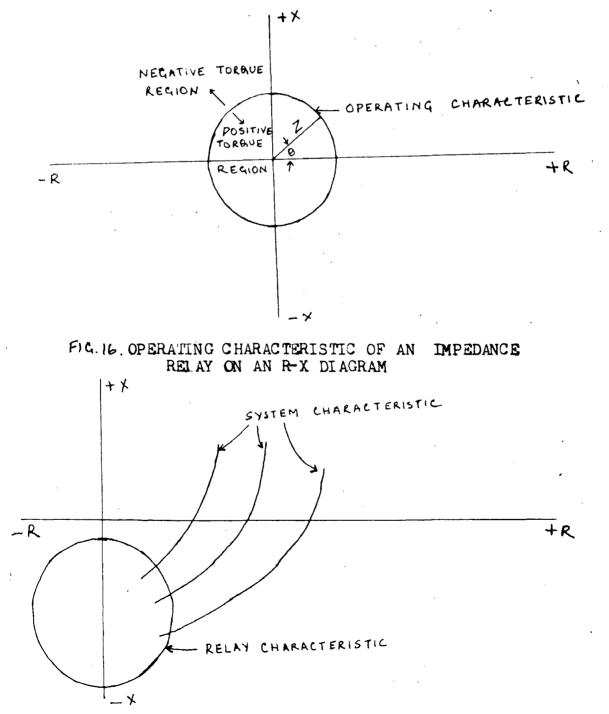


FIG.15. OPERATING CHARACTERISTIC OF AN IMPEDANCE RELAY



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considered, the underreaching tendency has to be taken into account. It is customary to have the second zone unit reach to at least 20 percent of an adjoining line section. The maximum value of the second zone reach also has a limit. The third zone unit provides back-up protection for faults in adjoining line sections. The third zone time delay is 0.4 to 1.0 sec. Its reach should extend beyond the end of the longest adjoining line section.

Under voltage relay

A voltage relay is one in which the actuating source is voltage of the circuit obtained either directly or from a voltage transformer. It is derived from the single quantity electromagnetic attraction type or induction type. In this kind of relay it closes the contacts when the actuating quantity (voltage) decreases below the reset magnitude for which the relay is operated. This relay does not have a wide range of adjustment because they are expected to operate within a limited range from the normal magnitude of the voltage.

Loss of excitation relay

Some systems cannot tolerate the continued operation of a generator without excitation. In fact if the generator is not disconnected immediately when it loses excitation wide spread instability may very quickly develop and a major system shut down may occur. When a generator loses excitation it draws reactive power amount to as much as 2 to 4 times the

generators rated load, Before it lost excitation, the generator may have been delivering reactive power to the system. Thus, this large reactive load suddenly thrown on the system, together with the loss of generators reactive power output, may cause widespread 'voltage reduction, which in turn will cause instability. Hence when lossof excitation in relays occur then the generator should be tripped and removed from the system to prevent any extensive damage. For this loss of excitation relays are used. It is a directional distance type operating from the ac current and voltage at the main generator terminals.) shows the loss of excitation charac -The Figure (17 teristics and the operating characteristics of one type of loss of excitation relay on an R-X diagram .

No matter what the initial conditions, when excitation is lost, the equivalent generator impedance traces a path from the first quadrant into a region of the fourth quadrant that is entered only when excitation is severely reduced or lost. By encompassing this region within the relay characteristic, the relay will operate when the generator starts to slip and will trip the field breaker and disconnect the generator from the system before the generator or the system can be harmed. The generator may then be returned to service immediately when the cause of excitation failure is corrected.

The tripping and reclosing times are specified as input data for all relays.

CHAPTER - 3

SOLUTION ALCORITHM

The equation which represents the dynamic behaviour of power system can be conveniently divided into two groups.

 (i) Equations describing the dynamic behaviour of the machines and their controllers. These consists of a set of differential equations which may take the form.

$$y = g(y, z)$$
 (3.1)

(ii) Equations describing the steady state behaviour of the network and generator armature circuits. These consists of algebraic equations which may take the form.

$$h(y, z) = 0$$
 (3.2)

Variables y are defined as the system state variables. Variables z are referred to as auxiliary variables and are associated with the network. Cenerator speed and angular position are examples of state variables, whereas generator terminal voltages and currents are examples of auxiliary variables.

The structure of the network equations (3.2) may be altered in time due to network changes such as fault initialization, fault clearing, line switching etc. At such instants discontinuities occur in the auxiliary variables but not in the state variables.

Two fundamental approaches to the problem have been adopted:

- (a) Using a low-flow technique to solve the network equa tions and to evaluate the nodal voltages which in turn are used in solving the network dynamic equations.
- (b) Solving the network dynamic equations simultaneously and in conjunction with the network algebraic equations.

The former method is faster but it is less accurate especially if network islanding is to be considered because the load flow algorithm is not independent of the network reference node. The later method is numerically more stable, robust and inherently capable of handling islanding. In the first method the differential equations are numerically integrated explicitly with the algebraic equations solved as a sub problem. A typical algorithm of this type is the Runge -Kutta Integration technique. In the second method an implicit technique is adopted in which the differential and algebraic equations are considered together rather than successively. To facilitate this, the differential equations must be transformed into algebraic equations.

3.2 NETWORK AND ARMATURE EQUATIONS

The solution of the network and armature equations forms a major step in the overall solution procedure. The state variables used in the solution comprise of the internal voltages E'_q and E'_d and rotor position Θ for each generator. The auxiliary variables which are calculated are the complex voltages and currents at generator terminals. The transmission system can be represented by the matrix of driving point and transfer admittance seen from the terminals of the generators. This matrix includes the system loads which are represented as constant impedances. The network can be described by the equation.

 $[T] = [Y_{TT}] [\overline{V}]$ (3.3)

where \overline{I} and \overline{V} are based upon the synchronous reference frame.

For each synchronous generator there are two sealar equations describing the armature circuits.

$$\begin{bmatrix} \mathbf{v}_{d} \\ \mathbf{v}_{q} \end{bmatrix} = \begin{bmatrix} \mathbf{s}_{d}' \\ \mathbf{z}_{q}' \end{bmatrix} - \begin{bmatrix} \mathbf{R}_{d} & -\mathbf{x}_{q}' \\ \mathbf{x}_{d}' & \mathbf{R}_{q} \end{bmatrix} \begin{bmatrix} \mathbf{I}_{d} \\ \mathbf{I}_{q} \end{bmatrix}$$
(3.4)

In equation (3.4) the voltages and currents are based upon the individual d,q reference frames of each generator. In order to obtain a combined solution of equations (3.3) and (3.4) all the equations must first be transformed to a common reference frame.

Let,

$$I = I_{real} + jI_{imag}$$
 (3.5)

then

$$I_{d} + j I_{q} = \overline{I} e^{-j\phi}$$
(3.6)

where ϕ is the angle between the generator d axis and the synchronous reference frame. Similar expressions also exist for \overline{V} and \overline{E} . If transient saliency is neglected $(X_d^* = X_q^*)$ then the simultaneous solution of equations (3.3) and (3.4) is quite simple. In this case the two scalar equations in (3.4) can be combined into a single complex equation.

 $(V_{d} + jV_{q}) = (E_{d} + jE_{q}) - (R_{a} + jX_{d}) (I_{d} + jI_{q}) (3.7)$

Equation (3.7) transforms to the synchronous reference to become.

$$\overline{V} = \overline{E}' - (R_a + j X_d') \overline{I}$$
 (3.8)

Equations (3.3) and (3.8) can be solved by adding the generator transient impedances $R_a + jX_d^{\prime}$ at the network terminals. The terminal voltages \overline{V} and currents \overline{I} are calculated from knowing the voltages $\overline{E}^{\prime} = (E_d^{\prime} + jE_q^{\prime})e^{j\Theta}$ behind the transient impedances.

3.2 EFFECT OF SALLENCY

On the other hand, if transient saliency is not neglected the simultaneous solution of equations (3.3)

and (3.4) is considerably more difficult. In this case when (3.4) is transformed to the synchronous reference framewe obtain

$$\begin{bmatrix} V_{real} \\ F_{real} \\ F_{real$$

(3.9)

Two difficulties arise in the solution of equation (3.9).

- (i) It cannot be combined into a single complex equation with the form of (3.7).
- (ii) The coefficients of I real and I mag are functions of
 O and are therefore time varying.

It is possible to combine equations (3.3) and (3.9) to obtain a set of 2N (N= no. of generators) real equations which can be solved directly. However, because the coefficients are varying, the matrix must be refactored or reinverted for every integration time step and this is very time consuming.

One effective method for overcoming these difficulties, requires iterations at each integration time step but uses a matrix which is constant as long as a certain network configuration exists. This method is based upon representing the generator by a fictitions slack voltage behind a fictitions admittance as shown in Fig. (). The generator fictitions admittance is defined by

$$\overline{\gamma}^{\text{fict}} = \frac{R_{a}^{-} j \frac{1}{2} (X'_{d} + X'_{q})}{R_{a}^{2} + X'_{d} X'_{q}}$$
(3.10)

and the generator fictitious slack voltage is calculated as

$$\overline{E}^{\text{fict}} = \overline{E}' + \frac{j \frac{1}{2} (X'_{q} - X'_{d})}{R_{a} - j \frac{1}{2} (X'_{d} + X'_{q})} (\overline{E} - \overline{V}') e^{j2\theta}$$
(3.11)

Equation (3.11) is derived by considering that the current fict produced by \overline{E} behind \overline{Y}^{fict} should be identical to that obtained by solving equation (3.4) for given E_d and E_d^* .

When the fictitious generator admittances are added to the network, the combined equations for the network and generator armature circuits of the form.

$$\begin{bmatrix} 0 \\ \overline{I} \end{bmatrix} = \begin{bmatrix} Y_{TT} & Y_{TG} \\ Y_{GT} & Y_{GG} \end{bmatrix} \begin{bmatrix} \overline{V} \\ \overline{E}^{fict} \end{bmatrix}$$
(3.12)

Eliminating \overline{V} with Krons reduction we obtain.

$$[\overline{I}] = [\overline{Y}_{GG} - \overline{Y}_{GT} \overline{Y}_{TT} \overline{Y}_{TG}] [\overline{B}^{fict}]$$
(3.13)

The simultaneous solu tion of equation (3.11) and (3.13) is obtained by iterating the voltage \overline{V} . The exact details of the iterative procedure are described below. The

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convergence of the procedure is very reliable and usually requires two or three iterations.

- (i) Set initial estimate of \overline{V} to the terminal voltages obtained in the previous time step.
- (ii) Transform generator internal voltages to the synch ronous reference frame. For each generator calculate.

$$\overline{E} = (E_d^{\prime} + j E_q^{\prime}) e^{j\Theta}$$
 and Θ

- (iii) Calculate the fictitious internal voltage Efict for each generator using equation (3.11).
- (iv) Calculate the generator currents using equation (3.13).
- (v) Calculate new estimates of the terminal voltages from.

$$\overline{\mathbf{v}} = \overline{\mathbf{E}}^{\text{fict}} - \overline{\mathbf{I}} / \overline{\mathbf{y}}^{\text{fict}}$$
(3.14)

(vi) Check for convergence. For each generator calculate.

$$I_d = j I_q = I e^{-j\Theta}$$

and

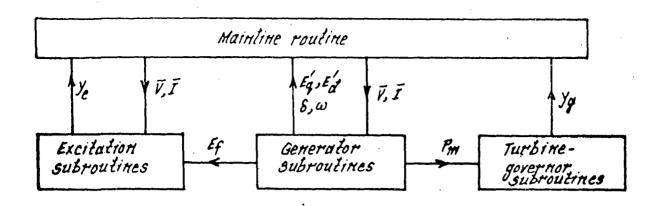
$$V_{d} + jV_{q} = \overline{V} e^{-j\Theta} \text{ if } V_{q} = E_{q}^{i} - X_{d}^{i} I_{d} - R_{a}I_{q}$$

and $V_{d} = E_{d}^{i} + X_{q}^{i} I_{q} - R_{a}I_{d}$ (3.15)

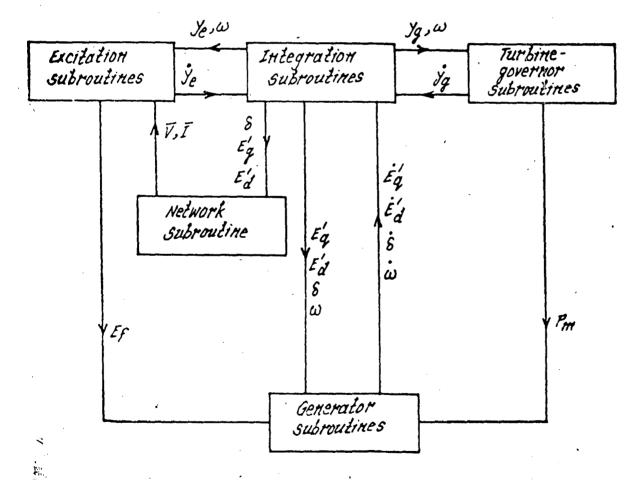
If the solution has not converged return to step (iii).

3.3 CALCULATION OF GENERATOR INITIAL CONDITIONS

The algorithm for calculating the generator initial conditions is described below.



Rélationship of subroutine variables for calculating initial conditions. Fig. 11



Relationship of subroutine variables during step by step simulation .

Fig.12

- Set initial estimate of the saturation factor k = 1. (i)
- (ii) Calculate saturate reactances X_d and X_d .
- (iii) Calculate the angle of rotor with respect to the synchronous reference.
- (iv) Calculate the d and q axis components of generator current and transform them onto the generator reference.
- Calculate the generator transient voltages and the field (\mathbf{v}) voltages from

$$\vec{E}_{q} = Mag (\vec{E}_{qd}) - (X_{q} - X_{d}') I_{d}$$
 (3.16)

where

$$\overline{E}_{qd} = V + (R_a + jX_q) I$$

$$E_{d} = (X_{q} - X'_{q}) I_{q}$$

$$E_{f} = (E'_{q} + (X_{d} - X'_{d}) I_{d}) / k \qquad (3.17)$$

(vi) Calculate the air gap voltages from the following equations

$$E_{aq} = E'_{q} - (X'_{d} - X_{q}) I_{d}$$

$$E_{ad} = E'_{d} + (X'_{q} - X_{q}) I_{q}$$

$$\therefore E_{at} = \int E^{2}_{aq} + E^{2}_{ad} \quad (3.18)$$

- (vii) Calculate a new estimate of the saturation factor k as a function of the air gap voltage.
- (vii) If the saturation factor has converged continue to the next step, otherwise return to step (ii).
- (ix) Calculate the initial mechanical power as the sum of the generator output and armature loss.

The algorithm to calculate the time derivatives of the state variables is described below:

)

- (i) Define integrator inputs (generator state variables), ω , δ , Ξ'_d , and Ξ'_q in terms of the integrator outputs.
- (ii) Calculate d and q axis components of the generator current.
- (iii) Calculate generator electrical output and losses.

$$P_{e} = V_{real} I_{real} + V_{imag} I_{imag}$$
$$P_{i} = (I_{real}^{2} + I_{imag}^{2}) R_{a} \qquad (3.19)$$

(iv) Calculate saturate reactances X_d , X_q and time constants T_{do} and T_{qo}

$$X_{d} = k X_{d}^{0} + (1-k) X_{1}$$

$$X_{q} = k X_{q}^{0} + (1-k) X_{1}$$

$$T_{do}^{'} = T_{do}^{0'} [1-(1-k) (X_{d}^{0} - X_{d}^{'})/ (X_{d}^{0} - X_{1})]$$

$$T_{qo}^{'} = T_{qo}^{0'} [(1-k) (X_{q}^{0} - X_{q}^{'})/ (X_{q}^{0} - X_{1})] (3.21)$$

- (v) Calculate the air gap voltage and the saturation factor k.
- (vi) Calculate the time derivatives of the generator state variables and store them as integrator inputs.

$$\hat{\mathbf{s}}_{q}' = (\mathbf{k} \ \hat{\mathbf{s}}_{f} - \hat{\mathbf{s}}_{q}' - (\mathbf{X}_{d} - \mathbf{X}_{d}')\mathbf{I}_{d}) / \mathbf{T}_{do}'$$

$$\hat{\mathbf{s}}_{d}' = (-\hat{\mathbf{s}}_{d}' + (\mathbf{X}_{q} - \mathbf{X}_{q}') \mathbf{I}_{q}) / \mathbf{T}_{do}'$$

$$\hat{\mathbf{s}}_{d} = (\mathbf{p}_{u} - \mathbf{p}_{e} - \mathbf{p}_{f} - \mathbf{D}_{w}) / 2\mathbf{H}, \quad \hat{\mathbf{s}} = 2\pi \mathbf{f}_{o}$$

$$(3.24)$$

3.4 NETWORK REDUCTION

The reduction of the Y matrix is done by matrix operation if we recall that all the nodes have zero injection current except for the internal generator modes. This property is used to obtain the network reduction as shown below.

Let $\overline{I} = \overline{Y} \overline{V}$

where

$$\mathbf{\bar{I}} = \begin{bmatrix} \mathbf{I}_n \\ \mathbf{0} \end{bmatrix}$$

Now the matrices Y and V are partitioned accordingly to get

$$\begin{bmatrix} \mathbf{I}_{\mathbf{n}} \\ \cdots \\ \mathbf{0} \end{bmatrix} = \begin{bmatrix} \mathbf{Y}_{\mathbf{n}\mathbf{n}} & \mathbf{Y}_{\mathbf{n}\mathbf{r}} \\ \mathbf{Y}_{\mathbf{r}\mathbf{n}} & \mathbf{Y}_{\mathbf{r}\mathbf{r}} \end{bmatrix} \begin{bmatrix} \mathbf{V}_{\mathbf{n}} \\ \cdots \\ \mathbf{V}_{\mathbf{r}} \end{bmatrix}$$
(3.2.5)

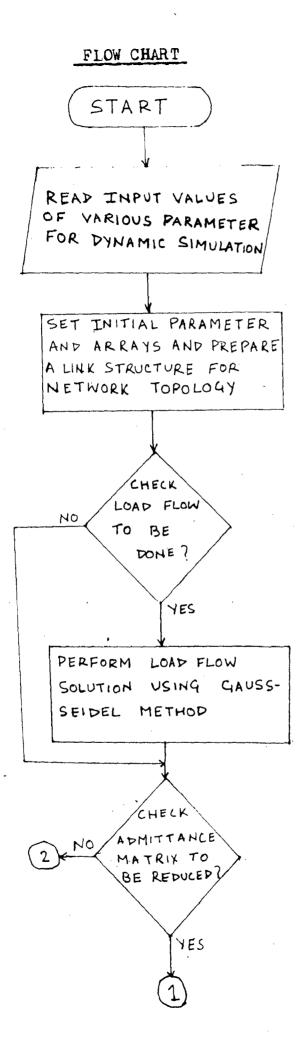
Here the subscript n is used to denote generator nodes and the subscript r is used for the remaining nodes. Expanding the above matrix equation we get

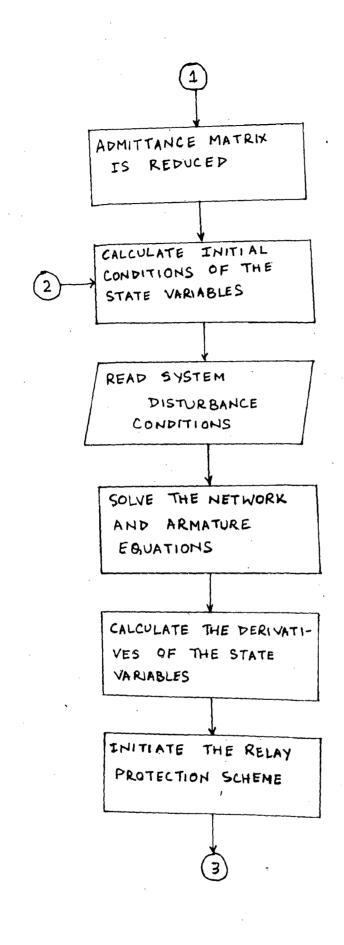
$$I_{n} = Y_{nn} V_{n} + Y_{nr} V_{r},$$

$$0 = Y_{rn} V_{n} + Y_{rr} V_{r} \qquad (3.26)$$

from this V_r is eliminated to find

 $I_n = (Y_{nn} - Y_{nr} Y_{rr}^{-1} Y_{rn}) V_n \qquad (3.27)$ The matrix $(Y_{nn} - Y_{nr} Y_{rr}^{-1} Y_{rr})$ is the desired reduced Y matrix. It has dimension (nxn) where n is the number of generators. The above method can be used only when the load impedances are treated as constant otherwise the identity of the load buses must be retained.

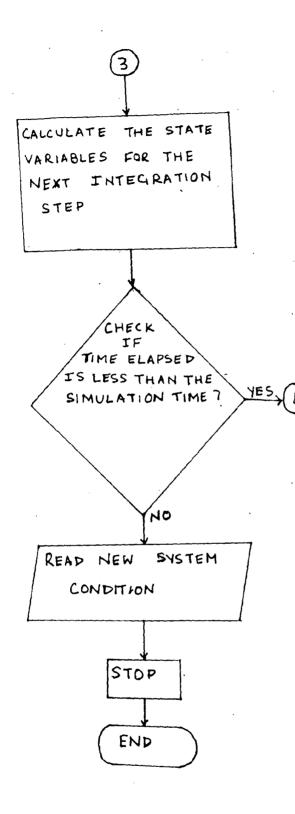




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3.5 SIMULATION STEPS

The simulation steps of the program are enumerated below. They will be described in more detail along with the subroutines in the next chapter.

- (i) Read Input values of various parameter.
- (ii) Perform link structure to store network topology.
- (iii) Perform load flow using Gauss Seidel method.
- (iv) Eliminate the load buses.
- (v) Calculate the initial conditions of the state variables.
- (vi) Read System disturbance condition.
- (vii) Solve the network and armature equations.

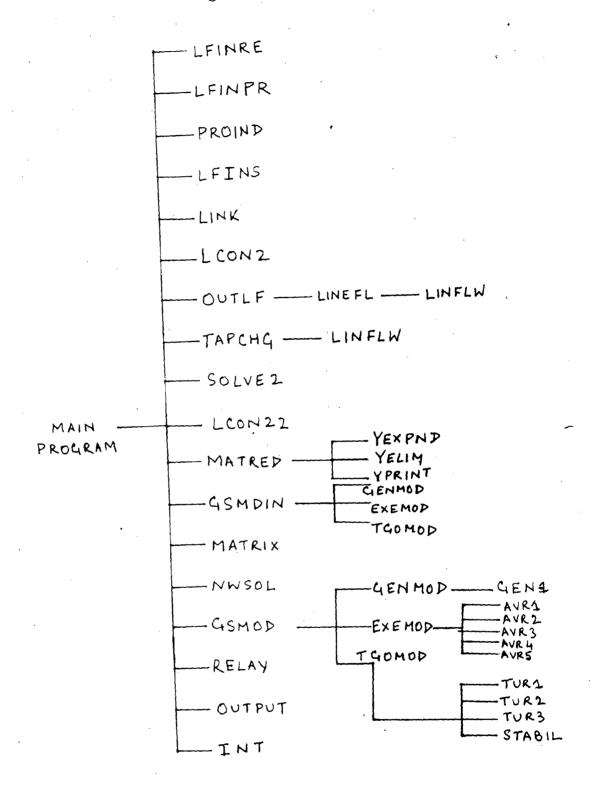
(viii)Calculate the state variable derivatives.

- (ix) Activate the relay protection scheme if required.
- (x) Calculate the state variables for next increment in time. Check the time elapsed. If time elapsed is less than the simulation time go back to (vii) otherwise check the new network condition by going back to (vi) and stop.

CHAPTER - 4

PROGRAM DESCRIPTION AND EXECUTION

PROGRAM ORGANISATION 245239 IPPTIMI LIBIOIN UNIVERSITY OF FIG. 20.



SUBROUTINES

There is a main program which calls number of subroutines and this on the whole completes the simultion of the power system problem considered. The various subroutines are being described one by one below.

(i) Initialization

The variables and the arrays are initialized in the main program. This is done before the input data is read. Some of the variables like NFAULT, NSTEP, NPRINT and NPLOT are all set to a O value. A control file name is read. This file consists of the data files of bus, line, transformer, machine, relay and system condition. The different unit Bumbers of these data files are also read through the control file. Some of the arrays are given below.

- SAVE (I, J) value of integrator input for previous integration time step.
- PlUG (I,J) value of integrator input (state variable derivatives)
- where I = no. of generating unit and

J = no. of integrators.

The variables to be printed are stored in PRTVAR (I, J)where I = no. of generator and J = no. of printout variable.

AVR PRM (I,J) and TUR PRM (I,J) are the integrator input for excitation system models and turbine governor models respectively. Where I = no of generating units and J = no of integrators. SAVE (I, J), PIUG (I, J), PRT VAR (I, J), AVR PRM (I, J) and IWR PRM (I, J) are all set to 0 value.

(ii) Reading input data

After the initialization of the variables and Arrays input subroutines are called by the main program. The input subroutines are used to read the values of the bus data parameters, line data parameters, transformer data parameters reactor/capacitor data parameters, machine data parameters, excitation system and turbine governor model parameters. The three input subroutines of this program are described below.

(a) <u>IFINRE</u> - This is the first input subroutine called by the main program. It reads bus data, line data, trans former data and reactor/capacitor data variables. All these input data for the above variables are stored in a datafile specified by the control file. The unit of this data file is identified by INDLF. The system base MVA is taken to be 100 MVA.

The bus data parameters read are Bus type, bus base kv, bus voltage magnitude, bus voltage angle, bus MW generation, bus MVAR generation, bus MW load, bus MVAR load, bus voltage desired, bus MVAR generation lower limit, bus MVAR generation upper limit and bus name. The bus data card is represented by an integer value of 20. The line data parameters read are line resistance, line reactance, line admittance charging, line type, line to transformer data pointer, line ratings, line voltages and line status. The line data card is represented by an integer value of 40. If line to transformer data pointer is 1, then the transformer data parameters are to be read otherwise if it is 0 then the transformer data is ignored.

The transformer data parameters read are transfor mer resistance, transformer reactance, transformer type, transformer to phase shifter data pointer, transformer to line data pointer, transformer ratio, transformer minimum ratio, transformer tap steps, transformer controlled bus upper limit of voltage, transformer controlled bus lower limit of voltage. The transformer data card is represented by an integer value of 60. If transformer type is set to an integer value 4, then a variable INPS is set to 1. In this case only, the phase shifter data parameters are read otherwise they are ignored.

The phase shifter parameters to be read are phase shifter angle, phase shifter angle steps, phase shifter (MW) maximum, phase shifter (MW) minimum, phase shifter angle maximum, phase shifter angle minimum. The data card number is 80. Thereafter the reactor/capacitor data parameters are read.

The three types of buses considered here are (i) Gen bus or voltage controlled bus (ii) load bus and (iii) swing bus or slack bus. The four types of lines considered here are (i) Normal line (ii) Tie line (iii) Transformers (iv) Phase shifters. The integer variables BBTYPE and LTYPE take different values for modelling or considering one of the above types.

<u>MCSIND</u> This is the second input subroutine. It reads the machine data parameters, excitation system model and turbine governor model parameters. All these parameters are read from a data file specified by the control file. The unit of this data file is identified by a variable INDMC. Total number of generators (NGEN),total simulation time (TIME) and integration time steps (TSTEPS) are read by this sub routine from the data file.

The generator parameters to be read are-generator model, number of generator bus, generator type, Inertia constant, Resistance, Reactance, d and q axis reactance and transient reactance, damping constant, open circuit time constant in the d and q axis, machine rating, IVR and ITUR. IVR takes integer values from 0 to 6 and ITUR takes values between 0 to 4. Each value of IVR and ITUR has its own significance They decide the various excitation and turbine governor models.

In the case of generator there are common set of variables for every generator model. This is not the case with the excitation systems and turbine governor systems.

<u>PROIND</u> - This is the third and last input subroutine called by the main program. The relay parameters are read from the third data file specified by the control file. The unit of this data file is identified by the variable INDPR. Three types of relay has been considered here. They are impedance relay, loss of excitation relay and under voltage relay. Depending on the characteristics of the relays various parameters are read. The relay parameters are to be read if and only if an integer IPROT given in the control file is equal to zero, otherwise the relay protection scheme is not taken into consideration.

(iii) Calculations

All those subroutines which do various calculations are being described here one by one as follows -

<u>IFINS</u> - This subroutine is called to convert the recently read bus MW and MVAR generation, bus MW and MVAR load to base MVA. The line admittances, base admittances of transformers and cap/reactor susceptances are calculated from the input values.

<u>HINK</u> - The next subroutine to be called is link. It prepares a link structure of the lines of the power system example considered. This is done with the help of the input variables IFROM (line from) and ITO (line to). The network topology obtained is stored in the various arrays defined in the program.

Now the question that arises is whether the load flow solution is to be carried out or not. If yes, then whether the initial load flow solution is to be read or not.

<u>1CON2</u> - This is the next subroutine called. Here the self impedance of buses are calculated and line admittances are modified to take into account of tap settings of transformers. This subroutine models the transformers and phase shifters, determines the diagonal elements of the Y-matrix and stores the admittance contributions to the diagonal elements of the Y-matrix due to transformers and phase shifters, which change with the transformer ratio and angle. These are stored in the array TCHTAP.

Now for each and every bus the net active and reactive power is calculated and then the load flow is solution is performed using the Gauss- Seidel method.

SOIVE2 A - This subroutine does the load flow solution using the Gauss seidel method. It solves the load flow solution of a specified block of network. The network topology must be available in the arrays BLIST,NEXT and IFAR. The solution is found iterating through all buses untill the biggest bus voltage difference between two successive iterations is less than a specified tolerance. The solution is said to be diverging if the maximum bus voltage difference between two successive iterations increases for subsequent iterations. The solution is returned if it diverging with FLAG-2. A voltage kickoff flag KICKFG has been defined. If it is 0, then all the bus voltages are within the voltage kick off limits. If it is 1, then one of the bus voltage has crossed the upper voltage kickoff limit. If it is 2, then one of the bus voltage has crossed the lower voltage kick off limit, FLAG is the variable which defines **ef** the status of the solution. If it is 0 then the solution converges, 1 if the full maximum iterations has been carried out and 2 if the solution is diverging. If the solution has not converged then one more try for load flow solution can be made.

<u>TAPCHG</u> - This is the next subroutine to be called by the main program. The taps of the transformers and phase shifters are adjusted by this subroutine. An integer variable IFLAG indicates what to control. If it is 0, then the MW and MVAR control is made and if 1 then voltage control is made. There is also a variable ITAPSW which indicates whether a change was made or not.

<u>ICON 22</u> - ICON 22 is the next subroutine called. Here the line admittances and the self admittances of the buses are modified depending on the changes in the tap positions and the angles of the transformers/phase shifters made by the previous subroutine. After making these alterations the load flow solution is again repeated.

<u>OUTIF</u> prints the load flow results in the output file specified by the control file. The unit of this output file is identified by the variable IOU. This subroutine calls a subroutine <u>LINELW</u>. This in turn calls <u>LINFLW</u>. These two subroutines are used to calculate the total active generation,, total reactive generation, total active and reactive mis matches. These values are also printed into the specified output file.

Thereafter the generator terminal voltage and current are calculated and the loads are converted to shunt admittance.

(iv) Reduction of Y matrix -

Now whether the Y matrix reduction should be carried out or not is decided. If the answer is yes the following subroutine is called by the main program.

MATRED

This subroutine adds each internal generator bus to the network admittance matrix and then reduces the new matrix by eliminating the corresponding generator terminal bus. For each generator the following steps are applied to a matrix which is initialized as the equivalent admittance matrix for the terminal buses.

- (1) The row and column of the generator in concern is moved to the outside of the matrix.
- (ii) The generator internal bus is added to the matrix in the position of the recently vacated row and column.

(iii) The terminal bus row and column is eliminated from the matrix using krons reduction formula. This is done in the subroutine YEHIM. Finally all the nodes except for the internal generator nodes are eliminated. Thus the Y matrix for the reduced network is obtained. This reduction of the network admittance matrix helps in reducing the execution time of the program considerably. The size of the reduced matrix is checked by comparing it with the maximum size specified. If it exceeds the specified value then an error signal gets printed. This reduced Y matrix is printed into a file specified by (unit = NRDE).

(v) Modelling Subroutines

These subroutines are called to calculate initial conditions of the system. They solve the dynamic equations of the generators and their controllers. The development of these subroutines are based upon the analog computer approach. The two main function of the subroutines are.

- (1) They calculate the initial conditions of the machines and the controller state variables and the initial controller set points.
- (ii) They calculate the time derivatives of the machine and controller state variables at each integration time step.

These subroutines are classed according to whether they model a generator, excitation system or turbine governor model.

- This subroutine develops models for generator, GSMDIN exciter, and turbine - governor. This calls three sub routines. One for generator modelling, the second for exciter modelling and the third for governor - turbine modelling. GEN MOD - This is the subroutine called by the previous subroutine. This in turn calls a subroutine GEN 1. This subroutine is derived from the analog model of the various types of generators. The generator modelling subroutine gets somewhat complicated by taking into account saturation. The integrators are first defined. This is nothing but the generator terminal voltage and current in terms of the synchronous reference frame. From this the integrator inputs are calculated. That is the initial conditions of the gene rator state variables like ω , S_{i}^{\bigcirc} B_{d} and B_{d} as well as the initial field voltage and the initial mechanical input power are calculated. The algorithm for calculating the generator initial conditions has been described in the previous section (3.0). During the step by step simulation the function of the generator subroutine is to calculate the time derivatives of the generator state variables. The algorithm for this is described in great detail in the section (3.0).

The excitation system subroutines are <u>AVR1</u>, <u>AVR2</u>, <u>AVR3</u>, <u>AVR4</u> and <u>AVR5</u>. These subroutines are derived from the analog model of the different excitation systems. The turbine governor subroutines are <u>TUR1</u>, <u>TUR2</u> and <u>TUR3</u>. These subroutines are also derived from the analog models of the various turbine governor systems. In the excitation system subroutines first the integrator outputs are defined and then the intermediate variables are calculated. In this process the integrator inputs are calculated. A check is carried out on the initial conditions calculated for every excitation system model. It is done to see whether the initial conditions are within specified limits or not. If not then an error signal gets printed into the output file. The same thing is done in the case of turbine governor. subroutines.

(vi) Read System Condition

The system conditions are read from an input file specified by the control file. SYSCON be the integer variable which indicates the system conditions. If SYSCON is 0, then a three phase bus fault is simulated, 1 then a three phase line fault is simulated, 2 if line has been kept open, 3 for simulation of load change, 4 then loss of excitation is simulated, 5 for three phase bus fault cleared and 6 for the loss of generation.

The various values of the SYSCON input data is read from the input data file with (unit = INSYC). In the case of three phase fault the bus at which the fault has occured is read. Similarly for the three phase line fault the line number, distance from the sending bus is read. For the simulation of loss of excitation generator number on which field fault has occured and the type of field fault whether open circuited or short circuited is read. When there is a change in the load then the bus number at which the load is changed and the new values of active power and reactive power of the load is read. Thereafter the load is converted to shunt admittance. After reading the system condition and obtaining the new reduced admittance matrix for the given system condition the network and armature algebraic equations are solved. Thereafter the following subroutines are called by the main program. MATRIX - This subroutine calculates the equivalent Y matrix for internal generator buses. It augments the Y matrix with internal generator buses and eliminates the terminal buses.

<u>NWSOL</u> - The next subroutine after MATRIX, NWSOL is called in the main program. This subroutine solves the network and armature equations. The solution procedure has been described in the section (3.C).

Then the modelling subroutines are called to calculate the state variable derivatives at each integration time step. If the variable IPROT is not equal to zero then the relay protection schemes are called to identify the faulted portion of the system by the subroutine <u>RELAY</u>, till the fault is cleared. This protects the system from any damage.

The variables to be printed are stored in the array PRTVAR(I,J), where I = no. of generating units and J = no. of printout variables. The variables to be printed can be stated by inserting statements which specifies the elements of PRTVAR(I,J) in the machine and controller subroutines.

The <u>INT</u> subroutine is then called in the main program to calculate the state variables for next increment in time. Once the total simulation time has elapsed the new network condition is checked and the program execution comes to an end.

<u>OUTPUT</u> - This subroutine gives printouts of the variables calculated during the simulation.

CHAPTER -5

DESCRIPTION OF THE SYSTEM

The NORTHERN REGIONAL power system example taken for study comprises of 93 total buses. Out of which there are 63 load buses and 29 generator buses. The system base MVA is 100. The input data sheets has been provided in this section for bus, line, machine, excitation system models, transformers, capacitors and reactors and turbine governor models. Different types of system conditions have been considered in this system. The system performance for these conditions can be observed one by one. This has been discussed in the next section.

In this example three types of generator models have been included. They are (i) two axis model (ii) one-axis model and (iii) Infinite bus. All these have been described in great detail in the 2nd chapter. Five types of exciter models have been considered. They are (i) IEEE Type 1 excitation system (ii) IEEE Type 1s excitation system (iii) IEEE type 2 excitation system (iv) IEEE type 3 excitation system (iv) IEEE type 4 excitation system. Along with these five types of exciters, three types of turbine governor systems are modelled. They are (i) steam turbine (ii) hydraulic turbine with mech governing unit (iii) hydraulic turbine with electrical governing unit.

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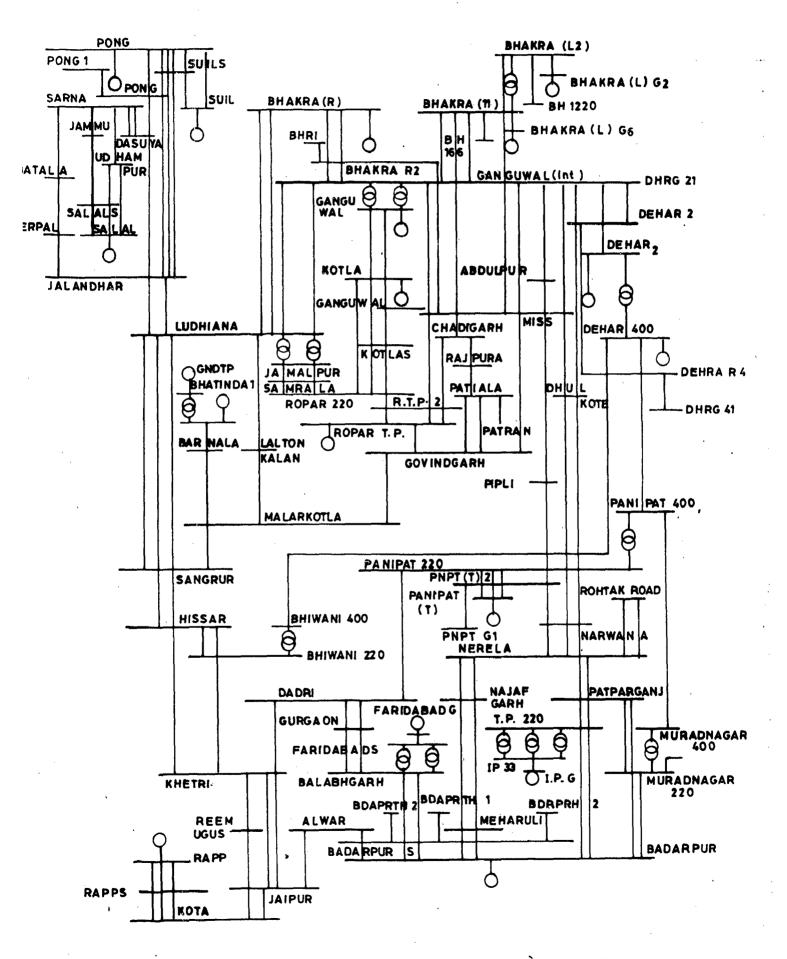
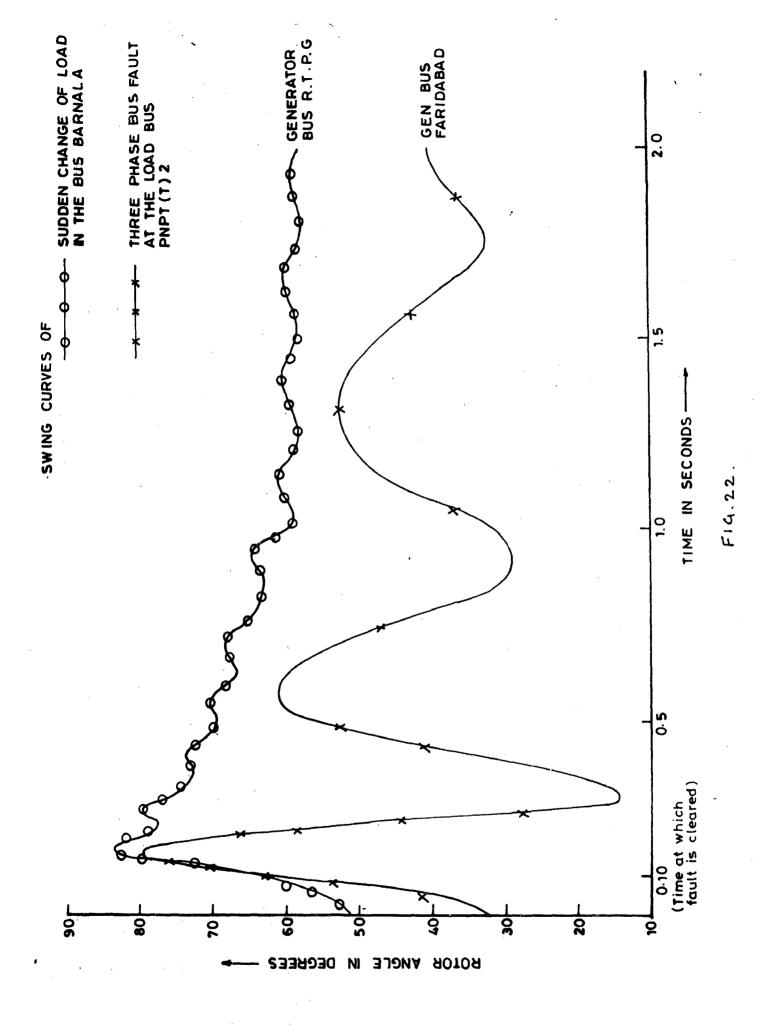


FIG. R4. SINGLE LINE DIAGRAM OF NORTHERN REGIONAL GRID



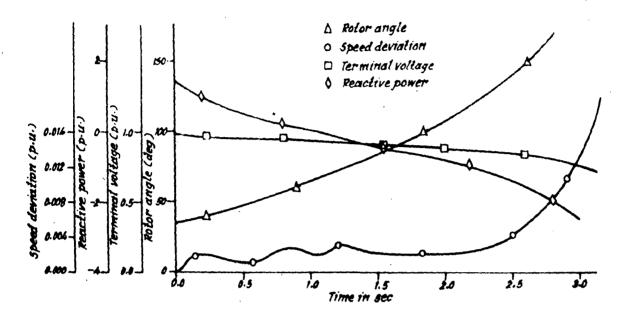


Fig. 23. Response of 220 MW unit of Ropar Thermal Power Station under loss of excitation.

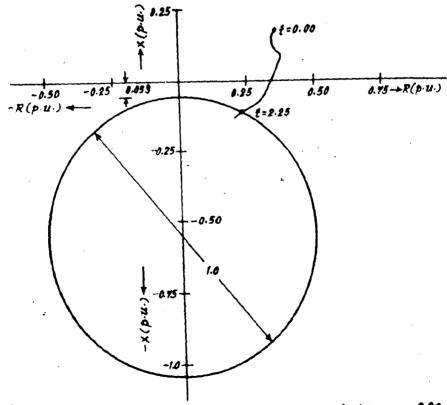


Fig 24 Impedance loci during loss of excitation on 220 MW unit of Ropar Thermal Power Station ,

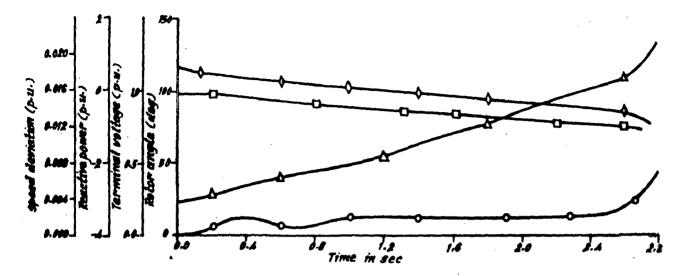


Fig. 25. Response of 110 MW unit (133kV bus) of Guru Nanakdev Thermal Power Station under loss of excitation .

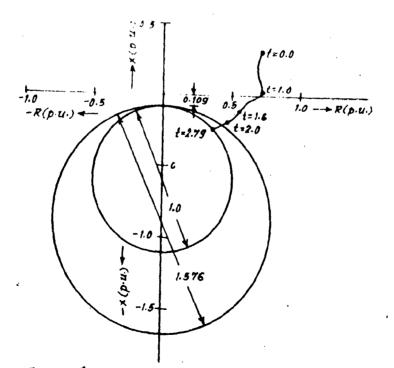
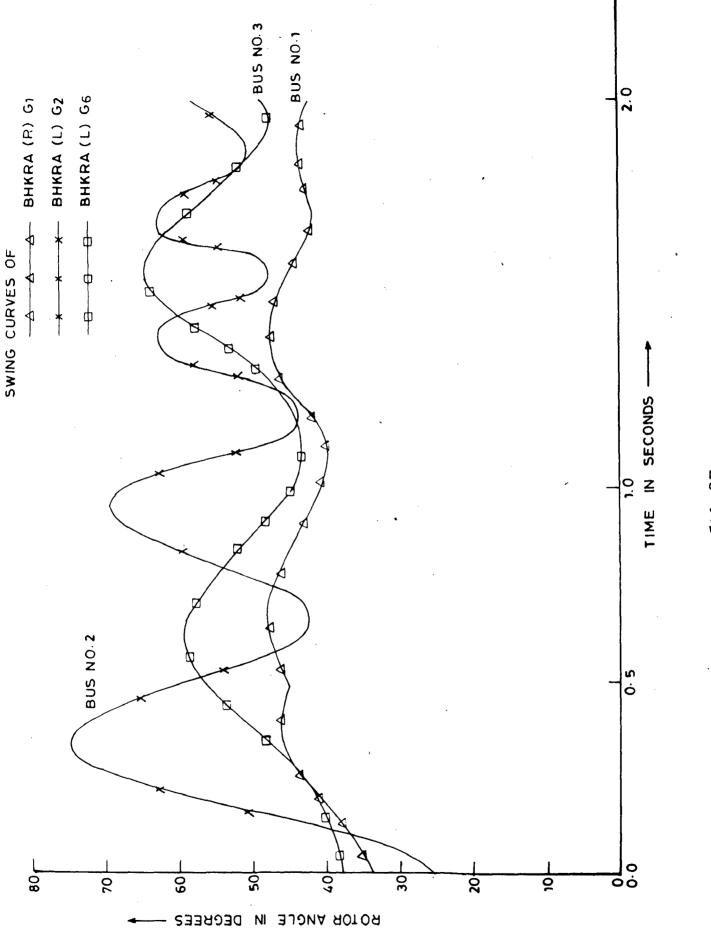
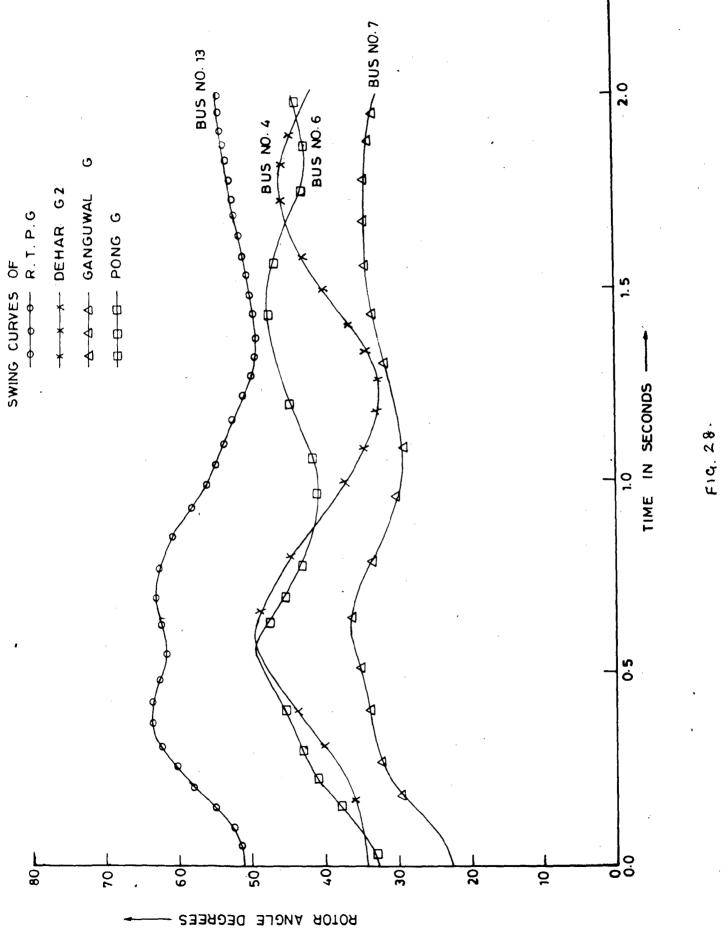
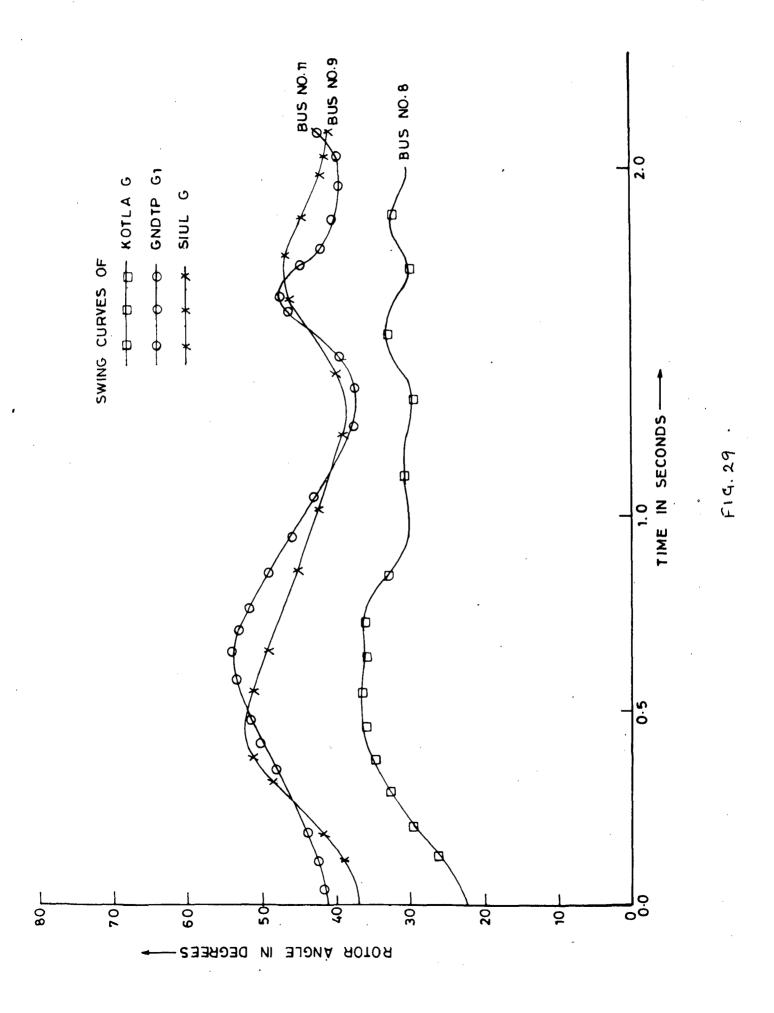


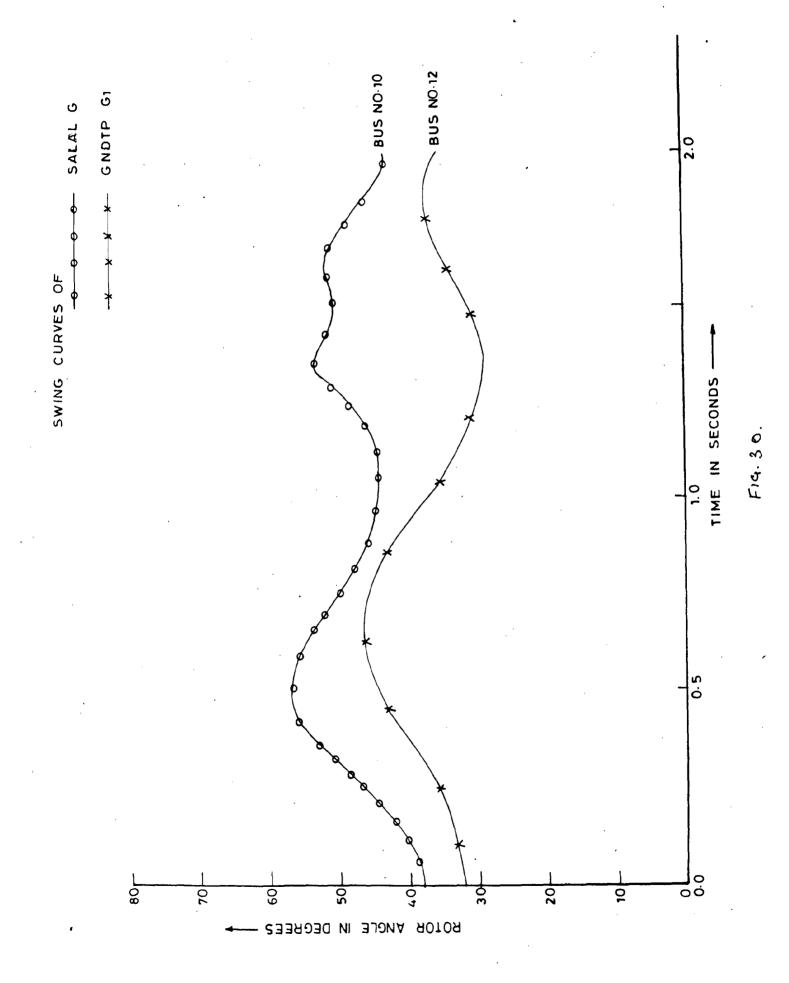
Fig. 26 Impedance locit during loss of excitation on 110 MW unit connected to 132 kV bus of Guru Nanakdev Thermal Power Station.



F1G. 27







LOAD FLOW STUDY OF NORTH-WEST POWER SYSTEM

SYSTEM DATA SYSTEM DATA

SYSTER BASE AVA 138. 93 NUMBER OF BUSES NUMBER OF LOAD BUSES 63 NUMBER OF GENERATOR BUSES 29 NO OF TRANSFOR MERS 48 NUMPER OF PHASESHIFTERS NUMBER OF BUSES HAVING CAPACITOR/RECTOR 42 . NUNBER OF SLACK BUSES 1 SLACK BUS NO AND NAME

5 DE HAR 64

a		BADARPUR E	STEA	THD-	198.	128.	2.670	. 999	. 878	1.528	.224	1.258	. 388	6.588	. 588	2.009	. 889	•
	888 2	B RAPP 6	NUCL	TNO-	228.	122.	5.858	.884	.125	.743	.182	. 458	.518	4.618	. 388	2.888	. 288	
	888 8		NUUL				21000											•
		MR. DNGR 4	INFI	04E-	35!.	138.	. 222	. 688	. 888	. 688	,138	.138	. 898	, 888	, 899	. 809	, 828	;
	885 B	8														0 000	809	
	28	BH166	HADE	1¥0-	128.	155.	1.828	. 880	. 183	.921	. 383	.568	. 568	7.658	, 1999	2,898	. 999	•
	555 1								107	694	787	.568	5.14	7.658	002	2.088		
		BH1228	HYDR	T¥0-	103.	18e.	4,838	285	. 183	.921	. 393	.000		1.000	,000	1.000	Ínnh	•
	555 1			4 116	1.70		1.115	321	. 258	.735	.228	. 497	497	7.580	. 888	2.008	. 383	,
		BHRI	HADB	1¥0-	154.	: 22.	5,615	.001	.230	1100	.110	•11	• 3 1 1					•
	1 555		HYDR	T¥0-	115	122	8.228	. 882	.278	. 686	.135	.336	. 336	8.848	. 888	2.000	. 888	
	2. 828 (5 DH8621	ការមក	:WU-	102.	1001												
		1 DHR641	HYDR	TWO-	165.	122.	8.22 8	. 282	.278	. 686	.125	.336	.336	9.1848	. 888	2.889	. 888	
	999		111000															
		5 NG1	HYDE	T¥0-	52	. 199.	3.228	. 234	. 198	1.385	. 338	.810	, 818	5,000	. 888	2.000	. 999	1
	885																	
	2	4 PN 9161	STEA	1¥0-	112	, 138.	4,588	. 898	. 333	1.578	.218	1.491	.958	6.849	1.500	2.888	, 989	•
	828	5 B											05.0	6.840	i caa	1 000	004	
		7 GN0621	STEA	THO-	118	. 192.	4,588	. 282	. 333	1,578	.218	1.491	, YOU	0.070	1,040		,000	1
		2 8							970	1.528	274	1.258	. 389	6.500	. 588	2.889	, 829	,
		e Borprh2	STEA	180-	169	1. 1.62.	2.5/6	. 292	.0/0	1. 320	****				,,			•
		2 8		THO	24	n (aa	5.16		.084	. 891	. 123	.854	. 468	7.888	2,58	2,998	. 88).
		29 BDAPRTHI	STEA	140-	11	0. IEC		,										
		2 1 38 BDAPRTH2	STEA	TND-	21	8. 122	. 5.16	88. 681	.284	.891	, 123	,854	. 46	7.888	2.58	2,88	, 3 8	2,
		2 1	gi tight	1.40							•							
	1	<u> </u>												•				
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κ.																		
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-- BUS DATA ---- BUS DATA --

--GENERATION--- ----LOAD---- BUS YOLT REA GEN/BUSYOLT LIN UNIV-BUS 8US SED TYPE VOLT ACTIVE ACTIVE REACT DESIRED UPPER LOWER REACT ERSAL MVAR K٧ HH -NW NVAR P.U. NVAR/P.U. BUS NO NAME 1 PV 11 418.72 . 88 5.67 3.81 1.88 212.88 -212.00 1 BH KRA(R)6 2 PV 11 183.68 . 88 1.62 1.33 1.88 185.58 -185.58 2 BH KRAILIS2 3 PV 91.80 11 . 88 2.43 1.33 1.00 52.58 -52.58 3 GH KRA(L)66 4 PV 11 148.25 . 88 2.43 1.33 1.88 54.88 -54.88 4 DE HAR 62 5 SLACK 11 123.48 .88 . 5.67 3.81 1.82 162.58 -162.58 5 DE HAR 64 11 255.00 6 PV :00 5.67 3.81 1.88 158.88 -158.88 PO NG G 6 7 PV 11 65.45 . 88 .81 .42 1.89 45,88 . 88 7 GA NOUNAL 6 8 PV 11 65.45 . 88 . 81 .42 1.88 45.88 . 88 8 KOTLA 6 9 PV 11 153.08 .84 1.89 .88 1.62 87.22 . 88 9 . STUL 6 18 PV 11 293.25 . 84 3.24 1.75 1.88 167.88 -167.88 I SALAL 6 - 11 PV 11 93.58 . 88 8.91 4.76 1.80 65.88 . 88 11 GN DTP 61 12 PV 11 63.75 . 88 8.91 4.76 1.88 65.25 . 68 12 GN DTP 62 13 PV 11 187.88 . 88 17.82 9.52 1.88 136,38 . 88 13 R.T.P.G 14 PV 11 164.98 . 68 17.82 9.52 1.88 168.88 . 98 14 PN PT(T)6 15 PV 11 114.75 . 88 6.89 1.82 11.34 75.88 -75.88 15 FA RIDBAD 6 16 PV 11 232.98 . 88 22.68 12.19 1.88 189,58 . 98 16 I. P. 6 17 PV 11 85.88 .00 12.55 6.72 1.88 62.82 17 BA DARPUR 6 . 88 18 PV 21 187.88 . 89 16.20 8.68 1.88 128.58 . 88 RAPP 6 19 19 LOAD 220 . 88 . 88 . 88 .83 . 1.83 1.82 .78 19 GHKRA 82 -20 LOAD 220 . 99 . 88 . 88 .20 1.23 1.88 .78 22 OH KRA 12 21 LOAD 66 . 88 . 88 79.38 33.25 1.88 1.88 21 BH KRA L6 .76 22 LOAD 228 . 89 . 89 28.35 15.19 1.88 1.88 .78 22 ge har 2 23 LOAD 488 . 88 . 88 . 88 . 88 1.88 1.88 .78 23 24 LOAD DEHAR 4 . 28 228 . 88 ' . 88 1.88 1.88 . 88 . 78 24 PONGS 25 LOAD 132 . 88 . 88 . 88 . 89 1.88 1.88 .78 25 **GANGUNAL 1** 26 LOAD 132 . 88 . 80 . 82 . 82 1.88 1.88 .78 26 KOTLA S 27 LOAD 220 . 88 . 89 . 88 .00 1.22 1.02 .78 27 SUILS 29 LOAD 228 . 88 . . 82 . 98 1.82 1.89 . 88 . 78 28 SALAL S 29 LOAD 132 . 88 .88 178.18 91.88 1.88 1.88 .78 29 BHATINDA I 38 LOAD 220 . 88 . 89 . 68 . 98 1.82 1.88 .78 38 GHATINDA 2 31 LOAD 228 . 88 . 68 .88 . 22 1.98 1.88 .78 31 32 LOAD **R**.T.P. 2 228 . 88 . 88 .08 . 82 1.88 .78 .78 1.80 32 33 LOAD PNPT(T)2 66 . 88 . 88 . 88 . 88 1.88 1.88 -14 LOAD -33 FA RIDBAD S . 220 . 88 . 88 .76 202.50 188,58 1.88 1.88 35 LOAD 34 - 33 GALABGARH . 80 . 88 113,48 68.69 1.88 1.88 .78 35 36 LOAD 220 I.P. 3 . 68 . 88 81.08 43.42 1.88 1.88 .78 37 LOAD 36 I.P. 2. 220 . 88 . 88 . . 88 . 88 1.88 1.02 .78 37 BA DARPUR S 38 LOAD 228 . 88 . 60 81.62 43.48 .78 38 .78 39 1.88 1.86 39 LOAD RAPPS 228 . 88 . 88 . 88 . 88 1.88 1.88 MI SS A LOAD 228 . 88 .88 219.68 112.77 1.88 1.88 .78 48 TANALPUR 2

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	41 LOAD	22 8	. 39	. 29	48.58	21.78	1.20	1.80	.78	- 8 5	
	42 LOAD	223	. 88	. 88	81.98	43.48	1.08	1.98	.78	4)	GOVINDGARH
	43 LOAD	220	. 68	. 88	64.88	34.72	1.88	1.88		42	CHANDIGARH
	44 LOAD	228	. 88	. 88	72.89	38.64	1.96	1.00	.78	43	AB DUL APUR
	45 LOAD	228	.88	, 80	48.58	21.78	1.82		.78	44	PHULKOTE
	46 LOAD	228	. 28	. H	36.45	19.53	1.88	1.83	.78	45	PIPLI
	47 LOAD	229	. 88	, 88	81.88	43.48	1.96	1.89	,78	46	RA JPURA
	48 LOAD	228	. 68	. 88	48.58	21.78	1.02	1 .96 1.83	.78	47	PATIALA
	49 LOAD	220	. 28	. 86	48.58	21.70	1.00	1.98	.78	48	9 ATRAN
	.58 LOAD	228	. 68	. 88	52.65	28.21	1.80	1.88	.78	49	MA LERKOTLA
	51, LOAD	228	. 88	. 98	24.38	13.82	1.88	1.82	.78	58	LA LTONKLN
	52 LOAD	228	. 83	. 88	72.98	39.86	1.00			51	BA PNALA
	53 LOAD	220	. 88	. 28	283.50	151.90	1.00	1,68	.78 .	52	<i>s</i> pa ngrur
	54 LOAD	228	. 82	. 80	72.98	39.86		1.00	. 78	53	J4LANDHAR
	55 LOAD	228	. 88	. 28	64.98	34.72	1.82	1.83	.78	54	VERPAL
	56 LDAD	228	. 88	. 88	64.88	34.72	1.88	1.88	.78	55	BATALA
	57 LOAD	228	. 88	. 88	81.88		1.82	1.88	.78	56	SARNA
	58 LOAD	228	. 88	. 88	43.74	43.48	1.88	1.88	.78	57	JANNU
	JY LUHU	110				23.45	1.82	1.00	, 78	58	UDHANPUR
	60 LOAD	132	. 88	, ee . 89	40.58	21.78	1.88	1.88	. 78	68	JANALPUR 1
	61 LOAD	132	. 88	. 98	48.58	21.78	1.08	1.88	.78	61	SAMRALA
	62 LOAD	132	. 28	. 68	93.15	49.91	1.82	1.80	.78	62	PAR
	63 LOAD	488	. 89	. 86	.88	. 68	1.00	1.88	.78	63	PN PT 4
•	64 LOAD	229	.88	. 38	145.88	78.12	1.86	1.88	.78	55 64	PNPT 2
	- 65 LOAD	229	. 88	. 98	52.65	28.21	1.82	1.20	,78	۰۹ ئ5	
	66 LOAD	228	. 88	. 88	162.68	36.89	1.89	1.28	. ,?8	30 56	GU RBAUN
	67 LOAD	228	. 88	. 28	28.35	15.19	1.80	1.02	,78		DA DRI
	68 LOAD	229	. 88	. 89	89.18	47.74	1.88	1.22	,78	57	BHIWANI 2
	69 LOAD	488	. 86	. 66	.08	.98	1,82	1.98	,76	68 59	HISSAR
	78 LOAD	228	. 88	. 88	166.85	88.98	1.82	1.00			BHINANI +
	71 PV								,78	13	NA-RWANA
	71 PV 72 LOAD	488	298,35	. 60	. 88	. 88	1.82	. 88	. 36	71	MR INSR 4
•		228	80	. 89	.88	.88	1.88	1.00	.78	72	MR.DNBP 2
	73 LOAD	228	. 88	. 88	152.08	66.80	1.08	1.88	,79	73	NERELA
	74 LOAD	228	. 88	. 82	93.15	49.91	1.00	1.88	.78	74	D. RH. ROAD
	75 LOAD	220	. 88	. 88	76.95	41.23	1.89	1.00	.78	75	PATPARGANJ
	76 LOAD	222	. 88	, 99	89.18	47.74	1.88	1.88	.78	76	Najafbarh
	77 LOAD	228	. 88	. 88	174.15	93.24	1.98	1.00	.78	77	MEHRAULI
	78 LOAD	228	. 88	. 88	76.95	41.23	1.80	1.88	.78	78	KHETRI
	79 LOAD	228	. 88	. 88	137.78	73.78	1.88	1.00	.78	79	JAIPUR
	88 LDAD	228	88	. 83	48.68	26.84	1.82	1.23	.78	88	REENUGUS
	81 LOAD	228	. 68	, 88	148.94	75.46	1.88	1.98	.78	81	kota
	82 LOAD	228	. 88	. 89	56.78	30.38	1.82	1.88	.78	62	ALWAR
	83 PV	11	91.88	. 39	. 88	. 68	1.88	52.58	-52,58	83	BHISS
	84 PV	11	91.88	. 88	. 99	. 99	1.88	52.58	-52.58	84	BH122
	85 PV	11	93.5 8	. 88	. 98	. 89	1.88	53.88	-53.00	85	BHRI
l 1	86 PV	្រា	149.25	. 99	. 88	. 63	1.90	54,88	-54.90	36	DHR621
1	87 PV	11	148.25	. 88	.08	. 88	1.88	54.25	-54.25	87	DH 8641
۱	88 PV	11	51.89	. 88	. 80	. 99	1.88	29.88	-29.88	88	NGI
• .	89 PV	11	82.17	. 88	8.91	4.76	1.68	72.58	-72.58	89	pnptgi
	98 PV	11	63.75	. 99	8.91	4.76	1.89	56.5 8	-56.58	98	GN 0621
1	91 PV	11	85.88	. 88	12.55	6.86	1.#8	62.00	-62.88	91	BD RPRH2
	92 PV	11	178.08	. 99	25.11	13.44	1.88	124.88	-124.38	92	GO APRTHI
	93 PV	11	179.98	.00	25.11	13.44	1.98	124.88	-124.00	93	BDAPRTH2
	10 F M		./	.00	29411	10.44	1.00	167180	1,67000	73	e sperinz

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389	541M 645	10 203	FESI3 PU	REACT Pu	SUSCPT PU	TYPE	1-849 NG.	PATING Bya	FPON BUS	TO BUS
 ;	 22		. 802	. 997	.895		8	, ð	BH KRA L2	MISS
•	13	44	.812	.848	. 289	1	8	. 8	NESS	DH ULKOTE
3	44	64	.013	.852	.316	1	8	. e	DH ULKOTE	Pript 2
- 4	64	73	. 884	. 918	. 255	1	8	.8	PHPT 2	NERELA
5	73	74	. 882	.089	.055	1	8	.8	NERELA	D, RH. ROAD
5	14	39	. 332	. 819	.867	1	5	. 2	BHKRA R2	MESS
`	; ¢	48	. 887	.836	.231	1	9	. 2	BH KRA R2	JA HALPUR 2
Ē	5:		. 885	. 826	.166	1	8	. 2	JANALPUR 2	TALANDHAR
;	:5	52	. 650	, 034	.206	1	8	. 8	JA MALPUR 2	sa ngrur
: 2	51	88		. 868	. 366	1	8	. 2	SA NGRUR	HISSAR
11	58	57	. 826	.824	.146	1	5	. 8	HISSAR	BHIWANI 2
12	67	66	. 281	. 986	.158	1	8	. 8	GHIWANI 2	DADRI
15	65	65	. 999	. B 33	. 282	1	9	. 8	T ADRI	GURGADN
14	65	34	. 884	.817	, 185	1	8	. 8	QURSAON	BALABGARH
15	22	39	. 884	, 826	.172	1	8	. 8	DEHAR 2	MISS
1¢	39	43	. T 26	,134	.215	1	. 8	. 8	MISS	A B DULAPUR
17	43	45	. 809	, 848	. 864	1	e	. 8	ABDULAPUR	PIPLI
15	45	64	. 812	.858	. 893	1	8	. 8	PIPLI	PNPT 2
13	17	48	. 296		. 208	1	\$. 8	MISS	JANALPUR 2
15	39	41	.814			1	5	. 8	MISS	GOVINDGARH
.:	19	31	.005			1	8	. 8	MISS	R. T.P. 2
	ुव	42	. 813			ł	8	. 8	MESS	CHANDIGARH
	42	51	. 996			1	8	. 8	CHANDIGARH	R.T.P. 2
1	47	46	. 885			1	8	. 8	CHANDIGARH	RA JPURA
	31	41	. 295			1	. 8	. 8	R.T.P. 2	QOVINDGARH
2.	41	17	, 983		.185	1	e	. 8	COVINDEARH	PATIALA
. '	41	49	. 388	.839	.862	1	8	. 8	GOVINDGARH	MALERKOTLA
23	47	46	. 884	.822	.835	1	8	.8	PATIALA	RAJPURA
29	47	48	. 008	. 841		1	8	.8	PATIALA	PATRAN

-- LINE DATA --

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	3	48	58	. 983	.813	. 828	1	8	. 8	JA HALPUR 2	LALTONKLN	
	34	87	10	. 968	.841	. 868	1	ŧ	. 8	LA LTONKLN	MALERKOTLA	
	12	Ŀ	1	. 985	.824	.154	1	8		BH ATINDA 2	BARNALA	
		1	<u> 52 </u>	. 897	. 835	.854	1	8	. 8	BA RNALA	SANGRUR	
, ,	34	1	10	. 698	.841	.868	1	8	. 8	BARNALA	MALERKOTLA	
	.5	47	52	. 885	.026	.842	1	8	8	MALERKOTLA	SA NGRUR	
	15	27	24	. 889	, 844	. 288	1	8		SVIL S	PO NG S	
		24	59	. 887	.035	.056	1	8	.8	PO NG S	04 SUYA	
	13 39	59	_53_	. 889	.047	.874	1	1	.1	da suya	JALANDHAR	
	۲د ۱۹	24	-53	. 896	. 828	. 389	1	8	.8	PONG S	JA LANDHAR	
	42	28	57	.812	.862	.188	1	8		SALAL S	'JA HHU	
	41	28	58	.083	.018	.112	1	8	. 0	SALAL S	VD HANPUR	
	42	57	56	. 815	.875	.128	1	8	. 8	JANNU	S A RNA	
	43	58	56	. 828	.184	.166	1	8	.6	UDHANPUR	sa rna	
	44 + E	56	59	.005	.824	.154	1	Ū -		SA RNA	ØASUYA	
	45	54 £1	55	.018	.058	. 888	1	8	. 8	Sa RNA	BATALA	
	46 47	54	.53	.B13	.866	.853	1	I	.8	VERPAL .	JALANDHAR	
		54	55	.827	.038	.061	1	8	.0	VERPAL	BATALA	
	49 47	32	78	. 898	.841	.267	1	9	.8	PNPT(T)2	NA RHANA	
		32	64	. 808	. 804	.856	1	8	.8	PNPT(T)2	PNPT 2	
	58	78	68	.812	.868	. B 96	1	8	. 8	NARHANA	HISSAR	
	51	54	66	.818	.891	.147	1	8	.8	PNPT 2	oa dri	
	52 53	65	78 70	.823	.115	.177 _	1	8		DADRI	AHETRI	
	54	68	78 78	.819	.896	. 152	1	8		HISSAR	KHETRI	·
	55	78 78	79 80	.812	.868	. 384	1	8	. 8	KH ETRI	JAIPUR	
	56	75 68	80 79	.013 .011	.867	.197	1	1	. 8	KH ETRI	REENGUS	
	57	82	79	.821	.854	. 897	1		. •	REENUGUS	JAIPUR	
	58	37	82	.824	.186	.171 .192	1	Ð	. 8	ALWAR	Jaipur	
•	- 59	37	02 34	.882	. 120	. 192	1	6		GADARPUR S	A LWAR	
	69	37	77	.002	·•••	. 843	1	•	. 8	BADARPUR S	BALABGARH	
	00	27	, 1 1 ,	· 641	· • •••/	• 849	1	ł	.1	BADARPUR S	MEHRAULI	_
	61	77	76	. 882	.811	.866	1		.0	m Ehraul I	NAJAFGARH	• `
	52	76	73	. 883	.814	.885	1	e e	 .8	NAJAFGARH	NERELA	
	63	73	75	. 883	.814	. 800	1	t i	.8	NERELA	PA TPARGANJ	
	54	75	36	. 888	.812	.685	1	R	.8	PA TPARGANJ	I.P. 2.	
	65	36	30	.881	.986	. \$39	1	ħ.	.8	I.P. 2.	BADARPUR S	-
	56	72	75	.882	.887	. 156	1	A ·	.8	MRDNGR 2	PATPARGANJ	-
	57	72	37	.811	.858	.987	1	8	.8	MEDNER 2	GA DARPUR S	
	- 68	67	78	.929	.142	.218	1	Ī		BHINANI 2	KHETRI	
	69	23	63	.895	.058	1.538	1		.8	DEHAR 4	PN PT 4	
•									• •			

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,	±6	23	59	. 206	.872	1.821	1	a	. 9	DEHAR 4	A	
	71	63	71	.882	.817	, 493	1	ě	. 8	PN PT 4	BHIWANI 4 MRDNGR 4	
	72	25	26	. 662	.811	. 160	1	2	. 8	CANGUNAL 1	KOTLA S	
	1	26	52	.815	. 8 32	. 857	1	ę	. 8	KOTLA S	PAR 1	
	-1	61	é1	. 826	.851	, 24 1	1	8	. e	PAR 1	SA NRALA	
	75	.61	58	.02:	.242	. 231	1	8	. 8	SA MRALA	TA NALPUR 1	
	74	38 81	81 79	.882 .815	.812	.172	1	ŧ	. 2	RA PP S	no ta	
	7	19	1	565	.877 .892	.486	1	5	. 8	ko ta	JA IPUR	
		28	7	. 886	.814	. 898 . 896 .	3	1	. 8	BH KRA R2	BH KRA(R)6	
	:2	22	2	. 898	.083	. 228	ა ა	2	.8	BH KRA L2	BH KRA(L)62	
	21	21	3	. 888	.185	. 868	3	् ।	. 8	BH KRA L6	BHKRA L2	
	92	22.	L	. 888	.269	. 388	3	•	.8 .8	<mark>by kra lb</mark> вн har 2	BHKRA(L)66	
	53	23	5	. 882	.875	. 288	3	6	.8	BH HAR 4	By har 62 By har 64	
	34	<u>21</u> 25	5	. 999	.188	. 888 .	3	7	. ŧ	PO NG S	PONG G	
•	85		7	. 883	.367	. 888	3	8	. 8	GA NOUNAL 1	GANGUNAL 6	
	96	26	8	. 888	.316	. 888	3	9	. 6	NOTLA S	KOTLA G	
	<u>6</u> 7	27	9 . •	. 888	.153	. 228	3	18 -	. 8	SUIL S	STUL B	
	99 	25 29	18 15	. 208 200	.882	, 282	3	11	. 0	SALAL S	SALAL G	
	M	38	12	. 828 . 828 .	.892	. 288	3	12	. 8	GHATINDA 1	QNDTP 61	
	:1	38	29	. 329	.115 .069	. 888 . 998	3 3	13	.8	GMATINDA 2	GNDTP 62	
	•2		13	. 888	.055	. 866	3	14 15	. D . B	BH ATINDA 2	BHATINDA 1	;
	¢ .	<u>31</u> 32	14	. 888	.115	. 688	3	16	.0	R.T.P. 2 PNPT1T12	R.T.P.6	
	34	33	15	. 888	.81	. 888	3	17	. 1	FARIDBAD S	ØN PT (T) B Faridbad b	
	2 5	34	33	. 888	.145	. 298	3	19	. 9	BALABGARH	FARIDEAD S	
	• 5	37_	17	. 888	.128	. 396	3	19	. 8	BA DARPUR S	BADARPUR 6	
,	57 	23	22	. 888	.858	. 388	3	28	. P	DEHAR 4	DEHAR 2	
	99 20	72 35	71	. 882	. 252	. 989	3	21	6	MR DNGR 2	mr DNGR 4	
	:53	30 26	16 35	. 883 . 888	.861 .197	. 382	3	22	.8	I.P. 3	T . P. 6	
	121	15	58 58	. 888	.038	. 888 . 888	3 3	23		I.P. 2,	I.P. 3	
	182	57	69	. 888	. 825	. 888	3	24 25	6. 5.	JA HALPUR 2	JANALPUR 1	
	:23	34	62	. 888	. 125	. 638	3	26	.e .e	ВН INANI 2 R-1.P. 2	BHIWANI 4	
	134	25	39	. 293	.838	. 888	3	27	.8	GANGUWAL 1	PAR 1 MIISS	
	152	64	63	. 298	.831	. 828	3	28	.8	PN PT 2	PNPT 4	
	18:	38	18	. 888	. 868	. 232	3	29	.8	RAPP S	RAPP 6	
	107	21	83	. 888	. 888	. 828	3	28	.8	BH KRA L6	BH166	
	129	<u>20</u>]9	84 <u>.</u> 85	. 888	. 866	. 888	.3	31	. 8	BHKRA L2	BH1228	
	129			. 909	. 868	. 298	3	32	. 8	BH KRA R2	BHRI	
	118	22	86	. 898	. 288	. 683	3	33	. 8	DEHAR 2	≫ HR621	
	111 112	23	87 30	. 898 .	- 898 - 898	. 888	3	34	. 8	DEHAR 4	DH R641	
	112	24 32	<u>38</u> 39	. 888 . 888	. 888 . 838	. 88 8 . 999	3	35	. 8	PONES	NGL	
	113	38 38	07 98	. 888 . 888	. 888 , 898	. 888 . 668	3	36 37	. 8	PNPT(T)2	PNPIGI CNDS21	
	115		91	. 888 . 888	, ece , 828 ,	. 888.	3	38	. U . U	BHATINDA 2 BADARPUR S	GND621 BDRPRH2	
	115		92	. 898	. 898	. 238	0 	39	.0	BA DARPUR S	BDAPRTH1	
	113		33	.080	. 998.	. 233	3	48	.8	BADARPUR S		

	BUSES								NES				
	NAME			-	-GEN/LOAI NH	D/REA/CA Hvar	.P	NO	NAME	LIN MH	nvar	HVA	RENA
	Bykra(r)6	1.	88	PU	41 8. 728	12.068	GEN						
					5.670 .808 .888	. 292	REC						
					RÍ	EMARK							
		1	N15	INATCH	1.283	MW	597	HVAR	:				
2	BM KRA (L.) 62							28	KRA L2	-37.56	-1.09	37.58	
					1.520								
		'	00	AHD	888. 000	. 000 . 986							
						EMARX							
		;	ME	SMATCH	-219,544	MW	-,141	NYAR	:				
3 1	6 4KRA (L) 66	i.	88	PU	91.888	26.115	GEN	21	KRA L6	89.89	24,73	93.23	
		11.	28 28	KV	2,430 .000	1.338	LOAD						
		15.	710	HAD .		. 688 , 888							
						EMARK	Un!				-		
		:	MI	SMATCH	, 529		059	MVAR	:				
4	DEHAR 62	1.	98	PU	148,258	-1.522	GEN	22	HAR 2	138.48	-3.85	138.52	
					2,438								
		Υ.	98	ANG	. 889 888	. 339 . 338							
						ENARK	Q .11			3			
		1		SNATCH	, 663	MN	-,197	NVAR	;				
5	DEHAR 64							23	HAR 4	-61.81	-9.44	61.73	
				KΨ		3.819							
		•	6¥	ang	. 088	. 888 . 888 Kemark							
		;	NI	SNATCH	ء 3,437		-1.098) MVAR	;				
6	PONS 5							24	NG S	246.73	16.92	247.25	
					5.679								
		11	. 42	ANG		. 981 . 981				. *			
						REMARK	v vnr						
		;	Ħ	SNATCH	-2.59		.87	I HVAR	;				

7 GANGUNAL 6 1.02 PU 65.450 .000 GEN 25 NGUNAL 1 64.87 -.53 64.07

11.19 KV .818 .429 LOAD .000 .000 REC .000 .000 CAP 6.59 ANG REMARK N/LL .232 XW -.111 MVAR : : MISMATCH 1,81 PU 65.450 .880 GEN 26 TLAS 64.86 -.53 64.87 .810 .420 LOAD 11.15 KV 6,31 ANG .888 ,888 REC .886 .886 CAP REMARK N/LL : MISMATCH .225 MW -.111 MVAR : 1.01 PU 153.000 .000 GEN 27 IL S 149.46 -.80 149.46 11.07 KV 1.628 .848 LOAD 14.34 ANG .989 .989 REC .888 .888 CAP REMARK M/LL : MISNATCH -1.918 MW .044 MVAR : ' . 1.00 PU 293.250 16.627 GEN 28 LAL S 282.75 15.10 283.15 11.88 KV 3.240 1.750 LOAD . .000 .000 REC 15.25 ANG .888 .888 CAP REMARK : MISMATCH -7.261 HW . .226 HVAR : 93.500 13.832 GEN 1.88 PU 29 ATINDA 1 85.81 8.98 85.48 11,88 KV 8.918 4.768 LOAD .60 ANG .888 .888 REC .888 .888 CAP

B KOTLA G

9 SIUL 6

10 SALAL 6

11 GNDTP 61

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12 GNDTP 62 1.00 PU 63.750 26.888 GEN 30 ATINDA 2 55.18 22.03 59.42 11.08 KV 8.918 4.768 LOAD 1.41 ANG .888 .888 REC .888 .888 CAP RENARK . : MISMATCH .341 MW -.894 NVAR : . 13 R.J.P.G 1.00 PU (187.000 53.680 GEN 31 T.P. 2 169.70 43.86 175.28 11.00 KV 17.828 9.528 LOAD 6.85 ANG .080 .088 REC

.419 MW -.896 MVAR :

REMARK

: HISNATCH

REMARK : MISMATCH .523 MW -.295 MVAR :

14 PNPT(T)6	1.00 PU	164.988	21.687 GEN	32	PT(T)2	150.15	10.81 150.53
	11.98 KV	17.828	9.528 LOAD				۳,
	1.63 ANG	. 888	.000 REC		·.		

16	5 FARIDBAD 6 6 T.P. B 7 GADARPUR 6	11.00 KV 4.92 ANG : MISMATCH 1.00 PU 11.00 KV 6.33 ANG : MISMATCH 1.00 PU 11.00 KV 2.11 ANG	114.758 11.349 .000 .000 .000 .000 .000 .000 .000 .0	36.154 6.898 .889 .889 .889 .898 MARK HW 12.180 .888 .888 MARK HW 7.239 6.720 .889	GEN LOAD REC CAP 675 GEN LOAD REC CAP 986 GEN LOAD	MVAR : 33 MVAR : 35 MVAR : 37	RIDBAD S		97.46				
	6 J.P. 6 7 &ADARPUR 6	11.00 KV 4.92 ANG : MISMATCH 1.00 PU 11.00 KV 6.33 ANG : MISMATCH 1.00 PU 11.00 KV 2.11 ANG	11.340 .000 .000 .000 .000 .000 .22.500 .000 .0	6.898 .899 .809 MARK NW 118.624 12.188 .089 .888 MARK NW 7.239 6.728 .889	LOAD REC CAP 675 GEN LOAD REC CAP 986 GEN LOAD	MVAR : 35 MVAR :	Ρ. 3	217.93	97.46	238.73			
•	7 &ADARPUR 6	1.00 PU 11.00 KV 6.33 ANG : Mismatch 1.00 PU 11.00 KV 2.11 ANG	3.462 232.988 22.688 .088 .088 .088 .088 .088 .088 .089 .089	NW 110.624 12.180 .000 .000 .000 EMARK HW 7.239 6.720 .000	GEN LOAD REC CAP 986 GEN LOAD	35 Mvar :			. •				
•	7 &ADARPUR 6	11.00 KV 6.33 ANG : MISMATCH 1.00 PU 11.00 KV 2.11 ANG	22.688 	12.180 .000 .000 MARK MW 7.239 6.720 .000	LOAD REC CAP 986 GEN LOAD	MVAR :			. •				
17		1.00 PU 11.00 KV 2.11 ANG	7.712 85.808 12.558 .888 .888	₩ 7.239 6.720 .000	GEN Load			74.16	28	74.16	·		
17		11.88 KV 2.11 An g	12.550 .889 .889	6.720 .800	LOAD	37	DARPUR S	74.16	28	74.16	ï		
	۲.	2.11 ANG	. 888 . 888	. 888									
			R1	. 880 Emark									•
		: MISMATCH			-,718	MYAR ;							÷
18	3 RA PP 6	1.00 PU 21.00 KV -8.92 ANG	. 888 . 888	8.680 800. 888.	LDAD Rec	38	PP S	178.78	85.44	198.87			
		: MISNATCH		EMARK Nih	372	NVAR :							
19		1.83 PU 225.88 KV 3.93 ANG	. 888 . 888 . 888 . 888 . 869	, 888 , 888	LDAD Rec Cap	85 1 48 39	RI KRA(R)G Malpur 2 SS	222.47	25.20	224.19	- 286,95		
		: MISMATCH		ENARK Nu		MVAR :						1	
(28	D BHKRA L2	1.03 PU 226.12 KV 2.90 ANG	. 888 . 888 . 828 . 828 . 838 . 838	. 888	ldad Rec Cap	84 21 2 39	1220 KRA L6 KRA(L)62 SS:	-102.28 37.56	3.00	114,18	165.16		
		: MISMATCH				N BYAR (•				
24	A BHKRA L6	.99 PU 65.22 KV 11.17 ANG	.000 79.380 .000 .000	33.250	Gen Load Rec	83 3 20	166 KRA(L)66 KRA L2	-89.89	-6.67 -28.16 -33.48	92.12			
	, ·												

22 DEHAR 2	1.93 PU	. 899 . 698	GEN	86	RG21	-140.05	14.52	141 92	
· · · -	007 At 20	00 750 15 100	1040		11AD 4	104 00	70 / 7	170 07	
	4.12 ANG	.000 .000	REC	4	HAR CO	-170 40	11 71	130117	
		.000 .000 .000 .000 .000 .000	CAP	39	SS SS		129.28	-9.49	129.63
	: HISNATCH	3.180 MW	-1.089	MVAR :					
						3			
23 DEUAD A	1 05 PH	990 999	CEN	07	0041	-170 00	10 70		
23 ÞEHAR 4	421 95 FU	,000 ,000	1040	0/ 22	1100	-137.70	10./0	198.39	
	00 AUC .	. 888 . 889				-124.07	4/.06	132.89	
	100 MRG	.998 .998	REL	5	MAN 64	. 61.01	18.40	61.89	
		.000 .000			· · ·				
		REMARK 5.743 MW	V/VE	63	PT 4	52.67	-83.22	98.48	
	1 11208168	3./43 80	-1.856	NVAH :					
24 PONS S									
	219.50 KV	. 666 . 666	LUAD	6	NG G	-246.73	5.99.	246.81	
	6.31 ANG	. 868 . 898	REC	53	LANDHAR	317.23	-8,48	317,34	
		. 388 . 389							
		RENARK				-148.78	-6.37	148.91	
	: MISHATCH	-6.573 NW	1.320	NVAR :					
	,								
25 GANGUWAL 1	1.02 PU	. 886 . 988	GEN	39	SS		7.29	-17.02	18.52
	134.75 KV	. 282 . 886	LOAD	7	NGUMAL G	-64.87	5.25	65.08	
	2.44 ANG	. 888 . 868 .	REC	26	TLA S	59.74	9.56	68.58	
		. 886 . 886	CAP					50100	
		REMARK							
	: MISNATCH	2,162 11		MVAR :					
						١			
26 KOTLA S	1.92 PH	. 888 . 888	CEN	0	TLAC	-64 96	- 5 20	15 80	
		.008 .000							
		. 680 . 808		23	NOUWHL 1	-94.99	-10.00	010:07	
		REMARK	V/VL						
	: MISMATCH	034 MW	.824	MYAR :	1		•		
27 SUIL S	1.81 PU	. 888 . 888	GEN	9	UL G	-149.46	12.84	149.95	
	222.19 KV	. 888 . 889							
	18.24 ANG	. 888 . 888							
,		. 888 . 888							
	2	REMARK							
	• NIGNATCH	1.253 MW		NUND					
	• 111008120	1,200 11#	-,132	0442	•				
28 SALAL S	יות מת (000 001	1 051	4 m	1.41 0	000 70	, , .	000 07	
TO SMERT 3	1.88 PU	.888 .88							
	219.75 KV	189, 999, 199, 999,			HAMPUR				
	10.84 ANG	. 888 . 888		57	MMU	135,05	2,48	135,107	
		. 666 . 66	e cap						
		REMARK		=					
	: MISMATCH	-18,282 MW	2,139	MVAR	:				

: MISMATCH .842 HW -27.863 NYAR :

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							,			
29 BHATINDA 1	1.02 PU	. 888	. 888	GEN	30	ATINDA 2	-84.10	-16,18	85.54	
						DTP 61				
	-3.91 ANG		.992		••	211 01			55107	
			78.998							
				V/VL						
	: MISNATCH	.993			HUAR :					
	r ntonn on	1770		-						
75 ALLETINE D	1 87 DJI	80.0	000	CCN.	0.0	0004	51 75	10 00	E7 7	
30 BHATINDA 2						D621				
	225.62 KV					ATINDA 1 DTP 62				
	-2.32 ANG	. 10100	, 101010	HEL CAD	12	RNALA	-33.18	-11.91	28.83	
					91	NNALA	27.30	10.30	31.73	
	. MICHATOU		HARK		MIAD .					
,	: MISMATCH	1.467	n#	807	UAHK 1					
31 R.T.P. 2	1.03 PU					PAR 1				
	226.38 KV		. 688			T.P.6		-26.59		
	1.27 ANG					VINDGARH				
						ANDIGARH				
				A\AF				-66.78	18.24	69.15
·	: MISHATCH	3,238	HW	-2.361	MVAR :					
	· .									
32 PNPT (T)2	1.85 PU	, 239	. 888	GEN	89	PTG1	-72.81	.92	72.82	
	230.43 KV					PT(T)G		2.22		
	-3.34 ANG	. 689	. 999	REC	64	PT 2	88.92	-21,17	91.41	
		. 888	. 800	CAP	78	RNANA	181.65	-9.44	181.89	
			ehark							
	: MISMATCH	6.450	- 111 -	9.04	NVAR :	٠				
x						• • • •				
33 FARIDBAD S	1.01 PU	. 888	. 888	GEN	34	LABGARH	198.47	28.62	110.41	
	66.82 KV	. 888	. 888	LOAD	15		-126.87	-21.15	188.95	
	.74 ANG	. 808		REC						
		. 888	. 888							
				V/VL						
	: MISMATCH				HVAR	•				
									•	
34. BALABBARH	1.85 PU	. 9.9.9	. 2.20	GEN	33	RIDRAD	-188.47	-18.69	188.99	
₩-IF ALFUNAUUU	238.87 KV									
	-4.39 ANG			REC	65	RGAON	148.77	-29.91	158.23	
	7.JJ MND		78.88		60	nynyn	4 T 12 B / /	*** * / *		
			EMARK	_						
					ADA -	•			•	
			2 2 3 999	1.41		•				
	: MISHATC	0 01107								
יז ר וס ז	•		2.9	R GEN	22	P. 2.	194.50	18.97	106.23	
35 I.P. 3	1.02 PU	. 888				P. 2.				
35 I.P. 3	1.02 PU 33.69 KV	000 113.400	60.69	e LOAD		P. 2. P. 6				
35 I.P. 3	1.02 PU 33.69 KV 2.37 ANG	- ,880 113,488 ,898	60.69 .00	0 LDAD 0 REC						
35 I.P. 3	1.02 PU 33.69 KV	889 113.409 .899 .899	60.69 .00 .00	8 LDAD 8 REC 8 CAP						
35 I.P. 3	1.02 PU 33.69 KV 2.37 ANG	* ,889 113,409 ,998 ,989	60.69 .00 .00 Remark	8 LOAD 8 REC 8 CAP V/VL	16	P, 6				

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36 I.P. 2. 1.86 PU

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~35° P.3 -104.52 ~-8.85 104.89 .688 BEN

.009

	232.88 KV -3.07 Ang	01.000 43.400 .000 .000 .000 ips.994 REDAK	REC CAP	37 75	DARPUR S Tparganj			92.88 112.01
	· : MISHATCH	. <i>5</i> : 9 50 HN	8.650	HVAR :				
39 BADARPUR S	1.85 PU	. 288 . 289	CEN	D7	000700	147 70		
	232.18 KV			93	RPRTH2	-143.79		144.49
			LOAD	92	RPRTH1	-143.79	14.15	144.49
	-3.32 ANG	. 388 . 888	REC	91	RPRH2	-71.94	7.84	72,28
		. 999 . 996 .	CAP	17	DARPUR G	-74.16	7.24	74.52
		REMARK	V/VL	72		-34.58		
	: MISMATCH	29,311 MW	-11,649					0,110
38 RAPP S	1.01 PU	. 888 . 888	GEN	18	PP 6	-178.78	-63.78	189.74
	221.29 KV	81.888 43.488		81	TA	128.81		128.73
	-14.83 ANG	. 888 . 888		~.			19100	1201/0
	* (ERA 1994)							
		. 888 888 .	LAP					

39 MISS 1.03 PU .000 .000_GEN 25 NGUNAL 1 -7.29 17.15 18.64 225.99 KV .888 .888 LOAD 42 ANDIGARH 63.38 -16.86 65.38 2.28 ANG .888 .888 REC 31 T.P. 2 66.94 -21.49 78.31 .888 .868 CAP VINDGARH 71.76 -13.38 72.98 41 REMARK V/VL 40 MALPUR 2 158.65 46.89 165.43 : MISMATCH .992 NW -.641 MVAR :

REMARK V/VL

: MISMATCH 38,389 HH -6.736 NVAR :

40 JA NALPUR 2 1.80 PU . 883 .000 GEN MALPUR 1 34.86 8.12 35.82 LTONKLN 98.89 -31.75 96.27 68 228.05 KV 218.600 112.770 LOAD 58 -.37 ANG .000 .000 REC 39 SS -156.92 -59.50 167.82 .888 18.889 CAP 52 NGRUR 128.56 -77.84 143.58 REHARK V/VL 53 LANDHAR -80.42 90.99 121.43 : MISMATCH -.258 MW -1.267 MVAR :

41 GOVINDGARH 1.82 PU .888 .888 GEN 49 LERKOTLA 76.62 9.57 77.21 225.26 KV 48.588 21.788 LOAD 47 TIALA 91.04 -5.08 91.18 -.53 ANG T.P. 2 -135.14 -1.06 135.14 31 .888 38.888 CAP SS 39 -71.08 4.94 71.25 REMARK V/VL : MISMATCH 1.940 MW -1.382 MVAR :

42 CHANDIGARH 1.83 PU .889 .888 GEN 46 JPURA 67.88 -5.56 67.31 225.88 KV 81.000 43.400 LOAD 31 T.P. 2 -84.62 6.99 84.91 -.89 ANG .839 .069 REC 39 SS -62.86 7.39 63.38 .888 58.888 CAP RENARK V/VL .597 MH -.495 NVAR : : MISNATCH

43 AGDULAPUR	1.83 PU	. 888	.000 GEN	45	PLI	16,23	-19.57	25.43	
	226.27 KV	64.800	34.720 LDAD	39	SS		-77.95	9.33	78.50
	-3.67 ANG	.888	.000 REC	· ·					

.888 25.888 CAP REMARK V/VL : MISHATCH 3.886 MN -1.968 MVAR : 44 DHULKOTE 1.84 PU .080 .000 GEN 64 PT 2 64.56 -44.96 78.67 229.03 KV 72.090 38.640 LOAD 39 SS -133.77 53.36 144.82 -1.58 ANG .889 .888 REC .888 45.888 CAP REMARK V/VL : HISMATCH 2.876 HW -1.731 HVAR : 45 PIPLI 1.03 PU .000 .000 GEN 64 PT 2 -22.36 -25.06 33.58 227.38 KV 48.588 21.788 LOAD 43 DULAPUR -16.19 12.91 28.71 -4.89 ANG .888 .888 REC .888 18.888 CAP REMARK V/VL 1.947 HW -1.127 HVAR : : HISHATCH 46 RAJPURA .000 .000 GEN 47 TIALA 31.31 8.83 32.54 1.82 PU 225.41 KV 36.450 19.530 LOAD 42 ANDIGARH -66.88 2.44 66.92 -1.02 ANG .808 .888 REC .000 30.000 CAP REMARK V/VL : MISHATCH .884 HW -.692 HVAR : 47 PATIALA 1.82 PU .888 .888 GEN 48 TRAN 48.83 5.84 41.14 224.64 KV 81.008 43.400 LDAD 46 JPURA -31.27 -12.25 33.58 -1.36 ANG .000 .000 REC 41 VINDGARH -98.79 -4.73 98.91 .888 38.888 CAP REMARK V/VL : MISHATCH -.226 NW .189 NVAR : 48 PATRAN 1.01 PU .808 .008 GEN 47 TIALA -48.69 -11.25 42.22 49.588 21.788 LDAD 223.18 KV -2.26 ANG .080 .080 REC .088 10.089 CAP REMARK V/VL : MISMATCH -.194 HN .159 HVAR : 49 MALERKOTLA 1.01 PU .888 .888 GEN 52 NGRUR 57.54 -14.12 59.25 223.88 KV 48.588 21.788 LOAD 51 18.29 -18.79 25.22 RNALA -2.13 ANG .000 .000 REC 50 LTONKLN -37.43 33.66 50.34 .000 10.000 CAP 41 VINDGARH -76.17 -13.78 77.41 REMARK V/VL 2.738 HW -1.596 MVAR : : MISNATCH 58 LALTONKLN 1.00 PU .808 .808 GEN 49 LERKOTLA 37.64 -38.63 53.94 228,45 KV 52.658 28.218 LOAD 40 NALPUR 2 -90.65 30.93 95.78 -1.11 ANG .000 .000 REC .889 28.808 CAP

.000 20.000 LAP RENARK V/VL

51 BARHALA	1.82 PU	. 688 . 289	GEN 49	LERKOTLA	-18.25	12.87	22.33
	224.08 KV	24.308 13.828	LOAD 52	NGRUR	21.75	6.11	22.59
	-2.61 ANG	. 888 . 888	REC 30	ATINDA 2	-27.24	-32.33	42.28
		. 888 . 888	CAP				
		REMARK				L.	
	. NIGNATCH	.566 NW		,			
	t BAGBERGAR	1000 IIW	1000 1111	•			
52 SANGRUR							
		72.988 39.868					
•	-3.00 ANG	. 688 . 688	REC 68	SSAR	126.85	-76.49	148.12
		.000 25.000	CAP 48	NALPUR 2	-118.93	63.42	134.79
		REMARK					
	: MISMATCH	1.731 HW	573 NVAR	1			
•			•				
53 JALANDHAR	.98 PH	. 888 . 889	GEN 54	RPAI	48.76	9.96	41.27
98 - 136004801000	215.33 KV	283.500 151.900		NG S	-319.74	-1.79	318.74
·	1 15 ANG	.888 .888	REC 59	CIIYA	-96 67	1 76	94 49
	1,10 840	.888 69.898		WALDIN 9	01 25	-192 09	131 17
•		REMARK		nHLrun Z	01.23	-102,70	121.17
	. MICHATCH	-2,425 MW		· ·			
÷	F HEADER FOR	1110 11					
54 VERPAL	.97 PU	. 888 . 886	0 GEN 55	TALA	-35,29	2.35	35.37
		72.988 39.86		LANDHAR	-48.82	-12.87	42.84
	37 ANG	. 868 . 886					
		.888 38.88					
		REMARK					
	: MISNATCH	-2.418 MW -	.552 MVAR	:			
55 BATALA	.97 PU	. 888 . 88	GEN 54	RPAL	35.39	-7.54	36.19
	212.66 KV	64.880 34.72	ULCAD 56	RNA	-181.77	-8.03	182.89
	.48 ANG	. 999 . 99	D REC				
*		.889 29.99	9 CAP				
		REMARK					
	: MISMATCH	-1,580 MW	.471 HVAF	:			
	·				•		
56 SA RNA	110 QQ	. 888 . 88	9 GEN 55	۵ ۱۵۲	192.94	. 6.89	103.03
החת היי ענ		64.889 34.72				-26.94	
	3.53 ANG		8 REC .58			2.28	
	2.72 HUD					4.96	
·			18 CAP 57	עחת	~JZ,/7	4.70	33.62
	*	REMARK		.			
	: WISNATCH	-6.732 HW	1./84 MVA	N ;	,		
57 JANNU		. 300 . 98		RNA			
	215.86 KV	81.888 43.44	BO LOAD 28	LAL S	-132.88	-,74	132.88
	5,97 ANG	. 888 . 89					
		.000 30.8					
		REMARK					
	: MISMATCH	1.434 NW		R :			
	a crasmantic to a Martin		-				
						``	

.425 MVAR :

: HISHATCH

-,368 MW

58 UDHANPUR	.99 PU	. 688 . 22	Ø GEN	56	RNA	96.72	-8.62	97.18
	218.84 KV	43.748 23.45	e LOAD	28	LALS	-136.85	87	136.85
	9.45 ANG						• • •	
		.000 15.00						
		REMARK						
	: NISMATCH	3.607 HW	-,885	NVAR :				
	•							
59 DA SUYA	.99 PU	. 898 . 80	9 GEN	56	DNA	26 87	17 70	20 54
	217.96 KV	. 888 . 86	BLOAD	53	LANDHAR	97.57	-3.88	97.65
	3.85 ANG	.008 .00	8 REC	24	NG S	-121.82	-8.99	122.15
		. 888 . 91					••••	
		REMARK						
	: MISHATCH	2.625 MW	592	KVAR :				
60 JAMALPUR 1								
		48.589 21.71		61	MRALA	-6.36	-14.38	15.73
	-1.17 ANG							
		. 888 . 81						
	NTOWATON	REMARK						
	I NISMAILH	.876 MW	301	NVAK :				
61 SAMRALA	07 DU	800 D/	0 000					47.00
or printing	.97 PU	48.508 21.7		10	DAD 1	8.41 -81 71	11.00	13.20
	-1.18 ANG	.868 .89		02	CHK I	-90./1	-17.20	38.32
	1110 ///0	.809 15.8		•				
		REMARK						
	: MISMATCH	.194 MW		NVAR :				
62 PAR 1	· · · · · ·	. 682 . 81	IB GEN	31	T.P. 2	-18.67	-25.61	31.69
	131.55 KV	93.158 49.9	8 LOAD	61	HRALA	47,48	16.65	58.24
	84 ANG	. 888 . 81			TLA S	-122.14	-5.86	122,28
		.888 35.8						
		REMARK						
	: HISHAICH	259 HW	. 331	RYAR :				
63 PNPT 4	(AS DH	9 6 0	I CEN	, .	DT 3	(7) 10	. 18 .07	
00 TTT1 9	1.83 PU 419.77 KV	.000.00	10 UCN 10 10	04 71	NIZ	174.45	10.7/	1/4./9
	70 ANG	.000 .0 .000 65.0	10 DEC	71 77	UAD A	-104-04	-9./0	104.73
	•/10 HILU		A CAP	25	NMA 4	-92,94	-03.23	100.12
		REMARK						
	: NISNATCH	17.268 HW		NVAR :	1			
	d							
64 PNPT 2	1.05 PU	. 888 . 3	BØ GEN	63	PT 4	-174.45	-2.34	174.46
	230.44 KV	145.888 78.1						
	-3.52 ANG							
		. 888 54.8	CAP	45	PLI -	22.46	15.46	27.26
		REMARK				74.33	-46.65	87.75
	: MISMATCH	-3.720 MW	1.35	5 RVAK	1	•		

. 999

1.05 PU

65 GURGAON

.888 GEN 34 LABGARH -147.92 12.79 148.47

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				•		38					
		230.15 KV	52.650 28.210		DRI	96.99	-25.12	188.19			
۰		-5.73 ANG	.888 .888 .888 15.088			,					
			REMARK								•
		: NISNATCH	1.722 HW	534 HVAP	1						
	() and (6 B4 DV									
	66 PADRI	1.04 PU 229.55 KV	.009 .009 162.000 86.800		ETRI PT 2	73.58 -79.89	.72 5.99	73.58 80.11		•	
		-7.48 ANG	. 388 . 888		RGADN	-96.26	5.96	96.44			
			.888 78 883		IWANI 2	-33,28	-36.87	49.61			
		: MISNATCH	REMARK 	V/VL - 7: ot nvai							
					•						
	67 BHINANI 2	1.85 PU	.888 .888		IWANI 4		-73.69				
		238.03 KV	28.358 15.198		ETRI	61.35	-2.97	61.39			
		-7.39 ANG	888. 888. 988. 988.		DR1 SSAR	33.23 33.57	19.78 48.16	38.63 52.34			
			REMARK		A 5UN	23131	TUIT	97104			
		: MISMATCH	4.789 NW	718,NVA	1:						
	68 HISSAR	1.83 PU	. 989 . 996	6EN 78	ETRI	Q1 07		01 80			
	. JU C BUNN	227.28 KV	89.188 47.748		RWANA	81.83 -10.98	-6.40 -4.47	82.08 11.85			
		-7.66 ANG	.089 .099	REC 67	IWANI 2	-33,38		64.44			
			.000 30.000 Renark	CAP 52 V/VL	NGRUR	-123.99	49.52	133.52			
		: NISHATCH	2.576 HW	726 HVA	1:						
	· · · · · · · · · · · ·			'			_				
	69 BHINANI 4	.97 PU 388.29 KV		6EN 67 Load 23	IWANI 2 Har 4	151.79			•		
		-5.84 ANG	.888 188.888		1 חוות	-154.01	-119410	200.23			
·			. 888 . 888								
			REMARK	/ 10 - 1014	. .						
		: MISNATCH	-2.216 MW	.619 MVA	11						
	78 NARWANA	1.03 PU	. 888 . 888	GEN 68	SSAR	10.99	-5.75	12.48			
		227.39 K¥	166.858 88.988	LOAD 32							
		-7.31 ANG	.880 .888 .888 79.899								• -
			REMARK								
5		: MISHATCH	-2.142 HW		R :						
	.71 MRDHER 4	1 .4 5 PU	298.358 .886	6EN 72	DNGR 2	199 51	45 47	204.66			
		418.97 KV		B LOAD 63				115.15			
		.25 ANG	. 888 . 886	REC						١	
			.009 .00 Remark	8 CAP M/LL							
		: MISNATCH		-2.086 MV/	R':						
	72 MADNER 2	1.86 PU	. 888 . 88	0 GEN 71	DNGP A	-199.51	-35 70	202.4R			
	I A TIMADA 2	233.91 KV		BLOAD 3		s 34.62					
		-2.49 ANG		REC 7		J 198.63					
,	(•			<i>۲</i>					,		
·	1 / H										

.888 .888 CAP

REMARK V/VL

: MISHATCH 25.746 HW -16.527 HVAR :

73 NERELA 1.85 PU , 928 .000 GEN 75 TPARGANJ -161.85 -36.97 165.24 231.85 KV 162.888 86.888 LOAD 76 JAFGARH 28.88 -8.54 21.82 -4.38 ANG .008 .008 REC 74 RH.ROAD 99.64 -3.97 99.72 .008 80.000 CAP -74.87 19.75 76.66 64 PT 2 REMARK V/VL : MISMATCH 7.560 4 - 8.650 MVAR ; 74 D. RH. ROAD 1.85 PU . 869 .000 GEN 73 RELA -99.44 -1.27 99.45 238.61 KV 93.158 49.918 LOAD

-4.77 ANG .000 .000 REC .000 40.000 CAP Remark V/VL

: MISHATCH -6.288 NN 4.685 NVAR :

15 1	P ATPARGANJ	1.86 PU	. 968	. 282	GEN	72	DNGR 2	-198.14	-28.94	192.33
		232 . 99 KV	76.958					-99.75		
		-3.17 ANG	. 888	. 608	REC	73	RELA	161.74	30.33	164.56
				55.084						
			R	ENAKA	V/VL					
	•	: MISNATCH	-10-051	' NN 🛛 🤇	7.856	HVAR :				

76	NAJAFGARH	1.05 PU 231.05 KV -4.45 ANG	. 888 89, 189 . 888	.988 47.749 .988	LOAD	73 77	RELA HRAULI		-1.11 -11.02	20.10 55.17
			. 888	48.000	CAP					
			R	EMARK	V/VL			•		
		: NISMATCH	14,979	州 第	-8.511	NVAR	1			

77 MEHRAULI 1.05 PU .000 GEN 76 JAFGARH 54.11 4.01 54.26 231.45 KV 174.150 93.240 LOAD 37 DARPUR S -243.75 .54 243.75 -4.16 ANG .000 .000 REC .000 80 989 CAP REDARK V/VL : MISMATCH -15.494 MN 9.246 MVAR : 78 KHETRI 1.82 PU . 888 .888 GEN IWANI 2 -69.36 -16.11 62.47 67 224.16 KV 76.958 41.238 LOAD 62.91 8.45 63.47 88 ENUGUS -11.93 ANG . 899 .080 REC 79 IPUR 88.61 -7.49 88.96 .888 18.088 CAP 68 SSAR -88.64 -3.56 88.72 REMARK V/VL DRI 66 -72.42 -13.68 73.78 7.053 NW -1,546 MVAR : : MISNATCH 79 JAIPUR 1.00 PU .000 GEN . 888 81 TA 25.27 -25.33 35.78 228.73 KV 137.788 73.788 LOAD 82 WAR -61.59 -23.11 65.78 -14.55 ANG . 888 .000 REC 88 -11.28 -.34 11.21 ENUGUS . 688 .888 CAP 78 ETRI -79.85 -27.93 84.68

REMARK V/VL

- 1. · ·

-88 REENUGUS .888 .888 GEN 1.00 PU 79 IPUR 11.22 -8.31 13.95 -62.38 -16.71 64.58 220.52 KV 48.688 26.848 LOAD 78 ETRI -14.18 ANG .888 .888 REC .888 .888 CAP REMARK V/VL : MISNATCH -2.568 MW 1.821 MVAR : 1.89 PU -25.18 -22.96 34.08 81 KOTA .000 .000 GEN 79 1PUR 38 PP 5 -127.62 -28.99 138.88 229.88 KY 148.948 75.468 LDAD .888 .888 REC -15.67 ANG .000 20.000 CAP REMARK V/VL : NISNATCH -11.864 MW 3.494 MVAR : 37 DARPUR S -128.51 3.44 128.56 82 ALWAR 1.03 PU .988 .888 GEN 79 IPUR 62.43 9.60 63.16 227.38 KV 56.708 30.388 LDAD -11.18 ANG .000 .000 REC .888 48.888 CAP REMARK V/VL : HISHATCH -1.385 HW .698 MVAR : 83 BH166 1.00 PU 91.808 15.803 GEN 21 KRA L6 91.73 15.77 93.07 11.00 KV .889 .888 LOAD . 000 16.75 ANG .809 REC .888 .888 CAP REMARK -.873 MW -.833 MVAR : : MISNATCH 84 BH1220 1.89 PU 91.809 3.678 GEN 28 KRA 12 91.73 3.64 91.88 11.80 KV .888 .888 LOAD .000 REC 9.99 ANG . 800 .888 .888 CAP RENARK -.869 MH -.838 MVAR : : MISMATCH 93.589 1,496 GEN 19 93.48 1.46 93.42 85 BHR1 1.00 PU KRA R2 .888 .888 LOAD 11.88 KY 8.29 ANG .888 .888 REC .888 .888 CAP REMARK 3 -,895 MW -.832 MVAR : : MISMATCH 148,258 -2.814 GEN 22 HAR 2 148.85 -2.98 148.88 86 DHR621 1,88 PU .099 .388 LOAD 11.98 KV .808 .888 REC 9.66 ANG .888 .888 CAP RENARK -,884 MVAR : -.201 HW : MISHATCH

: MISHATCH 18,331 MW -2.923 MVAR :

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	-			•							·	
•												
•	87 DnR641	1.00 PU 11.00 KV 6.92 ANG	. 888 . 9 . 888 . 9	12 GEN 100 LOAD 100 REC	23	HAR 4	139.98	4,89	148.84			فنہ.
			REMARK								,	
		: MISNATCH	269 HW	-,125	NVAR :							
	88 NG1	1.88 PU 11.89 KV 11.68 ANG	. 989 . 9 . 888 . 9	507 G en 509 Load 500 Rec 500 Cap	24	NG S	51,15	3.37	51.26			
		: MISMATCH	<pre></pre>	(NVAR :							:
	89 PMPT61	1.80 PU 11.80 XV	82.178 18.1 8.918 4.1	137 GEN 769 LDAD	32	PT (1)2	72.81	-5.21	73.88			
		1.48 ANG	. 898 . 1 . 899 . 1 Rehari	808 REC 800 Cap K					Ň			
	• •	: NISMATCH	447 HW	167	MVAR :							
	98 GND621	1.88 PU 11.99 KV 1.38 ANG		794 GEN 768 Load 808 Rec	30	ATINDA 2	54.75	22.01	59.01			
	<i></i>			888 CAP K	WUAD .				,			- - -
		€ UTOUHIOU	, 071 FIW	. 620	97 7 8 i							
	91 B> 9PRH2	1.00 PU 11.00 KY 1.95 ANG	85.000 6. 12.550 6. .000 .	868 LOAD 888 REC	37	DARPUR S	71.94	41	71.94			•
		: NISHATCH	.000 . Remar 514 MW	K	NVAR :	ł						
	07 READUTH	1 58 10	179 200 40	{18 cru	77	, 0100110 P	417 70	_(74	1AT 08		•	
	92 BDAPRTH1	11.80 KV 1.61 ANG	178.000 12. 25.110 13. .080 .	440 LOAD 809 REC 888 CAP	31	VAALAY 3	143+17		173,00			
		= NISNATCH	REMAR -1.899 MW		hvar	;						
	93 BORPRTH2		178.008 12. 25.118 13. .000		37	darpur s	143.79	-1.74	143.89			
			. 898 . Remai	.000 CAP RK	e					ı		
		: MISMATCI	1 -1.899 MW	-,41	i HVAR	.						
,								٠.				

Distance, under voltage and loss of excitation relays have been modeled in the simulator. If required then they can be very easily put to use. The total simulation time of the system is specified in an input data file (SYSCON. DAT). The equivalent admittance matrix for the faulted and unfaulted transmission networks are obtained using a network reduction program and are stored in a file identified by (unit = NRDE).

5.1 RESULTS AND DISCUSSIONS

The power system simulator is developed for the dynamic simulation of power system and its behaviour under various system disturbance conditions are observed and recorded. Different system conditions can be applied on the power system for varying period of time. All this can be specified through an input data file. The various system conditions considered here are as follows - (i) Three phase bus fault (ii) Three phase line fault (iii) loss of excitation (iv) load change (v) Three phase bus fault cleared. In this section behaviour under (i), (iii),(iv) and (v) system conditions have been included.

<u>RESULT 1</u> - In this case a three phase bus fault has been applied on the load bus no. 33. The name of this buses is FARI DABADS. The time for which this fault is applied is 0.10 seconds. That is, after 0.10 secs the system condition (v) is applied. Thus the three phase fault is cleared at 0.10 seconds after it has occurred at 0.0 seconds. The swing curve for the generator of the bus connected to the above load bus where the fault was applied is recorded. The bus name and no are FARIDABADG and 15 respectively. It has been provided in this section. From this curve we observe that the rotor angle increases sharply for the time during which the fault was applied but after it is cleared, it starts oscillating about the equilibrium state. The frequency and the amplitude of the oscillations are decreasing with increasing time. This suggests that the generator is slowly reaching the stable state. The simulation was carried out for 2.0 seconds. Increasing the total simulation time of the power system increases the execution time of the program. Therefore a trade-off is necessary between the two. For a five seconds simulation time the execution time was observed to be 40 minutes. For the system to be stable it is important that the fault is cleared before the critical clearing time. The swing curve of some of the Generators have been drawn for this case. A time scale of 20 seconds is taken for these curves. All these curves suggest that the system is stable.

<u>RESULT 2</u> - In this case a field fault is applied on the generator of the **Dus no** 13. The name of this generator bus is R.T.P.G. In order to identify the fault a loss of excitation relay is provided in this bus. The field circuit

fault can be of two types. It can either be open circuited or short circuited. The short circuited case is provided here. The fault is applied at 0.0 seconds. The time delay of the relay is fixed at 0.40 seconds. The total time for which the fault is observed is 3.0 seconds. From the swime curve drawn for this generator bus it can be observed that the loss of excitation of the generator \$ for 3.0 seconds makes the system unstable. This can be identified by the constantly increasing rotor angle with time. A plet for the apparant impedance characteristic for the field fault generator bus is also provided. The equivalent generator impe dances follows a path from the first quadrant to the fourth quadrant as can be observed in the graph. When the excitation is severely reduced it enters a region of the fourth quadrant which is encompassed within the characteristic of the loss of excitation relay. The impedance characteristic enters the region after 2.25 seconds as can be observed from the graph. By this time the system has become unstable. Speed deviation, terminal voltage and reactive power curves have also been provided.

Another example has been taken for the loss of excitation system condition. This time the field fault is applied on the bus GN DTP (bus no.11). The short circuited case has been taken here too. The rotor angle, reactive power, terminal voltage and speed deviation curves are drawn. In this gase also the relay fails to trip before the system becomes unstable.

The impedance and relay characteristics are also included in this section. From this curve it is observed that the impedance characteristic enters the outer circle of the relay characteristic after 2.0 seconds. A time delay of 0.80 seconds is provided. The impedance characteristic enters the inner circle at 2.79 seconds.

<u>RESULT</u> 3- When a large load of 202.50 MW and 180.50 MVAR is suddenly removed from the system, large oscillations are observed in the rotor of the generator bus connected to it, and the system becomes unstable after some time. But when a small load of 24.30 MW and 13.02 MVAR is removed from the system, itssynchronism gets restored after a time of 2.0 seconds. This can be shown by the swing curve of the generator bus connected to the load bus. The name of this load bus is BARNAIA (bus no 51) and the name of the generator bus is R.T.P.G.(bus no.13).

Load flow results have also been included here. Active and Reactive mismatches for each and every bus has been calculated. These mismatches for every bus should be kept as much low as possible.

CHAPTER - 6

1

CONCLUSIONS

6.1 SUMMARY

The power system simulator meets the need of a good tool for proper study of any power system. Detailed generator, exciter and turbine governor models have been considered. The Analog computer representation is used to write effecient subroutines of these models. The various Generator models, exciter models and turbine governor models have been described in previous chapters. A relay protection scheme is included in the simulator. It can be activated when required. Distance, under voltage and loss of excitation are the three types of relay schemes provided in this simulator. Load flow study is carried out for the power system example considered. Causs Seidel method is used for this purpose. An efficient numerical solution technique is used for solving the network and algebraic equations and the differential equations of the machine and controller units. Different system disturbance conditions can be simulated and the behaviour of the power system under emergency conditions is observed and recorded. Thus the stability of the power system can be studied properly.

6.2 SUGGESTIONS FOR FUTURE WORK

In power system modelling much attention has been paid to generator modelling, although the impact of load models on the system is of equal importance. It has been a common practice to model a load as (a) constant power (b) constant current and (c) constant impedance. Here the third form of load modelling has been done. Though this form of modelling is satisfactory under specific condi tions but in general the load cannot be satisfactorily modelled by this form. This simplifies the study but does not make it accurate. The load power varies generally with respect to voltage and frequency. Thus a load model should take this into consideration. Hence a more general form of load modelling can be done to make the study more complete and accurate. The system disturbance has been categorised into two classes. They are (i) Network disturbances (ii) Islanding. These have been discussed in chapter-2. Here, in this simulator only the first class of system disturbance has been considered. The second class can also be incor porated and its effect on the power system model can be studied.

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NOMENCI ATURE

The following notation is generally used unless a specific alternative definition is made within the text.

- **v** State variables
- z auxiliary variables
- E generator internal voltage
- I generator current
- V generator terminal voltage
- angle of generator d axis to synchronous reference angle of generator q axis to synchronous reference
- X reactance
- L inductance ·
- Y admittance
- R resistance
- T time constant
- D damping factor
- A, B coefficients of generator saturation function
- S saturation function
- k saturation factor
- H inertia constant
- f frequency
- E_{FD} exciter output voltage (applied to generator field)
- IFD generator field current
- I generator terminal current

 K_{Λ} regulator gain

	K E	exciter constant related to self-excited field
	κ _F	regulator stabilizing circuit gain
	ĸŢ	current circuit gain of type 3 system
	к _Р	potential circuit gain of type I S or type 3 system
	к _V	fast raise/lower contact setting, type 4 system
	s _B	exciter saturation function
	т _А	regulator amplifier time constant
	T B	exciter time constant
· .	T _F	regulator stabilizing circuit time constant
	T _{F1} ,F2	regulator stabilizing circuit time constant (rotating rectifier system)
	T_R	regulator input filter time constant
	T _{RH}	rheostat time constant, type 4 system
	v _R	regulator output voltage
	V _{R max}	maximum value of V _R
	V _{R min}	minimum value of V _R
	V REF	regulator reference voltage setting
	V _{RH}	field rheostat setting
	v _T	generator terminal voltage
•	V THEV	voltage obtained by vector sum of potential current signals, type 3 system
	Δ٧ -	generator terminal voltage error.

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	,			
FVHP	Very High Pressure Turbine Power Fraction	1	Τp	Pilot Valve Time Constant
F _{HP}	High Pressure Turbine Power Fraction	ŀ	TR	Dashpot Time Constant
FIP	Intermediate Pressure Turbine(s) Power Fraction	1	т	Water Starting Time. See Appendix II
FLP	Low Pressure Turbine(s) Power Fraction	1	•	Transient Speed Droop Coefficient
F	Gain Constant. See Fig. 5 (C)		•	Permanant Speed Droop Coefficient .
K _G	100./(% Steady State Speed Regulation)			Common System Symbols
Kp	Gain Associated With Steam Flow Feedback on General Electric EHC Systems		¢v	Effective Covernor-Controlled Valve or Gate Position
KPR	Gain Associated With Steam Flow Feedback on Westinghouse EH System		Acy	Effective Governor-Controlled Valve or Gel Incremental Position
K _{PD}	Steam Lead Pressure Drop Coefficient		CVMAX	Valve of Gate Position Limits
m.cv.	Governor-Controlled Valve Steam Flow	-	CVMIN	
тнр	High Pressure Turbine Steam Flow	-	CVOPEN	Valve or Gate Servo Rate Limits
фто	initial (time = 0") Throttle Valve Steam Flow		CVCLOSE	
Phi	Mechanical Power, Shaft 1		K1-K7	General Model Parameters See Figure 8 and Table III
Ph(2 ·	Mechanical Power, Shaft 2		ĸ	Total Effective Specif Governing System Q
PBG	Internal Botter Steam Pressure, Assumed		-	See Figure S
.	Throttle Pressure	1	PM and	Mochanical Power
PT Bee	Initial (time = 0") Throttle Pressure		Po	Initial (time = 0 ") Mechanical Power
P _{TO}	Valve Positioning Servomotor Time Constant	:	∆₽	Incremental Power Due to Valve or Gate M
T _{SM}			APMAX	Incremental Power
TSR	Speed Relay Time Constant Time Constant Associated With Steam Flow		APMIN'	- Limits Imposed by Gate or Valve Travel
✓ ¶	Feedback on Westinghouse EH System		tup .	Limits on Rate of Change of Power Impose
Тсн	Steam Chest Time Constant (Control Valves to JIP (VHP)) Exhaust	↓	+ DÓWN Para	by Control Valve Rate Limits Power at Gate or Valve Outlet
ŢRH" TRHI	Reheat Time Constant (HP VHP Exhaust to IP HP) Exhaust	4	P _{GV}	Power Limits Imposed by Valve or Gate Tr
T _{RH2}	Second Reheat Time Constant (HP Exhaust to IP Exhaust)	4	P _{MIN} 88	Speed Reference
tco	Crossover Time Constant (IP Exhaust to LP Exhaust)	4	T _I	
	Hydraulic System Symbols	·	T ₂ T ₃	Sec Figure 4 and Tables I and IV
•11		•	T4-T7	General Model Time Constants
*13	Hydro Turbine Parameters	2		See Figure 8 and Table III
•21 ·			ω - Α	•
*23	· · · · · ·	•	Δω	Spord Deviation Differential Operator
TO	Gate Servomotor Time Constant		s 1910	Miterauren Abatarea
	т. .	••• در	• ·	

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Superscripts

	-
-	complex

- . time derivative
- transient
- unsaturated
- fict fictitious

Subscripts

d	direct axis
ą	quadrature axis
real	real axis of synchronous reference
imag	imaginary axis of synchronous reference
a	armature or air gap
0	open circuit or base value
k	damper winding
ſ	field winding
X	leakage or losses
е	electrical or exciter
m	mechanical
G	Generator internal bus
T	Generator terminal bus

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